Complementarity and synergy with CMB projects

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Outline

- Cosmological parameter improvements
- Cross-correlation between CMB & galaxy surveys
 - ISW
 - Non-Gaussianities
- Primordial magnetic fields through APS with SKA
- SKA contributions to future CMB spectrum studies
 - extragalactic foreground by faint point (radio)sources
 - free-free, Bose-Einstein, (Comptonization) distortions
- Complementary approaches to cosmological reionization
- Other topics (no time to discuss here)
 - SZ effects from galaxy clusters
 - SZ effects at galactic scales
 - Galactic diffuse radio emission



Cosmological parameters with SKA - I



Figure 2: Compared constraints from a Fisher matrix analysis on ACDM parameters using different probe combinations Bull et al. (2014). "Facility" is representative of the SKA1 survey in combined (single dish plus interferometric) mode, and "DETF IV" is representative of e.g. the Euclid redshift survey. Both SKA1 and Euclid should come on similar time frames (around 2020) and have similar power on this model.



Cosmological parameters with SKA - II

Constrains from a Fisher matrix analysis of different combinations of *Planck* CMB data with either the "Facility" of "DETF IV" surveys.

Again, we see that both combinations have comparable constraining power.

Here the dark energy equation of state is parametrised as $w(a) \approx w_0 + (1-a)w_a$, where *a* is the scale factor.

"Facility" survey: representative of SKA1 in combined mode "DETF IV" survey: representative of Euclid redshift survey





Future CMB - Ex: cosmological parameters with CORE

Parameter	Description	Current results (Planck 2015+Lensing)	CORE expected uncertainties
ACDM			
$\Omega_b h^2$	Baryon Density	$\Omega_b h^2 = 0.02226 \pm 0.00016$ (68 % CL) [12]	$\sigma(\Omega_b h^2) = 0.000037$ {4.3}
$\Omega_c h^2$	Cold Dark Matter Density	$\Omega_c h^2 = 0.1193 \pm 0.0014~(68~\%~{\rm CL})~[12]$	$\sigma(\Omega_c h^2) = 0.00026$ {5.4}
n_s	Scalar Spectral Index	$n_s = 0.9653 \pm 0.0048$ (68 % CL) [12]	$\sigma(n_s) = 0.0014$ {3.4}
au	Reionization Optical Depth	$0.063 \pm 0.014~(68~\%~{\rm CL})~[12]$	$\sigma(\tau) = 0.002$ {7.0}
$H_0 \ [\mathrm{km/s/Mpc}]$	Hubble Constant	$H_0 = 67.51 \pm 0.64$ (68 % CL) [12]	$\sigma(H_0) = 0.11 \ \{5.8\}$
σ_8	r.m.s. mass fluctuations	$\sigma_8 = 0.8150 \pm 0.0087$ (68 % CL) [12]	$\sigma(\sigma_8) = 0.0011$ {7.9}
Extensions			
Ω_k	Curvature	$\Omega_{\rm k} = -0.0037^{+0.0083}_{-0.0069}$ (68 % CL) [12]	$\sigma(\Omega_k) = 0.0019$ {4}
$N_{ m eff}$	Relativistic Degrees of Freedom	$N_{\rm eff} = 2.94 \pm 0.20~(68~\%~{\rm CL})~[12]$	$\sigma(N_{ m eff}) = {f 0.041} \ \{4.9\}$
$M_{ u}$	Total Neutrino Mass	$M_{\nu} < 0.315 {\rm eV}$ (68 % CL) [12]	$\sigma(M_{\nu}) = 0.043 \text{ eV} \{7.3\}$
(m_s^{eff},N_s)	Sterile Neutrino Parameters	$(m_s^{eff} < 0.33 eV, N_s < 3.24)~(68~\%~{\rm CL})~[12]$	$\sigma(m_s^{eff},N_s) = (\textbf{0.037}eV,\textbf{0.053}) \ \{8.9,4.5\}$
Y_p	Primordial Helium abundance	$Y_p = 0.247 \pm 0.014$ (68 % CL) [12]	$\sigma(Y_p) = 0.0029 \ \{4.8\}$
Y_p	Primordial Helium (free N_{eff})	$Y_p = 0.259^{+0.020}_{-0.017}$ (68 % CL) [12]	$\sigma(Y_p) = 0.0056$ {3.2}
τ_n [s]	Neutron Life Time	$\tau_n = 908 \pm 69 (68 \% \text{ CL}) [167]$	$\sigma(\tau_n) = 13 \{5.3\}$
w	Dark Energy Eq. of State	$w = -1.42^{+0.25}_{-0.47}$ (68 % CL) [12]	$\sigma(w) = 0.12 \{3\}$
T_0	CMB Temperature	Unconstrained [12]	$\sigma(T_0) = 0.018 \ \mathrm{K}$
p_{ann}	Dark Matter Annihilation	$p_{ann} < 3.4 \times 10^{-28} \ cm^3/GeV/s$ (68 % CL) [12]	$\sigma(p_{ann}) = {\bf 5.3 \times 10^{-29}}~cm^3/GeV/s~\{6.4\}$
$g_{ m eff}^4$	Neutrino self-interaction	$g_{ m eff}^4 < 0.22 imes 10^{-27}$	$\sigma(g_{ m eff}^4) = 0.34 imes 10^{-28} \; \{6.4\}$
α/α_0	Fine Structure Constant	$\alpha/\alpha_0 = 0.9990 \pm 0.0034 (68 \% \text{ CL})$	$\sigma(lpha/lpha_0) = 0.0007$ {4.8}
$\Sigma_0 - 1$	Modified Gravity	$\Sigma_0 - 1 = 0.10 \pm 0.11$ (68 % CL) [53]	$\sigma(\Sigma_0 - 1) = 0.044 \{2.5\}$
$A_{2s1s}/8.2206$	Recombination 2 photons rate	$A_{2s1s}/8.2206 = 0.94 \pm 0.07~(68~\%~{\rm CL})~[12]$	$\sigma(A_{2s1s}/8.2206) = 0.015$ {4.7}
$\Delta(z_{reio})$	Reionization Duration	$\Delta(z_{reio}) < 2.26$ (68 % CL) [35]	$\sigma(\Delta z_{reio}) = 0.58 \{3.9\}$

From E. Di Valentino et al. 2018, JCAP

Table 34. Current limits from Planck 2015 and forecasted CORE-M5 uncertainties. The first 6 rows assume a Λ CDM scenario while the following rows give the constraints on single parameter extensions. In the fourth column, numbers in curly brackets {...} give the improvement in the parameter constraint when moving from Planck 2015 to CORE-M5, defined as the ratio of the uncertainties $\sigma^{Planck}/\sigma^{CORE}$.



Cross-correlations between (radio source) catalogs & CMB maps

 \diamond The sensitivity of the SKA (SKA2_mid_dish in particular, but also SKA precursors) is so high on typical FoVs of ~ degree side at frequencies around one GHz, that it is reasonable to think to cover a significant sky fraction (thousands of square degrees) with unprecedented sensitivity accumulating some months of integration.

 \Rightarrow A 1-yr SKA survey will contain > 10⁹(f_{sky}/0.5) HI galaxies in at redshifts 0 < z < 1.5

♦ This makes the combination of *Planck* and SKA a powerful tool for improved cross-correlation analyses between CMB and radio data, that can be generalized to surveys in other frequency bands



Cross-correlations between (radio source) catalogs & CMB maps

Cross-correlation & angular power spectrum

Given a CMB map in temperature and a galaxy survey x = (T, G)(vector in pixel space), the Quadratic Maximum Likelihood (QML) (Tegmark '97) provides an estimator of the angular power spectrum $C_{\ell}X$, with X being one of TT, TG, GG

The QML estimator is well suited for such analysis for several reasons:

✓ it is optimal (i.e. unbiased and minimum variance);

 \checkmark it is a computationally demanding method and can be currently applied only at modest resolution but this is not a problem for studying effects present at large angular scales for which where the computation is affordable on a supercomputer;

 \checkmark it is pixel based, making trivial the masking process necessary because of foreground emission or incomplete sky coverage.



Applications to ISW effect – I

♦ The Integrated Sachs Wolf (ISW) effect results from the line of sight integral in the Sachs-Wolfe '67 equation

♦ It arises when CMB photons streaming across the Universe interact with the time evolving gravitational potential wells associated with the foreground large scale structure

♦ Potential evolution → net change of the photon energies as they pass through them
 ♦ ISW is a linear effect depending on the cosmological model, since it requires a change in equation of state of the cosmic fluid

♦ Evolution/variation of gravitational potential related to the linear density perturbations of matter. Change is important at:

- early times, when the universe goes from being radiation dominated to matter dominated (early ISW)
- > at late times, as the dark energy (or curvature) takes over from the matter (late ISW)

Unlike the early ISW, the late ISW is virtually uncorrelated with the CMB anisotropies generated at last scattering



Applications to ISW effect – II



← Typical auto-correlation function for the ISW for a ∧CDM model (Crittenden et al. '96)

Advantageous to isolate the late ISW generated at low z with the crosscorrelation of the CMB maps with LSS surveys:

✓ CMB photons cross a time-varying potential and become slightly hotter or colder

> Statistically, we expect a tiny correlation of hot spots in the CMB with LSS, an effect which expected to be less than 1 μ K

Interesting results have been already achieved from crosscorrelating WMAP & SDSS and WMAP & NVSS (Raccanelli et al. '08, Schiavon et al. '12), opening the road for *Planck* & SKA analyses



Applications to non-Gaussianities

> Primordial perturbations at the origin of the LSS may leave their imprint in the form of small deviations from a Gaussian distribution

Different kinds of configurations, such as the so-called local type, equilateral, enfolded, orthogonal, have been predicted

Profound implications for inflationary mechanisms

Extragalactic radio sources are particularly interesting as tracers of the LSS, since they span large volumes up to high redshifts. Ex.: Radio sources from NVSS, quasars from SDSS DR6 and DR7, LRG from SDSS II have been analyzed by Xia et al. '11 also in combination with WMAP map:

Camera et al. (2014) find that with SKA2 (in its full configuration) it will possible to constrain f_{NL}^{loc} down to

$\sigma(f_{\rm NL}^{loc}) \simeq 1.54$

Thanks to the large number of HI galaxies that will be detected up to high z
 These works indicate the possibility to improve with SKA the constraints on f_{NL}^{loc} of a factor ~ 3 with respect to *Planck* results



Primordial magnetic fields (PMF)

♦ If lower bounds for PMF from *Fermi* will be confirmed, SKA can perform crucial measurements towards the probe of the generation mechanism.

♦ SKA measurement of very high-ℓ multipoles can improve these bounds on PMF as well as the characterization of foreground and secondary anisotropies beyond the Silk damping tail.

♦ The smoking gun of the Faraday rotation of CMB polarization anisotropies from intervening magnetic fields from a stochastic background of PMF is a B-polarization signal at very high- ℓ multipoles, $\ell \sim 10^4$.

♦ SKA observations can target such signal.





Figure 3: B-mode APS of the CMB at 10 GHz and 20 GHz induced by the Faraday rotation field with PMF normalization comoving scale $\lambda = 1$ Mpc and $n_B = 0$ (solid black line – adapted from Fig. 2 in Kosowsky et al. 2005) compared with SKA2 sensitivity (red dashes) achieved in ~ 10³ hours of integration on a suitable number of FoVs, each of area $\simeq 0.49 \times (1.67 \text{ GHz}/v)^2 \text{ deg}^2$. Cosmic+sampling variance from this signal (green three-dots) and instrumental noise limitation (green dots) are also separately displayed. A 10% binning in ℓ is assumed. With relatively short baselines exploited here, the sharing of the same integration time on a number of FoVs may be more advantageous in terms of trade-off between the minimization of sampling and noise variances. The use of a focal-plane array with a number of receivers, N_r , allowing to observe a correspondingly larger sky area in the same time, will imply a better signal-to-noise ratio. See also the text.

Theoretical model adapted from Kosowsky et al. 2005





PIP XLVII, 2016

\sim 50 and 150 MHz corresponding to z \sim 30 to 10 21cm require removal of foreground at a few x 10⁻³ level ... but EDGES 🕲



SKA contribution to future CMB spectrum projects

- Current limits on CMB spectral distortions and energy dissipation processes in the plasma, |∆ε/ε_i|≤10⁻⁴ ← NASA COBE/FIRAS
- "Early" space mission proposals: **DIMES** at $\lambda \ge 1$ cm; **FIRAS II** at $\lambda \le 1$ cm \rightarrow probing energy exchanges 10–100 times smaller than the FIRAS
- ✤ PIXIE (NASA): spectrum measures in polarization dedicated CMB space mission, degree resolution
- **PRISM** (ESA): high(est) sensitivity, arcmin * resolution, wide(est) frequency coverage
- Differential (dipole) approaches: work also ٠. for pure anisotropy experiments, e.g. CORE (ESA), PICO (NASA) – possibly also absolute measures -, LiteBIRD (JAXA)





Bose-Einstein like

more prominent

distortions are also

Table 1) Toreastic comparison with previous measurements (*filled referes*), TRIS and point (*gen quares*) have ben slightly shifted in frequency. The horizontal solution is the CMB to the comparison with previous measurements (*filled referes*), TRIS igana & T. Trombetti, Complementarity and synergy with CMB, Bologna 3-5/12/2018

Frequency (GHz)

Great hopes from PIXIE absolute spectrum measurements (Kogut et al. 2011) to constrain (or detect) energy exchanges 1000 times smaller than the FIRAS upper limits



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thermal history!

Differential (dipole) approaches Angular power spectrum of the dipole map difference between distorted spectra and current blackbody spectrum vs CORE (black) & LiteBIRD (red) white noise power spectrum

	$E_{ m cal}$ (%)	$E_{\rm for}$ (%)	CIB amplitude	Bose-Einstein	Comptonization
Ideal case, all sky	-	-	$\simeq 4.4 \times 10^3$	$\simeq 10^3$	$\simeq 6.0 imes 10^2$
All sky	10^{-4}	10 ⁻²	$\simeq 15$	$\simeq 42$	$\simeq 18$
P76	10^{-4}	10^{-2}	$\simeq 19$	$\simeq 42$	$\simeq 18$
P76ext	10^{-2}	10^{-2}	$\simeq 17$	~ 4	~ 2
P76ext	10^{-4}	10^{-2}	$\simeq 22$	$\simeq 47$	$\simeq 21$
P76ext	10^{-4}	10-3	$\simeq 2.1 imes 10^2$	$\simeq 2.4 imes 10^2$	$\simeq 1.1 imes 10^2$
P76ext	$10^{-3}_{(\leq 295)}$ $-10^{-2}_{(\geq 340)}$	10^{-2}	$\simeq 19$	$\simeq 26$	$\simeq 11$
P76ext	$10^{-3}_{(\leq 295)} - 10^{-2}_{(\geq 340)}$	10^{-3}	$\simeq 48$	$\simeq 35$	$\simeq 15$
P76ext, $N_{\rm side} = 128$	$10^{-3}_{(\leq 295)}$ $-10^{-2}_{(\geq 340)}$	10^{-2}	$\simeq 38$	$\simeq 51$	$\simeq 23$
P76ext, $N_{\rm side} = 128$	$10^{-3}_{(\leq 295)}$ $-10^{-2}_{(\geq 340)}$	10^{-3}	$\simeq 43$	$\simeq 87$	$\simeq 39$
P76ext, $N_{\rm side} = 256$	$10^{-3}_{(\leq 295)}$ $-10^{-2}_{(\geq 340)}$	10^{-2}	$\simeq 76$	$\simeq 98$	$\simeq 44$
P76ext, $N_{\rm side} = 256$	$10^{-3}_{(\leq 295)}$ $-10^{-2}_{(\geq 340)}$	10^{-3}	$\simeq 85$	$\simeq 1.6 imes 10^2$	$\simeq 73$

Table 11. Predicted improvement in the recovery of the distortion parameters discussed in the
text with respect to FIRAS for different calibration and foreground residual assumptions. This table
summarizes the results derived with approach (c). "P06" stands for the *Planck* common mask, while
"P06ext" is the extended P06 mask. When not explicitly stated, all values refer to E_{cal} and E_{for} at
 $N_{side} = 64.$ From Burigana, Carvalho, Trombetti
et al. 2018, JCAP



Free-free distortions from cosmological reionization vs SKA & vs extragalactic foregrounds FF radio emission



FF radio emission induces both global and localized distortions



Even for minimal models @ frequencies around <u>few GHz</u> FF signal above (1) radiosource background (2) confusion noise Removing sources above few tens of nJy → Source back: < 1mK @ ν > 1 GHz

< 10mK @ v < 0.3 GHz



Courtesy T. Trombetti 2015

C. Burigana & T. Trombetti, Complementarity and synergy with CMB, Bologna 3-5/12/2018

Condon et al. 2012 5 $\sigma_{conf} \sim 5 \times 1.2 (\nu/3GHz)^{-0.7} (\theta/8'')^{10/3} \mu Jy$

Table 1: Outline of Reference Surveys									
#	Science Drivers	v _{obs} (GHz)	Tier	rms (µJy/b)	Area (deg ²)	θ (")	Increment over pre-SKA	From I. Prandoni &	
1	SFHU AGN/gal co-evolution	$\sim l^a$	Ultra Deep	0.05	1	0.5 ^b	40× deeper than VLASS-3; 10× smaller area; similar resolution	N. Seymour 2014	
			Wide	1	1-5 10 ³	85	Same sensitivity as MIGHTEE-2 survey; $30 - 100 \times$ larger area; $8 \times$ higher resolution	Ultra-deep	
			Deep	0.2	10-30	0.5	10× deeper than VLASS-3; same area; similar resolution	source number counts	
2	SFHU AGN/gal co-evolution	U D ~ 10 D	Ultra Deep	0.03	0.008	0.1	20× deeper than JVLA 8 GHz GOODS-N field; similar area; 2× better resolution	(useful also for intermediate/	
			Deep	0.3	0.5	0.05	2× deeper than 5 GHz tier of eMERGE legacy survey; 20× larger area; same resolution	small scale foregrounds vs	
3	Non-thermal emission in Clusters and Filaments	0.12	All-sky	$\sim 20^c$	31 10 ³	10	3× better surface brightness sensitiv- ity than LOFAR all sky surveys, corre- sponding to the detection of 10× fainter radio halos/relics	21cm & FF & E/B modes)	
4	Strong Gravita- tional Lensing	1.4	All-sky	3	31 10 ³	≤0.5	$\sim 100\times$ more radio-loud strong GL than currently known; $\sim 10\times$ more lens systems than the total current sample at all wavelengths	(useful also for Galactic foregrounds for	
	Legacy/Rare Serendipity			2		~ 2	5× deeper sensitivity than ASKAP all sky survey (EMU); 5× better angular resolution	all above topics)	

^a Reference value. The observing frequency can be fine-tuned within Band 1 and/or 2

^b Reference value at 1 GHz. < 1 arcsec required to avoid confusion (see text)

c may be confusion limited (see Appendix)



Not only integrated information - I (free-free)



CMB B & E modes from reionization vs foreground residuals Not only integrated information - II (reionization E-modes)



✓ 10 mJy future CMB experiments

Intermediate & high multipoles

- 100 μJy representative of SKA (generously including frequency extrapolation uncertainties)
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Conclusions

- Huge progress in HI galaxy surveys with SKA and their cosmological implications
- Optimizing surveys for scientific aims is critical
- Planck (for many background parameters) (+ Euclid) + SKA will provide strong constraints on cosmological parameters, NG, and DE nature, possibly ultimately answering to a set of fundamental questions
- Important cosmological topics will be jointly studied with radio and microwave surveys (i.e. SKA + *Planck* + hopefully CORE, LiteBIRD, PIXIE, ground based S4-S5, e.g. CLASS), including
 - PMF
 - spectral distortions / energy dissipations
 - cosmological (re)ionization through 21cm, FF, EE/TE/BB
- Space and ground will be more and more complementary
- Reducing foreground signals and systematics is a critical and fundamental issue in practically all contexts





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