

# Baryonic Feedback with Fast Radio Bursts and SKA

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# Menu du jour

1. Dispersion measure
2. Observing the cosmological background
3. Observing cosmological perturbations



# Menu du jour

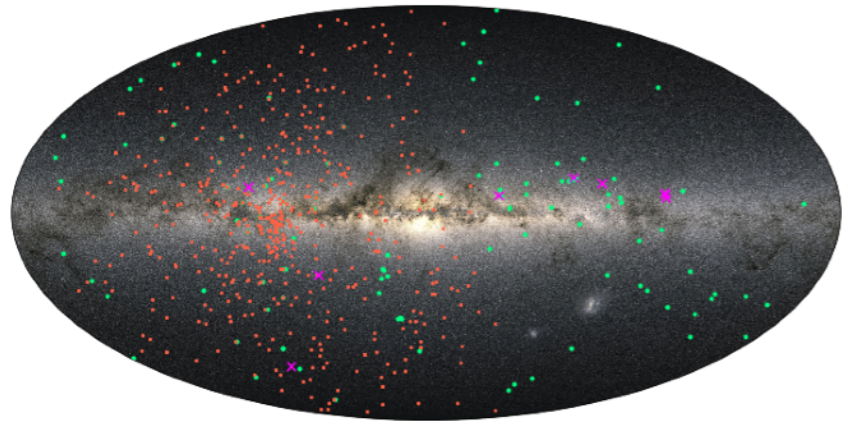
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# Fast Radio Bursts

- Mechanism still debated
- First discovered in archival data 2007
- Short ( $\sim$ ms), bright ( $\sim$ Jy) radio transients
- Frequencies 300 Mhz - 8 Ghz
- Extragalactic
- About 800 known events, soon several 1000s
- Some repeating

# Known FRBs



- Until now: detections mostly incidental
- Expect rates of  $10^3 - 10^4$  / sky / night
- Now: dedicated searches ongoing



CHIME

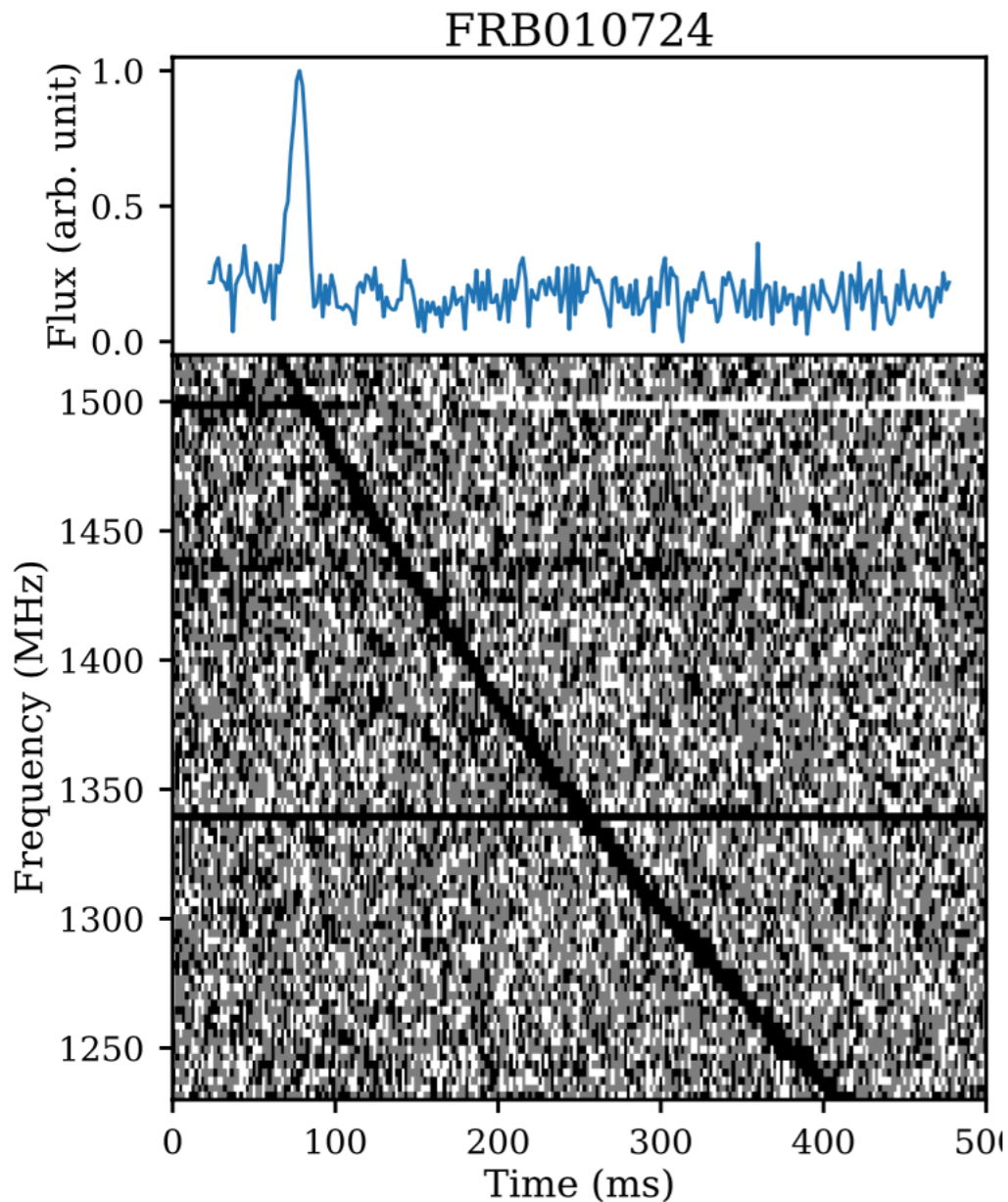


ASKAP



DSA-110

# Dispersion measure



*Lorimer et al 2007*  
*Cordes & Chatterjee 2019*

- Radio signals undergo dispersion
- Pulse delay  $\Delta t \sim \nu^{-2}$
- Depends on integrated electrons along LoS

$$DM = \int \frac{n_e}{1+z} dl$$

# Dispersion measure

$$DM_{\text{obs}}(\mathbf{x}, z) = DM_{\text{MW}}(\mathbf{x}) + DM_{\text{LSS}}(z, \mathbf{x}) + DM_{\text{host}}(z)$$



Milky Way models  
Can be checked with Pulsars  
Quite accurate!

Host halo models  
Depends on galaxy types?  
Location of FRBs?

Redshift scaling:

$$\propto \text{const.} + \int_0^z dz' \frac{1+z'}{E(z')} + \frac{1}{1+z}$$

**Statistics can tell contributions apart**

# Dispersion measure

$$\text{DM}_{\text{obs}}(\mathbf{x}, z) = \text{DM}_{\text{MW}}(\mathbf{x}) + \text{DM}_{\text{LSS}}(z, \mathbf{x}) + \text{DM}_{\text{host}}(z)$$

$$\text{DM}_{\text{LSS}} = \int dl \frac{n_e}{1+z}$$

Baryon fraction  
Need redshifts

$$n_e \approx F(z) \frac{\rho_b}{m_p} = F(z) \frac{\bar{\rho}_b}{m_p} \left[ 1 + b_e \delta_m \right]$$

**Distance measure**

Need redshifts  
(Part II)

Ionisation history  
Need redshifts

**Density field**  
(Part III)

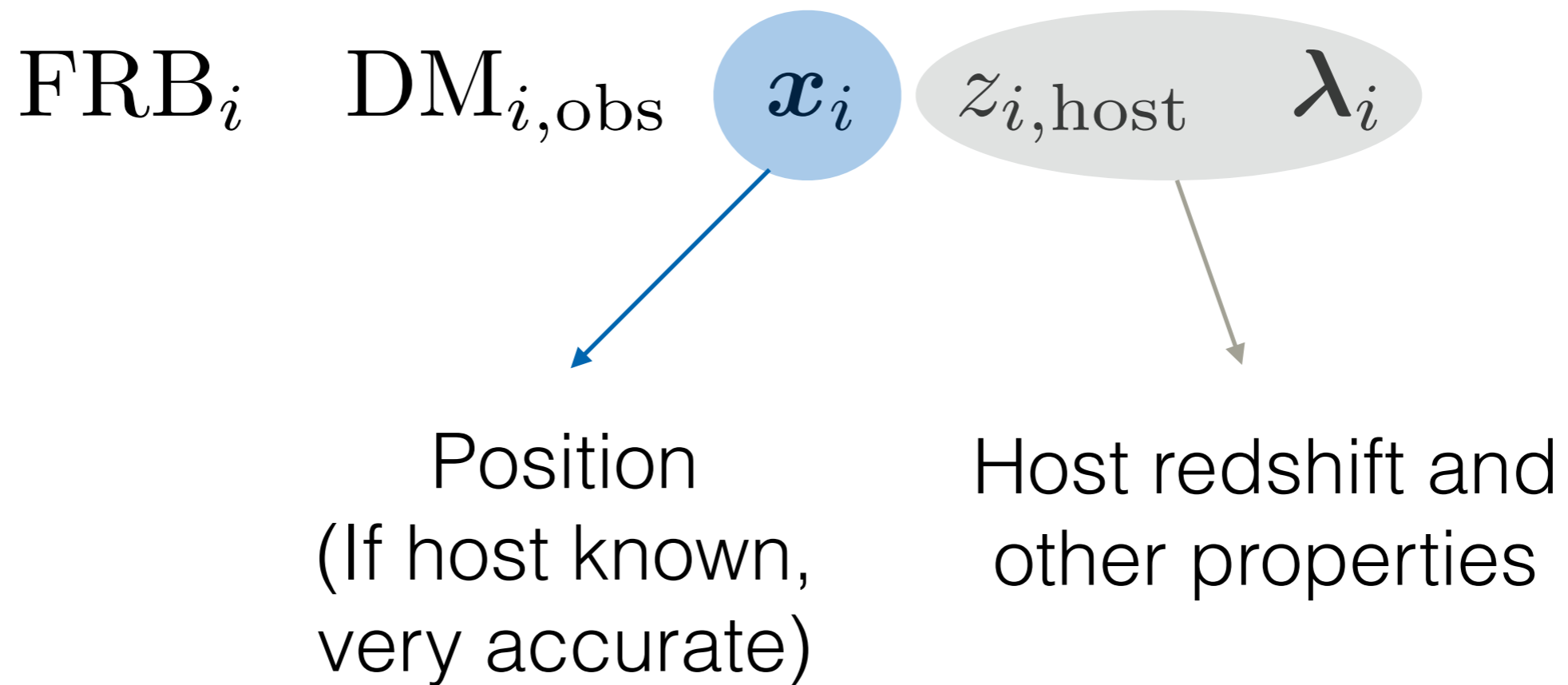


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# Starting point



# Distance scale

Mean LSS dispersion:

$$\langle \text{DM}_{\text{LSS}} \rangle(z) = \int dl \frac{n_e}{1+z}$$

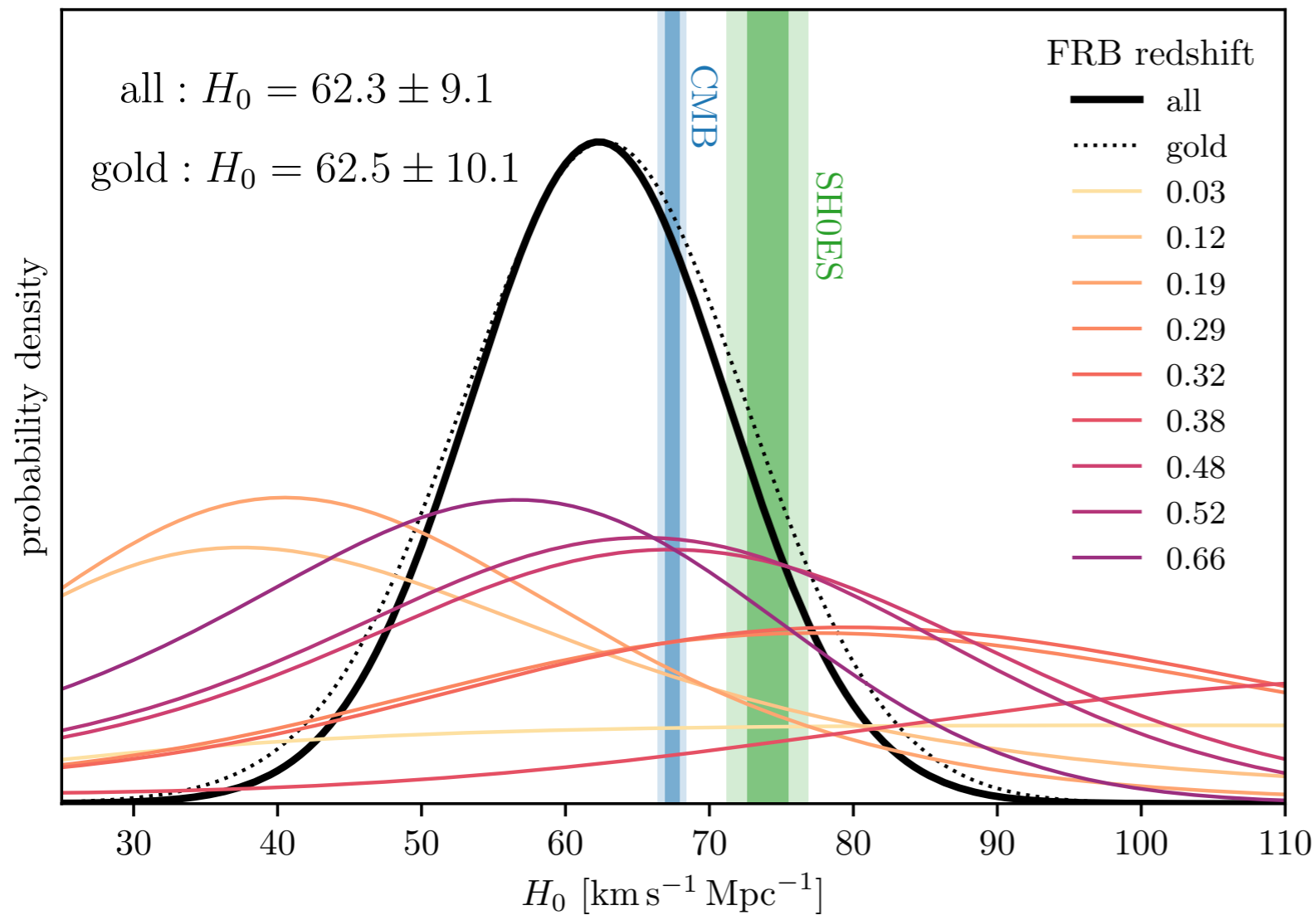
$$= \frac{3\Omega_b H_0}{8\pi G m_P} \chi_e f_{\text{IGM}} \int^z \frac{1+z'}{E(z')} dz'$$

$$\langle b_e \delta_m \rangle = 0$$

$$n_e \approx \chi_e \frac{\bar{\rho}_b}{m_p}$$

- Perfect degeneracy at the background level
- Combine with prior on baryon density  $\Omega_b h^2$  (from CMB or BBN)

# Distance scale

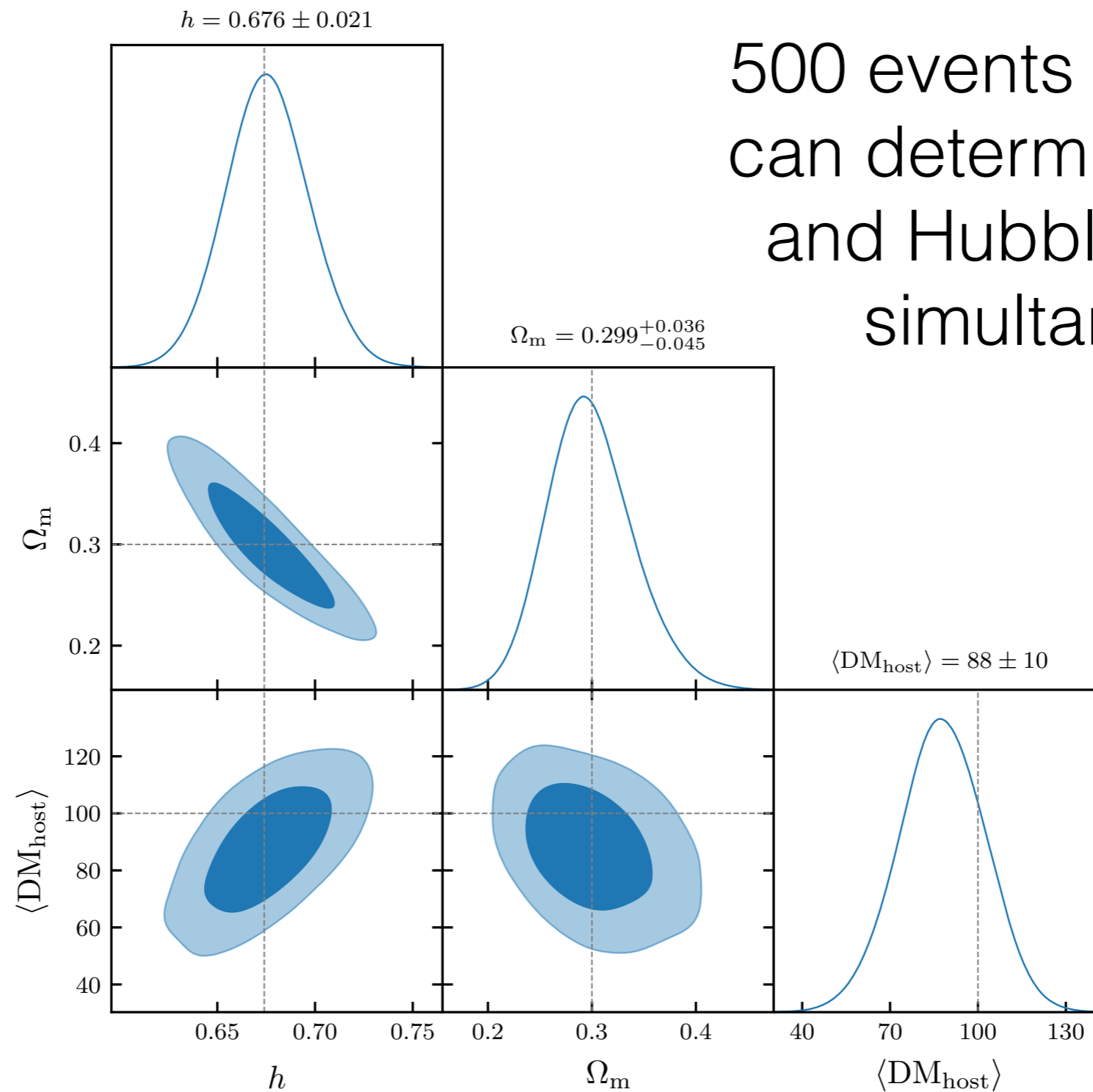


Events at large  $z$  most important

Uncertainty in host DM dominates error

# Distance scale

500 events with host ID  
can determine host DM  
and Hubble constant  
simultaneously



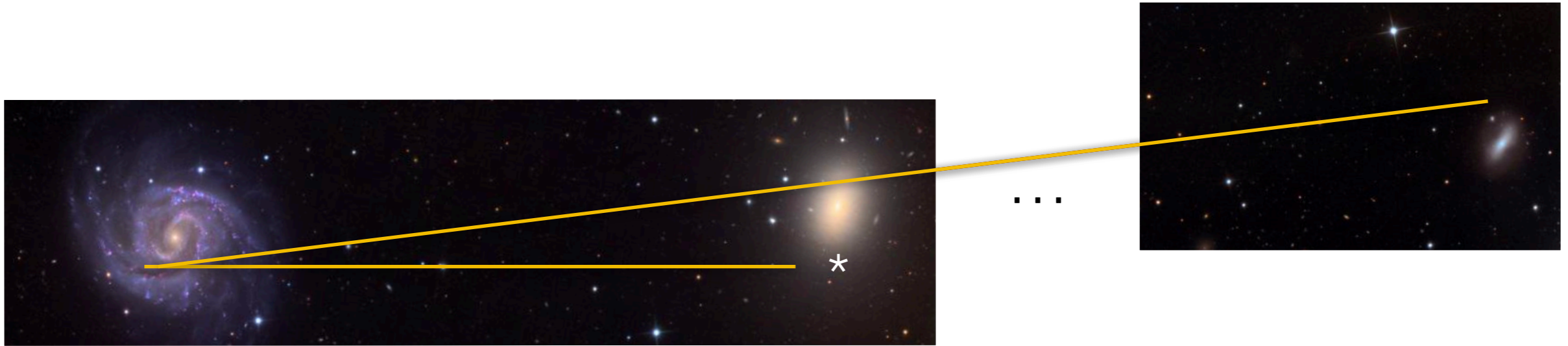
# Correlated events



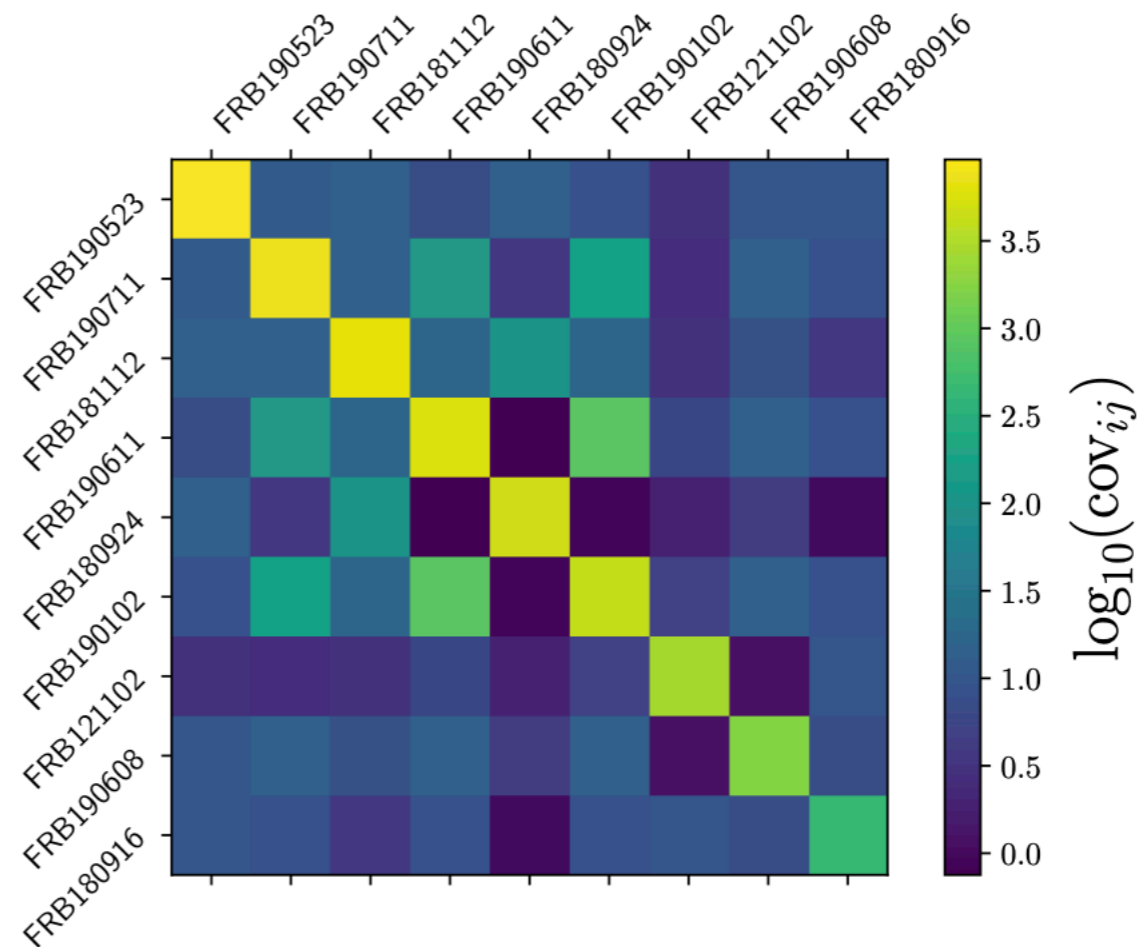
Nearby lines of sight  
traverse similar structures  
→ correlated DM

→ probe statistical properties  
of electron distribution

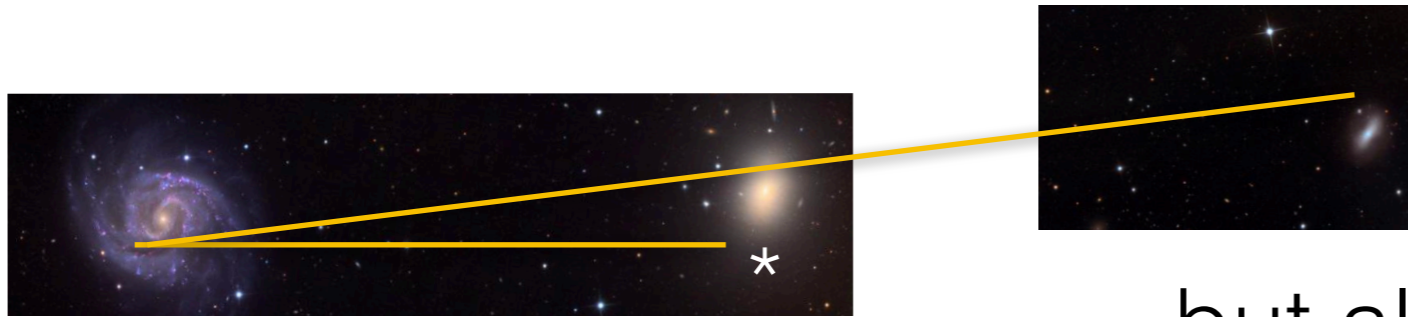
# Correlated events



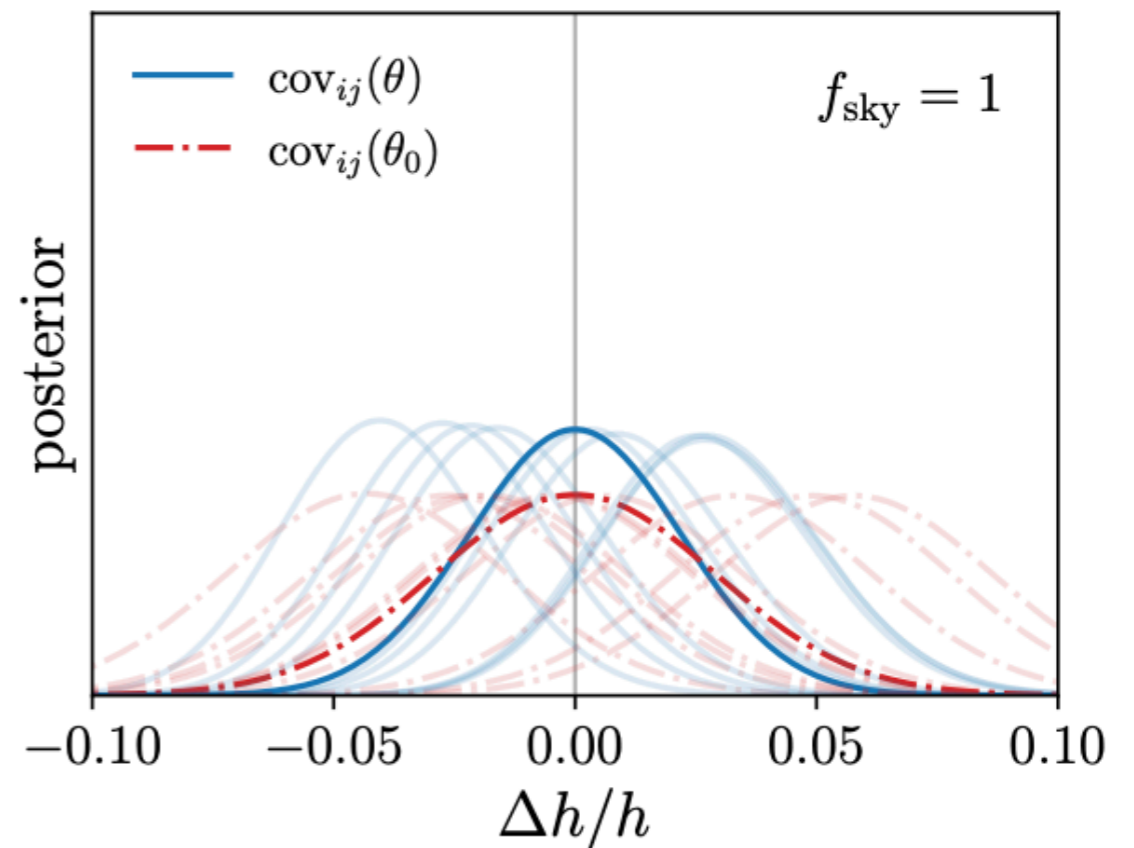
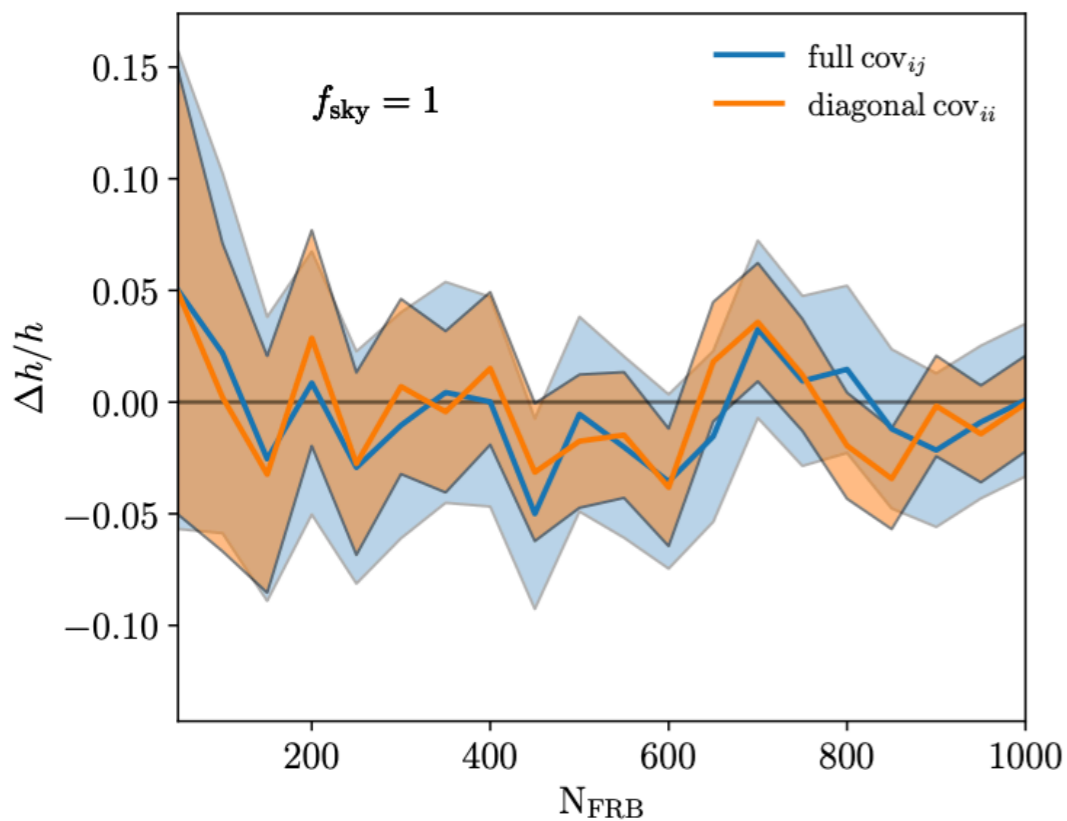
Nearby lines of sight  
traverse similar structures  
→ correlated DM



# Correlated events



...but also is a source of information



Correlation becomes important for few 100s FRBs/sky..

$\text{cov}(H_0, \Omega_m, \dots)$

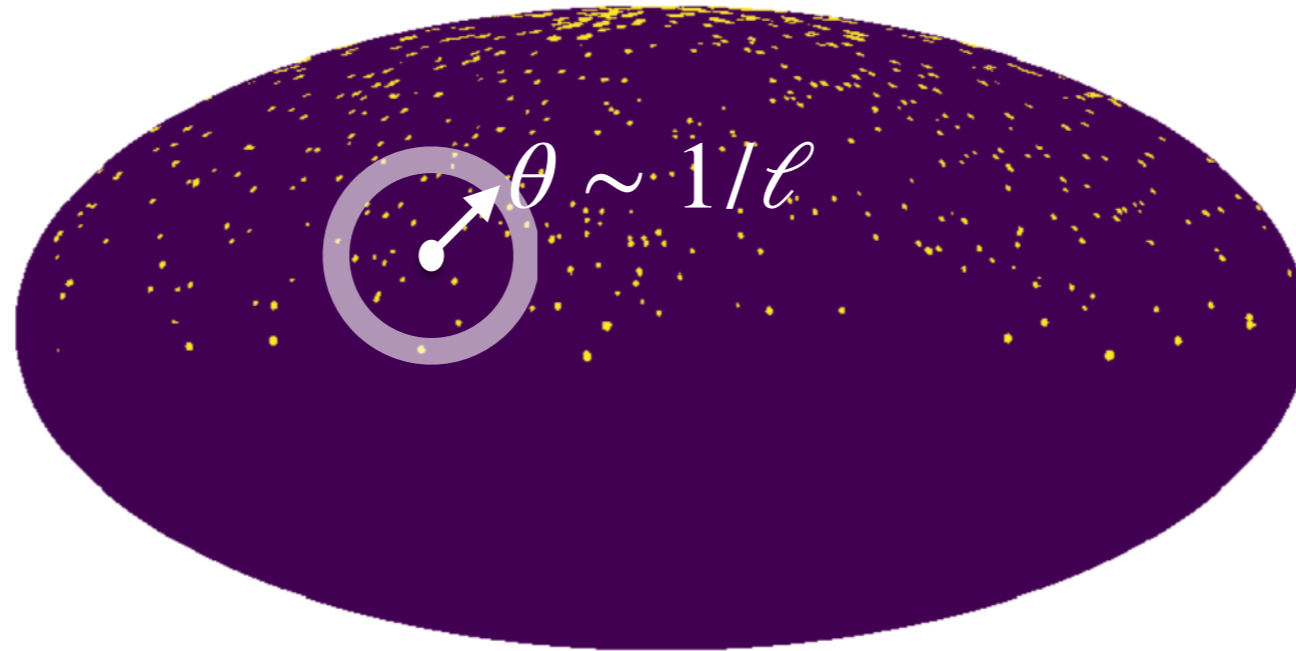


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# DM correlations



$$C_\ell = \frac{2}{\pi} \int k^2 dk \int d\chi_1 \int d\chi_2 W(\chi_1) W(\chi_2) \sqrt{P_e(k, \chi_1) P_e(k, \chi_2)} j_\ell(k\chi_1) j_\ell(k\chi_2)$$

**Redshift distribution,  
ionisation history**

**Matter power spectrum,  
electron bias**

A very biased list of what you can do with FRBs

- Shapiro delay tests of GR (2102.11554, 2302.10072)
- PNG or GR (2007.04054, 2409.11163)
- Tests of baryonic feedback (2309.09766)
- Simulation-based inference (2410.07084)

# DM correlations

## Correlate FRBs

$$C_\ell = \langle \delta_\ell^{\text{FRB}} \delta_{\ell'}^{\text{FRB}} \rangle$$

**Bad galaxy survey**

Sparse, noisy distances, shot-noise dominated

## Correlate dispersion measure

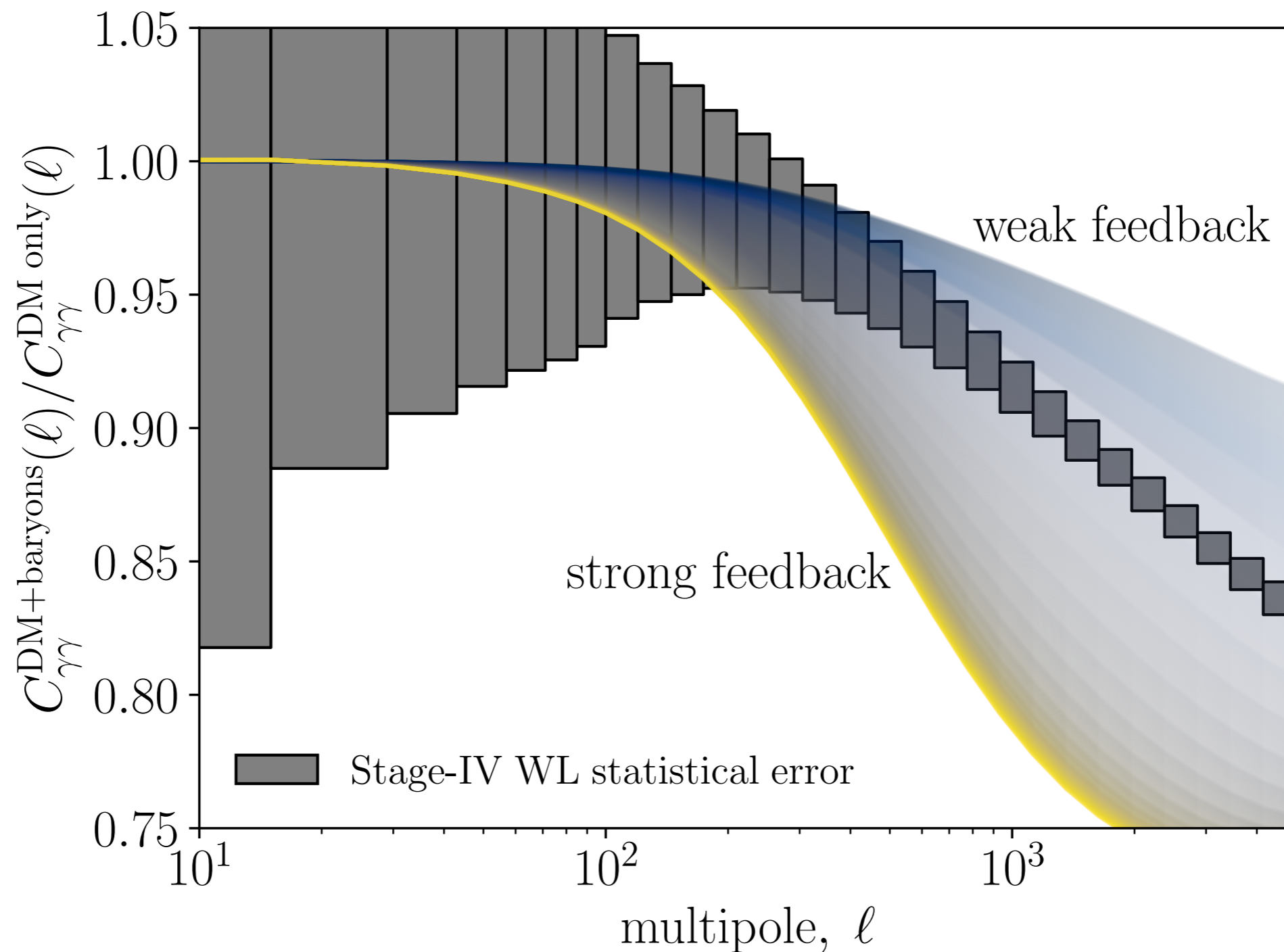
**weak lensing on steroids\***

$$C_\ell = \langle \text{DM}_\ell \text{DM}_{\ell'} \rangle \sim \int d\chi \left[ \dots P_{ee}(k) \right] + \frac{\sigma_{\text{host}}^2}{\bar{n}} \quad \text{* (but still sparse)}$$

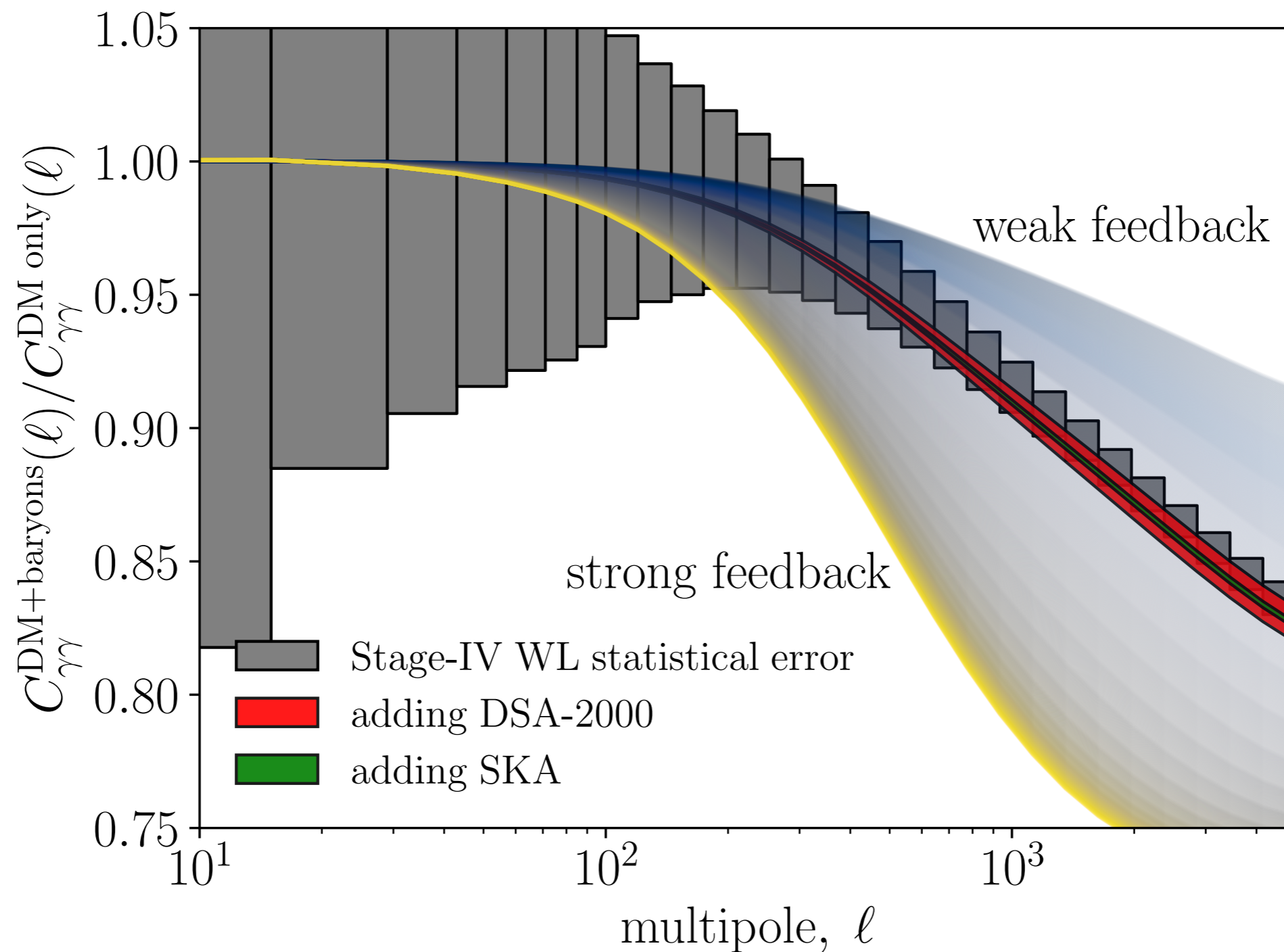
signal  $\sim$  noise

Because  $\text{DM}_{\text{LSS}}(z) \sim \text{DM}_{\text{host}}$

# Baryonic Feedback



# Baryonic Feedback



# Summary

- FRBs can provide independent measurement of the Hubble constant
- Can provide tests of ionisation history and ISM/IGM transition
- Currently limited by statistics, SKA will improve numbers of current flagships by an order of magnitude
- Direct measurement of baryons to constrain feedback, key for upcoming LSS surveys
- Correlations allow powerful tests of fundamental physics