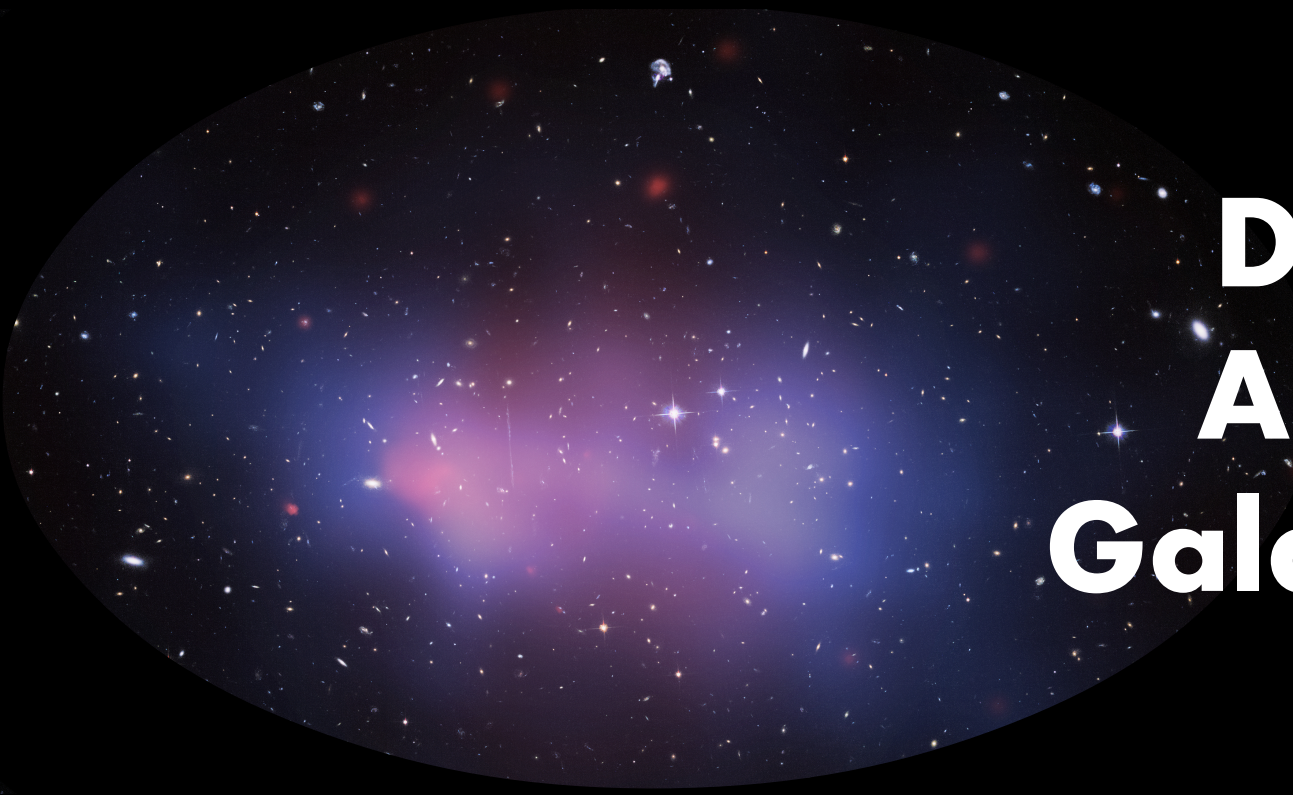


ASTRO@TS
Trieste, 25.06.2019



Dynamical Analysis of Galaxy Clusters

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**Ludwig Maximilian Universität
INAF – Osservatorio Astronomico di Trieste**

**Joe Mohr, Veronica Strazzullo (LMU)
Alex Saro, Andrea Biviano (INAF-OATs)**

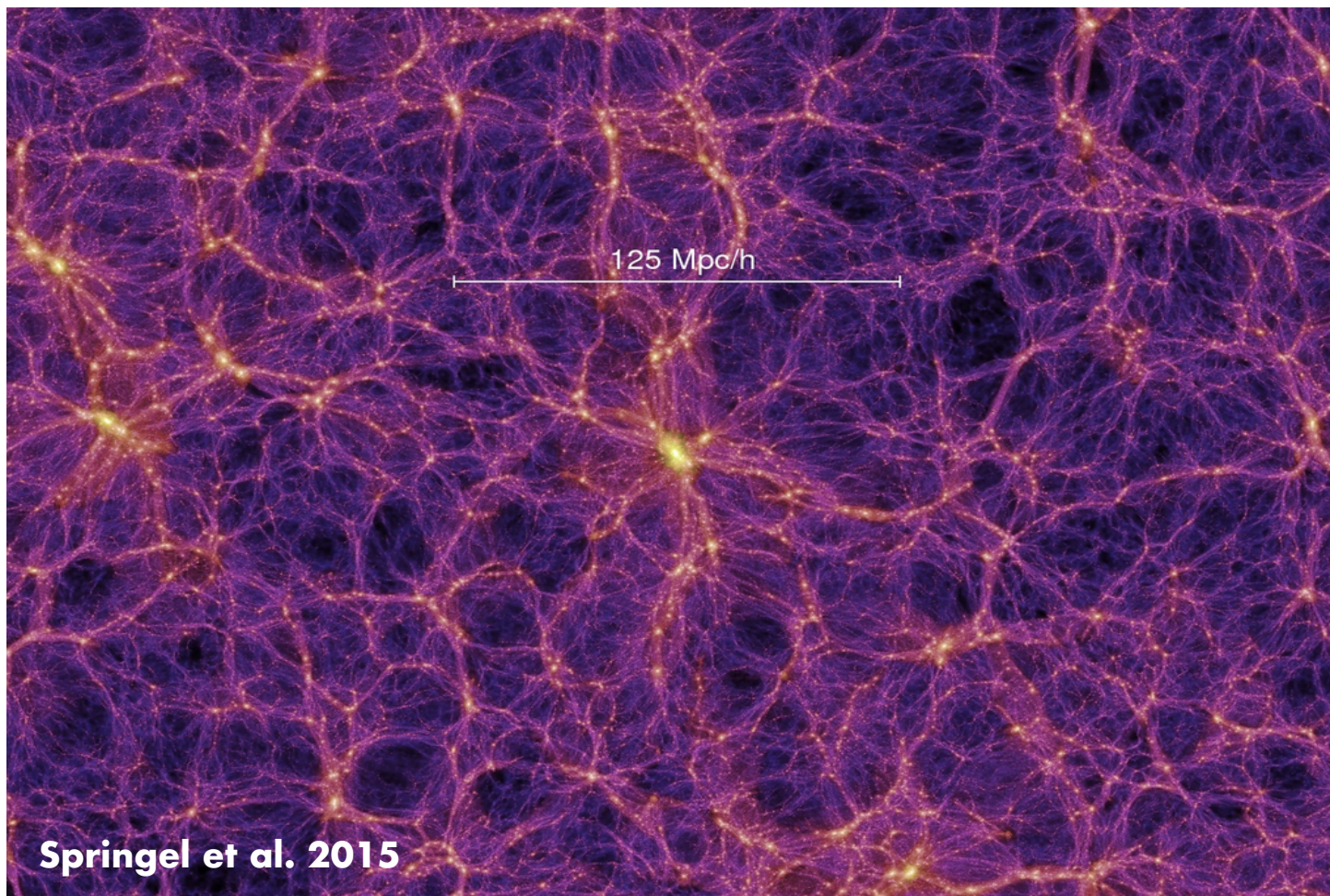




Galaxy Clusters

What are Galaxy Clusters?

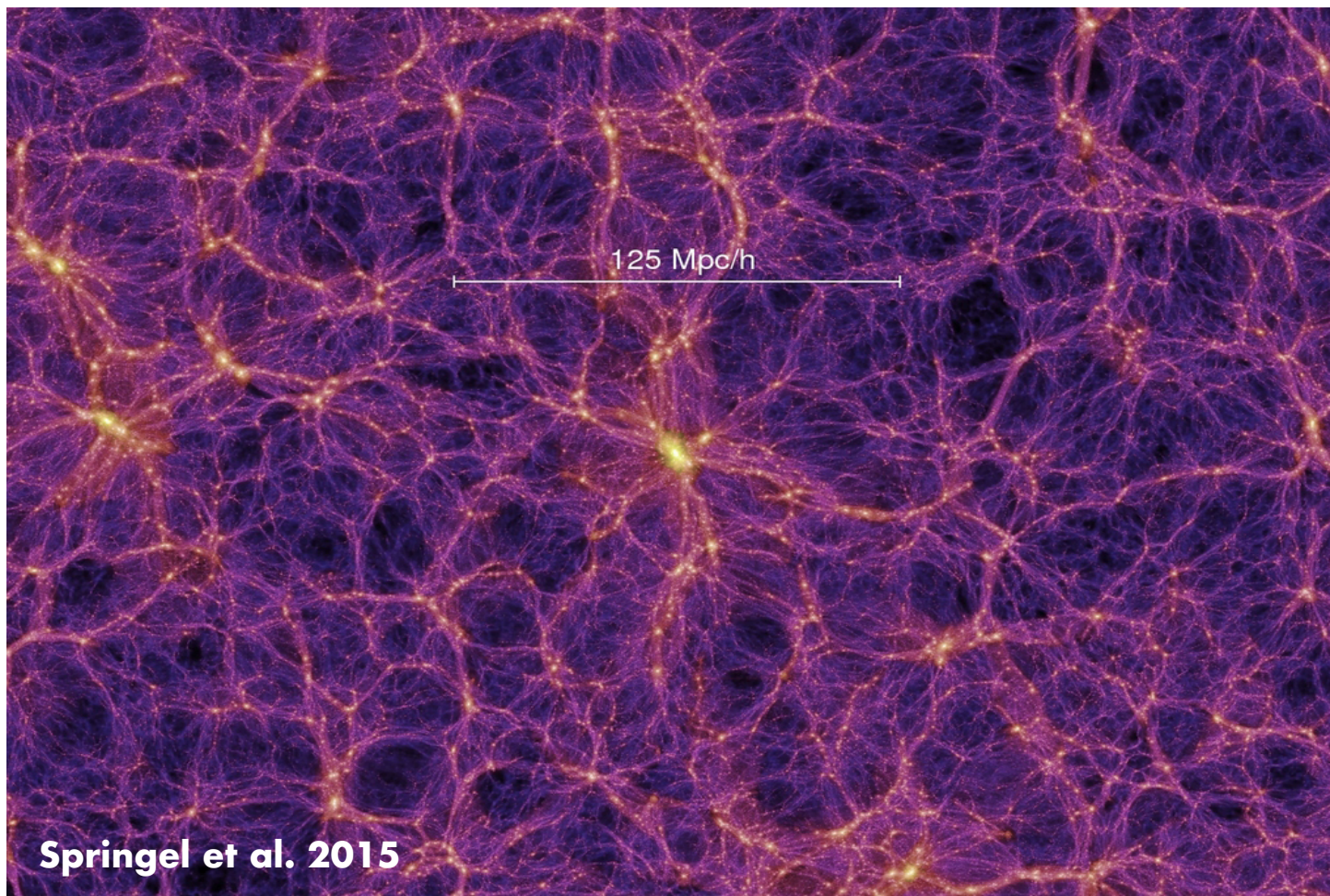
Matter is distributed along filaments, and galaxy clusters lie at the intersections





Galaxy Clusters

Why are they important?

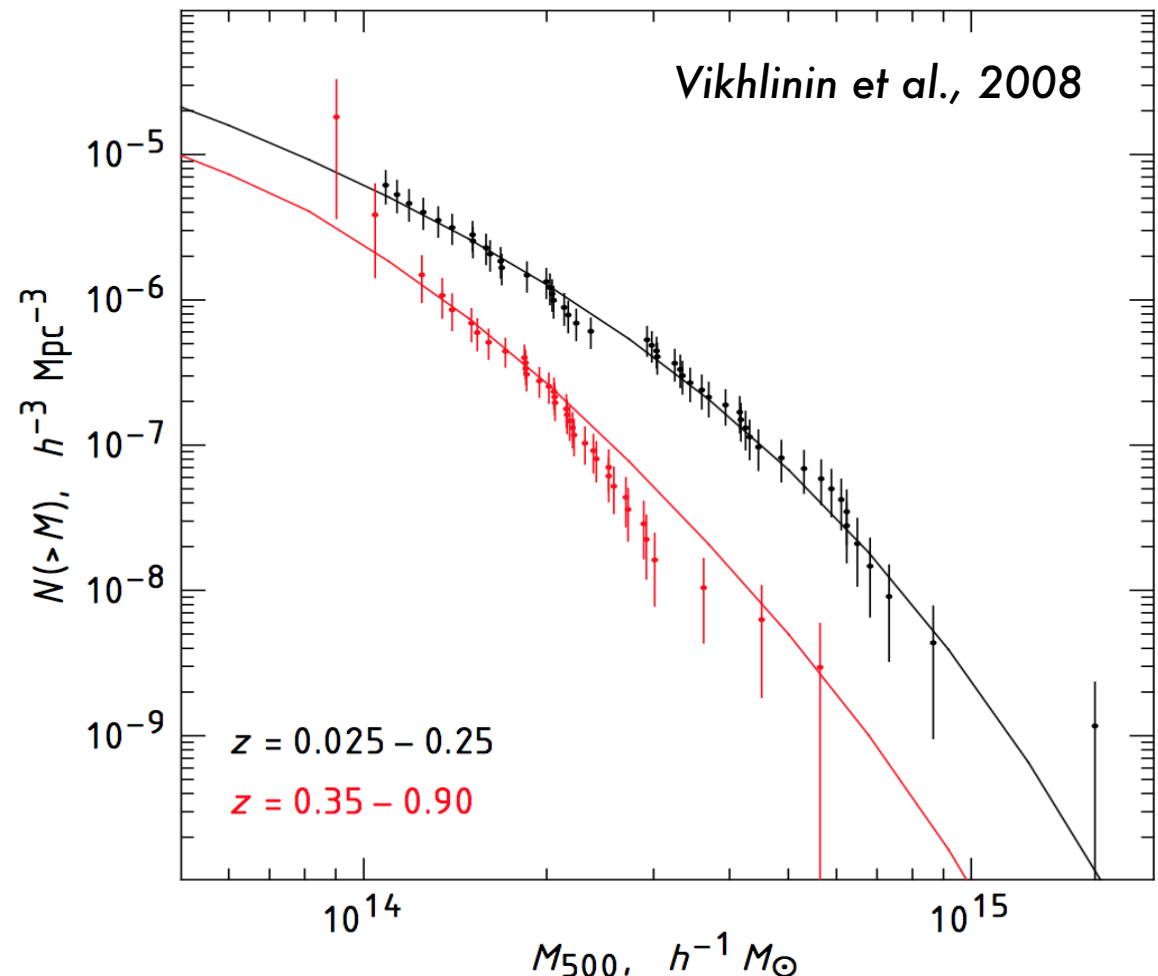




Galaxy Clusters

Why are they important?

- **Evolution in the number density of galaxy clusters above a given mass, as a function of redshift (mass function) traces the growth of structure**

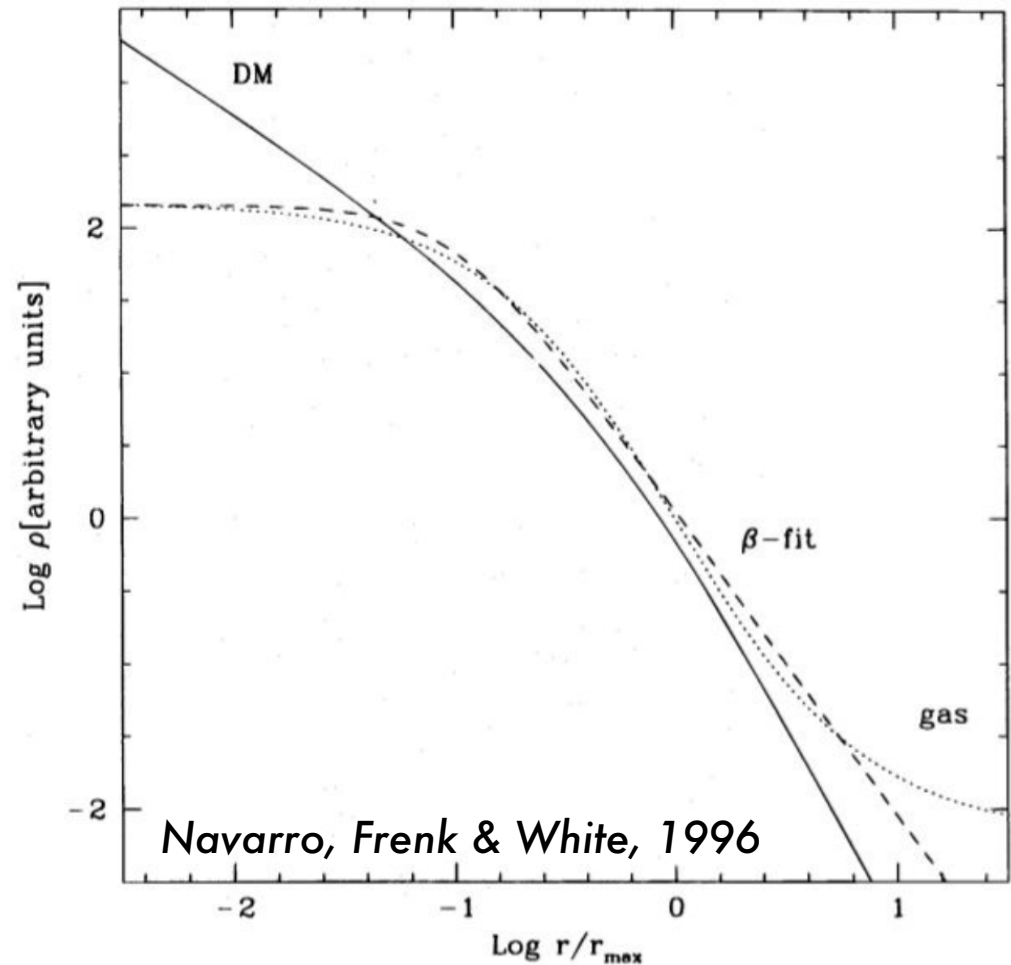




Galaxy Clusters

Why are they important?

- Mapping the distribution of mass inside clusters of galaxies helps us understand:
 - the nature of dark matter
 - the way halos formed





Galaxy Clusters

Why are they important?

- Prevalence of red, early-type, passively-evolving galaxies in clusters



- Information on cluster formation and evolution
- Information on physical processes that speed up galaxy evolution by removing their gas and changing their internal structure, shaping the orbits of the galaxies



NGC 4402
NASA/ESA



Aim

Measurement of Dynamical Masses

Orbital analysis

- Impact on precision of Cluster

- Information on cluster formation

Cosmology

and evolution

- Understanding of the nature of dark matter and halo formation
- Density of clusters above a given mass as a function of redshift – cosmological probe

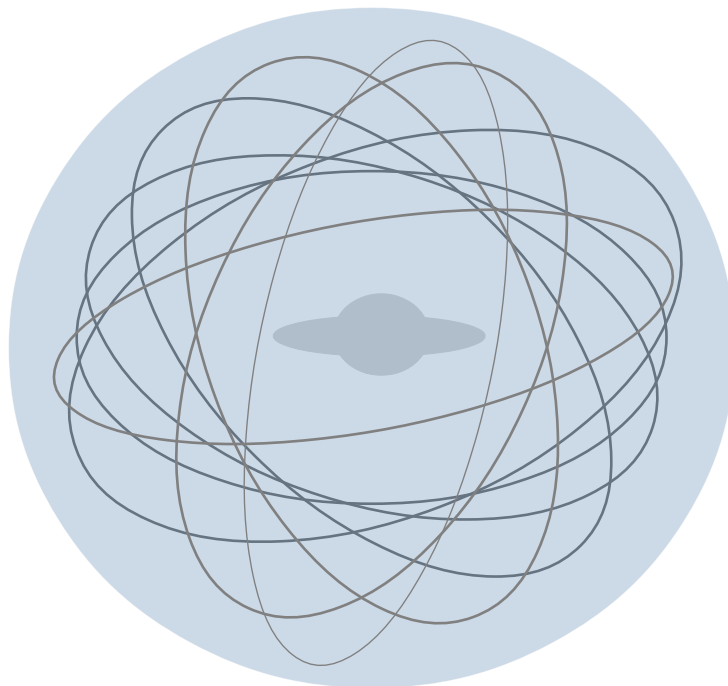
- Processes shaping the orbits of the galaxies





Theoretical Framework

Dynamical analysis

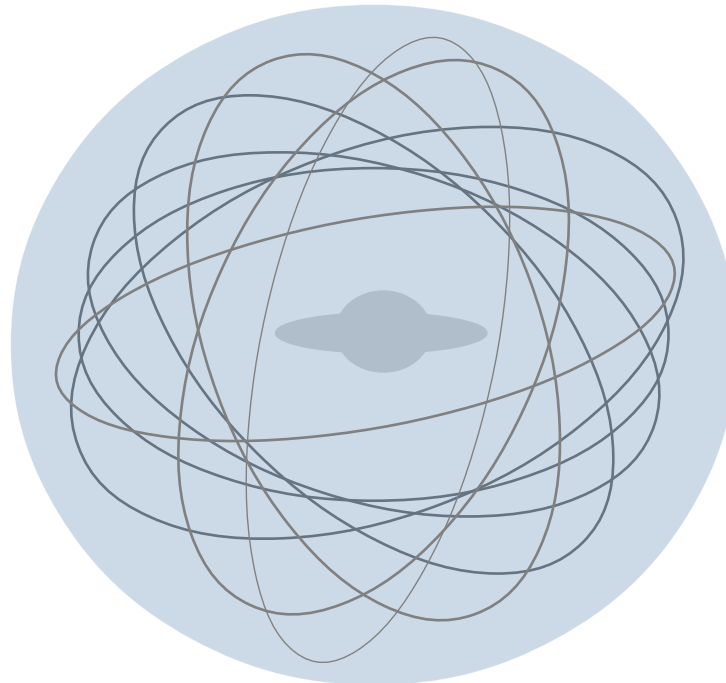




Theoretical Framework

Dynamical analysis: the Jeans equation

$$\frac{GM(r)}{r} = -\sigma_r^2 \left(\frac{d \ln n}{d \ln r} + \frac{d \ln \sigma_r^2}{d \ln r} + 2\beta \right)$$



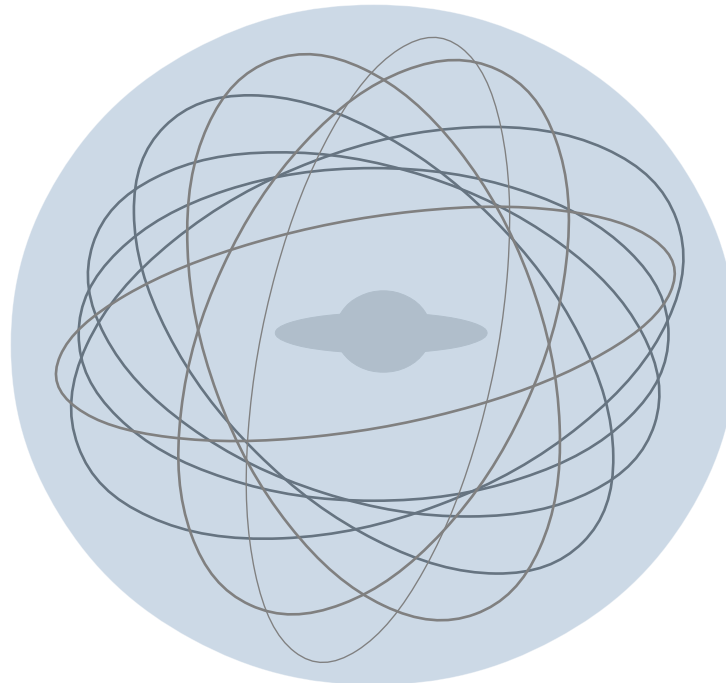


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■ $\beta = 1 - \sigma_t^2 / \sigma_r^2$



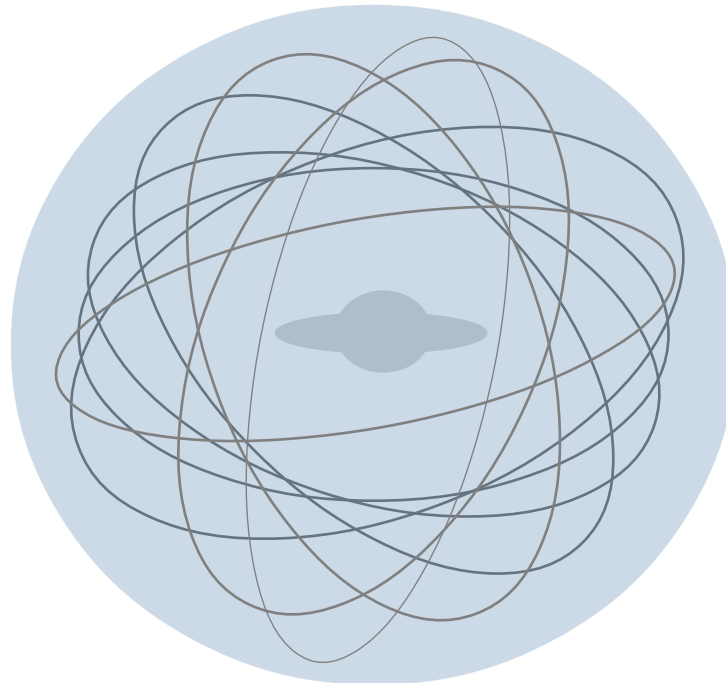


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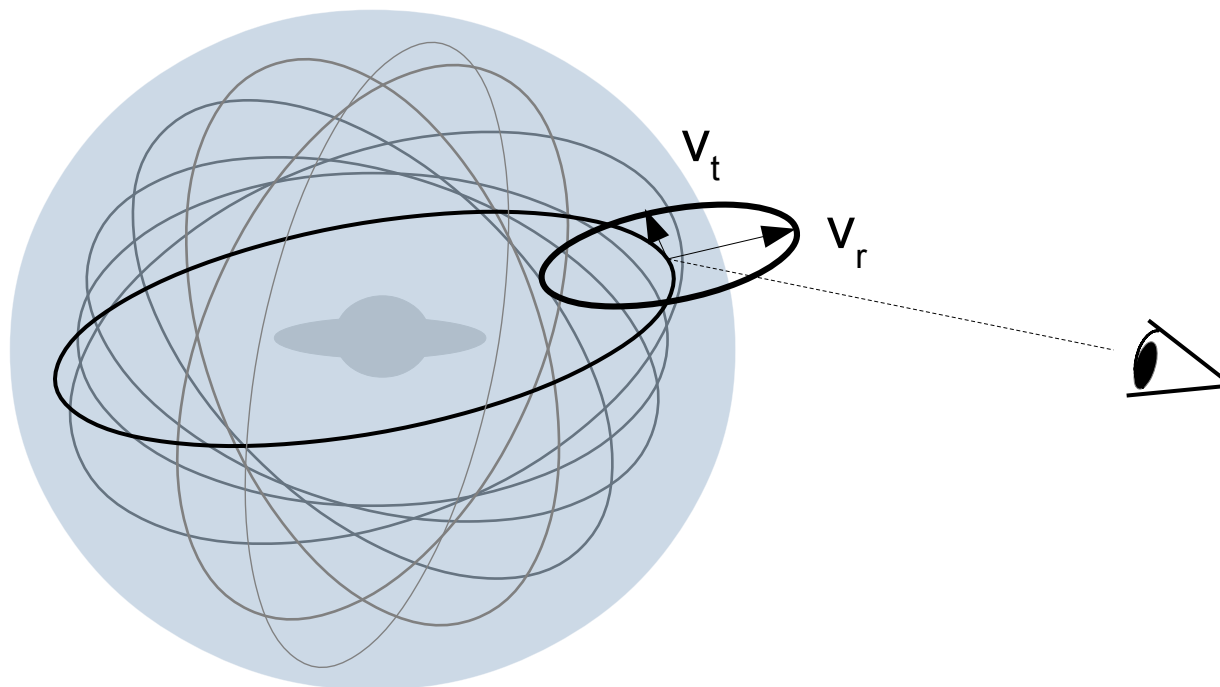


Theoretical Framework

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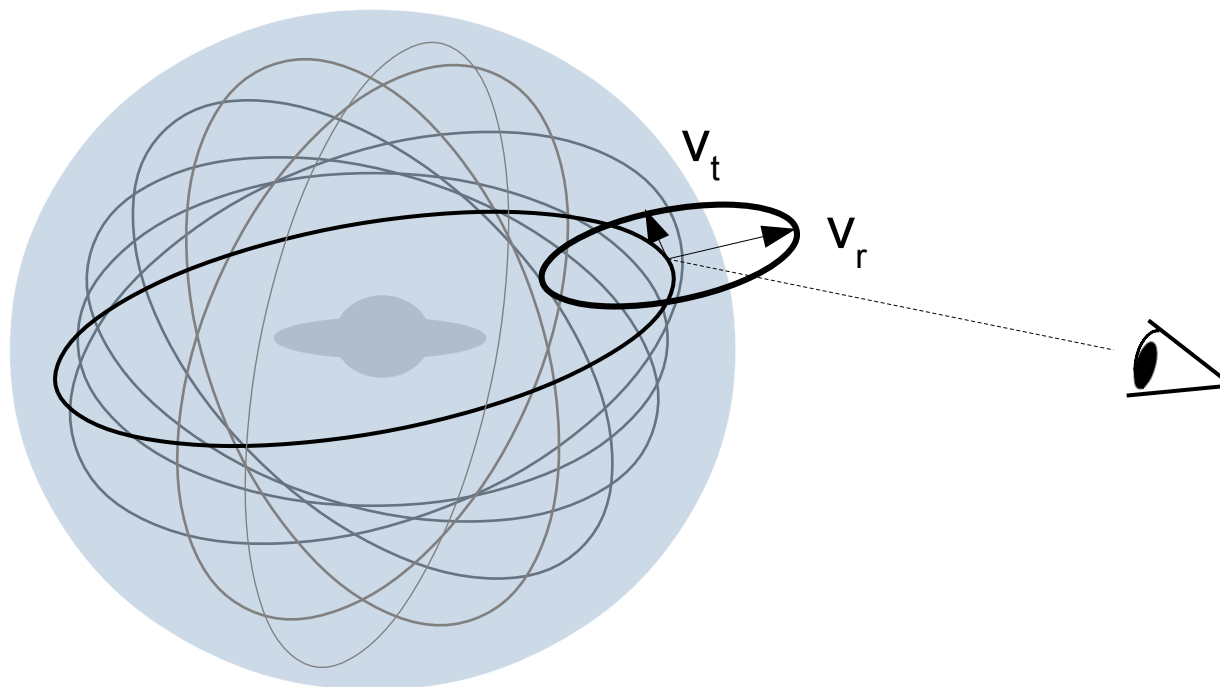


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- $\beta = 1 - \sigma_t^2 / \sigma_r^2$
- **Mass – orbit degeneracy**





Theoretical Framework

Dynamical analysis: the Jeans equation

$$\frac{GM(r)}{r} = -\sigma_r^2 \left(\frac{d \ln n}{d \ln r} + \frac{d \ln \sigma_r^2}{d \ln r} + 2\beta \right)$$

MASS PROFILE
M(R)

**VELOCITY
ANISOTROPY PROFILE**
 $\beta(R)$

**Find combination of
Mass and Orbital
Profiles that make
observed data plausible**



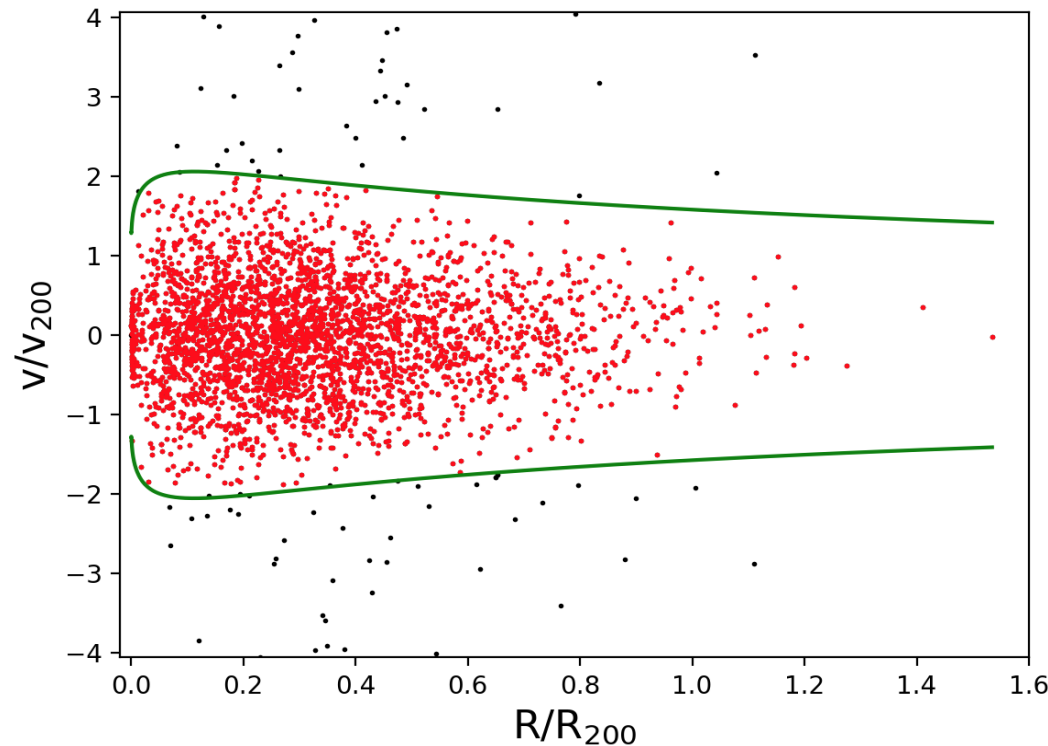
SPT-SZ Cluster Sample

- Clusters observed with the South Pole Telescope (SPT), selected through their Sunyaev Zel'dovich Effect (SZE) signature
- Spectroscopic follow-up of the clusters from Gemini, Magellan and VLT (Ruel+14, Bayliss+16)
- 110 clusters up to $z \sim 1.3$
- ~ 4700 spectra; ~ 3500 members;
~ 3000 nELG





SPT-SZ Cluster Sample



Capasso+19
(MNRAS, 482, 1043)

- Use the full stacked phase-space to solve for the Jeans equation
- Adopt parametric models for the 3D mass distribution and 3D velocity anisotropy profile β
- Likelihood evaluation of the parameters with Modelling Anisotropy and Mass Profiles Of Spherical Systems (Mamon, Biviano & Boué, 2013)



Method

- **Mass profile: NFW, well justified from theory**
- **β profile: much less studied in terms of universality; adopt 5 different models:**

1) β constant

2) Tiret et al. (2007): $\beta_T(r) = \beta_\infty \frac{r}{r + r_{-2}}$

3) Opposite: $\beta_O(r) = \beta_\infty \frac{r - r_{-2}}{r + r_{-2}}$

4) Mamon & Łokas (2005): $\beta_{ML} = 0.5 \frac{r}{r + r_\beta}$

5) Osipkov (1979) & Merritt (1985): $\beta_{OM} = \frac{r^2}{r^2 + r_\beta^2}$

Use full bayesian framework (model averaging) to combine models

$$p(\boldsymbol{\theta} | D, M) = \frac{L(D | \boldsymbol{\theta}, M)}{E(D | M)} p(\boldsymbol{\theta})$$

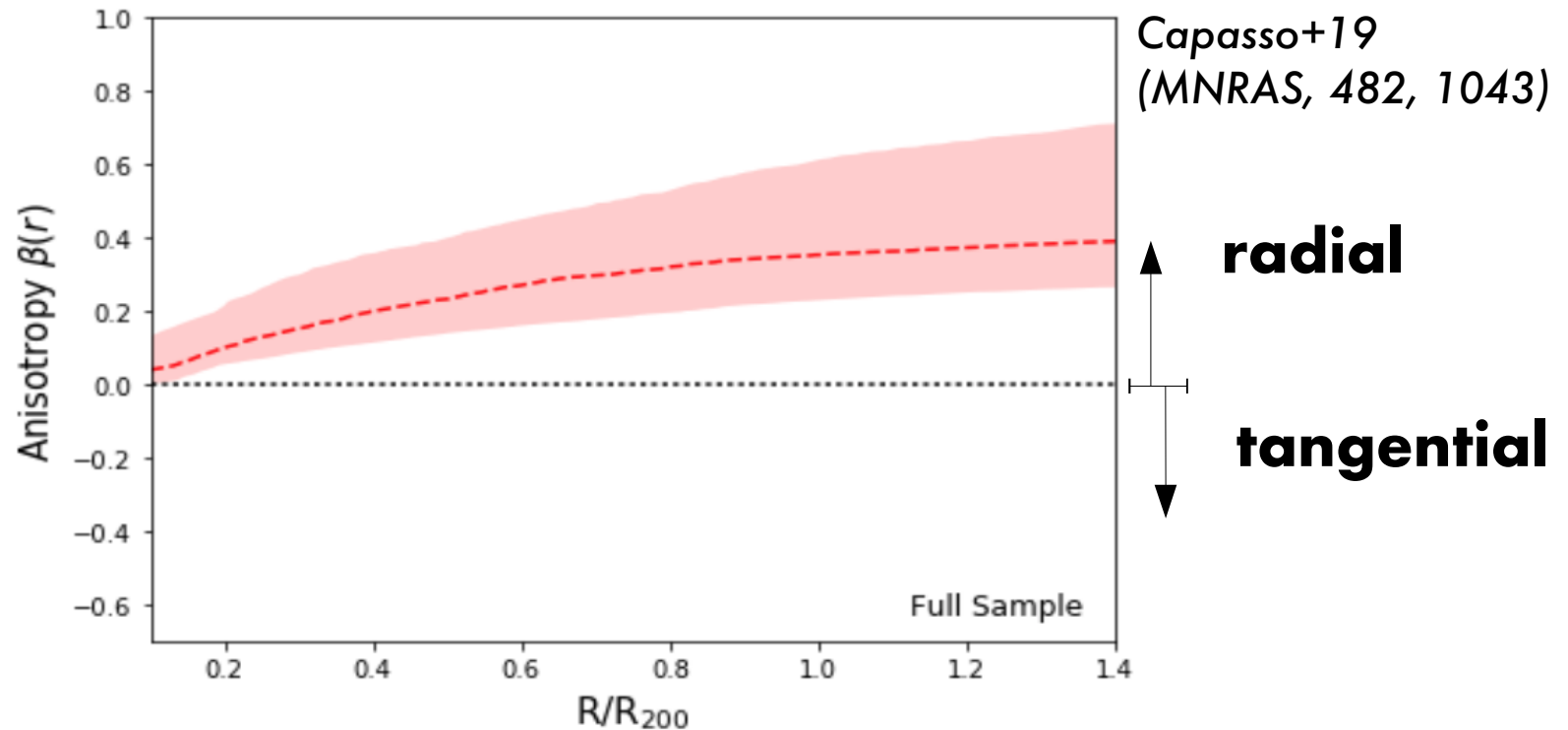
$$E(D | M) = \int L(D | \theta, M) p(\theta) d\theta$$

- **Use MAMPOSSt to evaluate** $\mathcal{L}_{\text{tot}} = \prod_{i \in \text{gal}} \mathcal{L}(R^i, v_{\text{los}}^i | r_{200}, r_s, \theta_\beta)$



Orbital anisotropy profile

$$\beta = 1 - \sigma_t^2 / \sigma_r^2$$

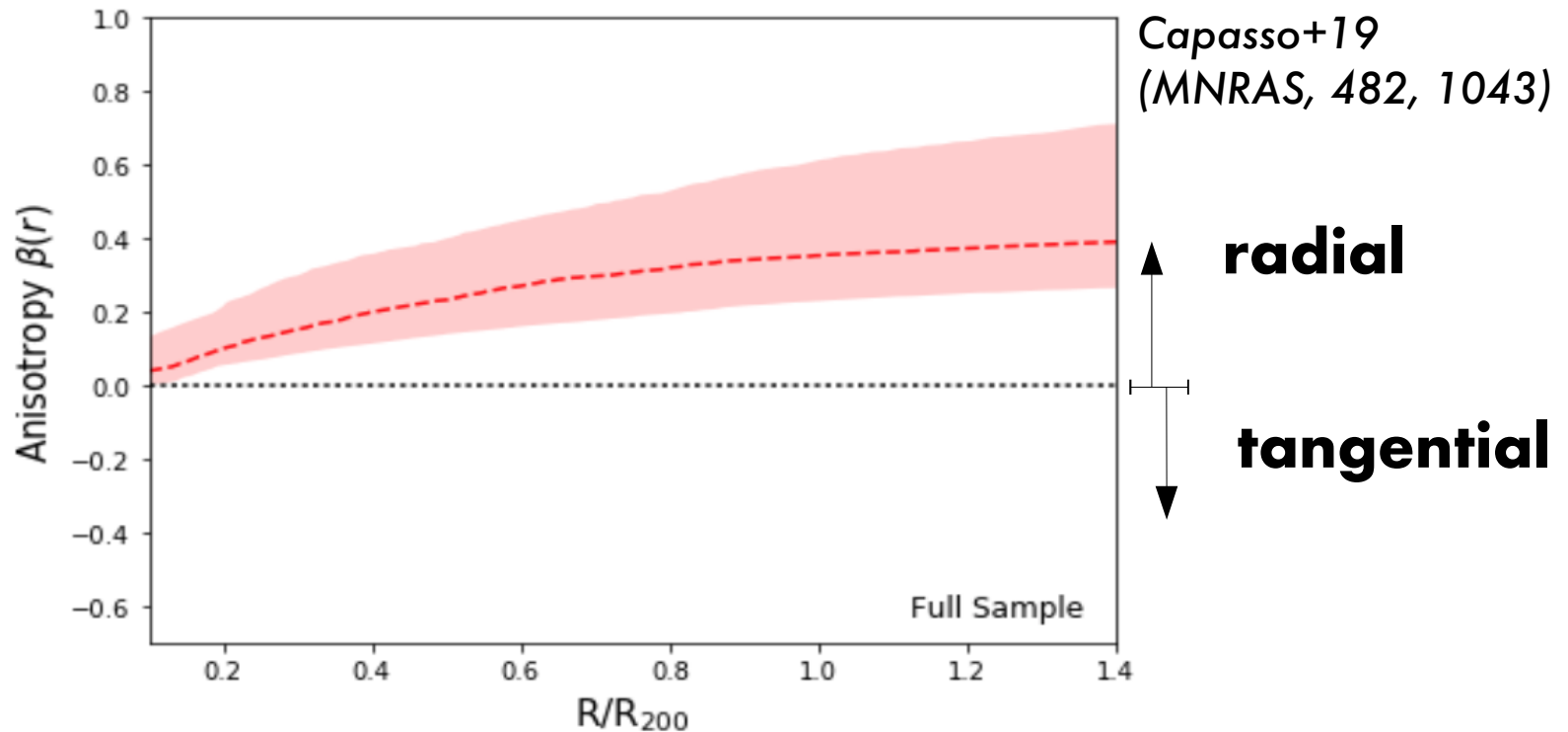


- Isotropic orbits in the center, increasingly radial



Orbital anisotropy profile

$$\beta = 1 - \sigma_t^2 / \sigma_r^2$$



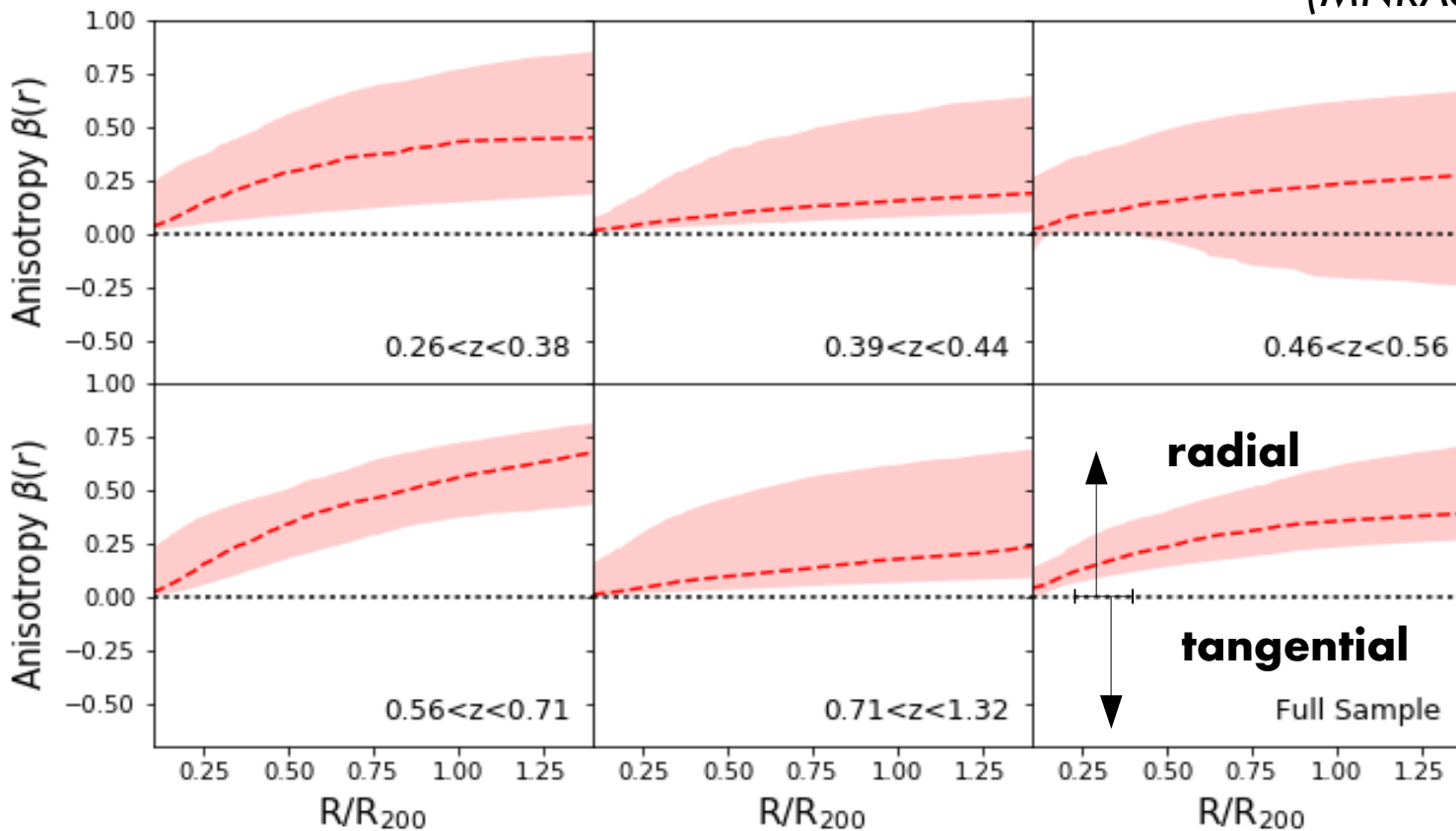
- Isotropic orbits in the center, increasingly radial
- Possible processes: violent relaxation followed by smooth accretion (Lapi&Cavaliere, 2009)
 - Growth of structures undergoes two phases: 1) early, fast accretion (major mergers – violent relaxation), 2) calmer stage (minor mergers, smooth accretion)



Orbital anisotropy profile

$$\beta = 1 - \sigma_t^2 / \sigma_r^2$$

Capasso+19
(MNRAS, 482, 1043)



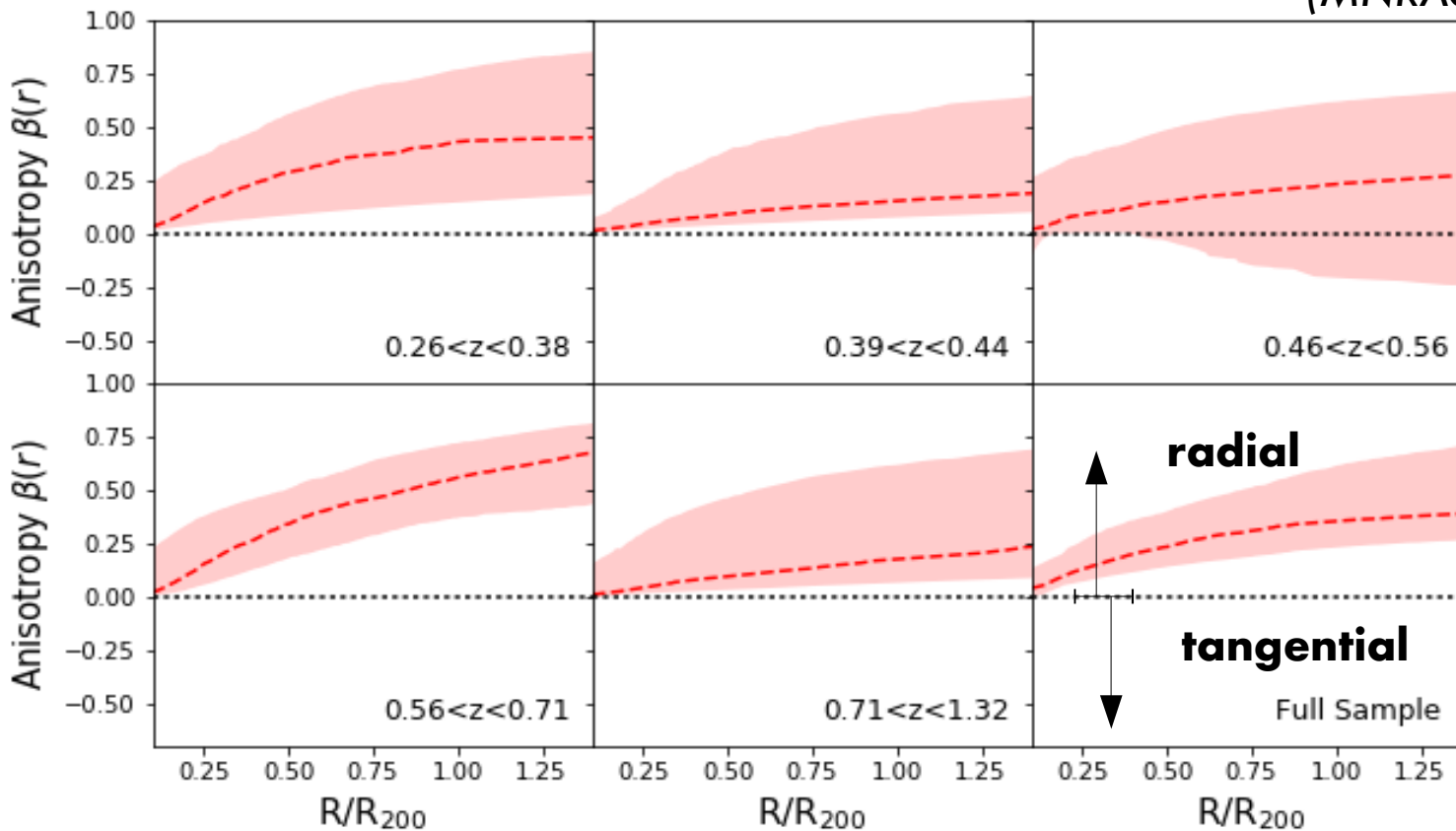
- No evidence of redshift trends within the uncertainties



Orbital anisotropy profile

$$\beta = 1 - \sigma_t^2 / \sigma_r^2$$

Capasso+19
(MNRAS, 482, 1043)



- **No evidence of redshift trends within the uncertainties**
 - **Merging and relaxation processes responsible for the β profiles underway at all cosmic epochs probed**



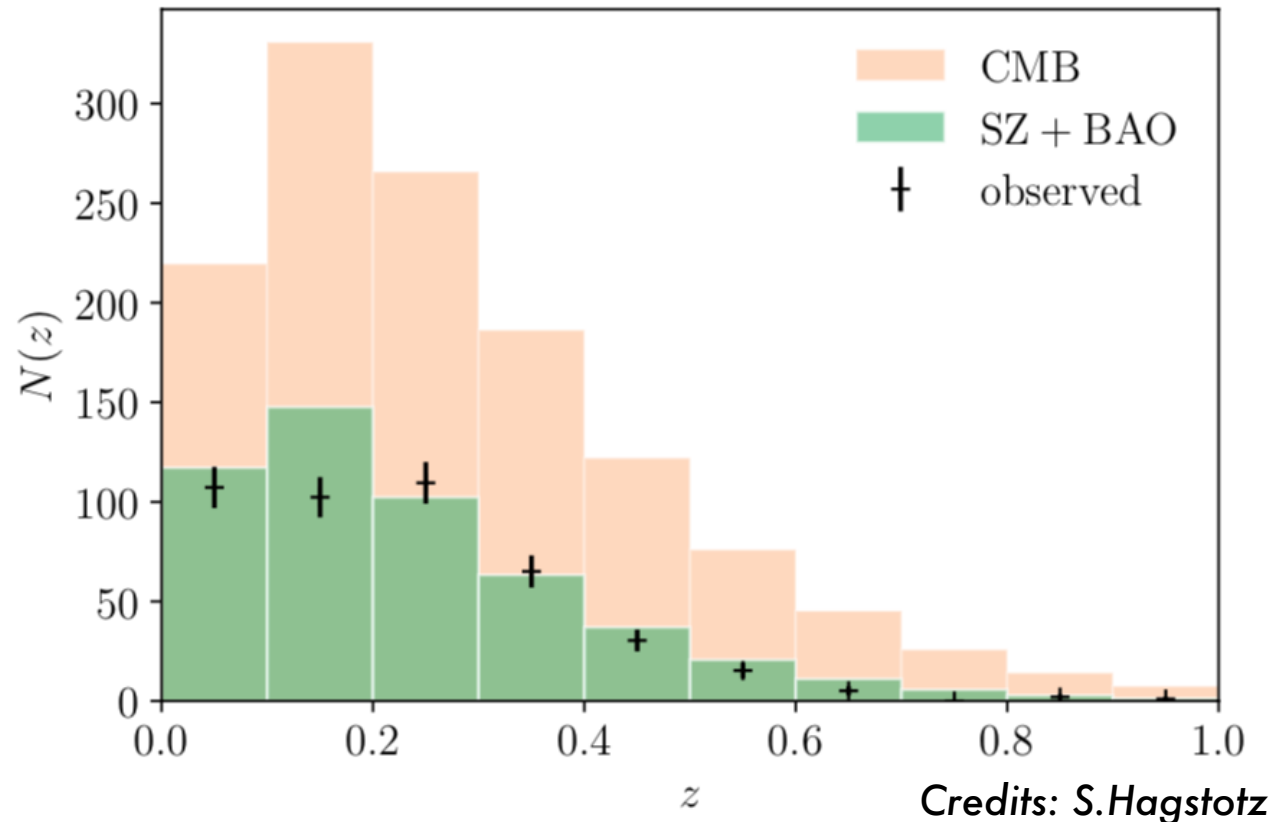
Mass comparisons

$$N^{\text{exp}}(\xi) = \int \underbrace{n(M)}_{\text{cosmo}} \underbrace{P(\xi | M)}_{\text{mass-obs relation}} dM$$



Mass comparisons

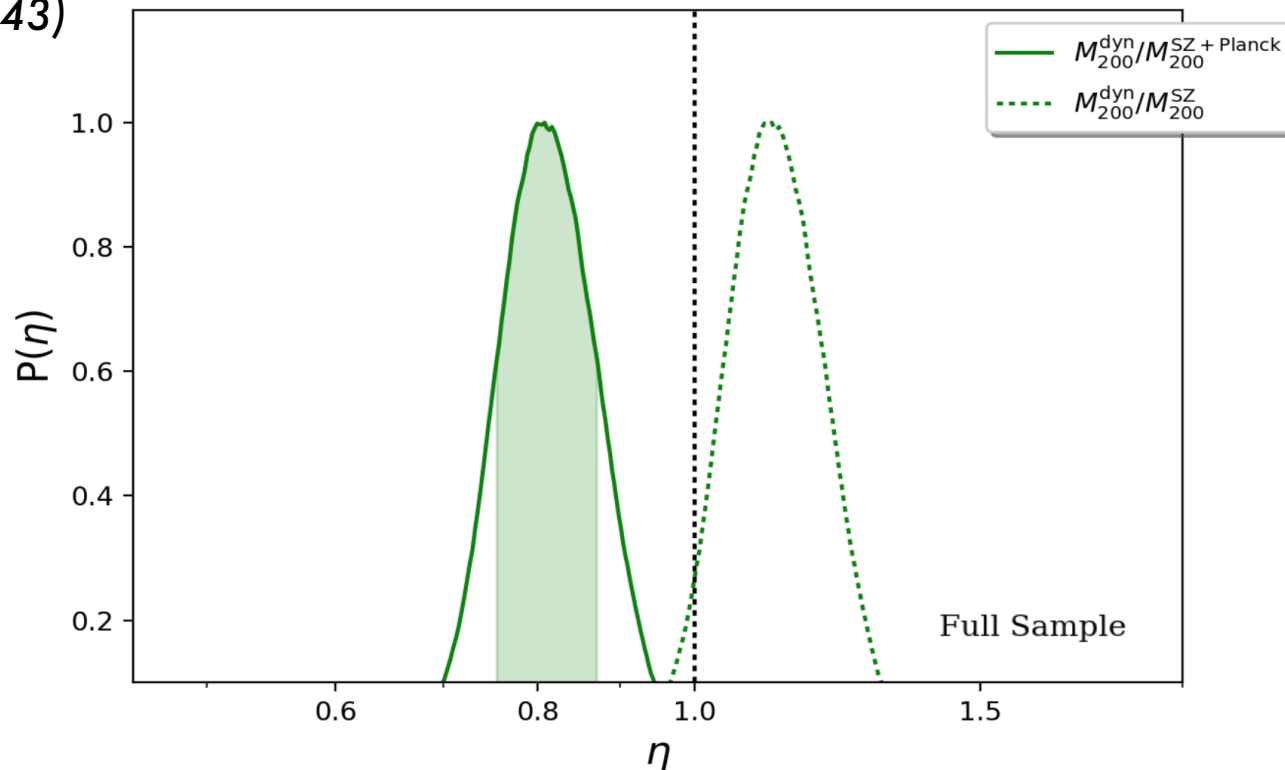
$$N^{\text{exp}}(\xi) = \int \underbrace{n(M)}_{\text{cosmo}} \underbrace{P(\xi | M)}_{\text{mass-obs relation}} dM$$





Mass comparisons

Capasso+19
(MNRAS, 482, 1043)

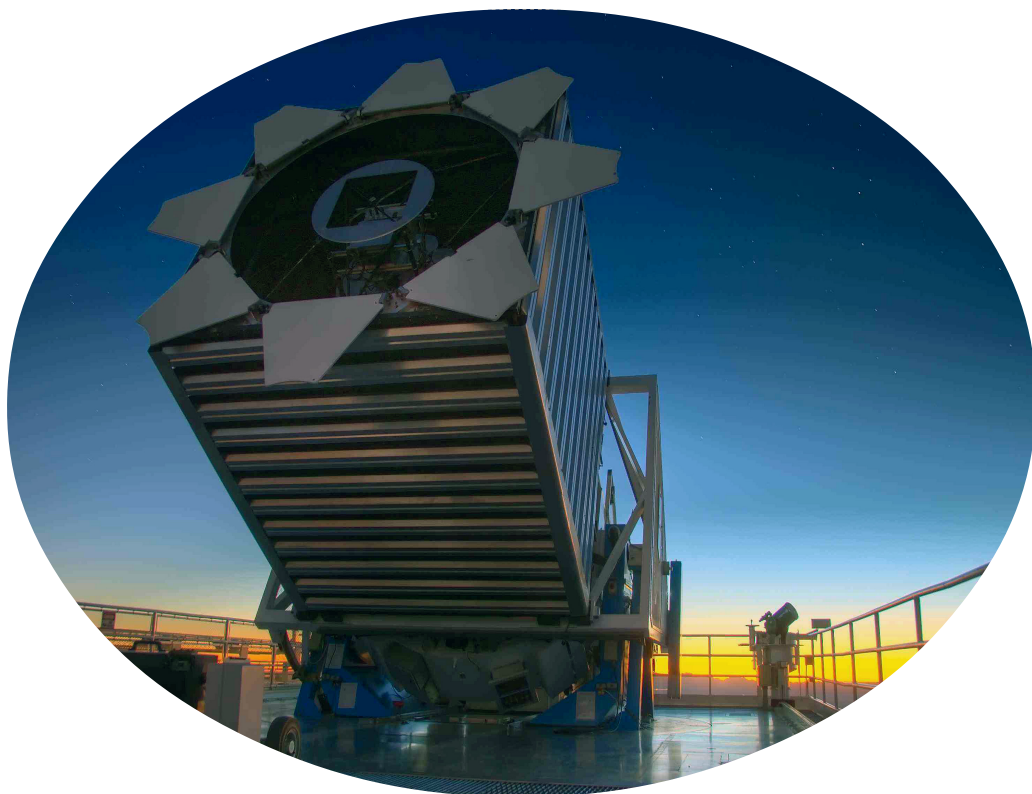


- Comparison with masses derived from SPT cluster counts + external cosmological constraints from the Planck CMB anisotropy
- Cosmology from Planck CMB anisotropy suggests higher masses than the observed dynamical ones
- 2.6σ tension



Mass-Observable Relations

The SPectroscopic IDentification of eROSITA Sources (SPIDERS) programm



- Prior to eROSITA: spectroscopic follow-up of the CODEX sample
 - CODEX → galaxy clusters discovered in RASS (ROSAT All-Sky Survey) → X-ray luminosity L_x in the [0.1-2.4] KeV rest-frame band
 - RedMaPPer → red-sequence galaxies identified in SDSS-IV → Richness λ
 - SPIDERS → Spectroscopic redshifts



Mass-Observable Relations

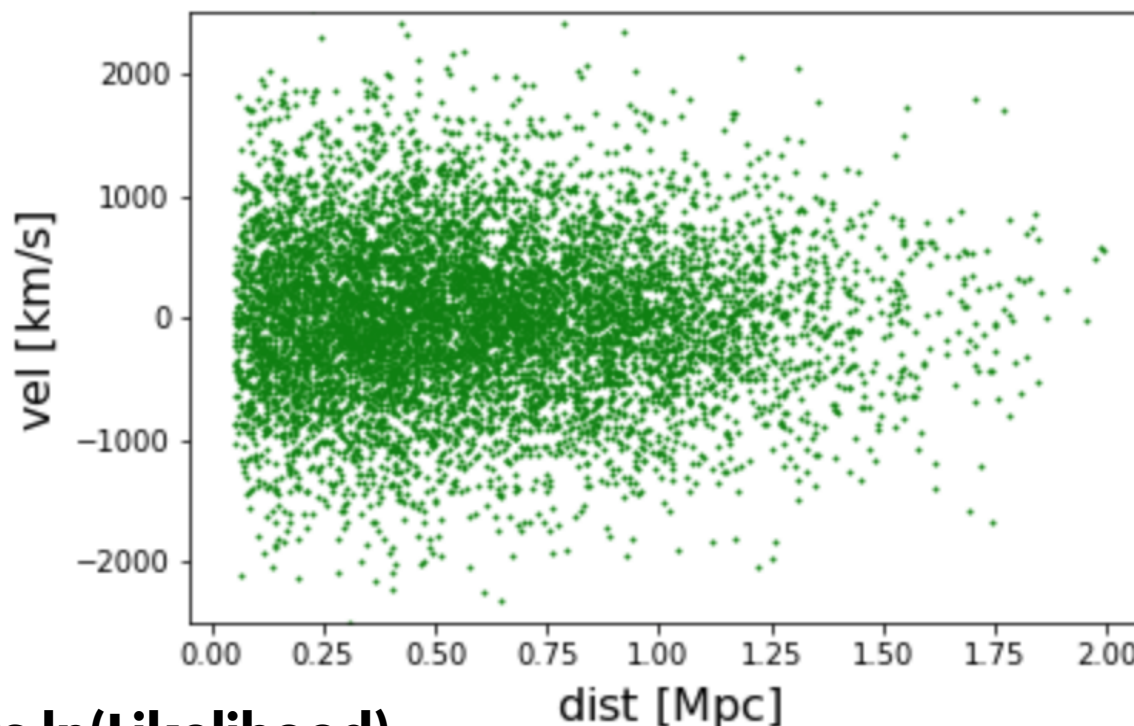
Capasso+19b (MNRAS, 486, 1594)

■ $\lambda > 20$, $L_x > 4.5 \cdot 10^{42}$,

redshift up to ~ 0.65

■ 428 clusters, ~ 7800

nELG after interloper
rejection



■ Sum of individual clusters $\ln(\text{Likelihood})$

$$\text{Obs} = A \left(\frac{M_{200}}{M_{piv}} \right)^B \left(\frac{1+z}{1+z_{piv}} \right)^\gamma$$

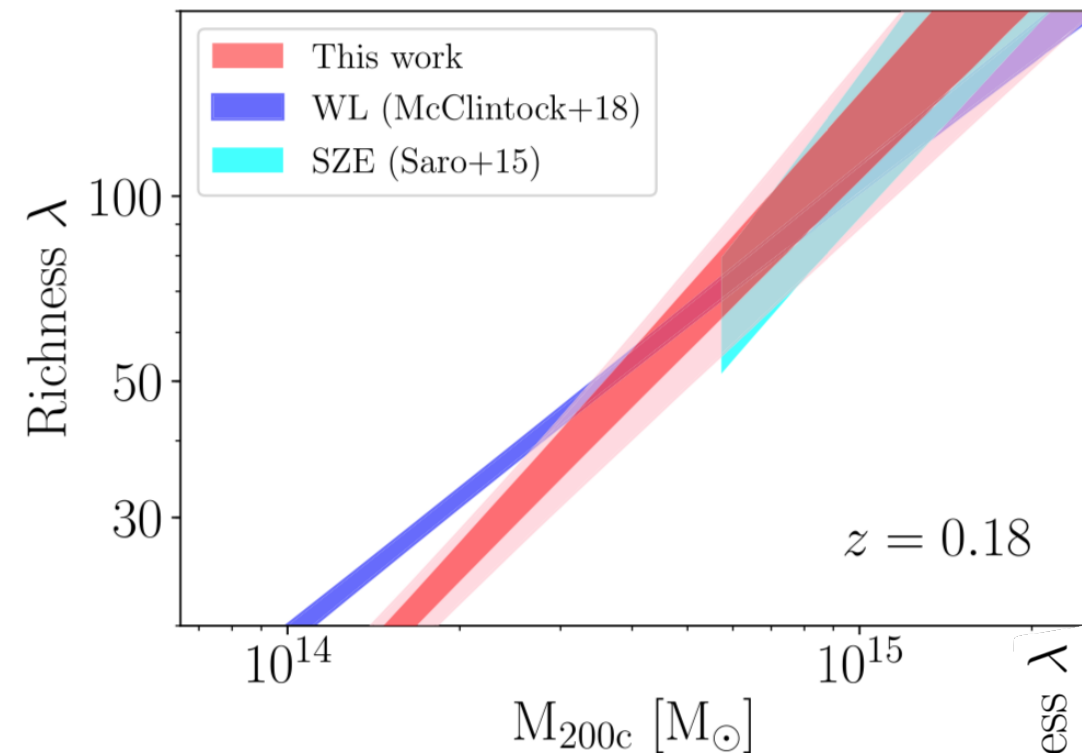
$$\mathcal{L}_j = \prod_{j \in \text{gal}} \mathcal{L}(R^i, v_{\text{los}}^i, \lambda_j, z_j \mid A, B, \gamma, \theta_\beta) \longrightarrow \mathcal{L}_{\text{tot}} = \prod_{j \in \text{clus}} \mathcal{L}_j$$



Mass-richness relation

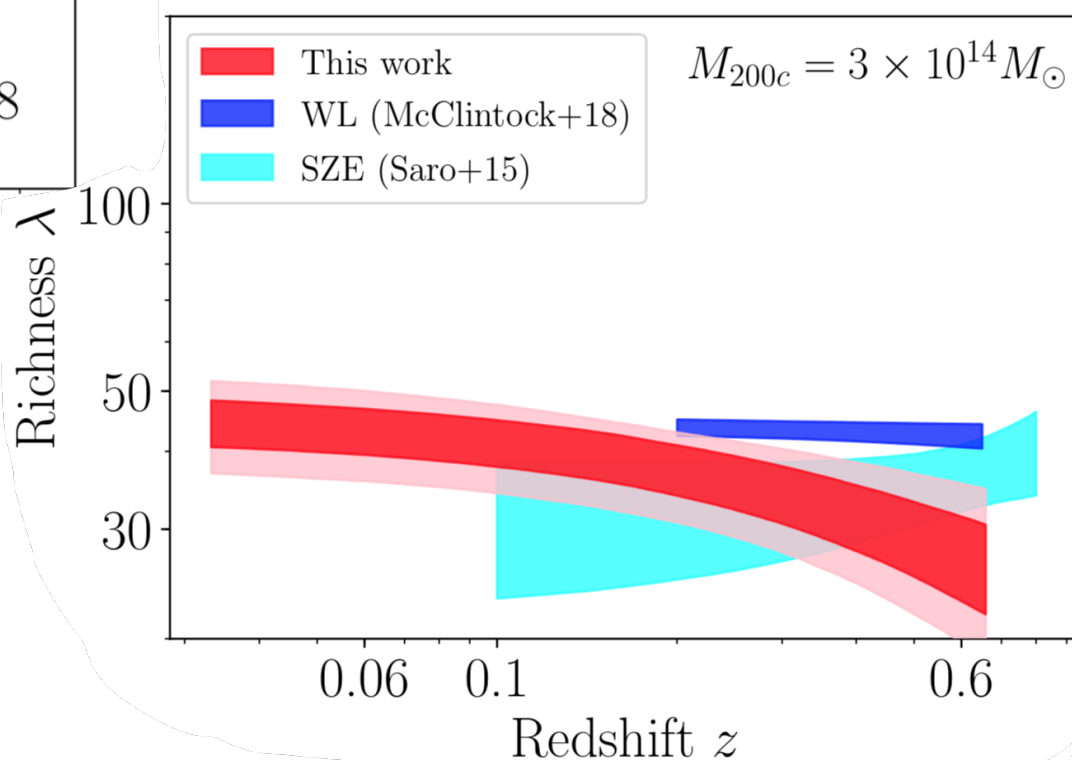
Capasso+19b (MNRAS, 486, 1594)

$$\lambda = A_{\lambda} \left(\frac{M_{200c}}{M_{\text{piv}}} \right)^{B_{\lambda}} \left(\frac{1+z}{1+z_{\text{piv}}} \right)^{\gamma_{\lambda}}$$



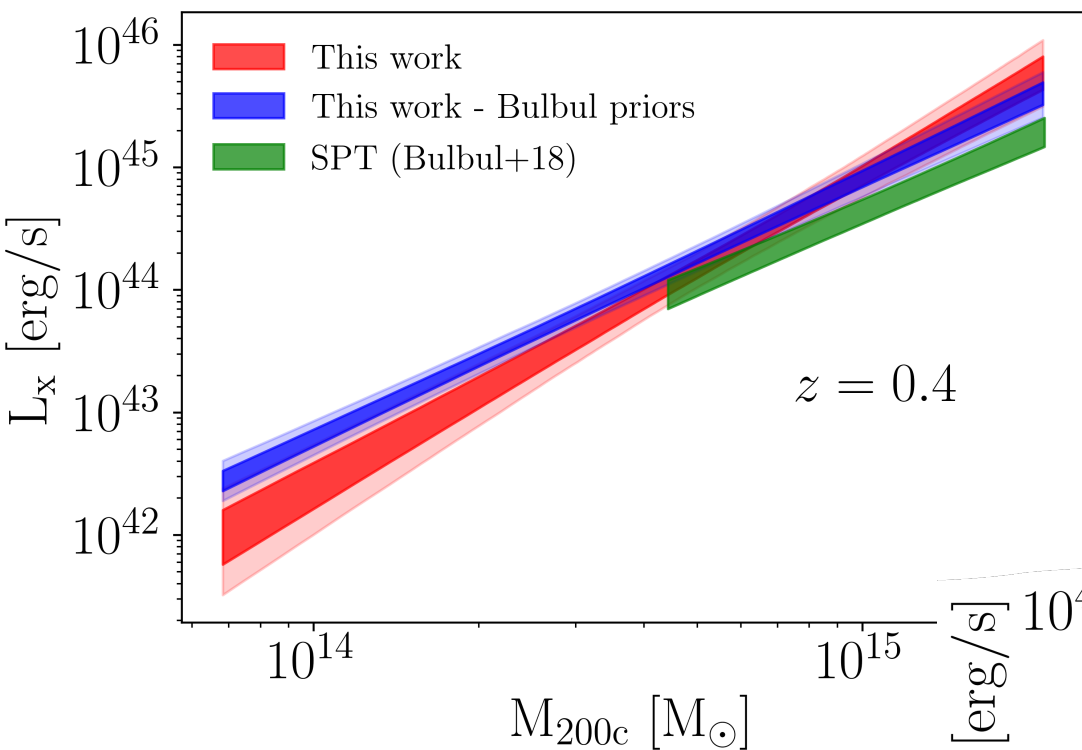
■ $M_{\text{piv}} = 3 \times 10^{14} M_{\odot}$

■ $z_{\text{piv}} = 0.18$





Mass- L_x relation

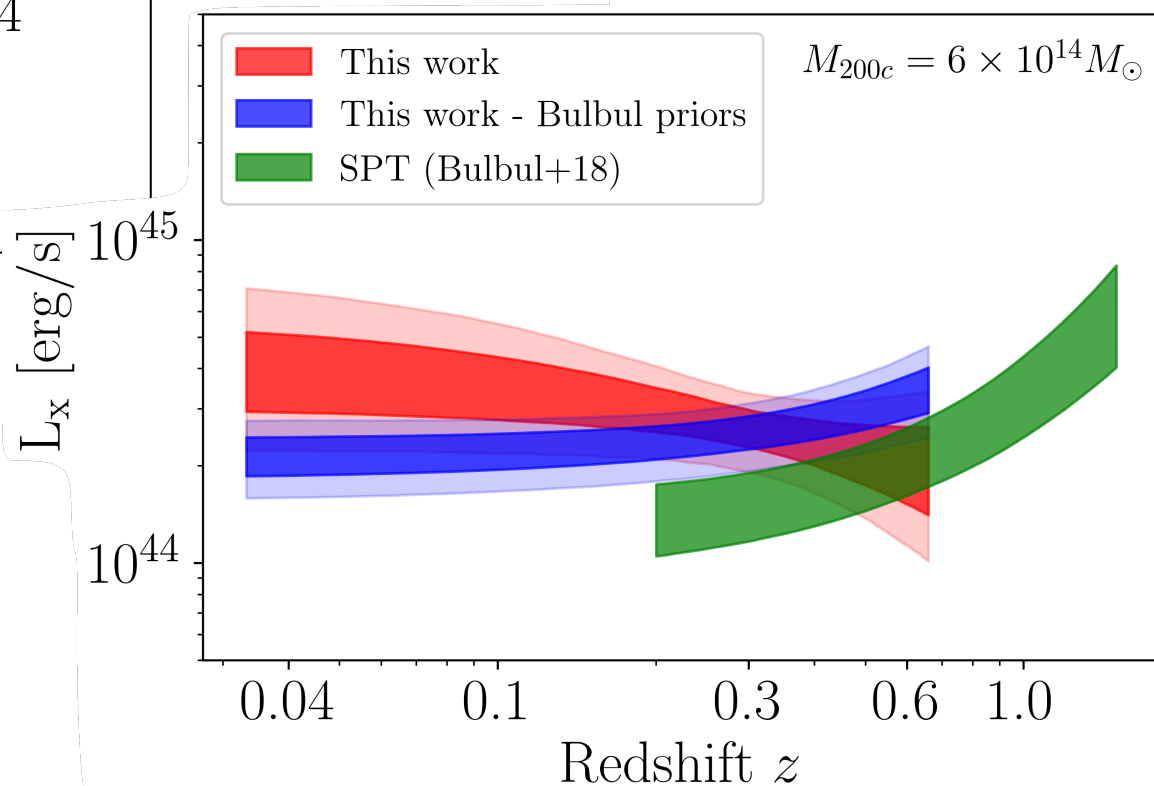


■ $M_{\text{piv}} = 3 \times 10^{14} M_\odot$

■ $z_{\text{piv}} = 0.18$

Capasso+19c, in prep.

$$\frac{L_x}{(10^{44} \text{erg s}^{-1})} = A_x \left(\frac{M_{200c}}{M_{\text{piv}}} \right)^{B_x} \left(\frac{E(z)}{E(z_{\text{piv}})} \right)^2 \left(\frac{1+z}{1+z_{\text{piv}}} \right)^{\gamma_x}$$





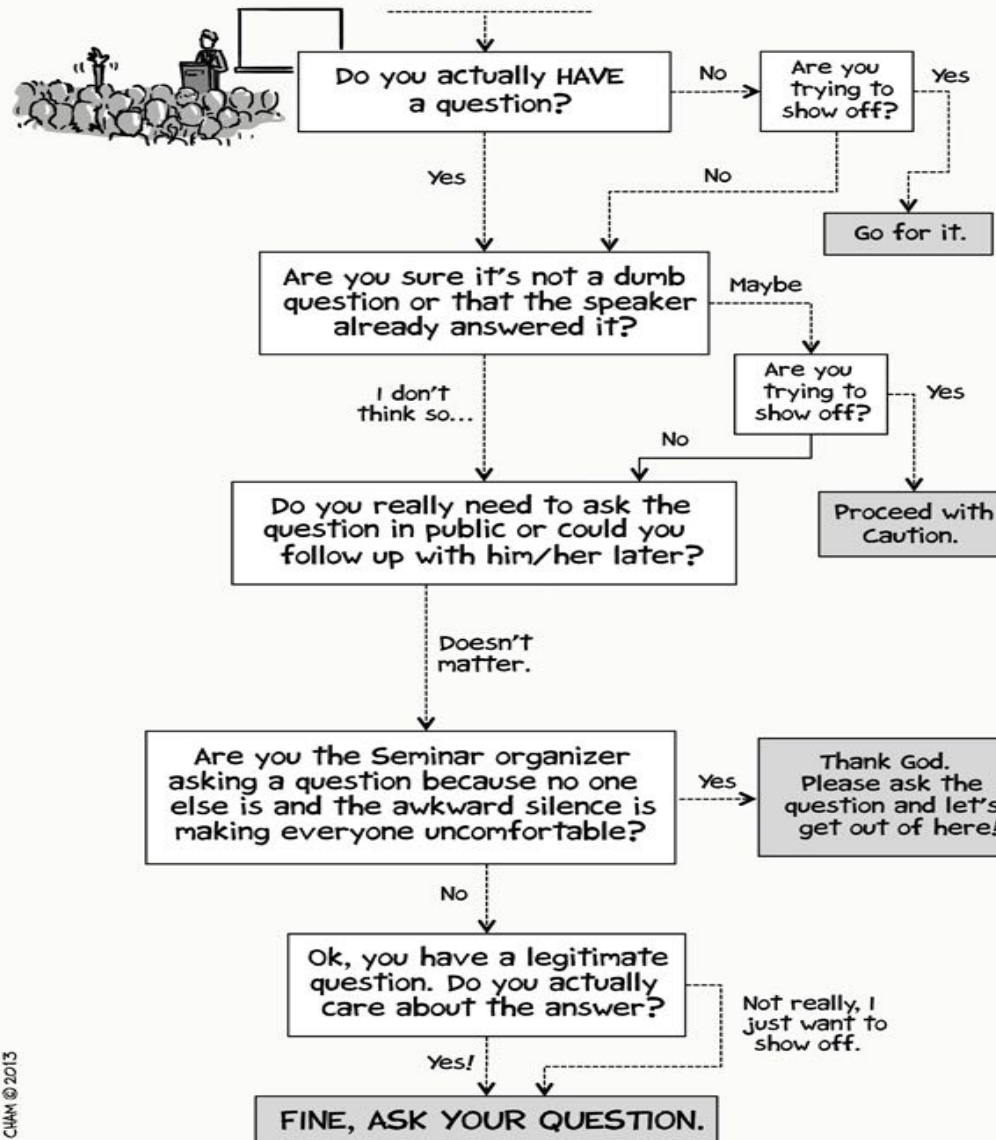
Summary

Jeans analysis of cluster member galaxies

- **Constraints on velocity anisotropy profile β and its redshift trend**
- **Info on formation and evolution of clusters**
- **Mass comparisons and investigation of cosmological tensions**
- **Calibration of competitive mass-observable relations**
 - ▶ **dynamical analysis is ideal for mass calibrations even with a small number of member galaxies**

Questions?

Should you ask a Question during Seminar?



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Trieste, 25.06.2019



**Thank you for
your attention!**

Raffaella Capasso

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