

The Price of Shifting the Hubble Constant

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Outline of the Talk

- Hubble Expansion of Universe and what it is governed by?
- How it is measured?
- How it differs, when measured by low red-shift and high red-shift observations?
- Is something wrong with the systematics OR some interesting physics is waiting to be known?
- Possible solutions
- Conclusion

Basic Cosmology ◇

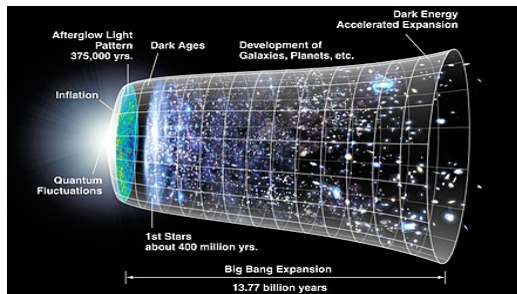
Einstein Equation

$$G_{\nu}^{\mu} = 8\pi GT_{\nu}^{\mu}$$

Geometry \Rightarrow Energy Density

FLRW Universe

Total Energy Content



Basic Cosmology \diamond

So, the Hubble Parameter equation

$$H^2 = \frac{8\pi G\rho}{3} - \frac{k}{a^2}$$

where $H = \frac{\dot{a}}{a}$

where $a(t)$ = scale factor

Or simply,

$$\left[\frac{\dot{a}}{a} \right]^2 \propto \rho_{total}$$

Basic Cosmology ◇

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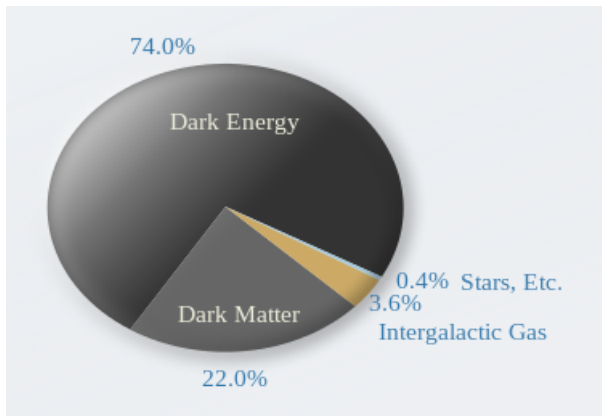
$$\left[\frac{\dot{a}}{a} \right]^2 \propto \rho_{total}$$

So, Now the question is:

What does this ρ_{total} comprise of?

Or, What does this expansion governed by?

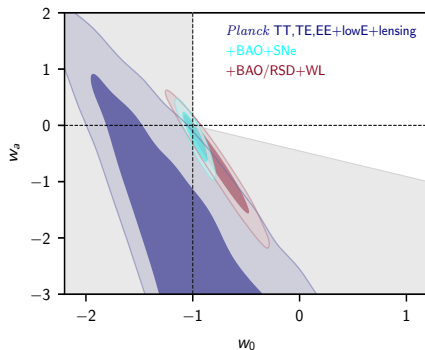
Present ($z=0$) ◇



Cosmology after Planck-2018 \diamond

Concordance Λ CDM model (P.Ade et al. A&A 2018):

$$H_0 = 67.37 \pm 0.54 \text{ Km/sec/Mpc}$$



P.Ade et al. A&A, 2018

CPL Parameterisation: $w = w_0 + w_a(1 - a)$

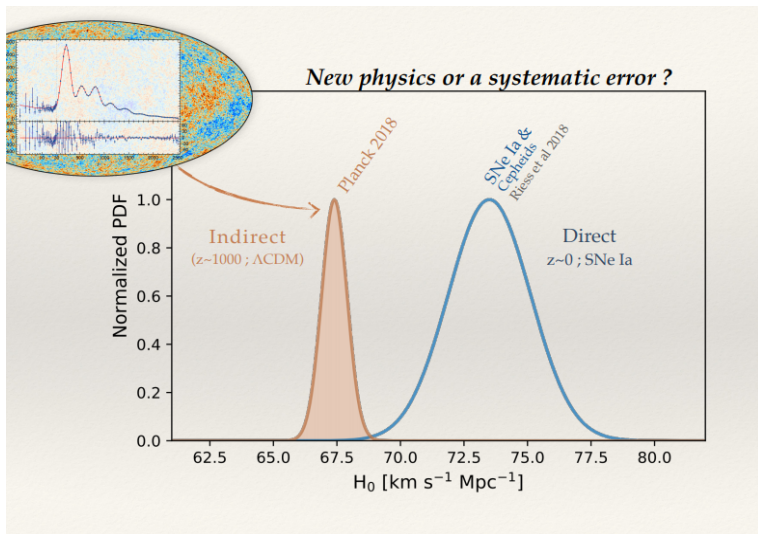
Tensions in H_0 \diamond

- \diamond Planck-2018 measurement : $H_0 = 67.37 \pm 0.54 \text{ Km/s/M pc}$ (Aghanim et al. 2018)

Tension with Planck H_0 Measurements

- \diamond Recent measurement using local measurements by HST (R18):
 $H_0 = 73.48 \pm 1.66 \text{ Km/s/M pc}$ (Riess et al. 2018)
(3.7 σ higher than the Planck-2018)
- \diamond R18 measurement is also consistent with independent measurement by H0liCOW using Time-Delay Strong Lensing Probe:
 $H_0 = 71.9^{+2.4}_{-3.0} \text{ Km/s/M pc}$ (Bonvin et al. 2017)
(1.84 σ higher than the Planck-2018)

Tensions with Λ CDM \diamond



Let's Discuss Possibility of New Physics!

Here we ask ourselves these questions. \diamond

- Is H_0 tension correlated to any other Cosmological Parameter?
→ Answer is: Yes, Since BAO measures the combination of $r_d H_0$.
- Can we break this degeneracy of $r_d H_0$ and how?
→ Answer is: Yes, If we can measure H_0 independently, then one can estimate r_d .

Data Used ◇

- ★ BAO measurements from 6dF, SDSS-DR7(MGS) and eBOSS.
- ★ BAO measurements from BOSS DR12 and Lyman-alpha forest sample.
- ★ Time-delay distance measurement through Strong Lensing by H0LiCow.
- ★ Angular Diameter Distance measurements by Megamaser Cosmology Project for galaxies UGC3789, NGC6264 and NGC5765b.
- ★ Distance ladder measurement of $H_0 = 73.24 \pm 1.24$ Km/s/M pc by Riess et al. (2016)

Results \diamond

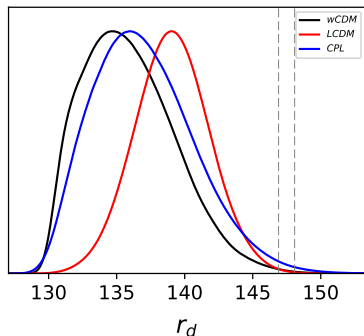
Maximum Likelihood values and 1D marginalised 68% confidence intervals of parameters for respective models.

Taking value of $H_0 = 73.24 \pm 1.24$ Km/s/M pc.

	Ω_{m0}	r_d	w_0	w_a
Λ CDM	0.295 ± 0.019	139.2 ± 3.2	N/A	N/A
wCDM	0.277 ± 0.027	135.3 ± 3.8	-0.76 ± 0.14	N/A
CPL	0.241 ± 0.084	136.4 ± 3.9	-0.77 ± 0.17	0.44 ± 0.53

Also, $H_0 = 136.41 \pm 3.82$ confirmed model independently by Salvatore et al.(2018).

Results \diamond



$$r_d = 147.26 \pm 0.29 \text{ Mpc (Planck)}$$

- Λ CDM: 2.52σ away from Planck
- wCDM : 3.14σ away from Planck
- CPL : 2.79σ away from Planck

So, our results are quite model independent.

So, The Price of shift in Hubble constant is the shift in r_d .

Results \diamond

Planck

Local Measurements

$$H_0 \quad 67.37 \pm 0.54 \text{ Km/sec/Mpc} \quad \Rightarrow \quad 73.24 \pm 1.24 \text{ Km/s/M pc.}$$

Results \diamond

Planck

Local Measurements

$$H_0 \quad 67.37 \pm 0.54 \text{ Km/sec/Mpc} \quad \Rightarrow \quad 73.24 \pm 1.24 \text{ Km/s/M pc.}$$

$$r_d \quad 147.26 \pm 0.29 \text{ Mpc} \quad \Leftarrow \quad 139.2 \pm 3.2 \text{ Mpc}$$

Interpretation \diamond

r_d is the Sound Horizon at drag epoch

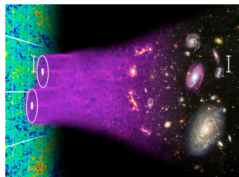
$$r_d = \int_0^{t(z_d)} c_s(1+z) dt$$

where $c_s = \frac{1}{\sqrt{3(1+R)}}$
and $R = 3 \frac{\rho_b}{\rho_r}$

Physics: sound waves in early Universe propagate until radiation and matter decouple.

Lower r_d as compared to Planck suggests:

- \diamond changing z_d
- \diamond modifying the speed of sound
- \diamond changing the age of universe at drag epoch
- \diamond changing primordial fluctuations



Credit: Blake & Moorfield

Checking Consistency with CMB \diamond

- \diamond Is the reduction in r_d consistent with CMB constraints?
- \diamond CMB best constrains the angular size of the acoustic scale θ .
- \diamond Ignoring the small difference between drag epoch and recombination epoch $\theta = r_d/D_A(z)$.

Higher $H_0 \Rightarrow$ Lower r_d (BAO constraints $r_d H_0$)
 \Rightarrow Lower D_A ($D_A \propto 1/H_0$)
 $\Rightarrow \theta$ Intact

- \diamond This is fortunate, since any shift in acoustic scale, will shift all the peaks.

Conclusion \diamond

- \diamond Along with **Hubble Tension**, there is a similar tension involving **sound horizon at drag epoch** from **low-redshift** and **Planck measurements**.
- \diamond It does not depend on dark energy behaviour.
- \diamond **One Solution**: One needs to modify the early Universe cosmology.

THANK YOU!