

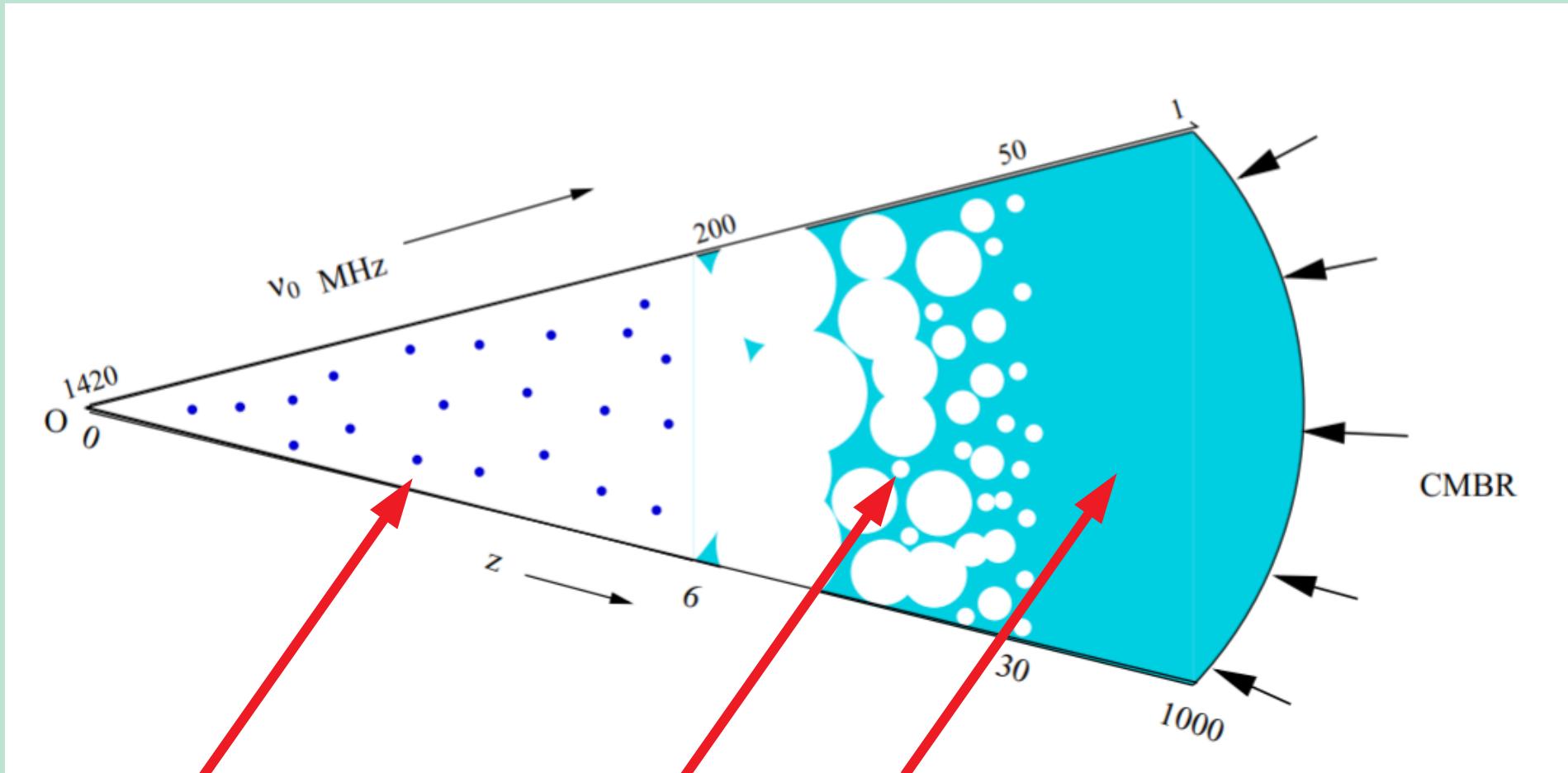
Towards 21-cm Intensity Mapping using the SKA pathfinder uGMRT

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Madhurima Choudhury and Prasun Dutta**

Based on: Pal + 2022, Elahi + 2023a, 2023b, 2024, MNRAS

SKA Cosmology SWG Meeting, November 2024

Evolution of Neutral Hydrogen (HI)



Post-EoR

EoR

Dark Ages

Credit: Bharadwaj and Ali 2004

21-cm intensity mapping

- HI emits 21-cm signal
- The Universe expands \Rightarrow 21-cm signal gets redshifted
- Redshifted signal carries information from the z.

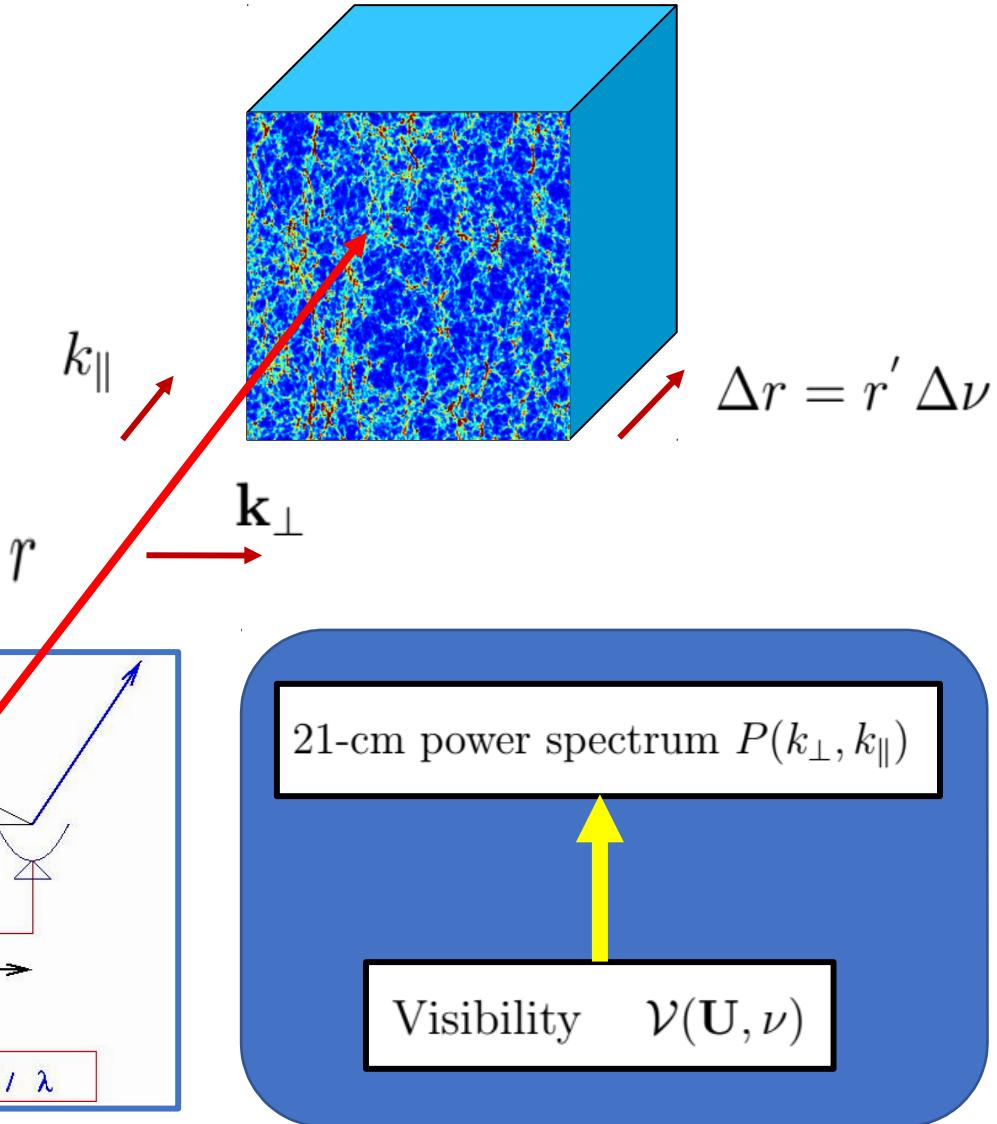
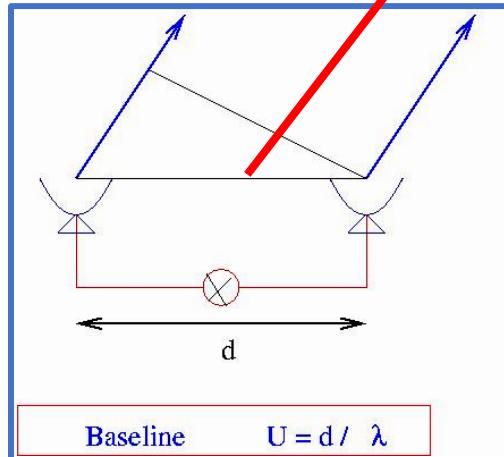
Goal: Measuring the **intensity fluctuations** of the redshifted **21-cm** signal.

Cosmology with 21-cm IM at post-EoR ($z < 6$)

- **Probe large scale structures**
(e.g. Bharadwaj, Nath & Sethi 2001)
- **Measuring BAO \Rightarrow Constrain Dark Energy**
(e.g. Wyithe et al. 2008; Chang et al. 2008)
- **Cosmological parameter estimation**
 - **from BAO** (e.g. Wyithe et al. 2008)
 - **independent from BAO** (e.g. Visbal et al. 2009)
- **Quantify non-Gaussianity, constrain inflation, test Gravity on very large scales ...**

Our Aim

The IM Signal can be measured from the ground using radio telescopes



21-cm power spectrum from visibility-correlation

$$\langle \mathcal{V}(\mathbf{U}, \nu_a) \mathcal{V}(\mathbf{U}, \nu_b) \rangle = \left[\frac{\pi Q^2 \theta_0^2}{2} \right]_{\nu_c} C_\ell(\nu_a, \nu_b)$$

MAPS

$$C_\ell(\Delta\nu) \equiv C_\ell(|\nu_a - \nu_b|) = C_\ell(\nu_a, \nu_b)$$

$$P(k_\perp, k_\parallel) = r^2 r' \int_{-\infty}^{\infty} d(\Delta\nu) e^{-i k_\parallel r' \Delta\nu} C_\ell(\Delta\nu)$$

PS

$$Q = 2k_B/\lambda^2$$

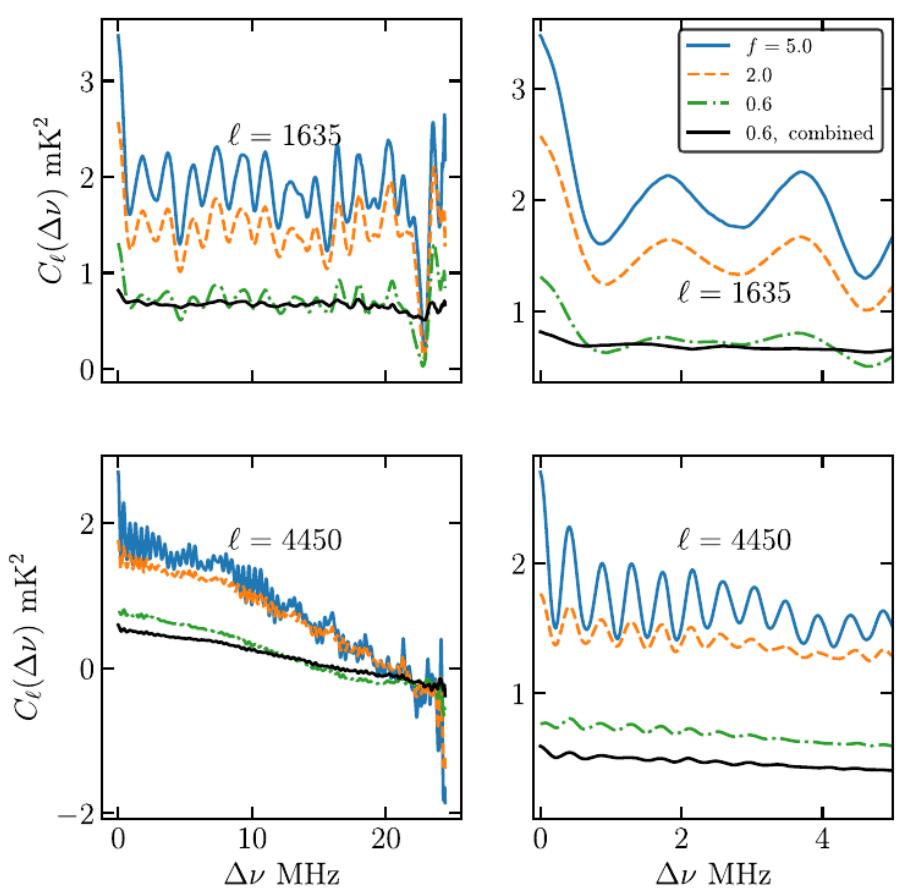
$$\left(\frac{\theta_0}{2} \right)^2 = \frac{1}{2\pi} \int d^2\theta |\mathcal{A}(\theta)|^2$$

$$\ell = 2\pi |\mathbf{U}|$$

$$\mathbf{k}_\perp = \frac{2\pi \mathbf{U}}{r}$$

From:
Bharadwaj & Sethi 2001
Bharadwaj & Ali 2005

Oscillations in MAPS, Wedge in PS

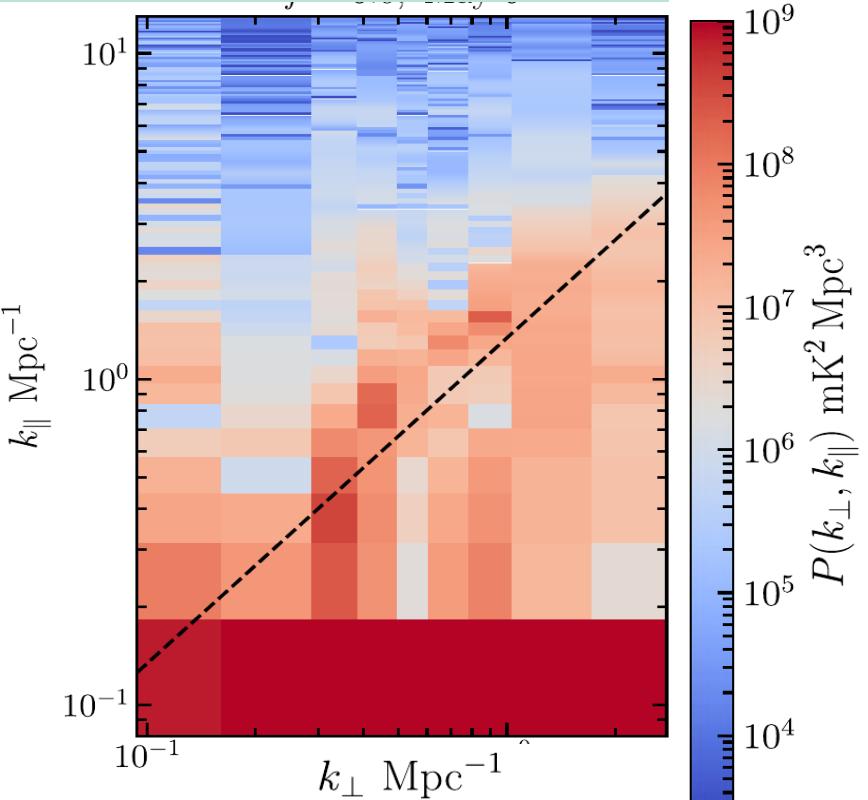


Pal, AE, Bharadwaj + 2022, MNRAS
(Earlier Ghosh et al 2011, 12)

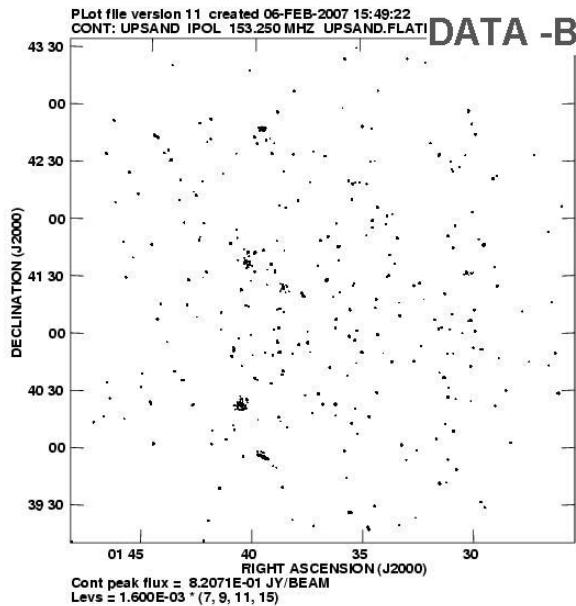
$$C_\ell(\Delta\nu) \propto \cos(\ell\theta\Delta\nu/v_c)$$

$$\boldsymbol{k}_\perp = \boldsymbol{\ell}/r$$

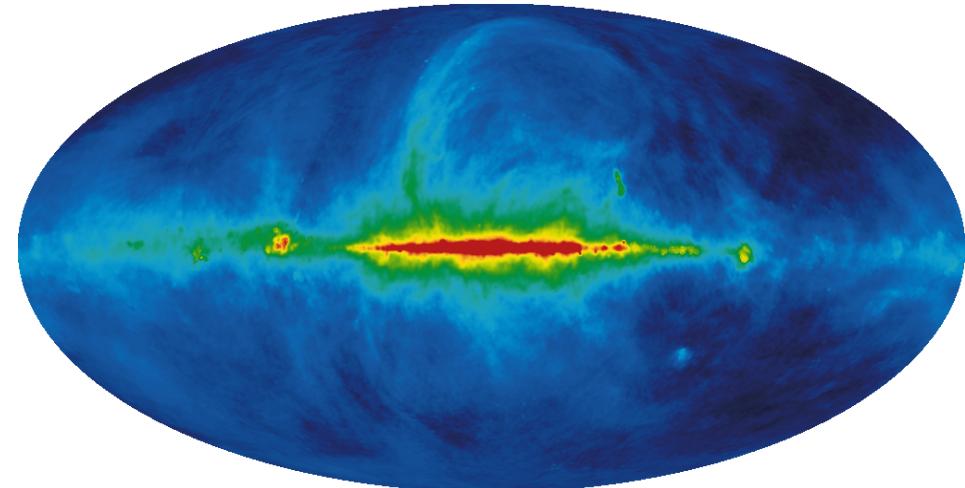
$$k_\parallel = \left[\frac{r \sin(\theta)}{r' v_c} \right] k_\perp$$



Foregrounds



Extragalactic Point Sources



Diffuse Galactic Synchrotron Radiation

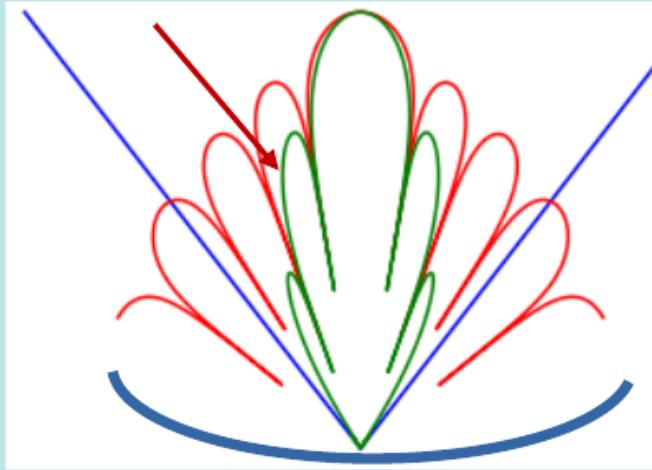
4 to 5 orders of magnitude larger than the 21-cm signal
Biggest Challenge

Tapered Gridded Estimator

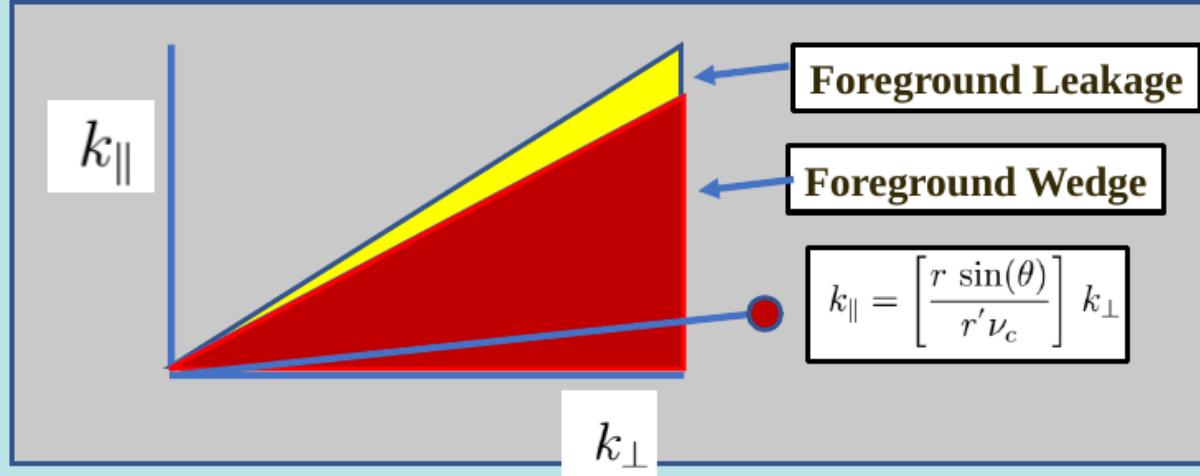
$$f \leq 1$$

Tapered

Foreground



Choudhuri + 2014, 2016
Bharadwaj + 2018
Pal + 2020



Visibility = F.T. (sky-intensity x beam)

$$\mathcal{W}(\theta) = e^{-\theta^2/[f\theta_0]^2}$$

$$\mathcal{V}_{cg}^x(\nu_a) = \sum_i \tilde{w} (\mathbf{U}_g - \mathbf{U}_i) \mathcal{V}_i^x(\nu_a) F_i^x(\nu_a)$$

$$\begin{aligned} \hat{E}_g(\nu_a, \nu_b) = & M_g^{-1}(\nu_a, \nu_b) \mathcal{R}e \left[\mathcal{V}_{cg}(\nu_a) \mathcal{V}_{cg}^*(\nu_b) \right. \\ & \left. - \sum_i F_i(\nu_a) F_i(\nu_b) | \tilde{w}(\mathbf{U}_g - \mathbf{U}_i) |^2 \mathcal{V}_i(\nu_a) \mathcal{V}_i^*(\nu_b) \right] \end{aligned}$$

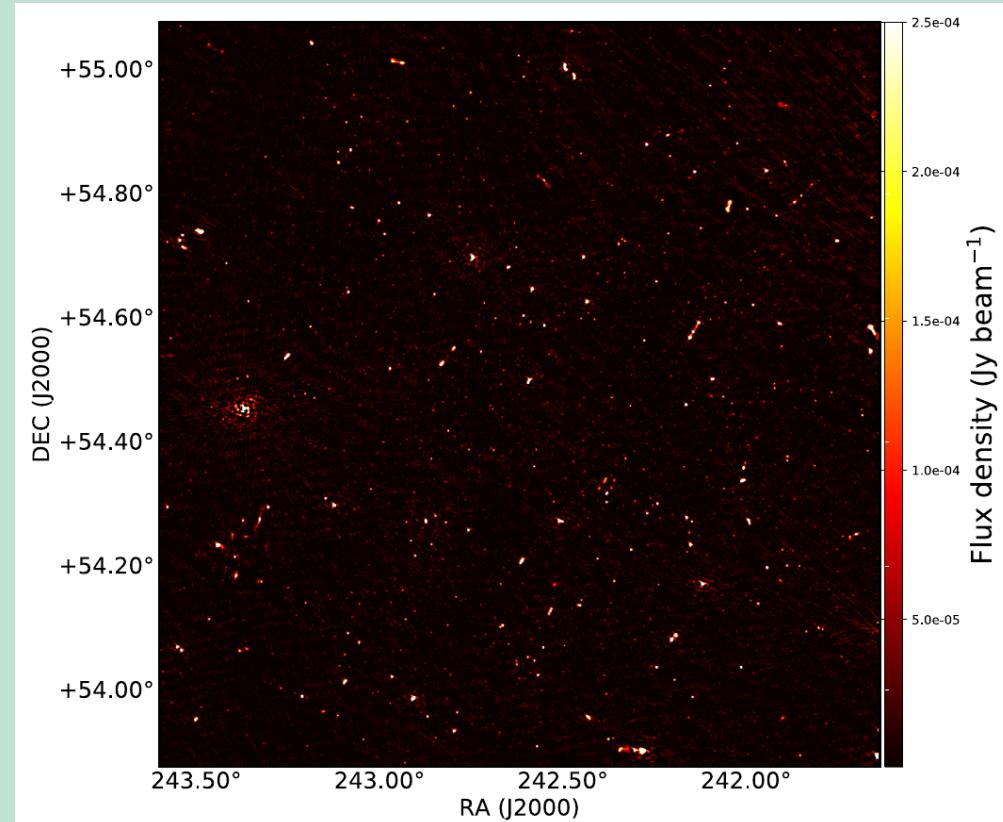
uGMRT Observation



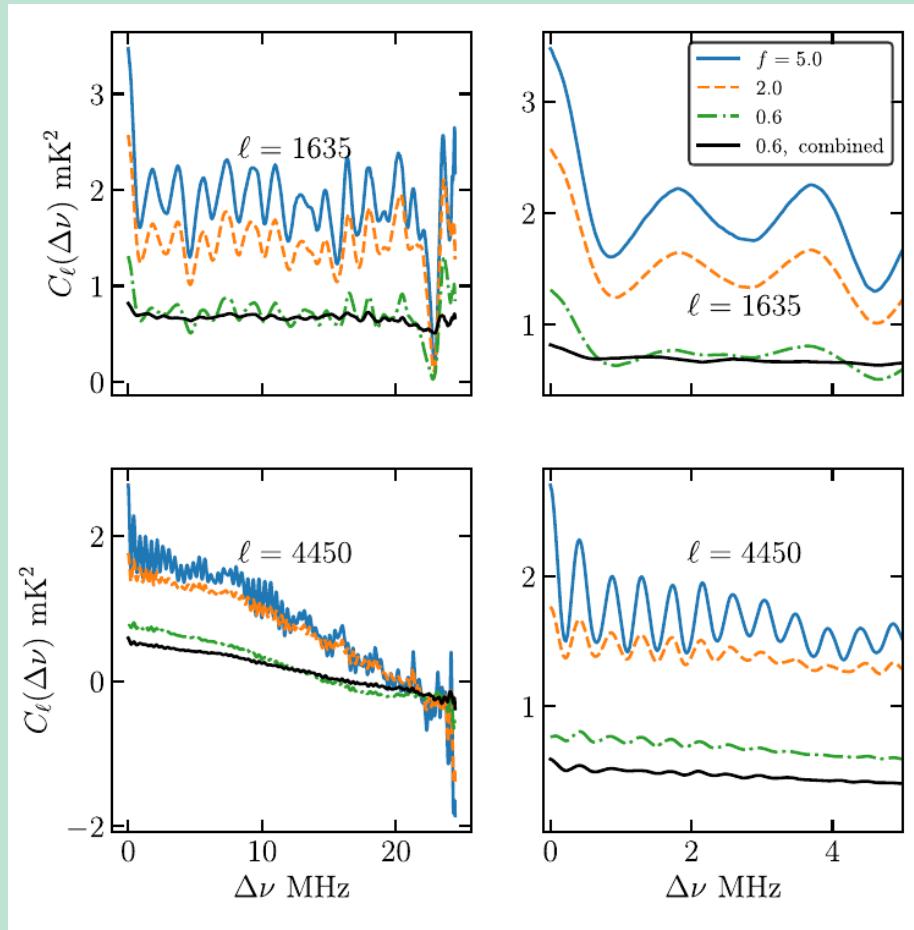
$1.9 < z < 2.6$
394 – 494 MHz

Table 3.1: Observation summary

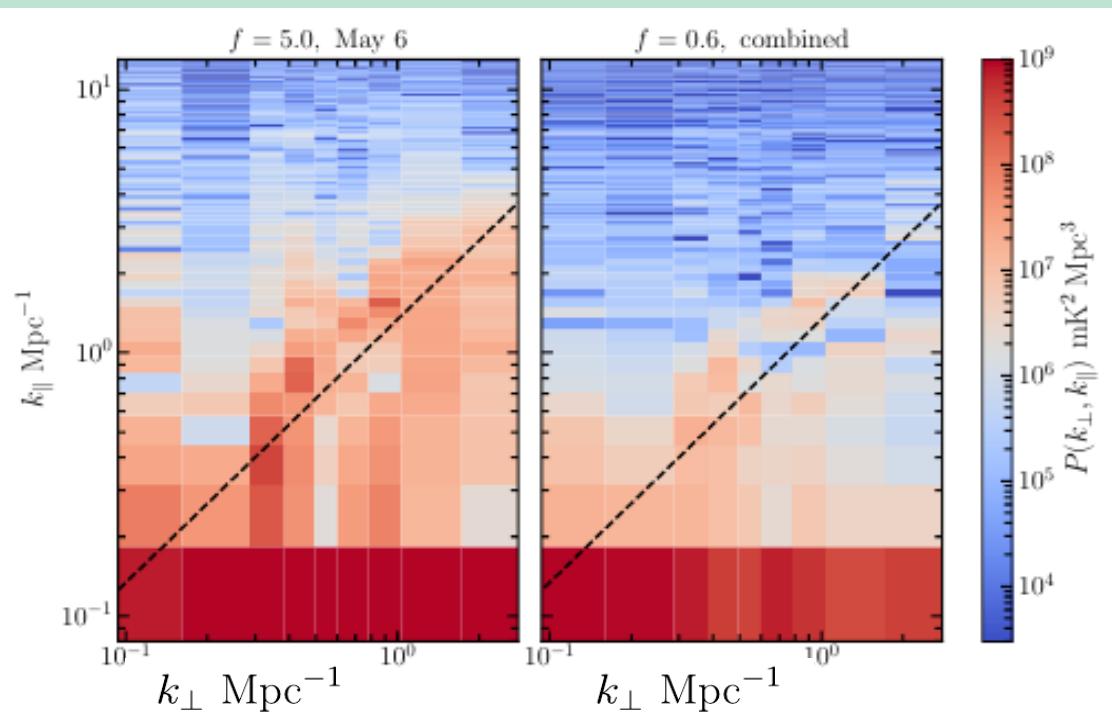
ELAIS-N1	
Working antennas	28
Central Frequency	400 MHz
Number of Channels	8192
Channel width	24.4 kHz
Bandwidth	200 MHz
Total observation time	25 h
On-source observation time	13 h



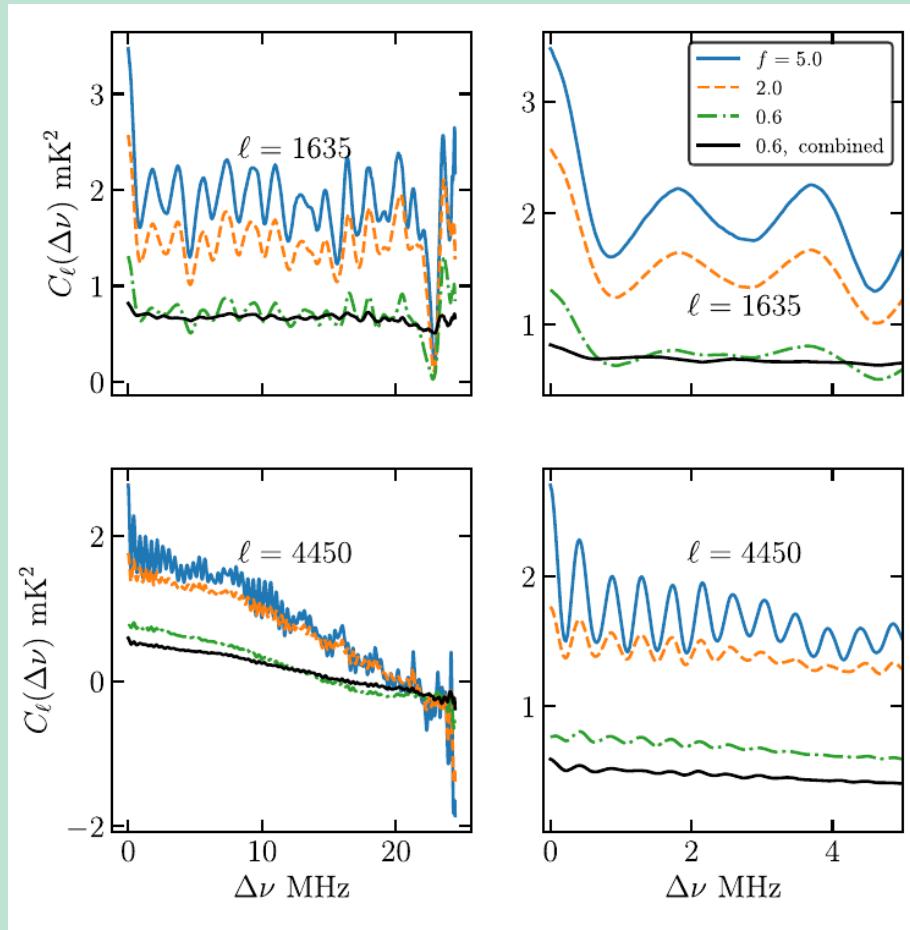
TGE in action



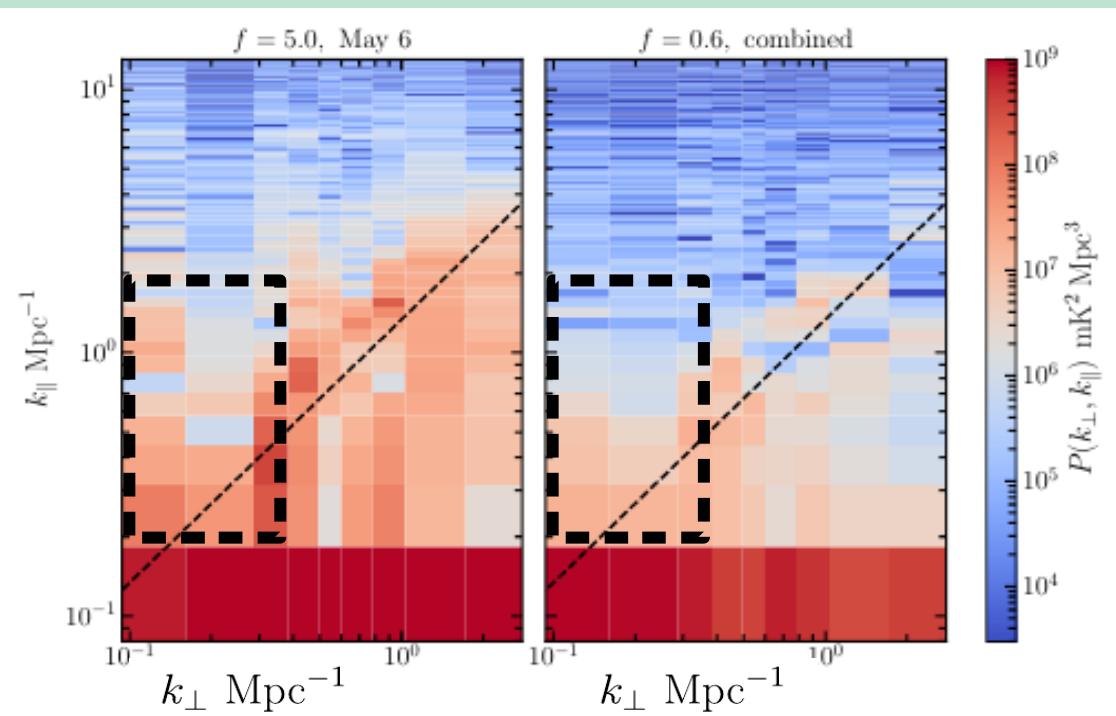
Foreground suppression



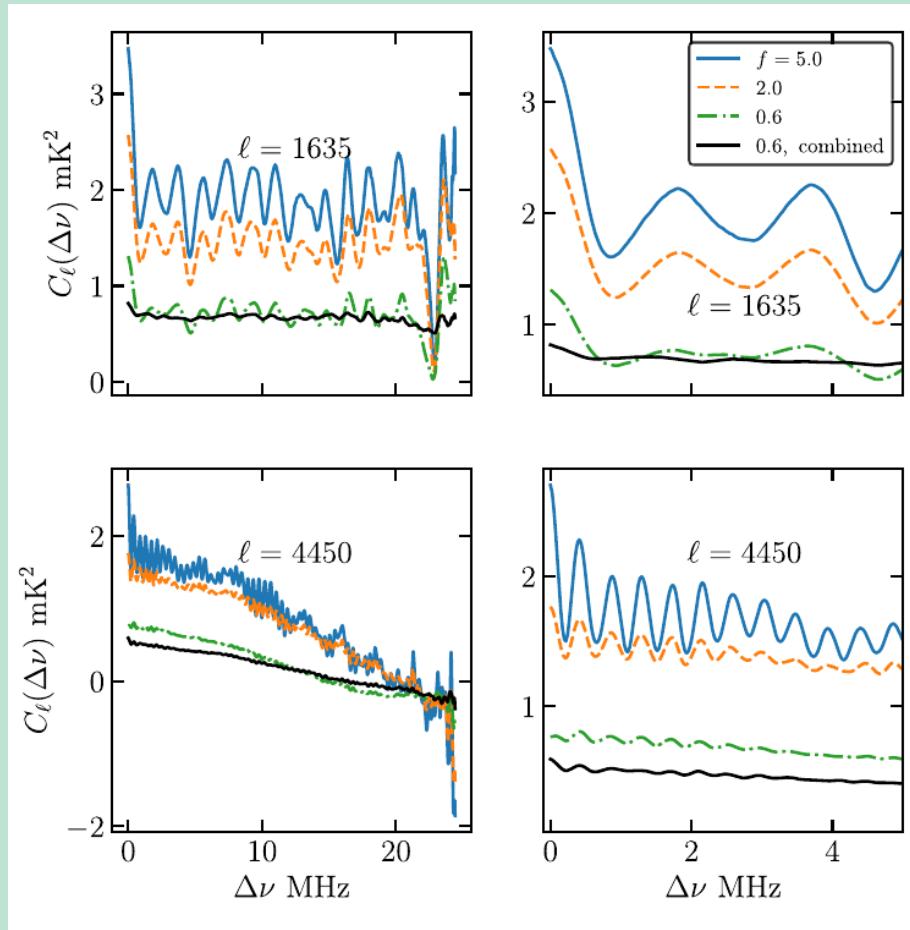
TGE in action



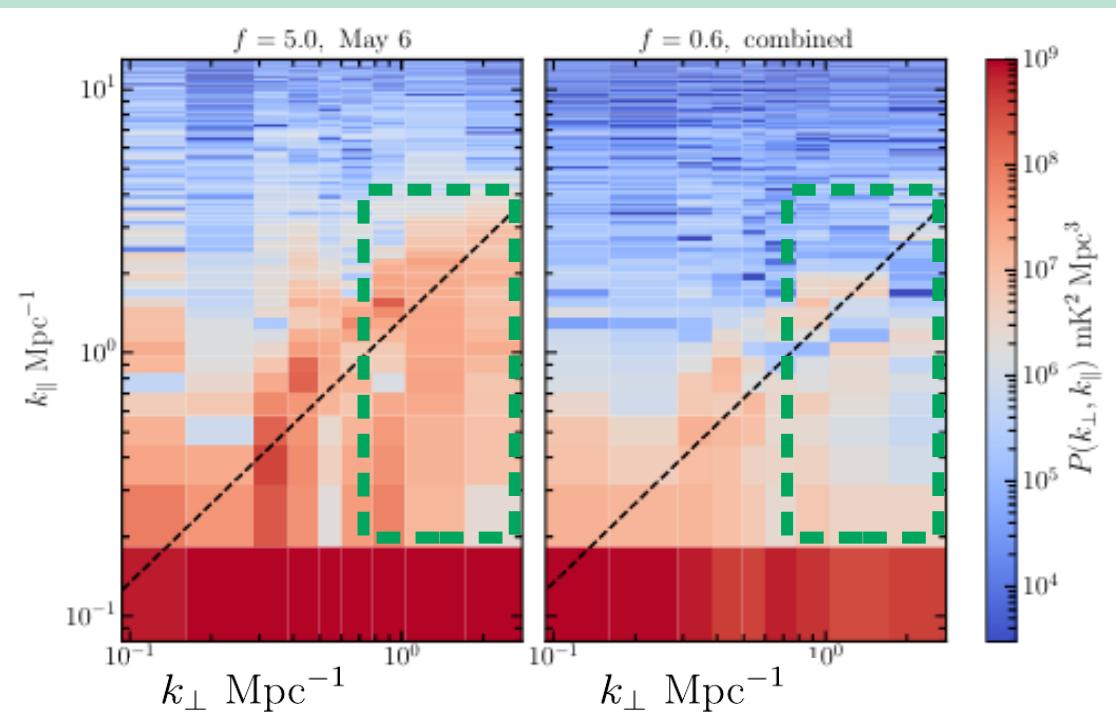
Foreground suppression



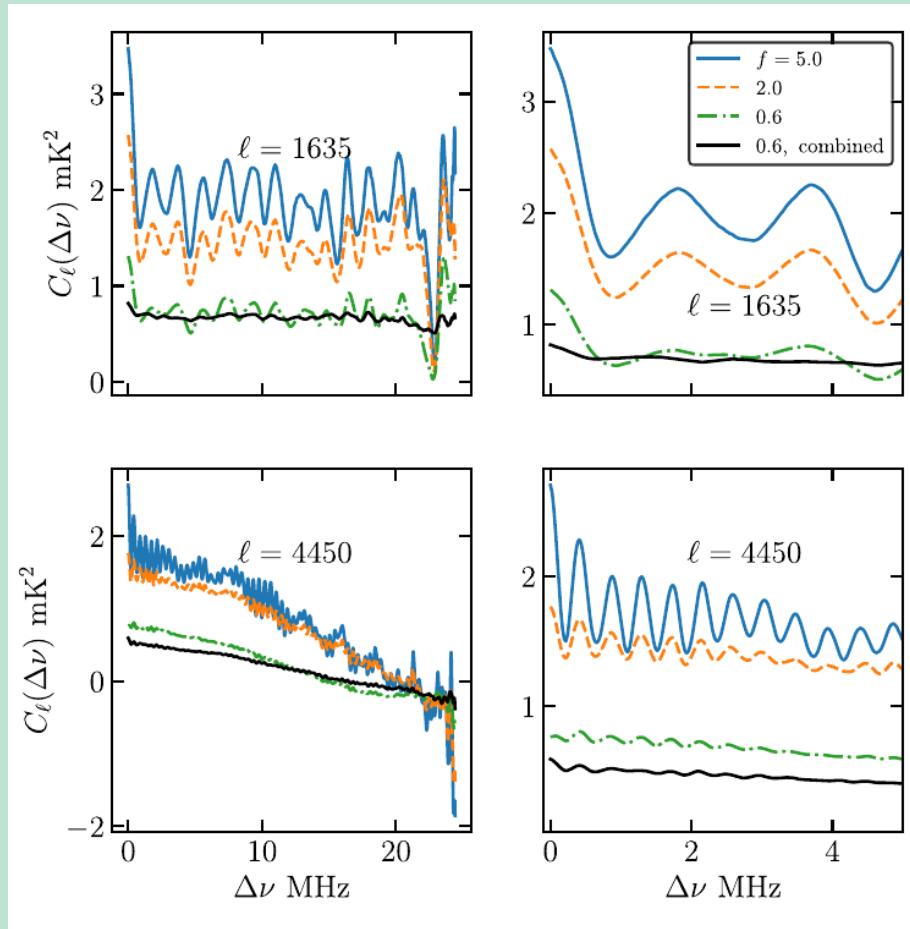
TGE in action



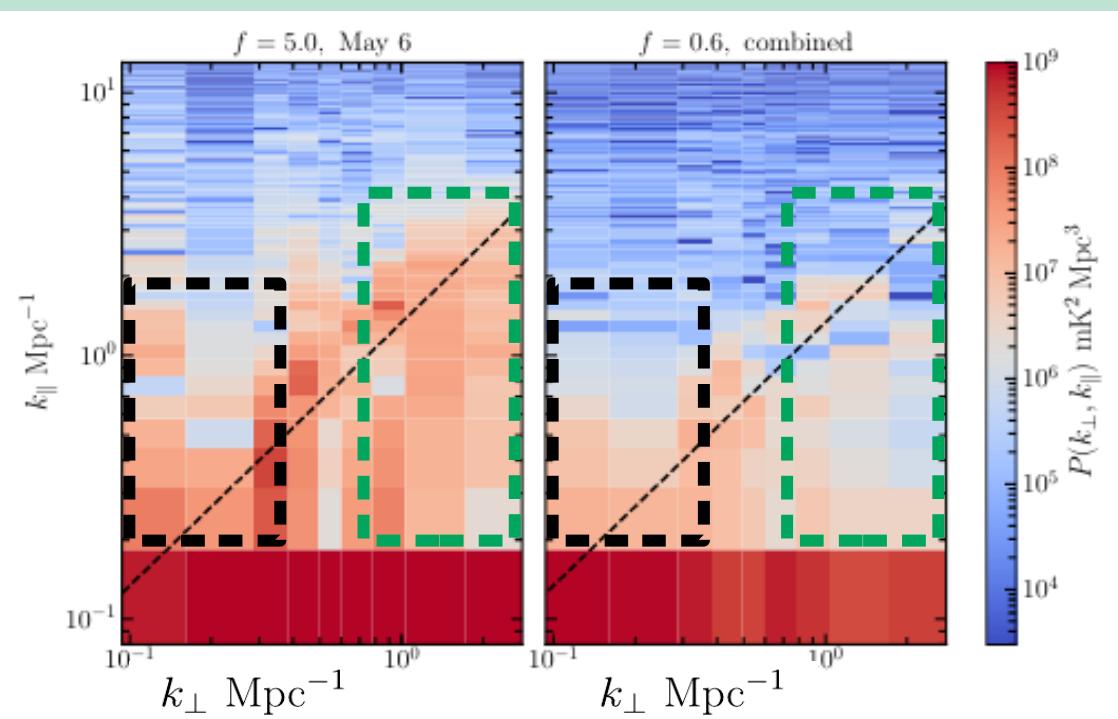
Foreground suppression



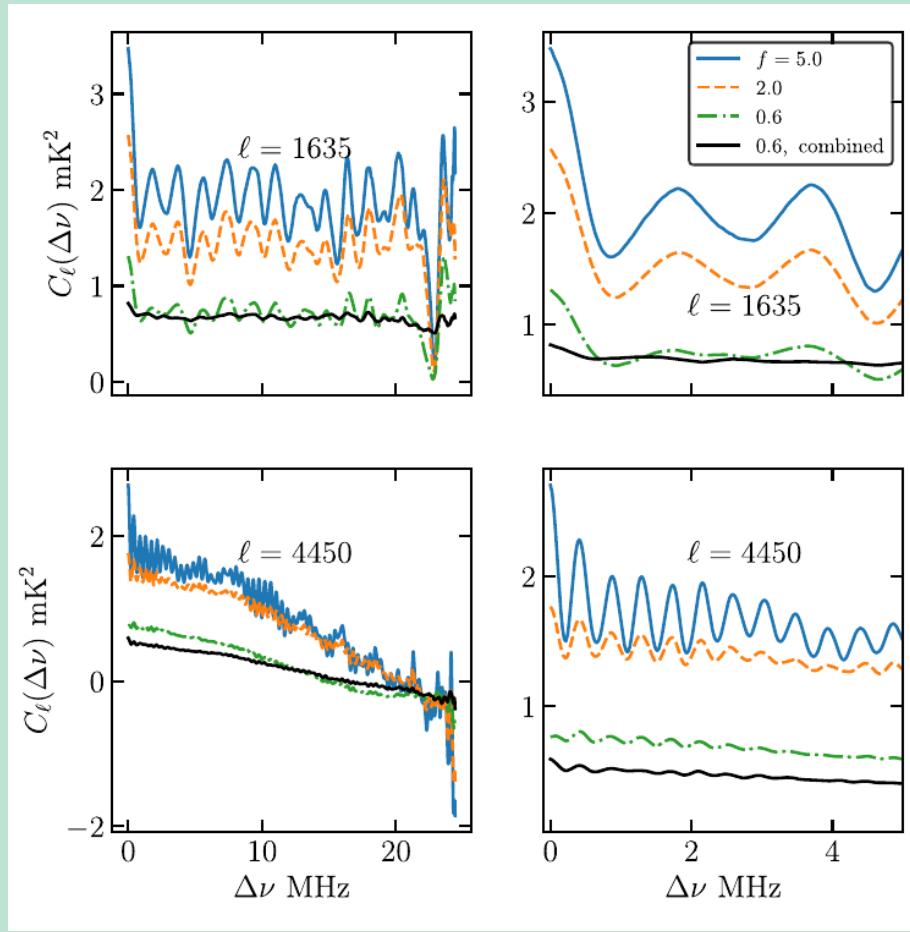
TGE in action



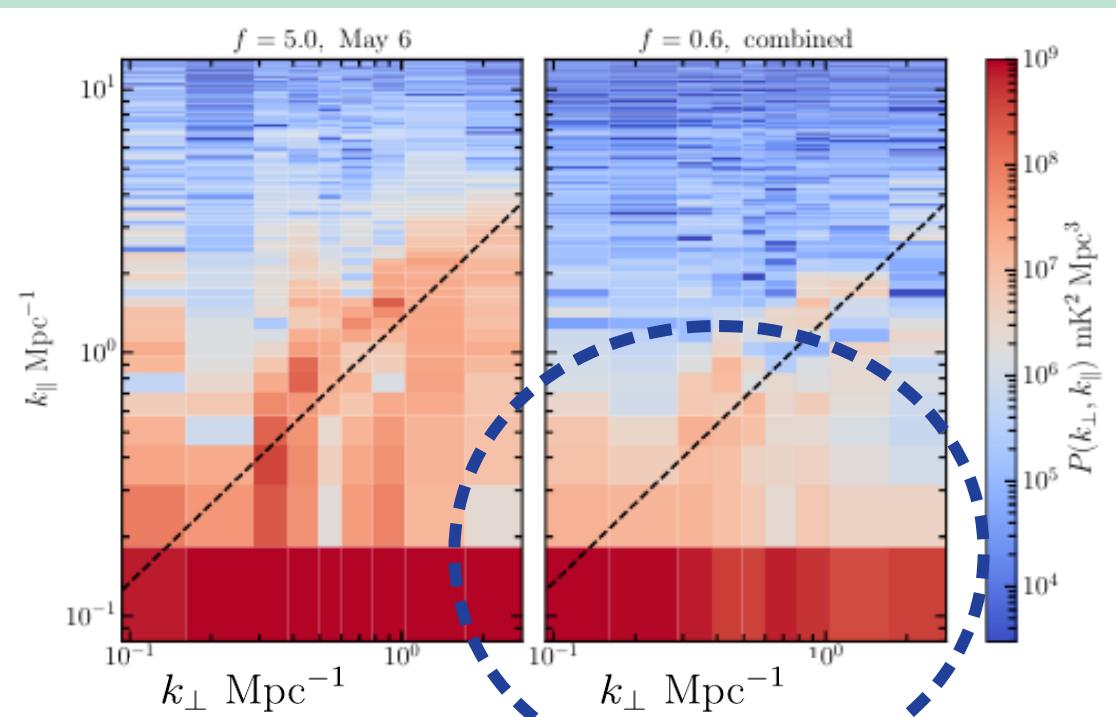
Foreground suppression



TGE in action

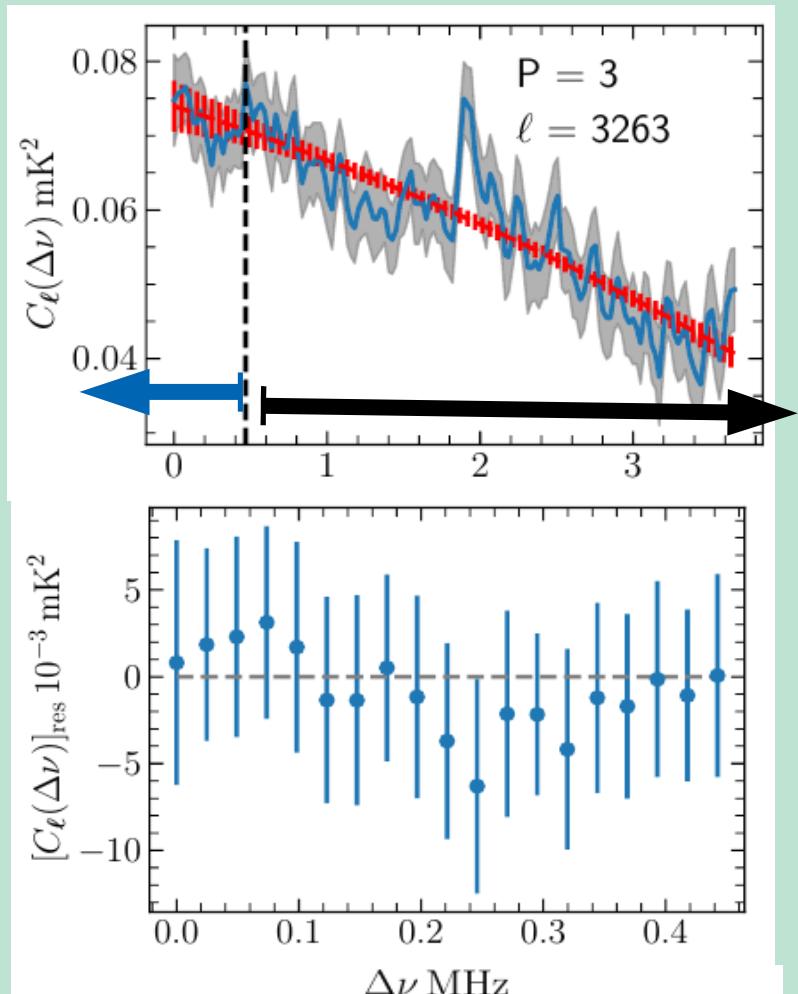
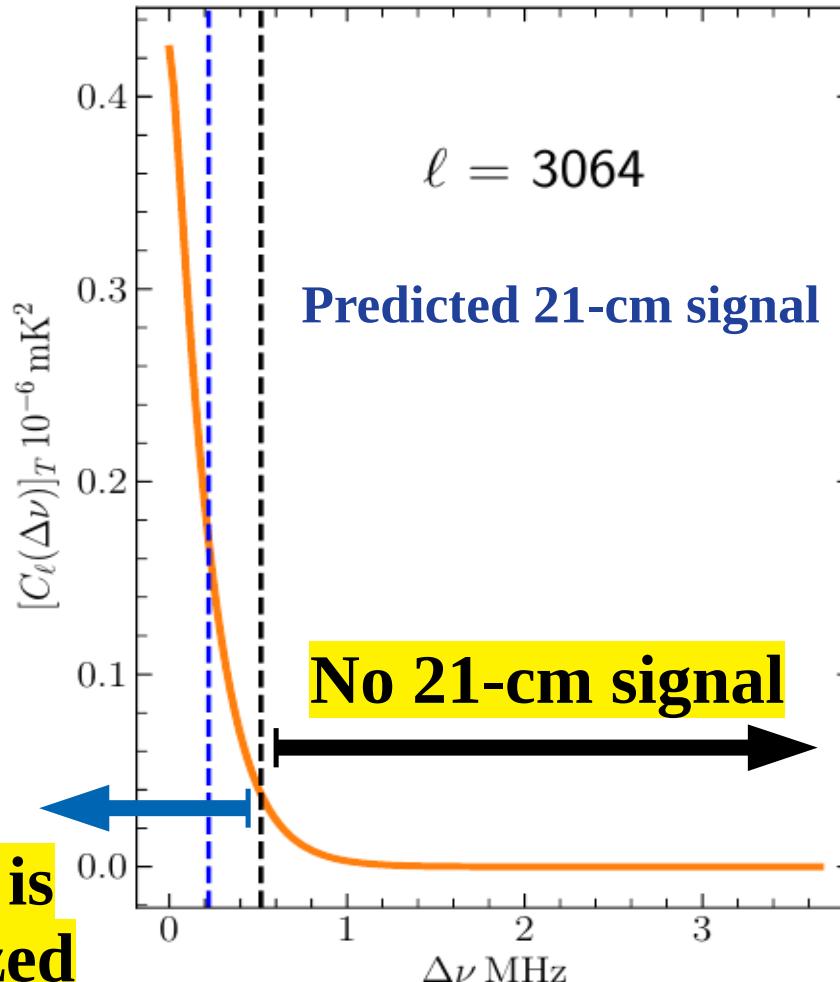


Foreground removal



Foreground removal

Elahi et al 2023; MNRAS

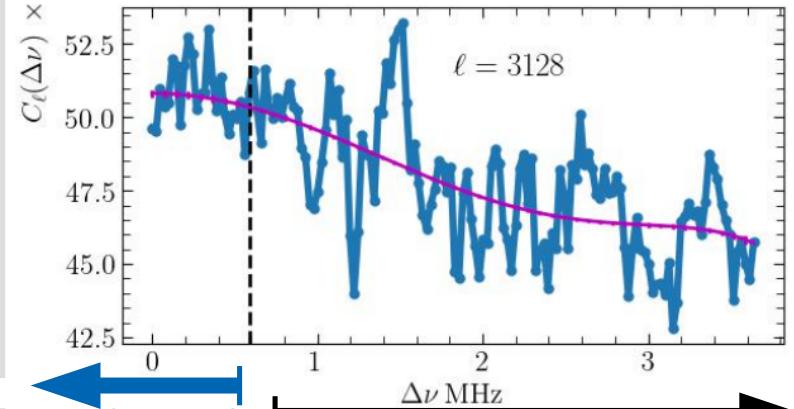
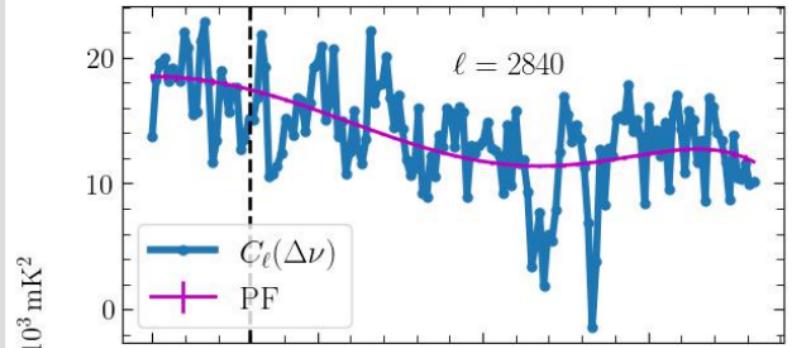


Foreground removal from MAPS - PF

21-cm signal is localized within $\Delta\nu < [\Delta\nu] \Rightarrow$ minimal signal loss

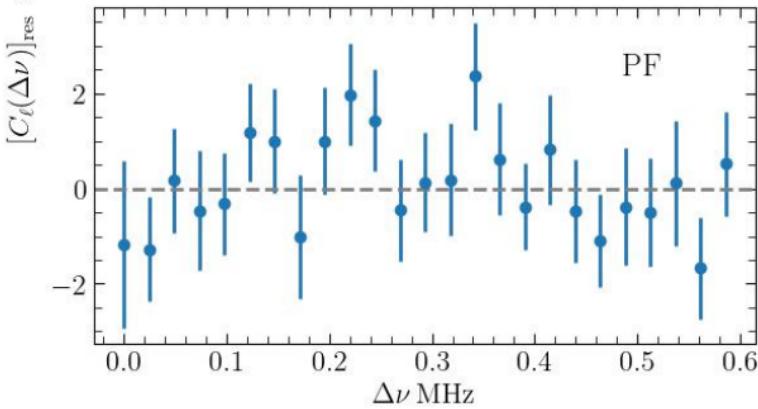
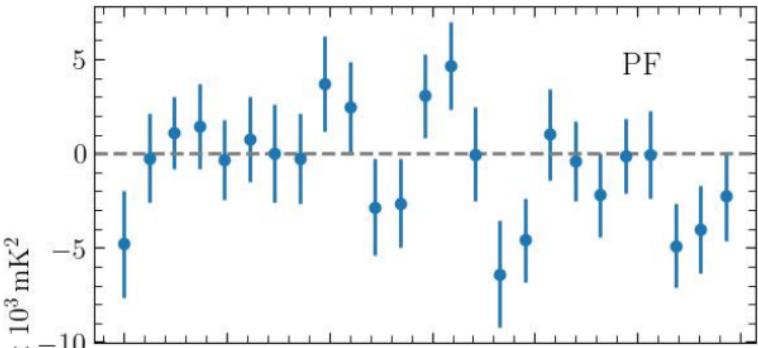
Polynomial Fitting (PF)

$$[C_\ell(\Delta\nu)]_{\text{FG}} = \sum_{m=0}^n a_{2m} (\Delta\nu)^{2m}$$



Foreground
prediction

Foreground modeling



Residual

Foreground removal from MAPS - GPR

Gaussian Process Regression (GPR)

$$[C_\ell(\Delta\nu)]_{\text{FG}} \sim \mathcal{GP} [0, k_{\text{FG}}(\Delta\nu_m, \Delta\nu_n)]$$

$$k_{\text{FG}}(\Delta\nu_m, \Delta\nu_n) = c_1 (\Delta\nu_m \cdot \Delta\nu_n + b)^P$$

Polynomial kernel

Idea: 21-cm signal decorrelates faster than foreground
21-cm signal is localized within $\Delta\nu \leq [\Delta\nu]$

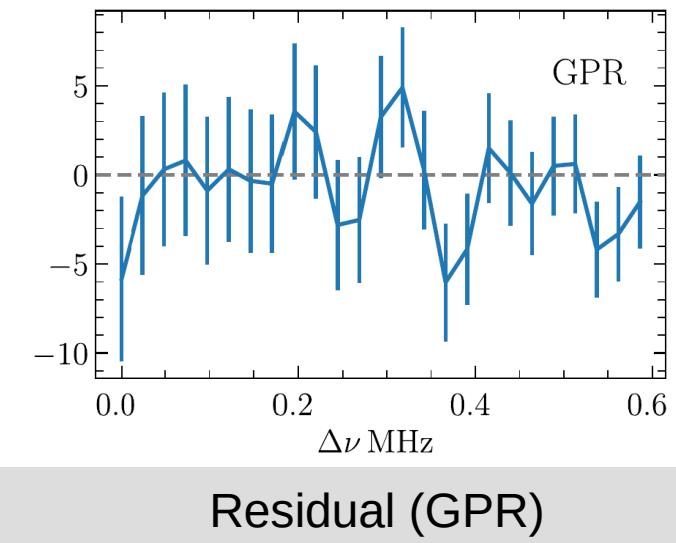
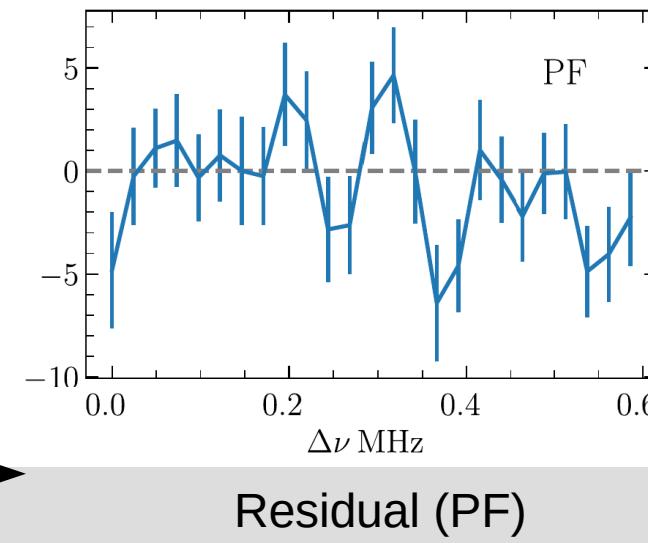
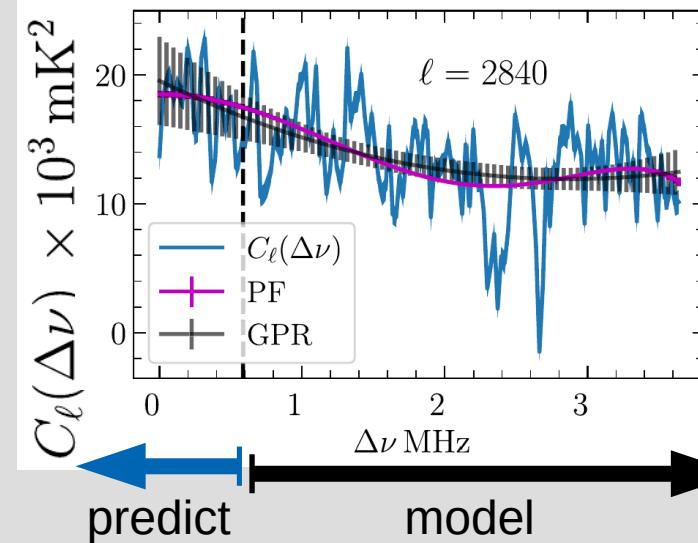
- Step 1: Model the foregrounds from the range $\Delta\nu > [\Delta\nu]$

$$C_\ell(\Delta\nu) = [C_\ell(\Delta\nu)]_{\text{FG}} + [\text{Noise}]$$

- Step 2: Predict the foreground in the range $\Delta\nu \leq [\Delta\nu]$

- Step 3: Subtract the foreground prediction

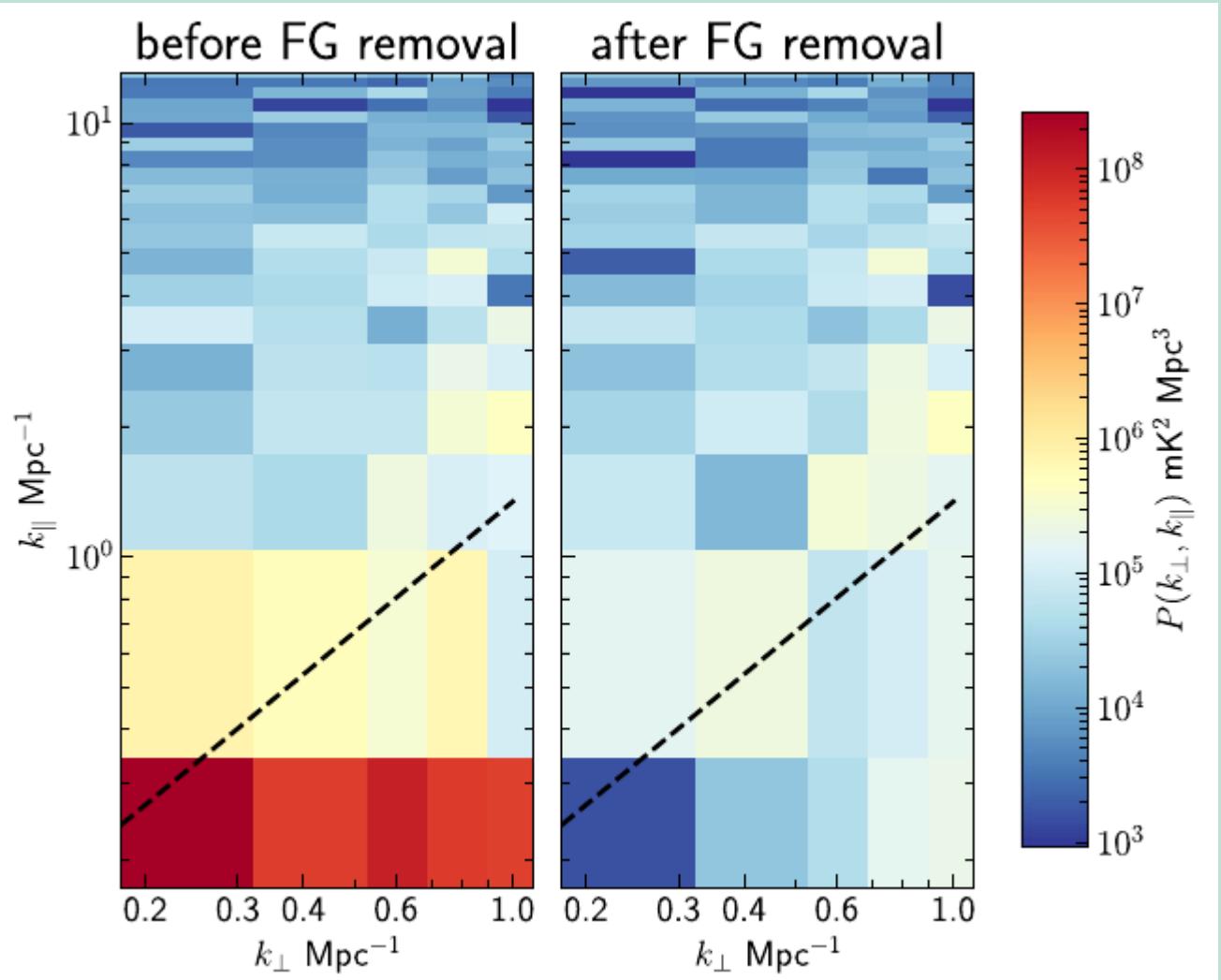
$$[C_\ell(\Delta\nu)]_{\text{res}} = C_\ell(\Delta\nu) - [C_\ell(\Delta\nu)]_{\text{FG}}$$



uGMRT

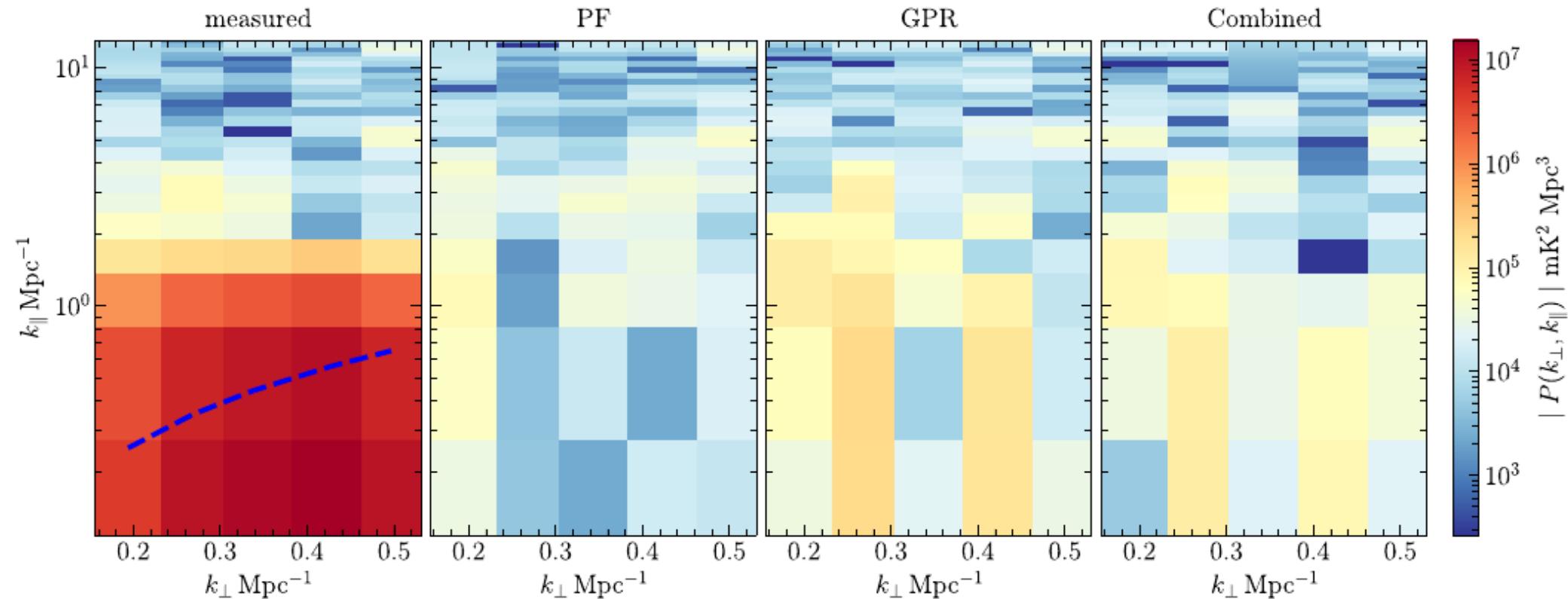
24.4 MHz Bandwidth

At 432.8 MHz
 $z = 2.28$



uGMRT

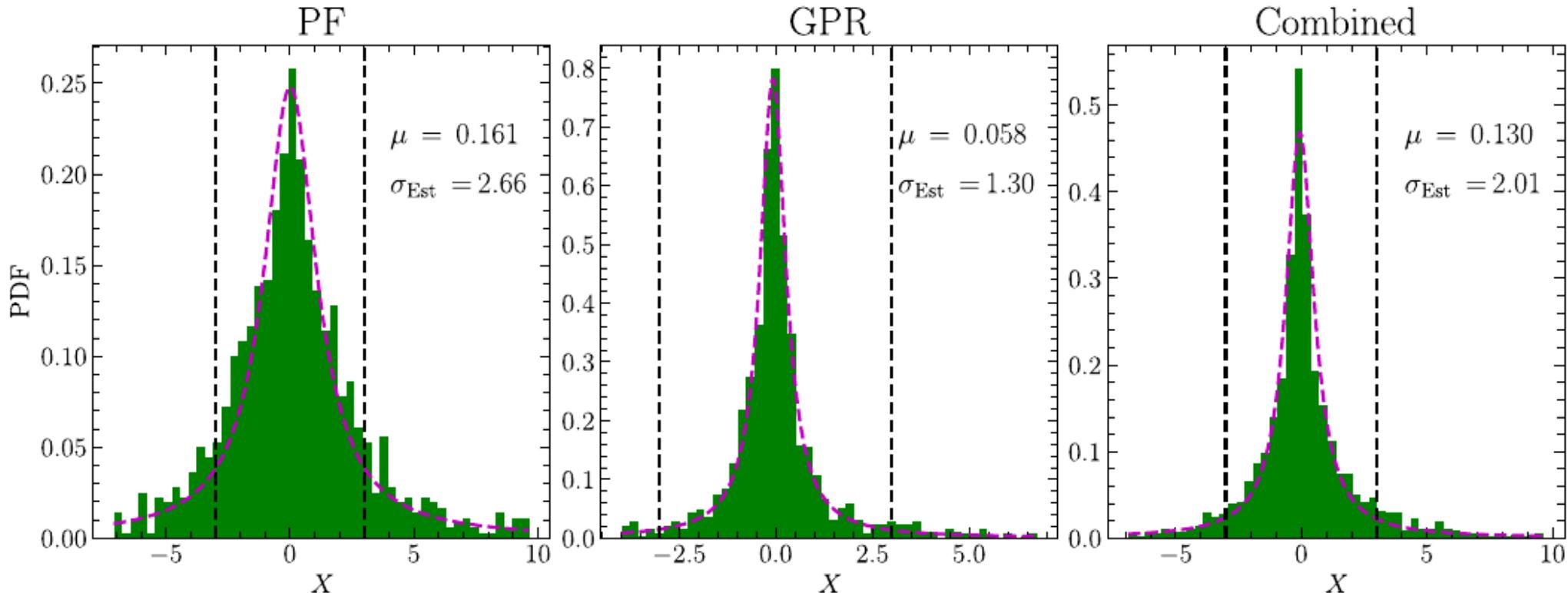
100 MHz Bandwidth, 394 - 494 MHz, $1.9 < z < 2.6$



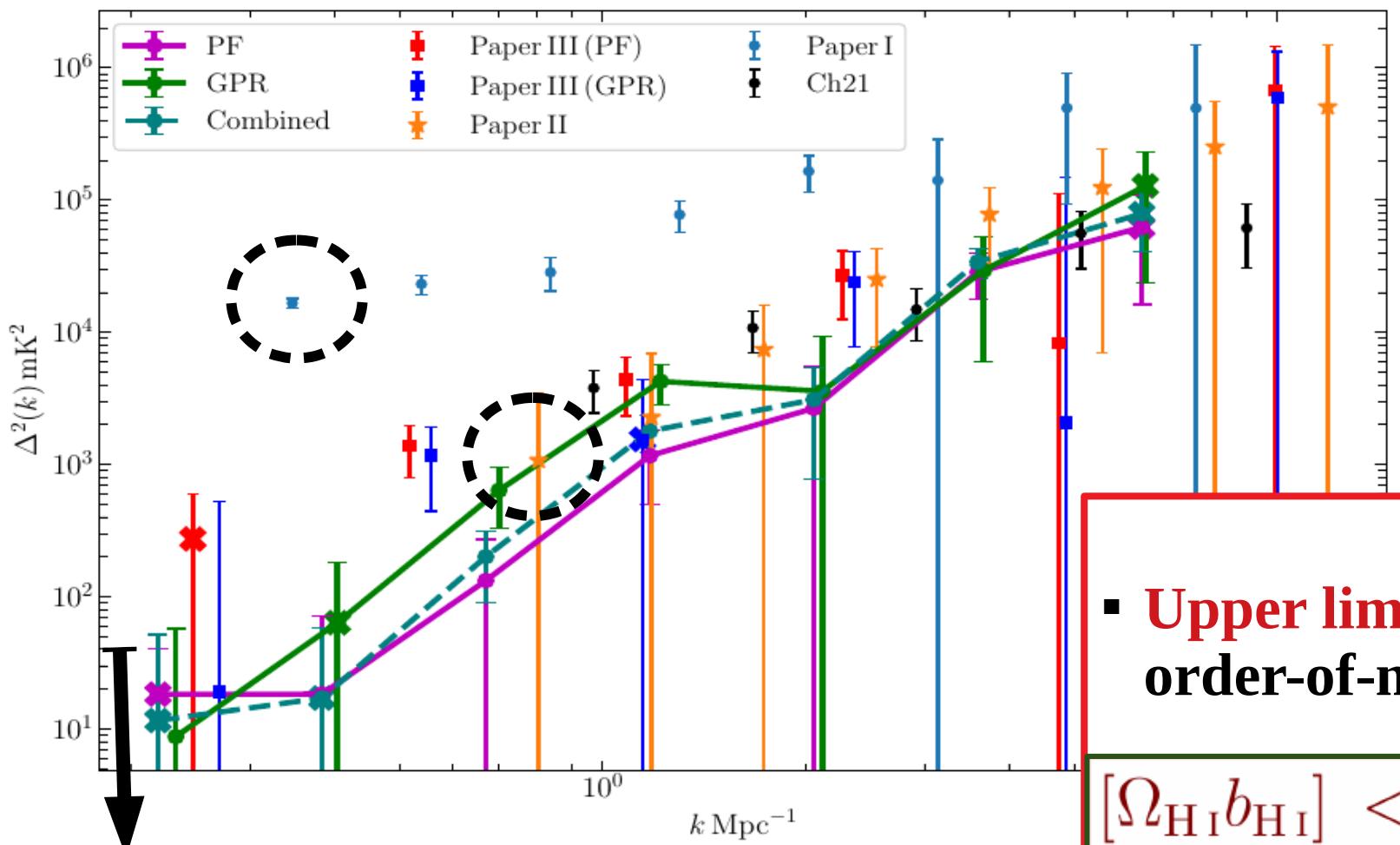
Consistent with noise?

$$X = \frac{P(k_{\perp}, k_{\parallel})}{\delta P_N(k_{\perp}, k_{\parallel})}$$

**Consistent with noise
95% confidence**



Upper limit on the 21-cm signal



▪ Upper limit is within an order-of-magnitude.

$$[\Omega_{\text{HI}} b_{\text{HI}}] < 1.01 \times 10^{-2}$$

Highlights

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TGE

Visibility-based (i.e., directly from the observed data) **mitigates foregrounds**, unbiased, immune to missing frequency channels, **wideband**

Foreground removal

Removes foregrounds from **MAPS**, 21-cm signal is **localized**, PF and GPR

Power Spectrum

Consistent with noise

Upper limit

Observation 25 hours

$$[\Omega_{\text{HI}} b_{\text{HI}}] < 1.01 \times 10^{-2}$$

Future

- ✓ Longer Observation (obtained 50h, 2σ detection $k < 0.4 \text{ Mpc}^{-1}$)
- ✓ Other telescope (MeerKAT, **SKA**)
- ✓ Other frequencies (e.g. EoR using MWA/**SKA-low**)