

New measurements of the galaxy mass-spin relation

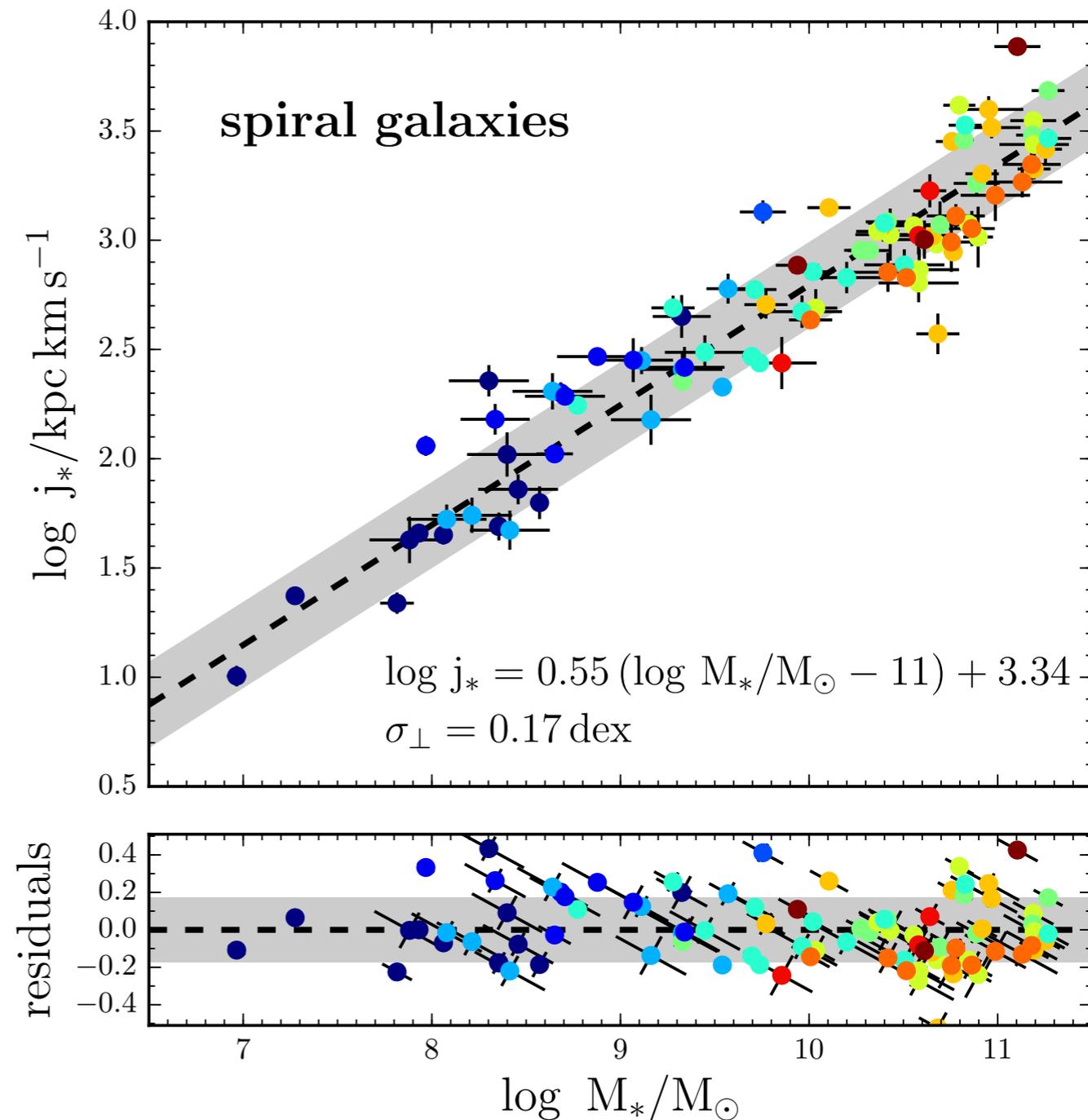
(Including a contribution from Roy)

Introduction

The j-M relation

- Connects a galaxy's mass with its specific angular momentum (total angular momentum per unit mass).
- $j_* = \beta M_*^\alpha$
- Power-law behavior indicates a systematic way in which galaxies acquire and conserve angular momentum.

Posti+ 2018



Introduction

The j-M relation

- AM content is largely determined by interaction/merger history and feedback processes.
- It's a probe of the baryon cycle, and hence galaxy evolution.
- Validate predictions from tidal torque theory and hierarchical assembly models.
- Also a link between DM and observable properties.

Introduction

The j-M relation

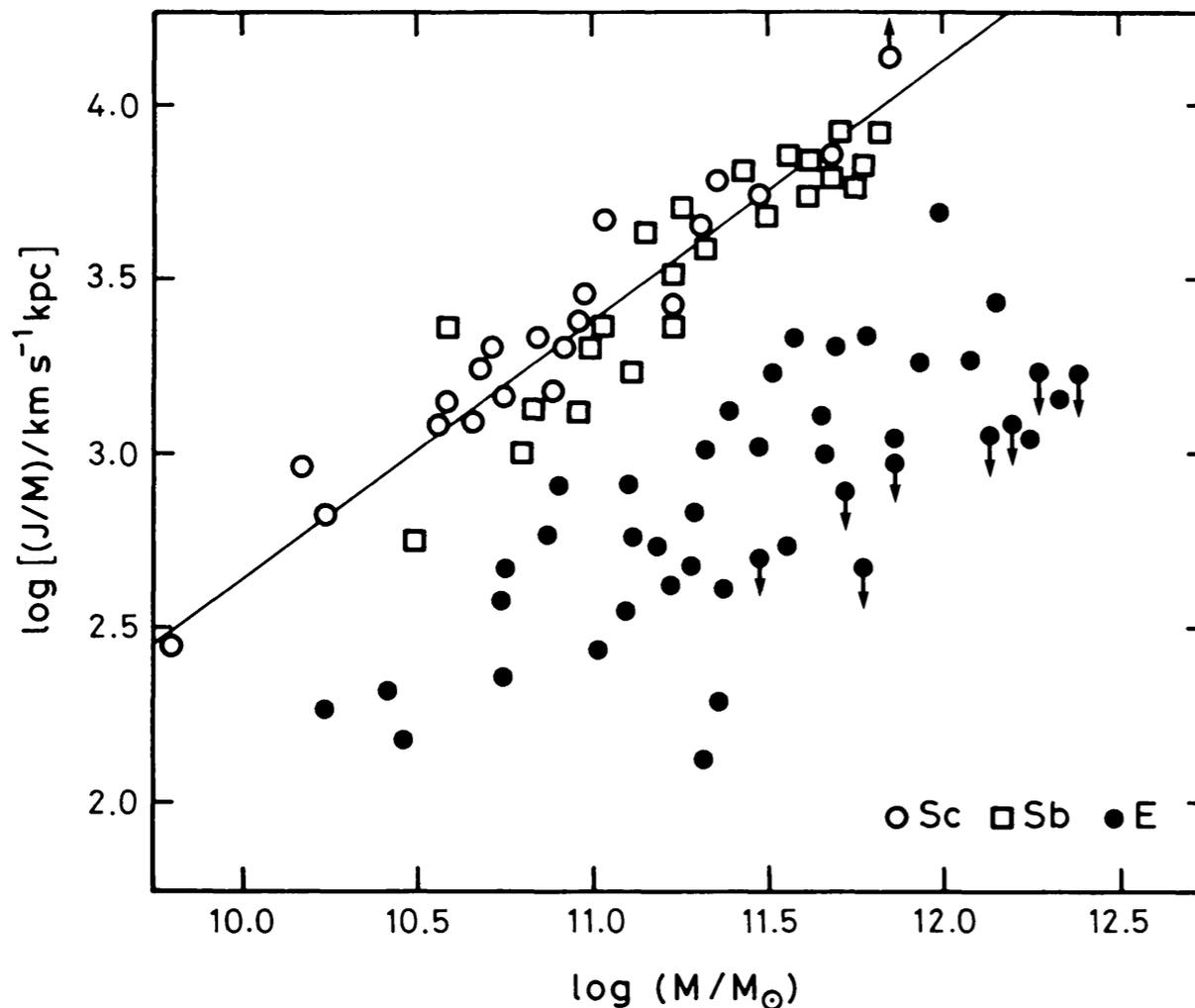
- $$j_h = \frac{1.67 \times 10^3}{\sqrt{F_E}} \left(\frac{\lambda}{0.035} \right) \left(\frac{M_h}{10^{12} M_\odot} \right)^{2/3} \text{ kpc km/s}$$

- Considering $f_* \equiv M_*/M_h$ and $f_j \equiv j_*/j_h$, the specific angular momentum for the stars in a galaxy is:

$$j_* = \frac{77.4}{\sqrt{F_E}} \left(\frac{\lambda}{0.035} \right) f_j f_*^{-2/3} \left(\frac{M_*}{10^{10} M_\odot} \right)^{2/3} \text{ kpc km/s}$$

Previous j_* - M_* studies

Fall (1983)



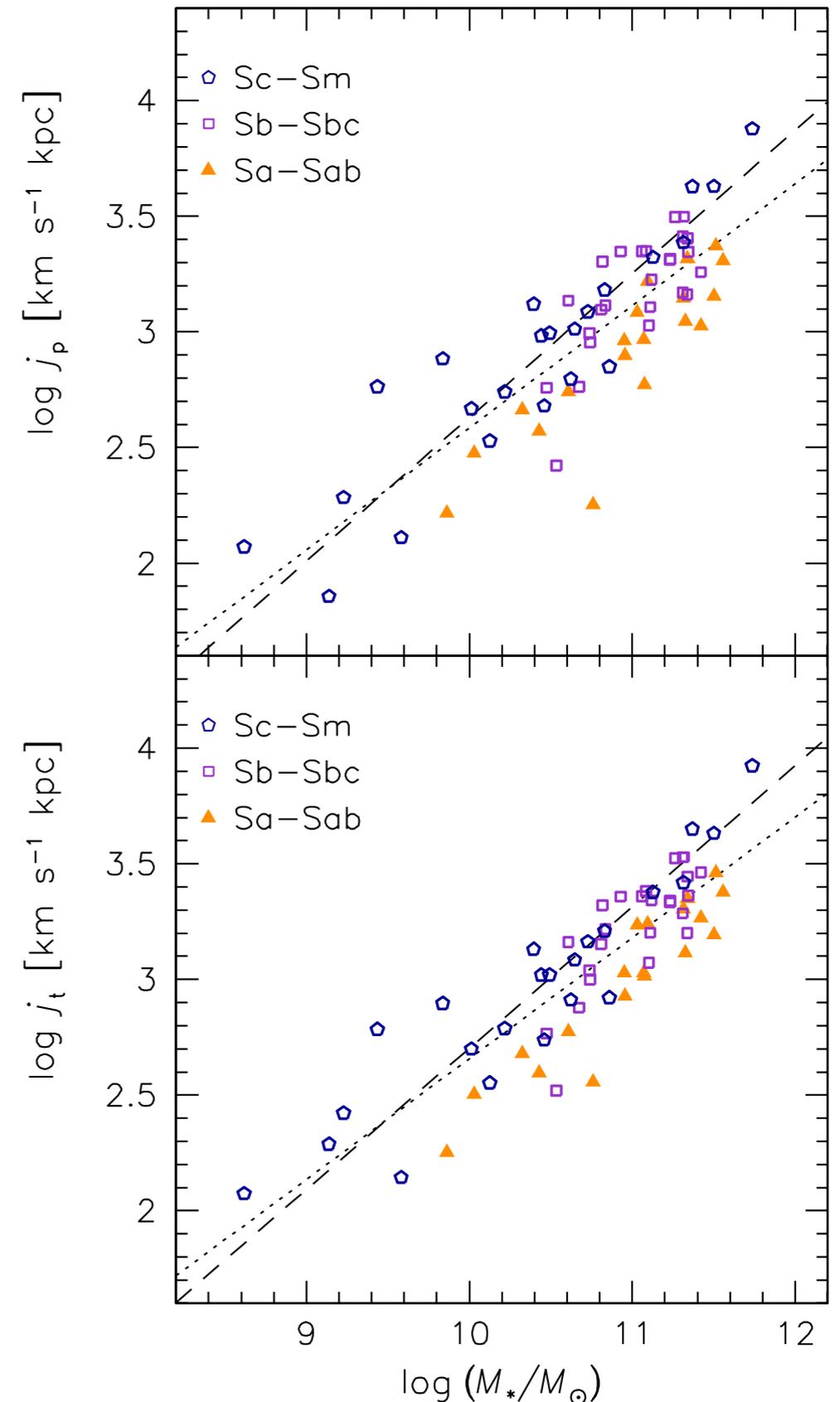
- Spirals and ellipticals have $j_* = \beta M_*^\alpha$ with $\alpha \sim 0.6$.
- β varies by a factor ~ 5 between spirals and ellipticals.

Figure 1. Specific angular momentum against luminous mass for galaxies of different morphological types. Spirals: $J/M = 2v_c \alpha^{-1}$ with $v_c = V(R_{25}^{\text{ib}})$ and $\alpha^{-1} = 0.32 R_{25}^{\text{ib}}$; $M = (M/L)L(B_T^{\text{ib}})$ with $M/L = 3.0$ for Sb and $M/L = 1.5$ for Sc; data from Rubin et al. (1980, 1982). Ellipticals: $J/M = 2.5 v_m r_e$ as appropriate for a de Vaucouleurs profile, a flat rotation curve and random orientations; $M = (M/L)L(B_T^{\text{b}})$ with $M/L = 6.0$; data from Davies et al. (1982). A Hubble constant of $50 \text{ km s}^{-1} \text{ Mpc}^{-1}$ is adopted but the relative positions of points do not depend on this distance-scale.

Previous j_\star - M_\star studies

Romanowsky & Fall (2012)

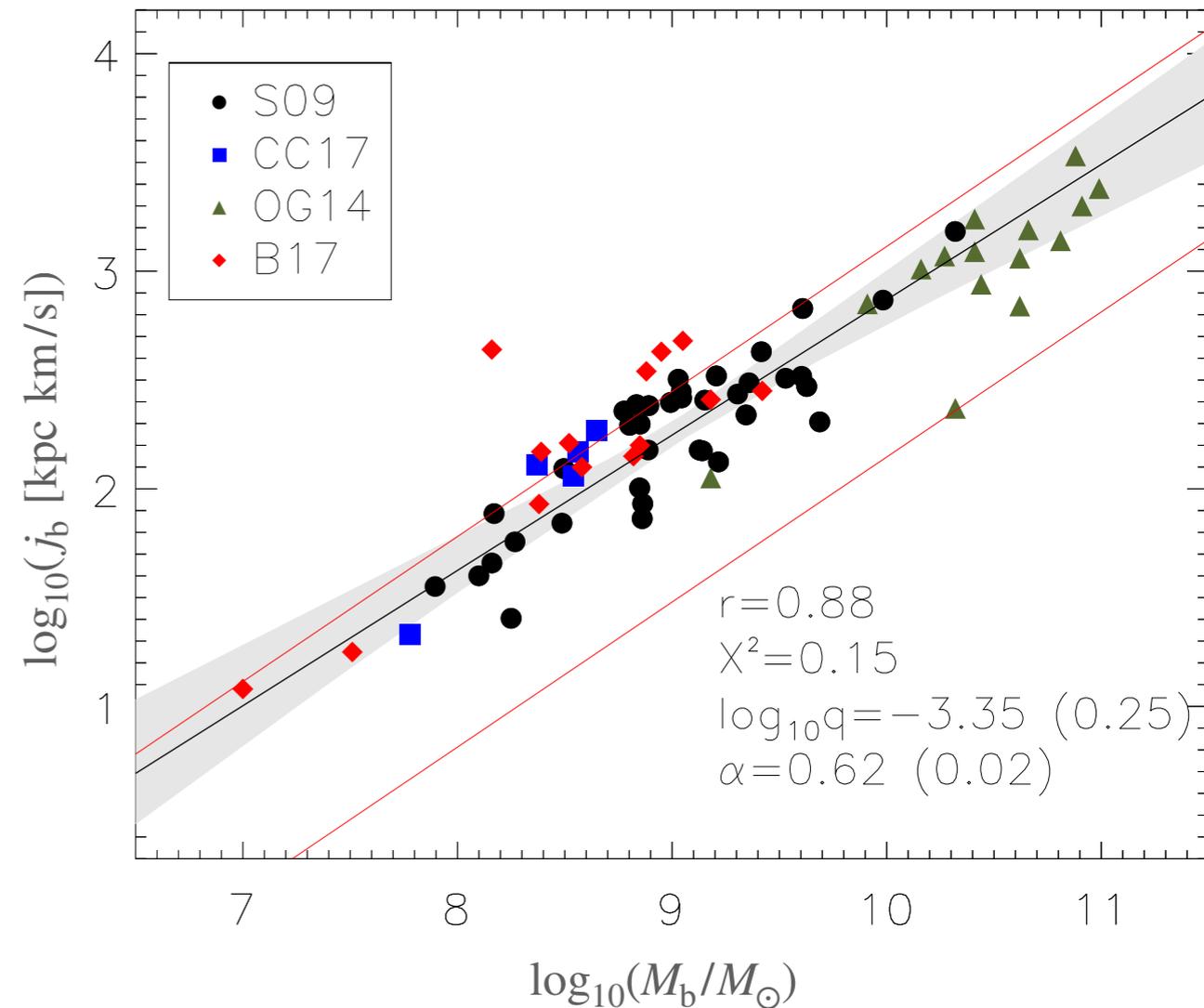
- Spirals and ellipticals follow parallel $j_\star - M_\star$ tracks with $\alpha \sim 0.6$ but with ellipticals containing ~ 3 - 4 times less j_\star
- Presented new methods of accurately estimating j_\star using global observable quantities ($j_\star \approx 2R_{\text{eff}}V_c$).



Previous j_{\star} - M_{\star} studies

Elson (2017)

- Used 37 HI-rich galaxies from WHISP survey to study baryonic $j - M$ relation.
- Roughly doubled the number of gals with $M_b < 10^{10} M_{\odot}$
- Found $\alpha = 0.62 \pm 0.02$.



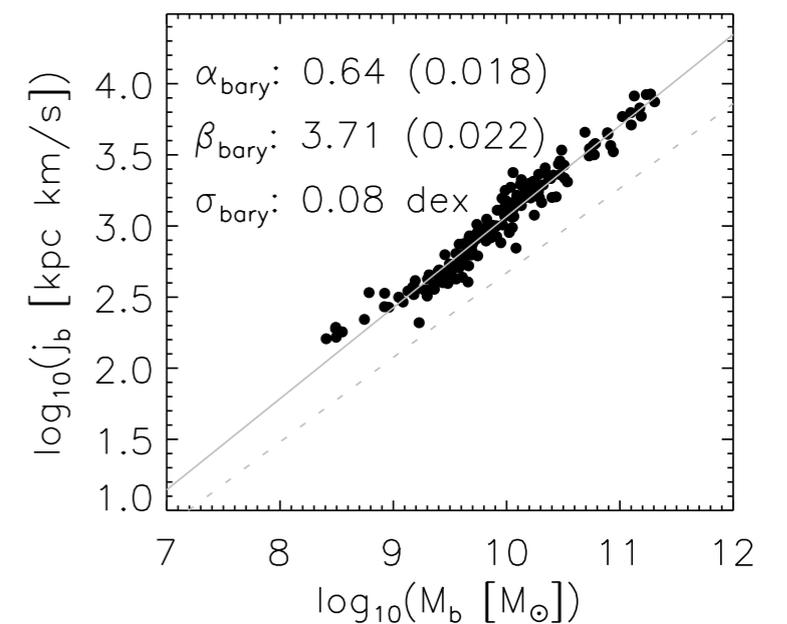
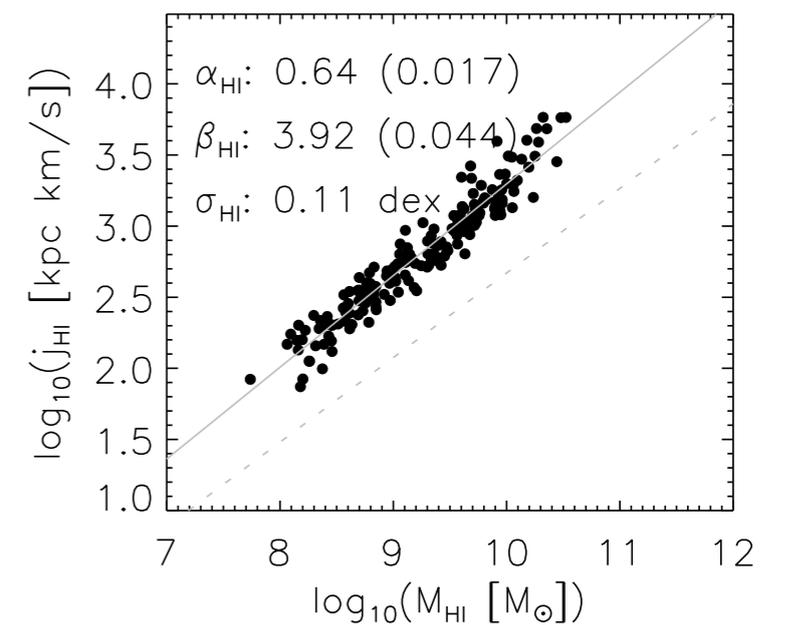
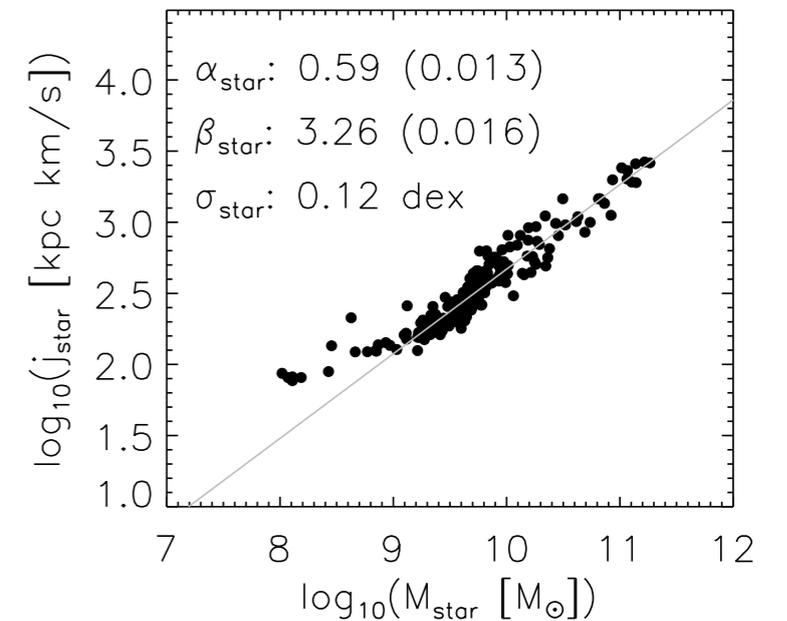
Roy's contribution

- In ~2018, Roy asked how AM is transferred between the various mass components.
- Roy's suggestion: maybe simulations could be used to figure it out.

Previous j_{\star} - M_{\star} studies

Elson et al. (2023)

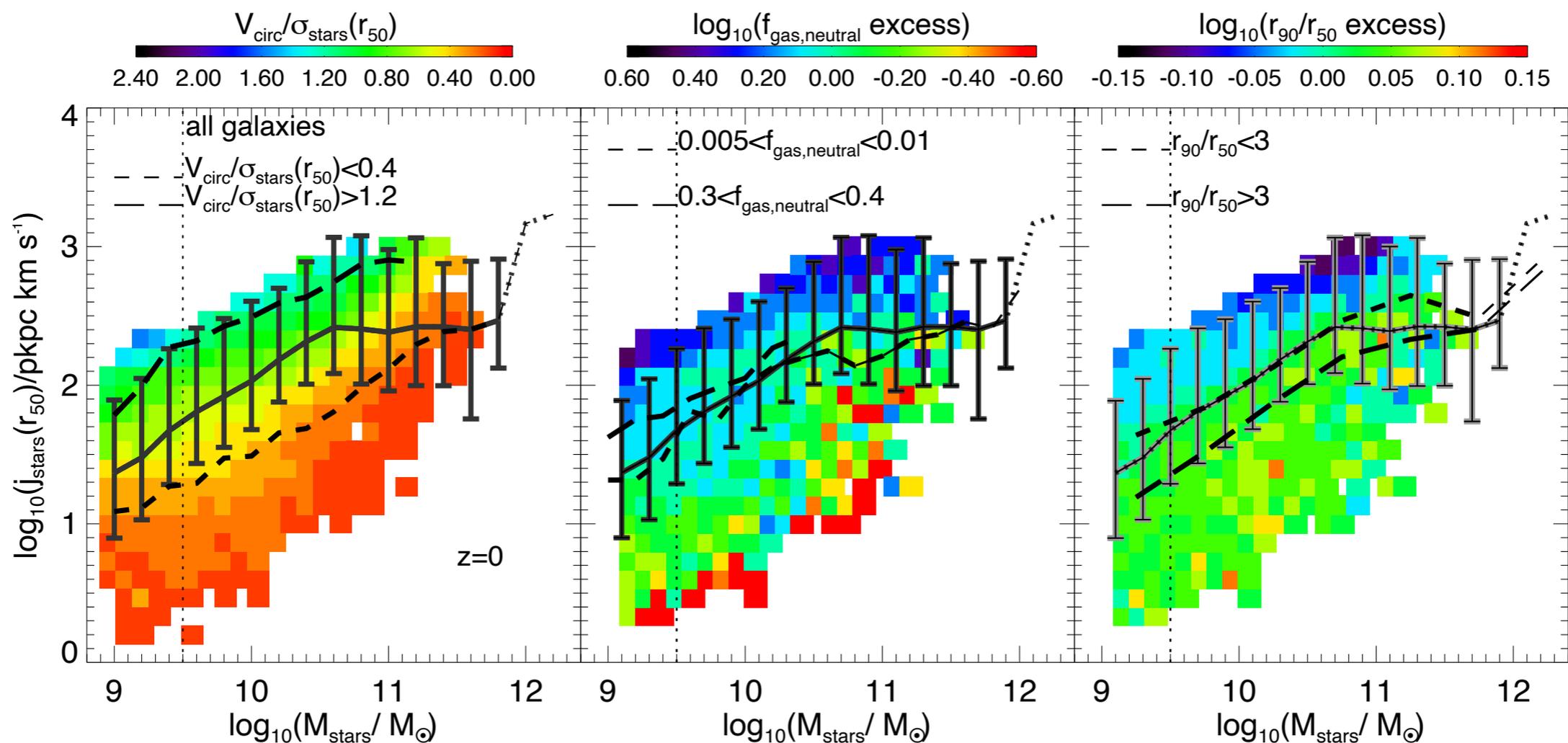
- Using Simba simulations: very tight $j - M$ relations for stars, HI and baryons.
- Scatter linked to HI content.
- Galaxies with higher/lower-than-average HI mass have higher/lower-than-average j_{\star} .



Previous $j_\star - M_\star$ studies

Lagos et al. (2017)

- Lagos et al. (2017): $j_\star - M_\star$ scatter highly correlated with morphological proxies (gas fraction, stellar concentration, etc.)



Previous j_{\star} - M_{\star} studies

Summary

- Most studies favour α in the range ~ 0.5 to 0.7 , which is similar to the theoretical expectation of $2/3$.
- Sample sizes are typically small and scatter in relations is oftentimes high (>0.2 dex).
- Several studies point to proxies of galaxy morphology playing a role in determining j_{\star} .

What next?

- Let's generate a new set of j_{\star} - M_{\star} relations that are:
 - Based on large, statistically significant samples.
 - Have very low intrinsic scatter.
 - Consistent with the current best measurements of j_{\star} - M_{\star} , but which improve on them.
- To do this:
 - Used data from the Arecibo Legacy Fast ALFA (ALFALFA) Survey.

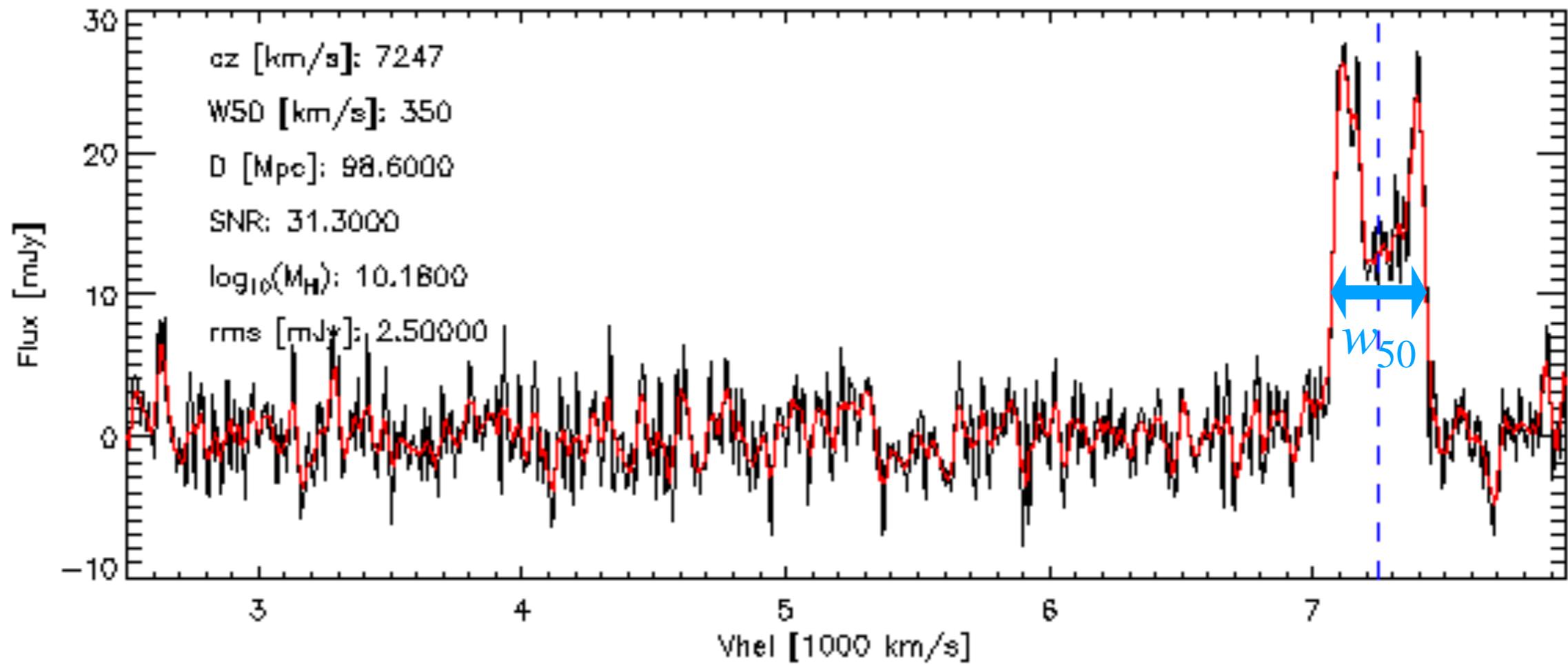
Measuring angular momentum

Approximation method

- v_c can be measured from the global HI profile:

$$w_{50} = 2 v_c \times \sin i \rightarrow v_c = w_{50}/2 \sin i.$$

- $j_* \approx 2 v_c R_{\text{eff}}/1.68 = \frac{w_{50} R_{\text{eff}}}{1.68 \sin i}$



Results

Full sample (N=3607)

- Fit a power-law model

$$\log_{10} \left(\frac{j_*}{\text{kpc km/s}} \right) = \alpha \log_{10} \left(\frac{M_*}{M_\odot} \right) + \beta.$$

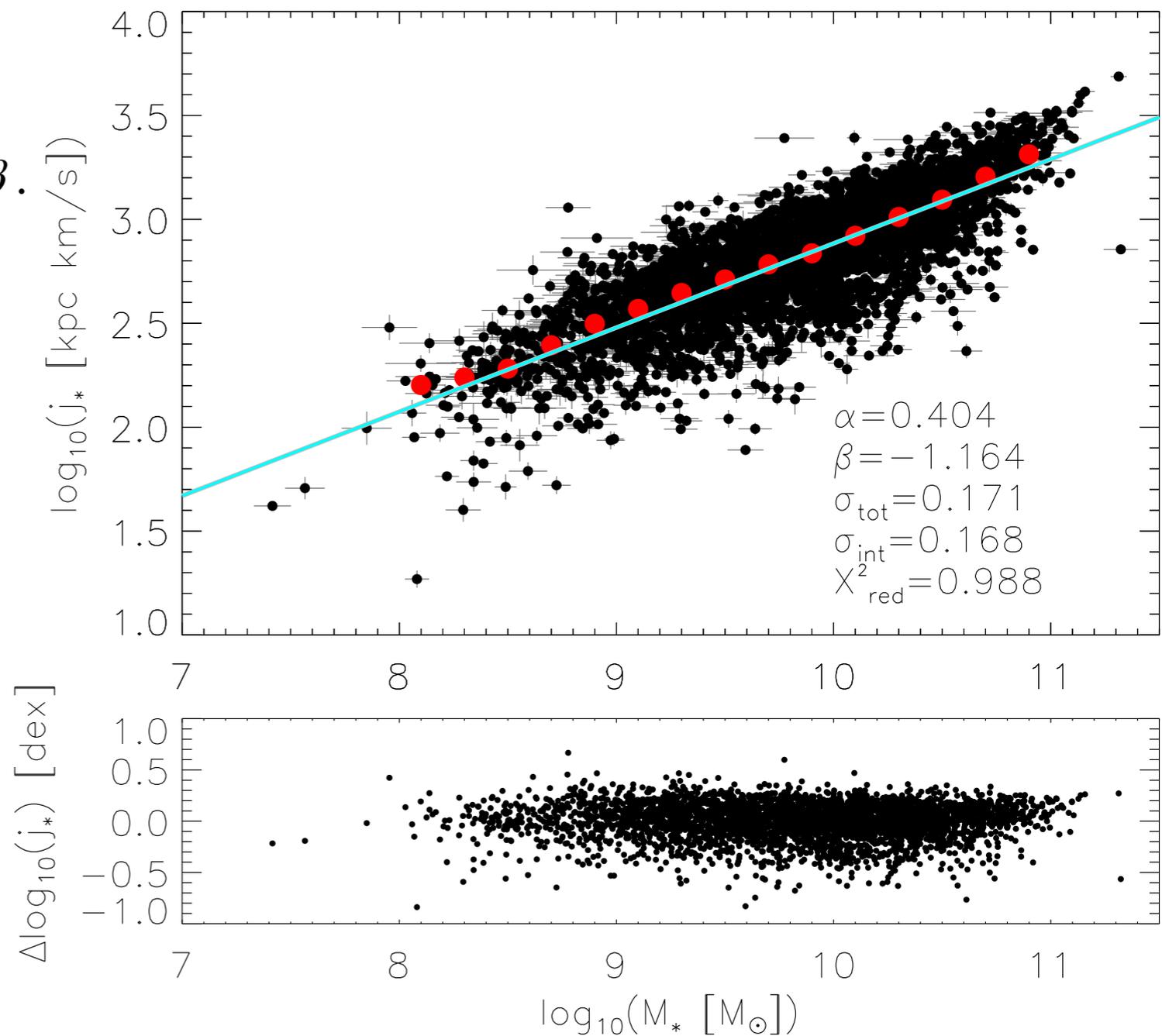
- MPFITEXY IDL routine.

- $\alpha = 0.404 \pm 0.003$

- $\beta = -1.164 \pm 0.03$

- $\sigma_{\text{int}} = 0.168$ dex

- N=3 607



Results

$\langle \mu_{\text{eff}} \rangle$ **sub-samples**

- Is there another galaxy parameter/property that strongly correlates with j_* ?
- $j_* - M_*$ relation is known to be heavily dependent on galaxy morphology.
- The bulge-to-total mass ratio is strongly correlated.
- Idea: What about I -band effective surface brightness as a proxy for mass concentration?

Results

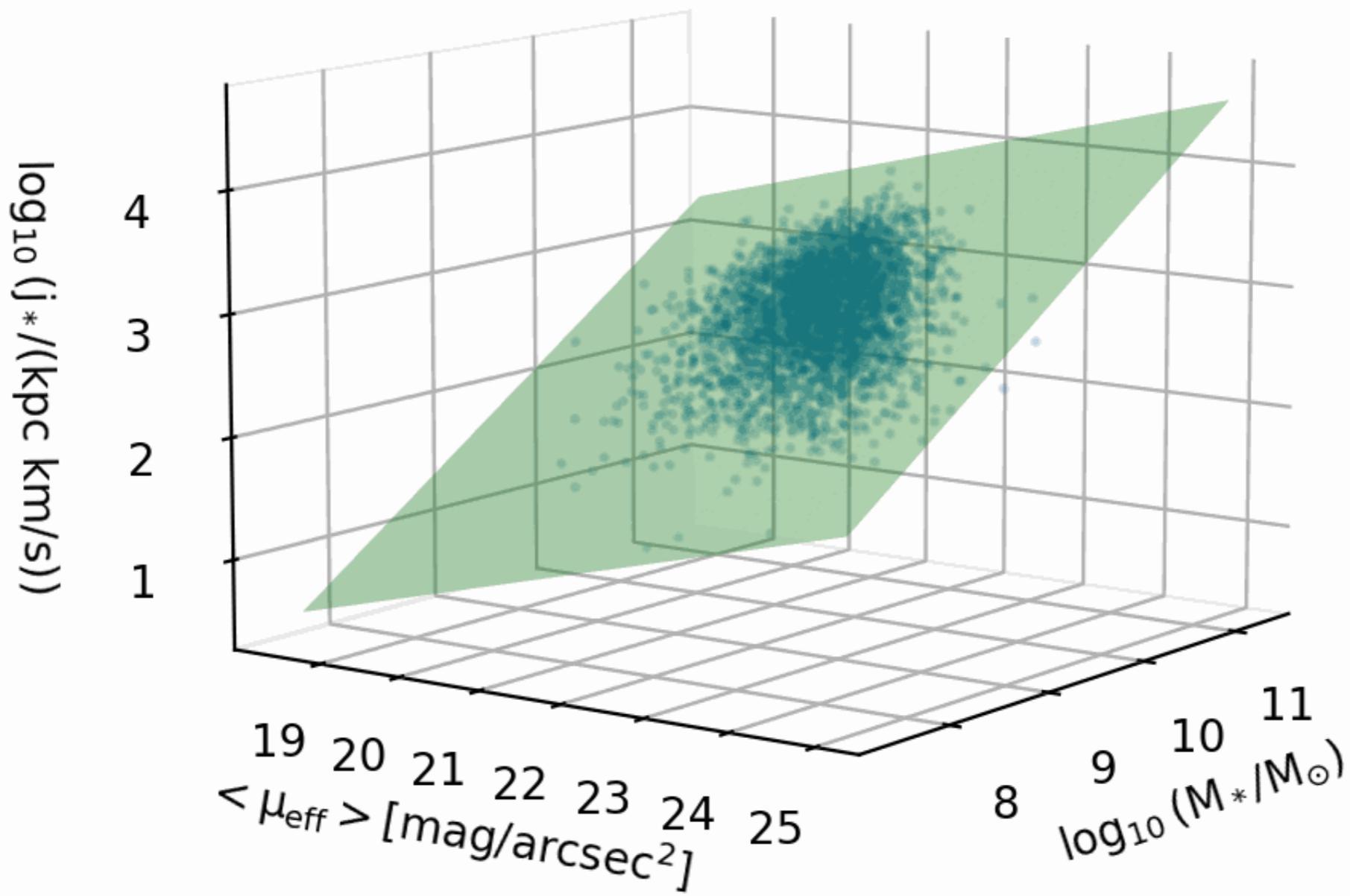
$\langle \mu_{\text{eff}} \rangle$ **sub-samples**

- First, fit a plane

$$\log_{10} \left(\frac{j_*}{\text{kpc km/s}} \right) = \alpha \log_{10} \left(\frac{M_*}{M_{\odot}} \right) + \beta \left(\frac{\langle \mu_{\text{eff}} \rangle}{\text{mag arcsec}^2} \right) + \gamma$$

to galaxies in $\log_{10} j_* - \log_{10} M_* - \langle \mu_{\text{eff}} \rangle$ space.

- $\alpha = 0.589 \pm 0.002$, $\beta = 0.193 \pm 0.002$
- Standard deviation of residuals about this plane: 0.089 dex!!



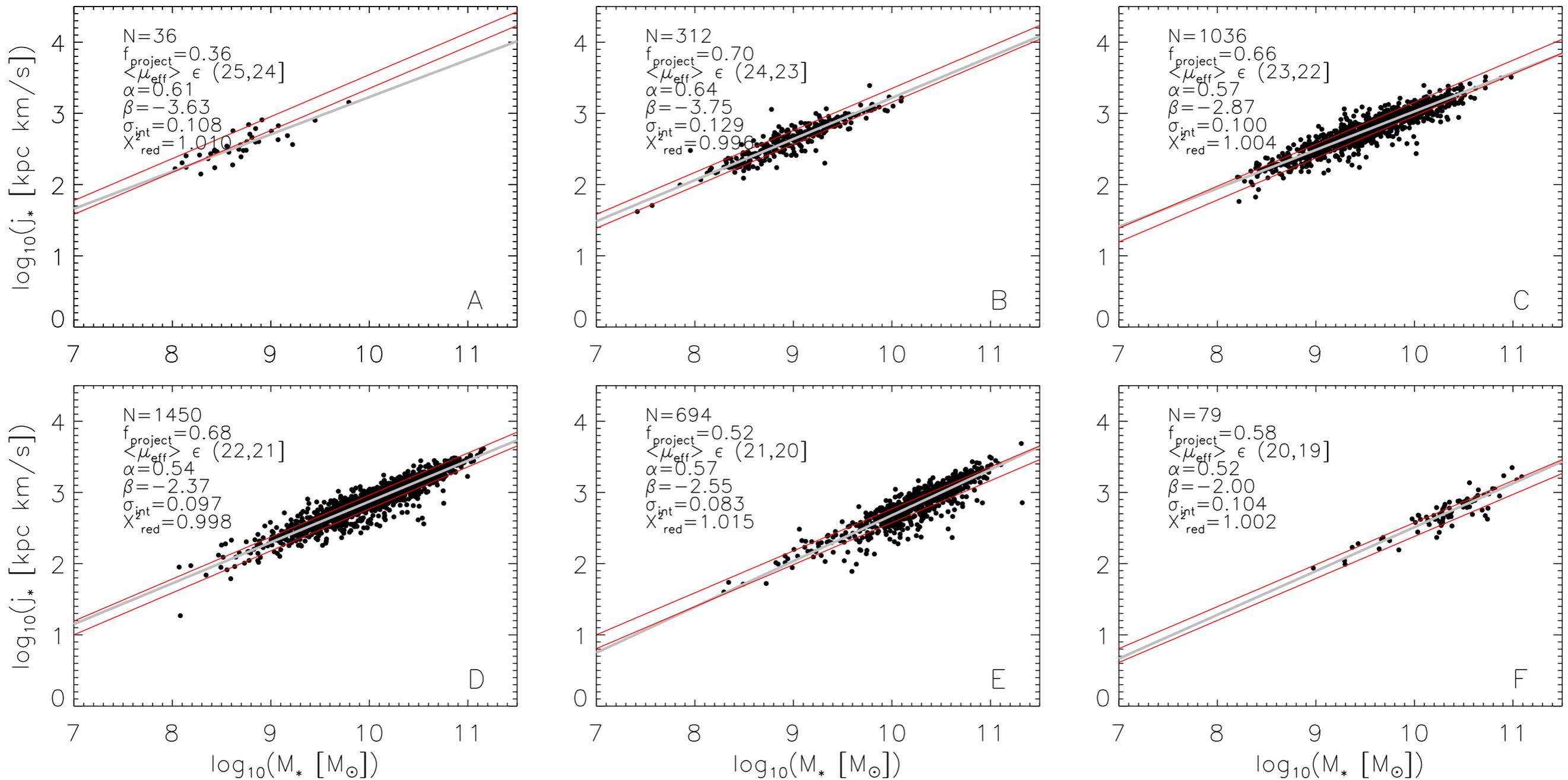
Results

$\langle \mu_{\text{eff}} \rangle$ **sub-samples**

- Now split ALFALFA galaxies into sub-samples delimited by $\langle \mu_{\text{eff}} \rangle = \{25, 24, 23, 22, 21, 20, 19\}$ mag/arcsec² and check 2D $j_* - M_*$ relations.

Results

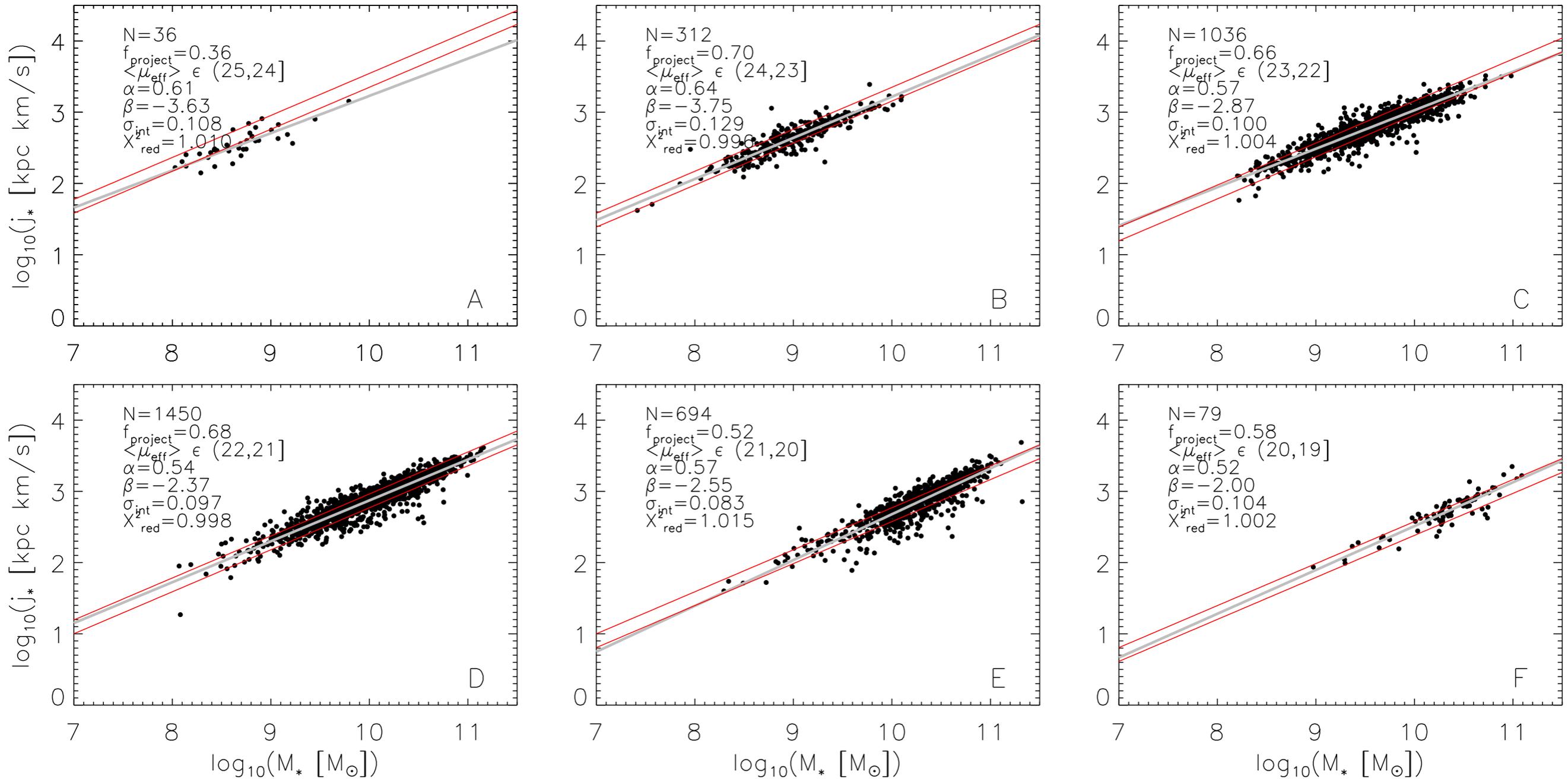
$\langle \mu_{\text{eff}} \rangle$ sub-samples



- Most of these relations are consistent with the $\alpha = 0.55 \pm 0.02$ result from Posti et al. (2018b).

Results

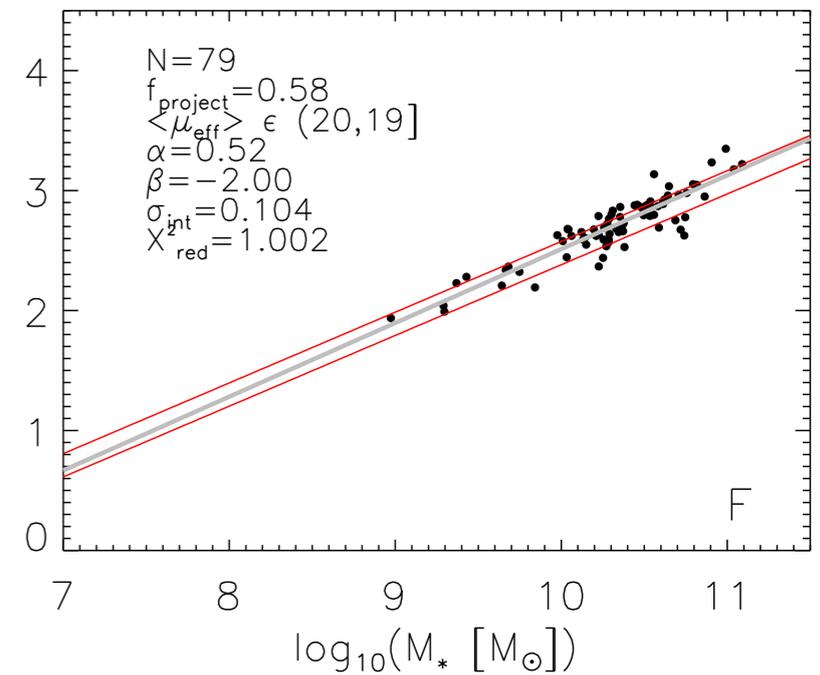
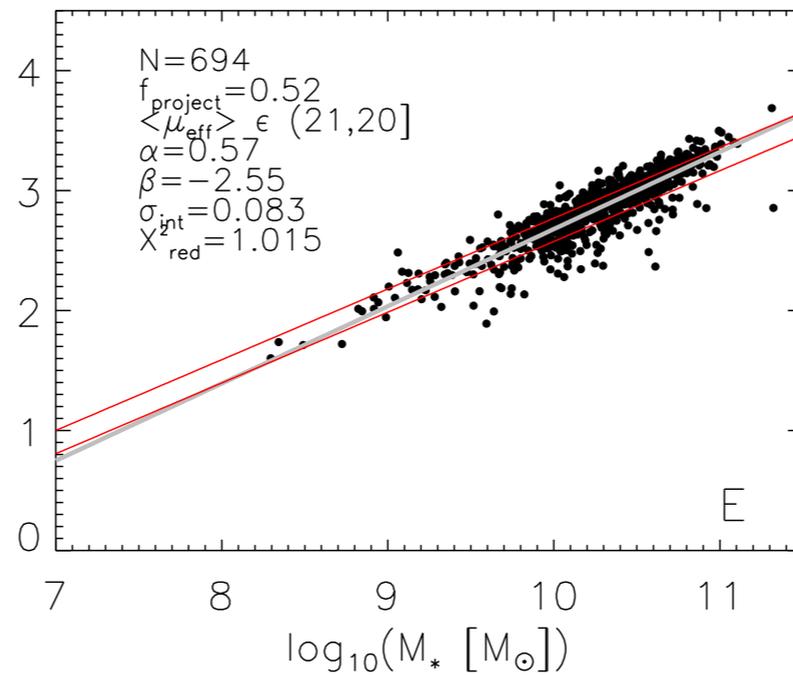
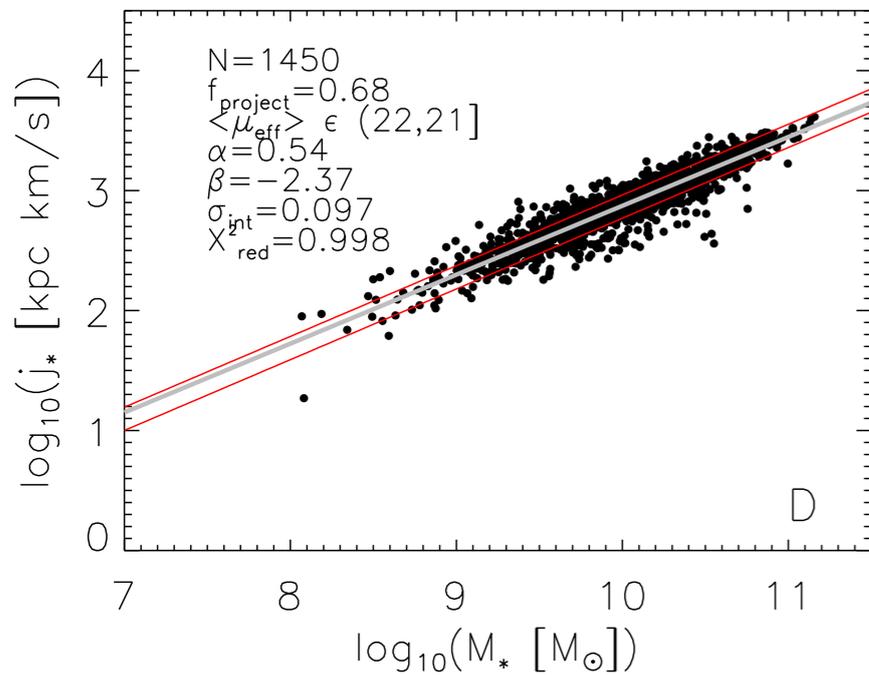
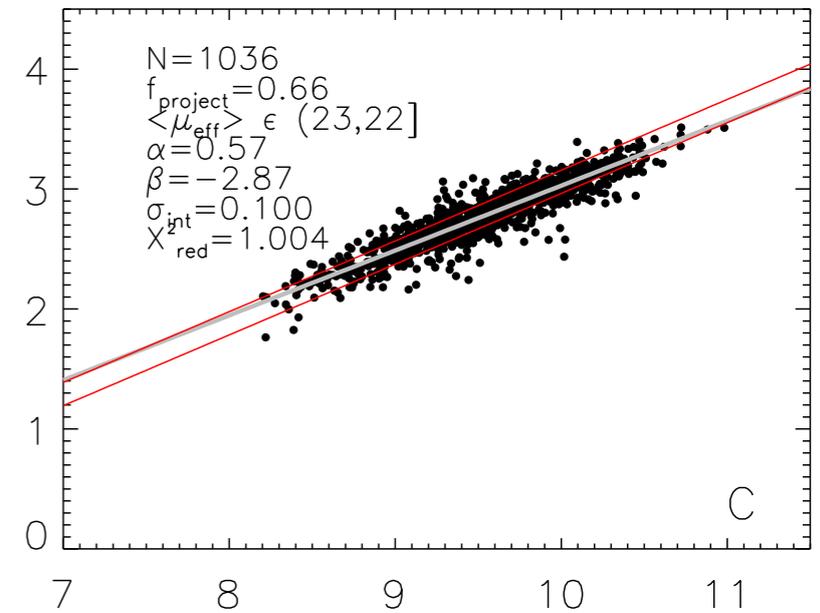
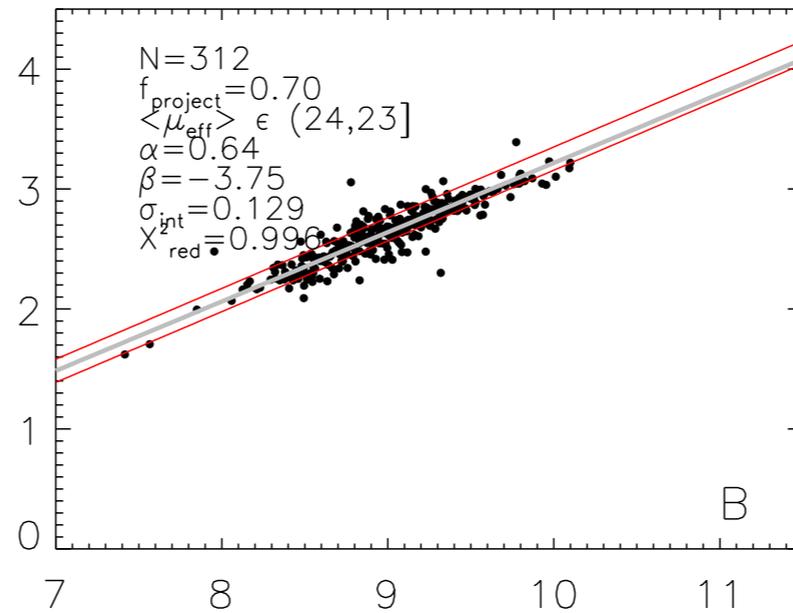
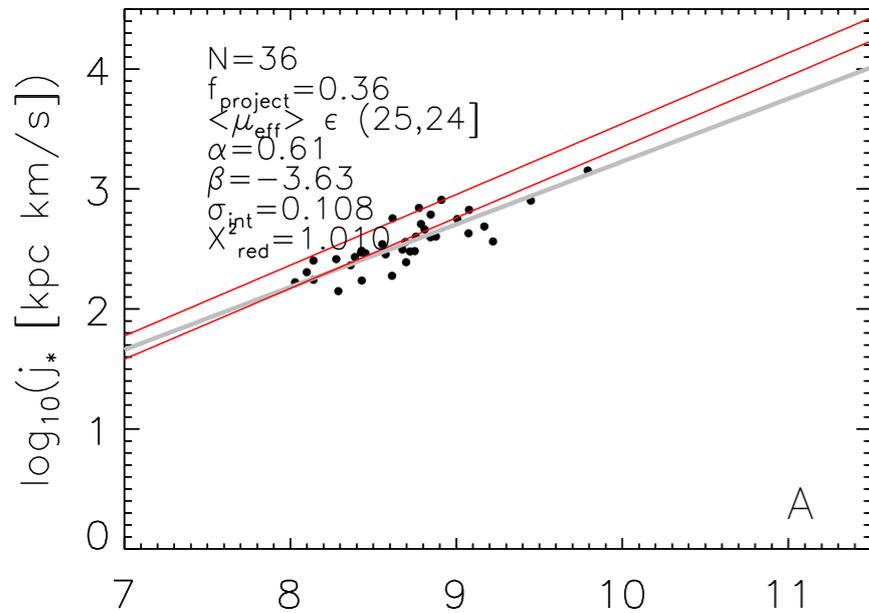
$\langle \mu_{\text{eff}} \rangle$ sub-samples



- 2D $j_* - M_*$ relations are the tightest ever measured. Intrinsic scatter $\lesssim 0.1$ dex for a large $\langle \mu_{\text{eff}} \rangle$ range.

Results

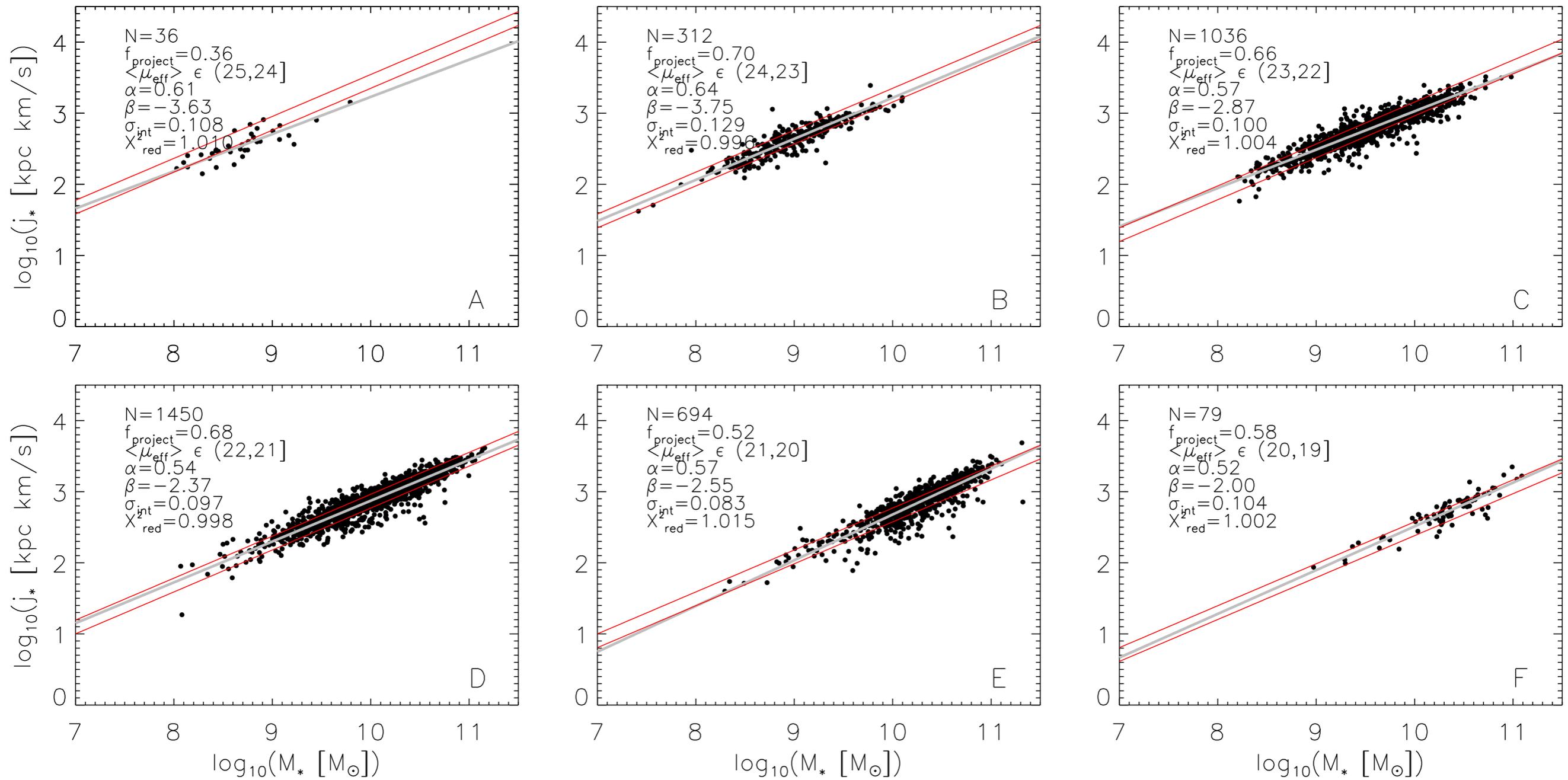
$\langle \mu_{\text{eff}} \rangle$ sub-samples



- $2D j_* - M_*$ relations are based on the largest samples ever used (up to factor ~ 3 larger).

Results

$\langle \mu_{\text{eff}} \rangle$ sub-samples



- Results published as Elson (2023) - arXiv:2310.17916

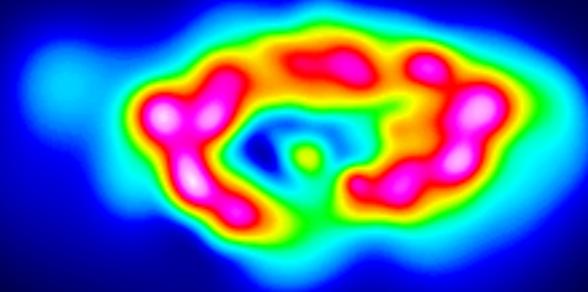
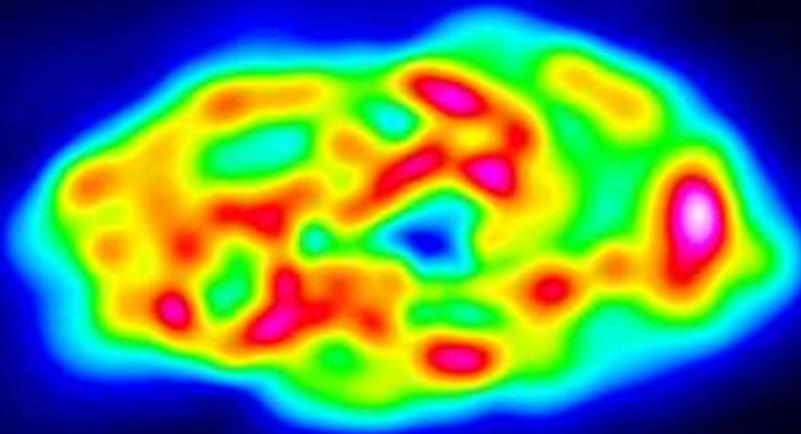
Part 2 (very quickly):

- Can the Simba sims be used to produce a more accurate measurement of the $\log_{10} j_* - \log_{10} M_* - \langle \mu_{\text{eff}} \rangle$ relation?
- Answer: yes!
- Question: What useful things can be done with it?
- Answer: Easily estimate the stellar masses of real galaxies to within 0.1 to 0.2 dex!

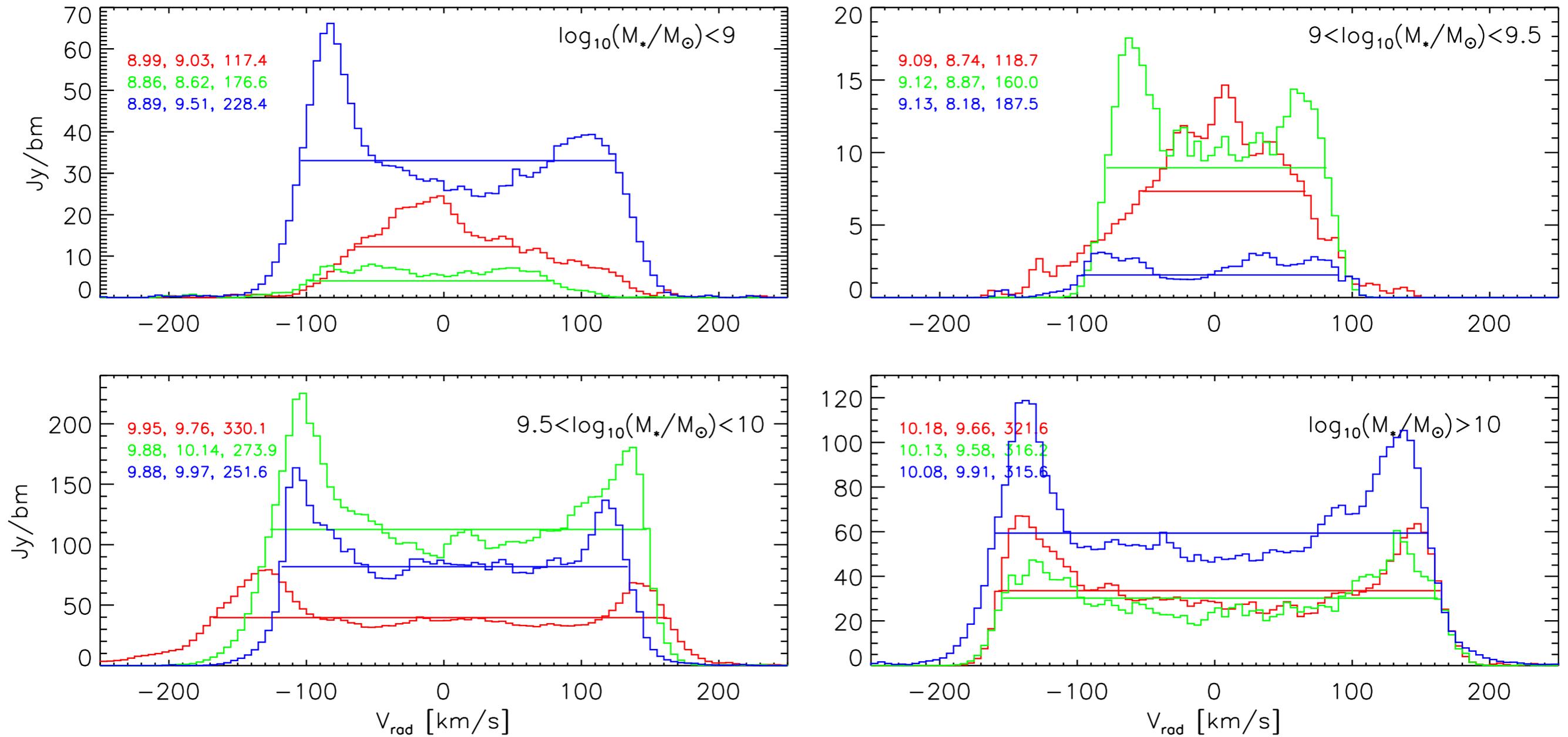
The Simba $j_* - M_* - \langle \mu_{\text{eff}} \rangle$ relation

- Use the Simba m25n512_s50 z=0 snapshot.
- Select a suitable set of galaxies for which to measure j_*
- Final sample: N=179

HI total intensity maps of 2 mock-observed Simba galaxies



HI spectra of mock-observed Simba galaxies



The Simba $j_* - M_* - \langle \mu_{\text{eff}} \rangle$ relation

Results

- After also measuring $\langle \mu_{\text{eff}} \rangle$ for each Simba galaxy, a 2D plane was fit to the galaxies in $\log_{10} j_* - \log_{10} M_* - \langle \mu_{\text{eff}} \rangle$ space:

$$\log_{10} \left(\frac{j_*}{\text{kpc km/s}} \right) = \alpha \log_{10} \left(\frac{M_*}{M_{\odot}} \right) + \beta \left(\frac{\langle \mu_{\text{eff}} \rangle}{\text{mag arcsec}^2} \right) + \gamma$$

The Simba $j_* - M_* - \langle \mu_{\text{eff}} \rangle$ relation

Results

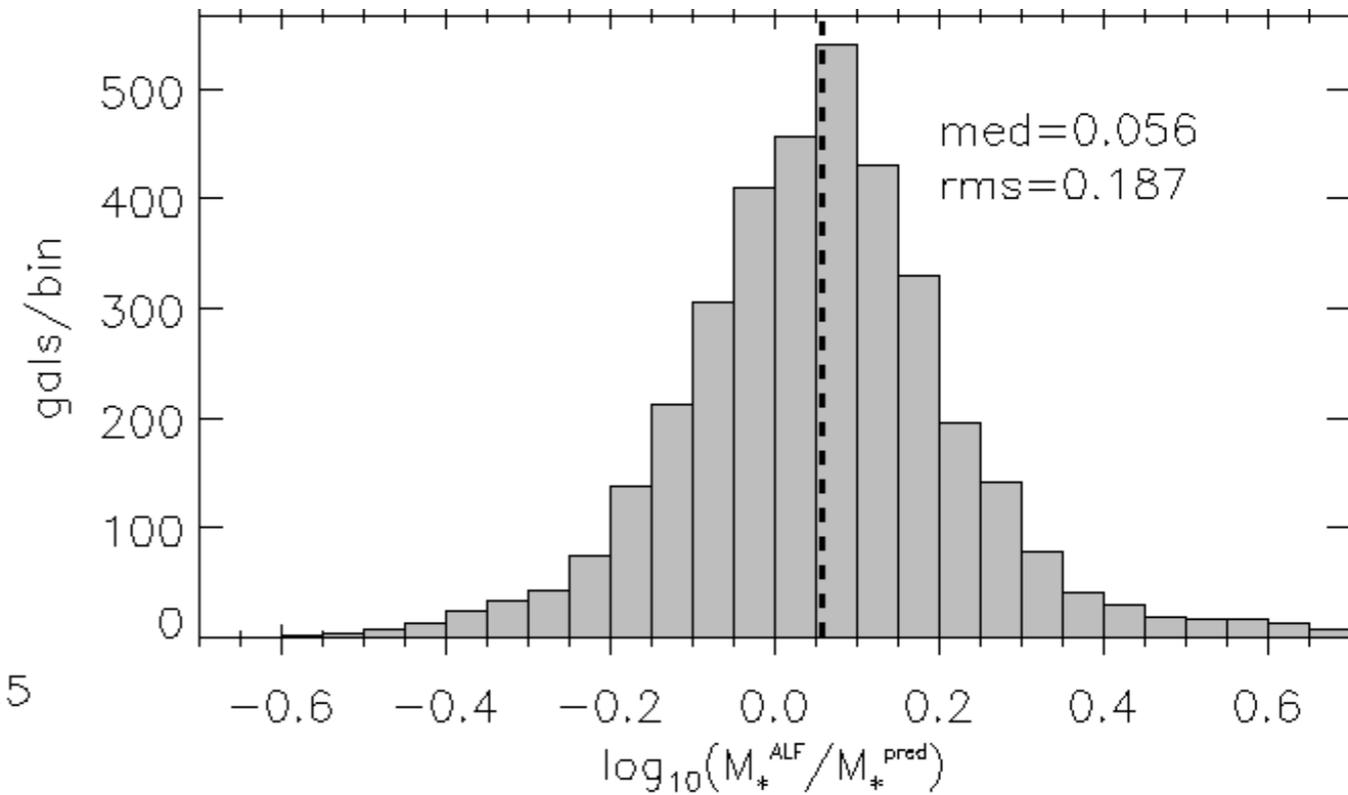
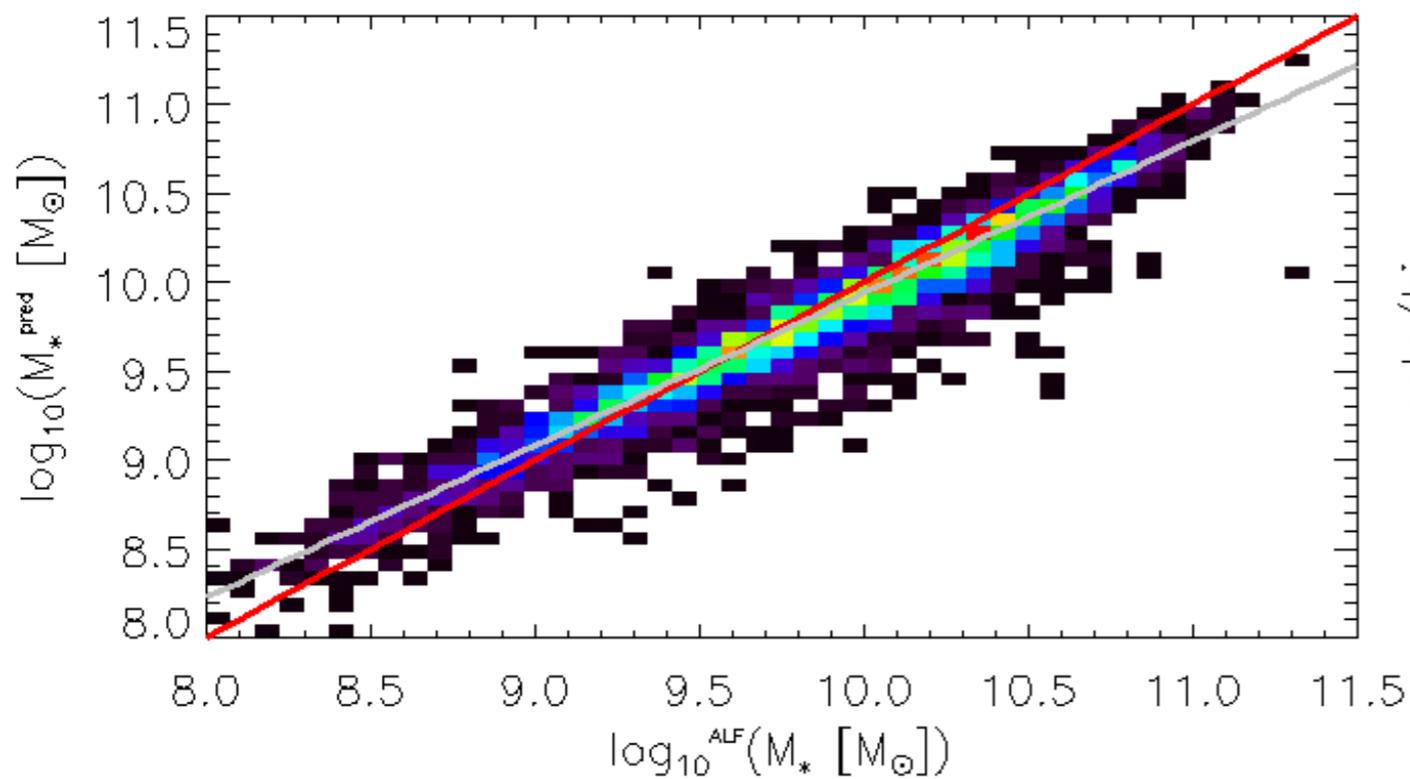
- Simba's planar relation fits much tighter.
- Has α very close to theoretical expectation (2/3).
- The planar relation between $\log_{10} j_* - \log_{10} M_* - \langle \mu_{\text{eff}} \rangle$ is truly fundamental.

	α	β	γ	σ
Simba	0.694 (0.046)	0.190 (0.026)	-8.111 (1.009)	0.057 dex
ALFALFA	0.586 (0.002)	0.193 (0.002)	-7.198 (0.054)	0.089 dex

The Simba $j_* - M_* - \langle \mu_{\text{eff}} \rangle$ relation

Predicting real stellar masses

- Use Simba $\log_{10} j_* - \log_{10} M_* - \langle \mu_{\text{eff}} \rangle$ relation to predict M_* given j_* and $\langle \mu_{\text{eff}} \rangle$ measurements.
- Results published as Elson (2024) - arXiv:2409.08076



Thank you.