



SEMPER: a semi-empirical model for extragalactic radio emission

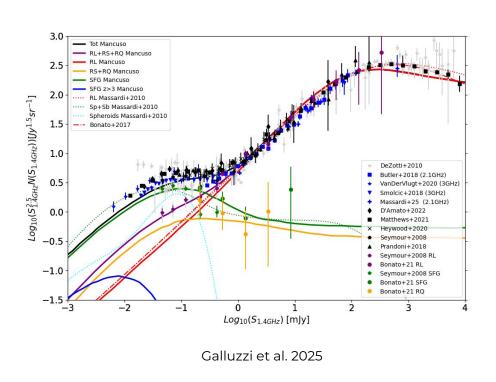
Insights and predictions with the SKA

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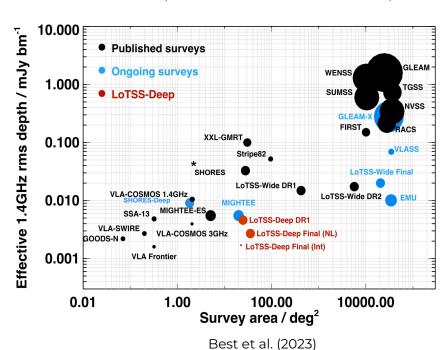
In collaboration with: I. Prandoni, M. Bonato, L. Bisigello, M. Bondi, G. Gandolfi, M. Massardi, L. Boco, H. J. A. Rottgering, and A. Lapi

Radio emission as a SFR tracer

Radio continuum emission is an unbiased tracer of star-formation: synchrotron emission (supernovae remnants) + free-free emission (HII regions).



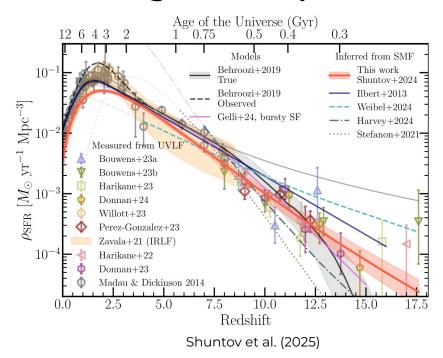
SFGs dominate the faint radio sky at $S_{14GHz} \le 100 \mu Jy$.



*SHORES (Massardi+2025, Behiri+submitted)

Significantly improved sensitivity of current deep and wide radio survey.

Selecting SFGs: a panchromatic approach

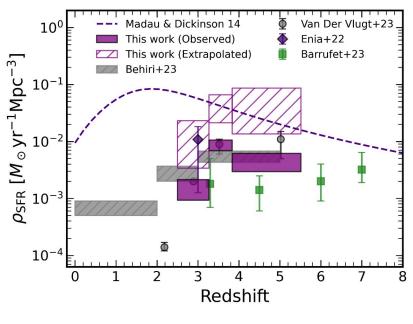


Optical/NIR dark (now faint with JWST) galaxies significantly contribute to the cosmic SFRD (see e.g. Simpson+2014, Wang+2019, Gruppioni+2020, Franco+2018; Williams+2024).

Radio-band selection (see e.g. Talia et al. 2021, Enia+2022, Behiri+2023, Van der Vlugt+2023, Gentile+2024a)

Studying SFGs requires a panchromatic approach

Advancements in radio observations have mirrored those in the Optical/Near-IR bands.



Gentile et al. (2025)

Selecting SFGs: a panchromatic approach









Need for a comprehensive view of processes driving SFGs and its evolution with z.



Semi-empirical models

- Use empirical relations between spatially averaged galaxy properties
- Do not model small-scale physics from first principles
- Minimize parameters and assumptions

Why semi-empirical models?

- Computationally efficient and easily expandable
- Useful for detecting dataset inconsistencies
- Enables predictions for future missions ←——

SEMPER: Semi-EMPirical model for Extragalactic Radio emission

Goal: predictions for radio luminosity function and number counts for extragalactic sources

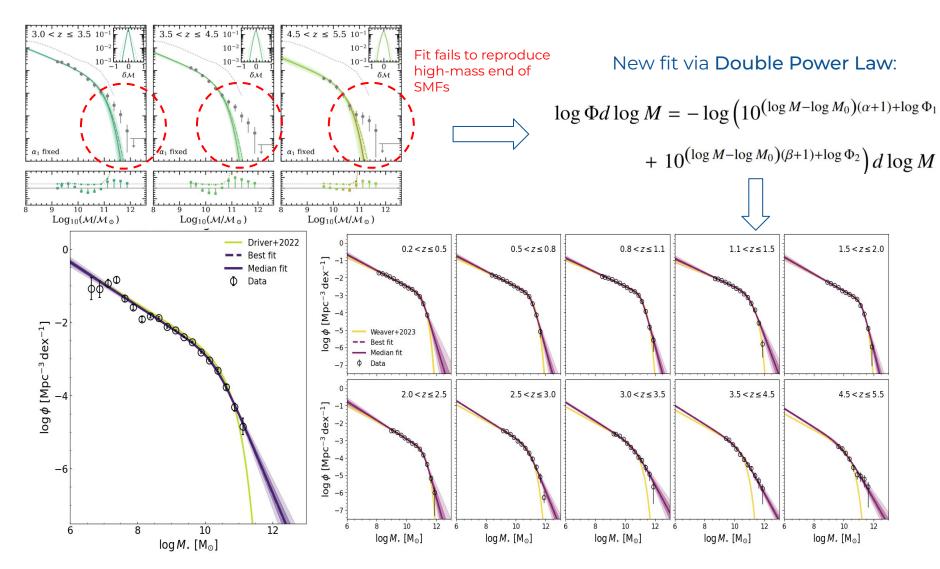
Main ingredients

- Redshift-dependent galaxy SMF
- Galaxy Main Sequence
- Mass-and redshift- dependent Far-Infrared/Radio Correlation

SEMPER- Stellar Mass Function

Data:

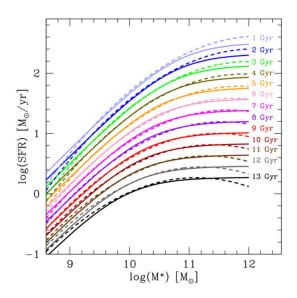
- 0.2<z<5.5 Weaver et al. (2023), based on the COSMOS2020 catalogue (Weaver et al. 2022)
- z<0.1 Driver et al. (2022), based on GAMA DR4.



The double power law fit models the high-mass end of the SMF at z>3

SEMPER- Main Sequence & FIRRC

Popesso et al. (2023)



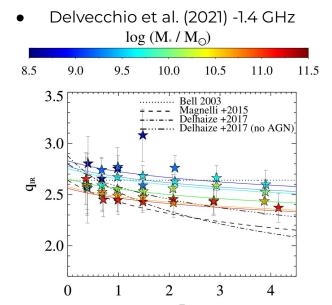
Average relation between M_\bigstar and SFR+ presence of dispersion and outliers.

SFGs at fixed z and M* assumed to be distributed in SFR following a double Gaussian shape (Sargent+2012):

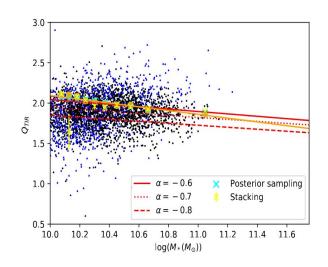
Dominant population of MS

$$\frac{dp}{d\log\psi}\left(\psi\mid z,M_{\star}\right) = \left(\frac{A_{\rm MS}}{\sqrt{2\pi\sigma_{\rm MS}^2}}\right) \exp\left[-\frac{\left(\log\psi-\langle\log\psi\rangle_{\rm MS}\right)^2}{2\sigma_{\rm MS}^2}\right]$$
Sub-population of Starburst galaxies
$$+\left(\frac{A_{\rm SB}}{\sqrt{2\pi\sigma_{\rm SB}^2}}\right) \exp\left[-\frac{\left(\log\psi-\langle\log\psi\rangle_{\rm SB}\right)^2}{2\sigma_{\rm SB}^2}\right]$$

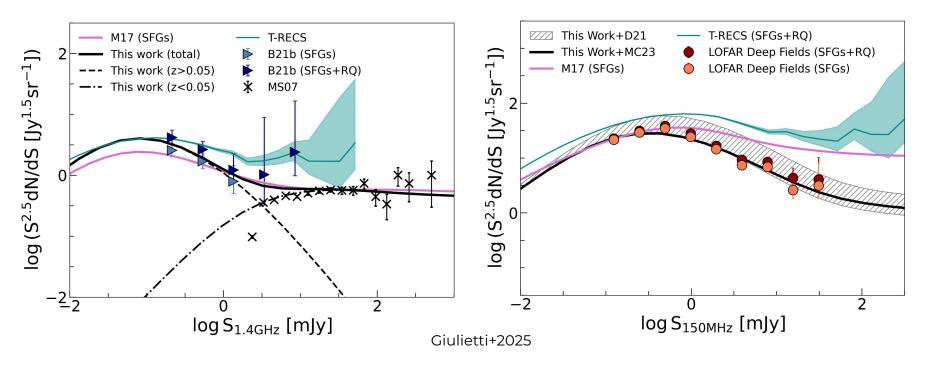
NEW: variable SB fraction (Bisigello+2018, Rinaldi+2024)



McCheyne et al (2022) - 150 MHz



Results - Number Counts



Comparison samples:

1.4 GHz:

- WSRT-Lockmann Hole (Bonato+2021)
- NVSS+ 6dFGS (Mauch & Sadler 2007)

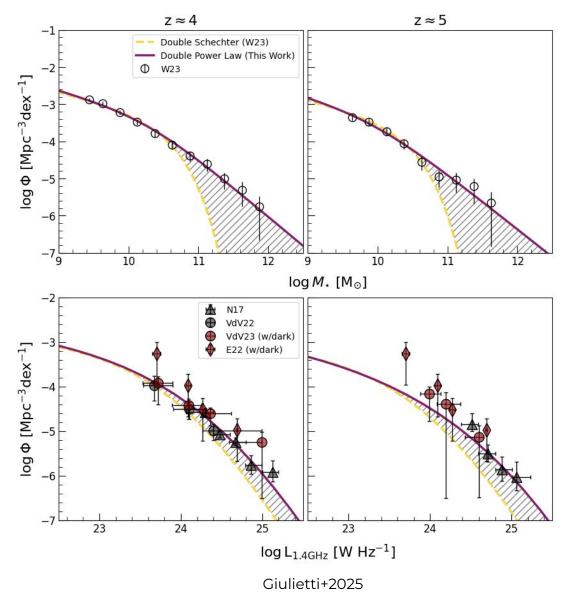
150 MHz:

 LoTSS Deep all fields DR1 (based on the classification of Best+2023)

All frequencies:

- Semi-empirical Model from Mancuso+2017
- T-RECS simulation

Results - Massive and Obscured Galaxies at high z

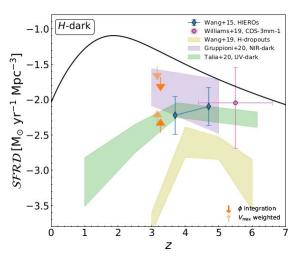


High-z (z>3) massive ($M \star > 10^{11} M_{\odot}$) and red objects detected in excess in the NIR and missed by previous surveys likely correspond to a population of bright radio sources at similar redshifts.

Radio band observations are sensitive to massive and obscured (Av~4) galaxies.

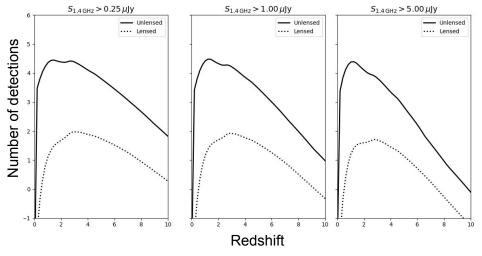


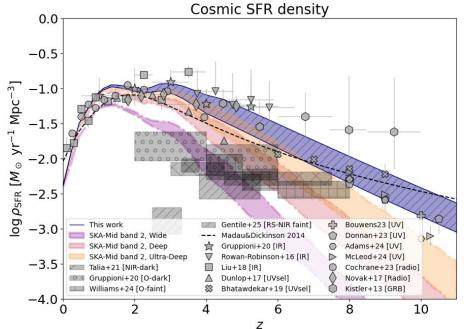
In agreement with observations of radio-selected NIR-dark galaxies (Talia+2021, Behiri+2023, van Der Vlugth+2023, Gentile+2024).



Credits: Enia+2022

Predictions for SKA





Draft contribution to Advancing Astrophysics: Preparing for Science with the SKAO



Semi-empirical Predictions for Ultra-deep Radio Counts of Star-forming Galaxies with the SKAO

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SKA -Mid Band 2 continuum surveys (Prandoni+2015):

 $\sigma \approx 0.05 \,\mu\text{Jy/beam}$ (Wide)

 $\sigma \approx 0.2 \,\mu \text{Jy/beam}$ (Deep)

 $\sigma \approx 1 \,\mu Jy/beam (Ultra-Deep)$

 $S_{1.4GHz,MIN} \rightarrow L_{1.4GHz} \rightarrow \gamma_{MIN}$ as input for SEMPER.

With <20 hours of SKA Band 2 observations using the AA4 configuration, we can detect at least 20% of the total SFR density predicted by SEMPER, including the contribution from dark galaxies up to redshift ~6.

Conclusions

SEMPER

Semi-empirical model for extragalactic radio emission predicting radio luminosity function and number counts, with the goal of better understanding the radio properties of high-z, massive galaxy populations.

SEMPER combines the evolving SMFs for SFGs, from deep NIR data (COSMOS2020; Weaver+2023) with up-to-date observed scaling relations (galaxy main sequence & mass- and redshift-dependent FIRRC).

Results:

- SMF Reconstruction: Double Power Law fit accurately reproduces observed massive galaxies at z>3.
- Radio LFs: SEMPER predictions match 1.4 GHz & 150 MHz data from JVLA, LOFAR, GMRT, WSRT, and ATCA.
- Dust-Obscured SFGs: the model successfully reproduces 1.4 GHz LFs for high-z radio-selected SFGs, linking them to dust obscured (even optically/NIR dark) galaxies.
- **Number Counts**: SEMPER's predictions match NVSS, WSRT, and recent LoTSS data; slight deviations from T-RECS & Mancuso+2017.

SKA predictions: SEMPER can be exploited to plan SKA follow-ups, e.g. for Rs-NIR dark/faint sources.

Future Work: JWST-based SMFs expansion, predictions for AGNs

SEMPER- All in all

1) SFR function SFR distribution
$$\frac{d^2N_{\text{SMF+MS}}}{d\log\psi dV}(z,\log\psi) = \int d\log M_{\star} \frac{d^2N}{d\log M_{\star} dV}(z,\log M_{\star}) \times \frac{dp}{d\log\psi}(\log\psi \mid z,M_{\star})$$

- 2) Standard calibrators (Kennicutt & Evans 2012): $L_{
 m FIR} = k_{
 m FIR} \psi$
- 3) Probability of a given radio luminosity (L,) at fixed SFR(ψ), M* and z:

$$\frac{d\mathbf{p}}{d\log L_{\nu}} \left(\log L_{\nu} \mid \psi, M_{\star}, z\right) = \left(\frac{1}{\sqrt{2\pi\sigma_{\mathrm{FIRRC}}^{2}}}\right) \exp\left[-\frac{(\log L_{\nu} - \langle \log L_{\nu} \rangle)^{2}}{2\sigma_{\mathrm{FIRRC}}^{2}}\right]$$
Scatter in the FIRRC

4) Radio LF function:

$$\frac{d^2 N}{d \log L_{\nu} dV} \left(\log L_{\nu}, z \right) = \int d \log M_{\star} \frac{d^2 N}{d \log M_{\star} dV} \left(\log M_{\star} \mid z \right) \times \int d \log \psi \frac{dp}{d \log \psi} \left(\psi \mid z, M_{\star} \right) \times \frac{dp}{d \log L_{\nu}} \left(\log L_{\nu} \mid \psi, M_{\star}, z \right)$$

5) Number Counts:

$$\frac{dN}{d\log S_{\nu}d\Omega}\left(S_{\nu}\right) = \int dz \frac{dV}{dz d\Omega} \frac{dN}{d\log L_{\nu}dV} \left(L_{\nu(1+z)},z\right) \qquad \text{where} \quad S_{\nu} = \frac{L_{\nu(1+z)}(1+z)}{4\pi D_{L}^{2}(z)}$$