

Multi-messenger astrophysics with star clusters

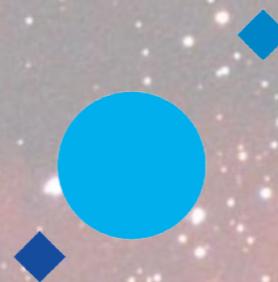
Silvia Celli

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silvia.celli@roma1.infn.it

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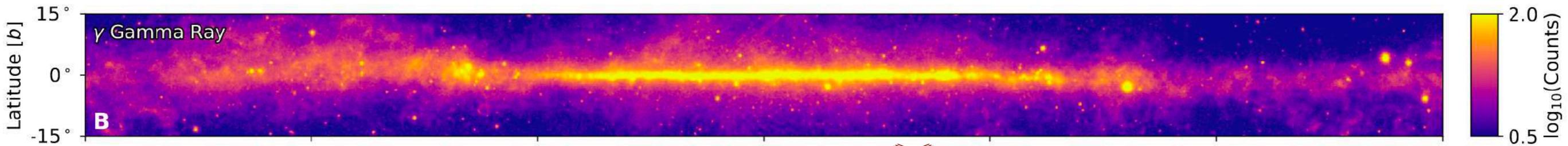
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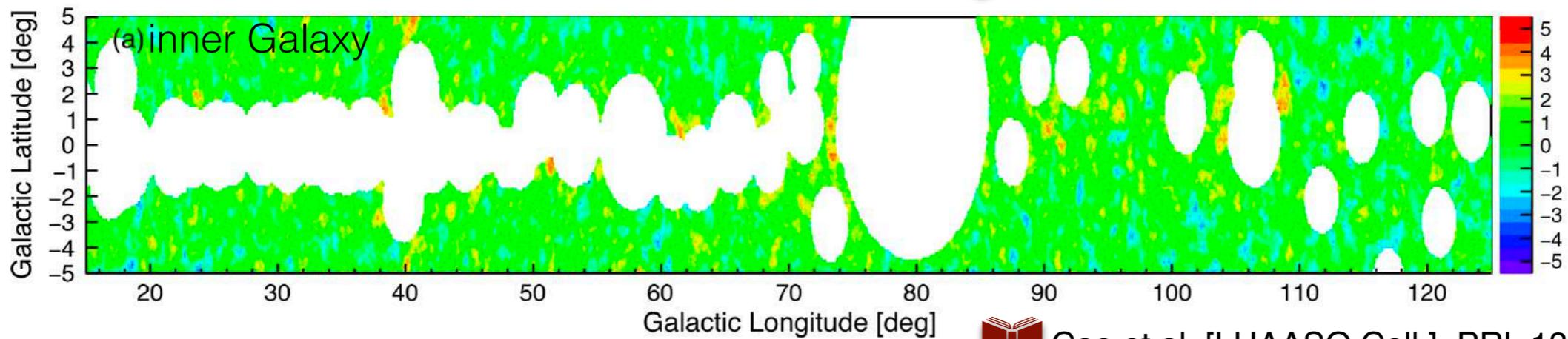
Oct 29th 2024 - Topical Overview on Star Cluster Astrophysics

The Galactic Plane in MWL-MM

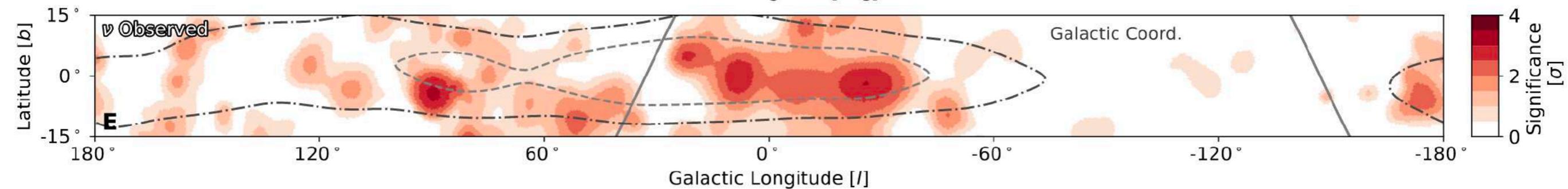
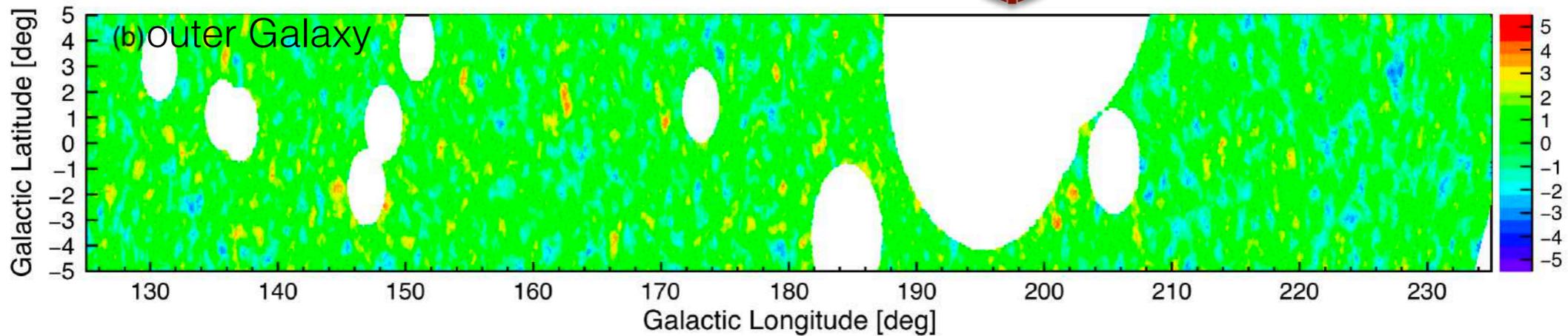


 Fermi's 12-year View of the Gamma-ray Sky

**UHE
 ν s**



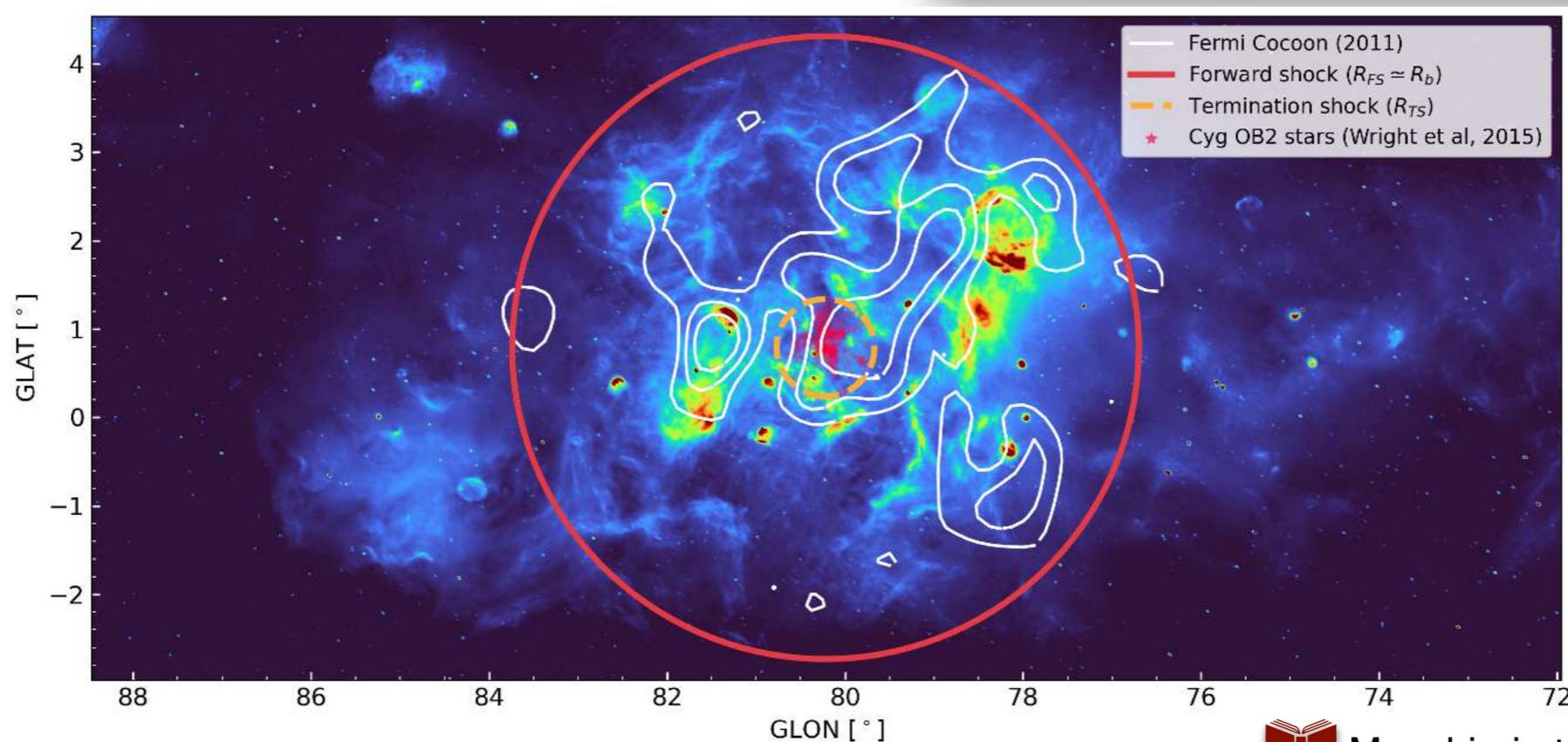
 Cao et al. [LHAASO Coll.], PRL 131 (2023) 151001



A new population of gamma-ray sources

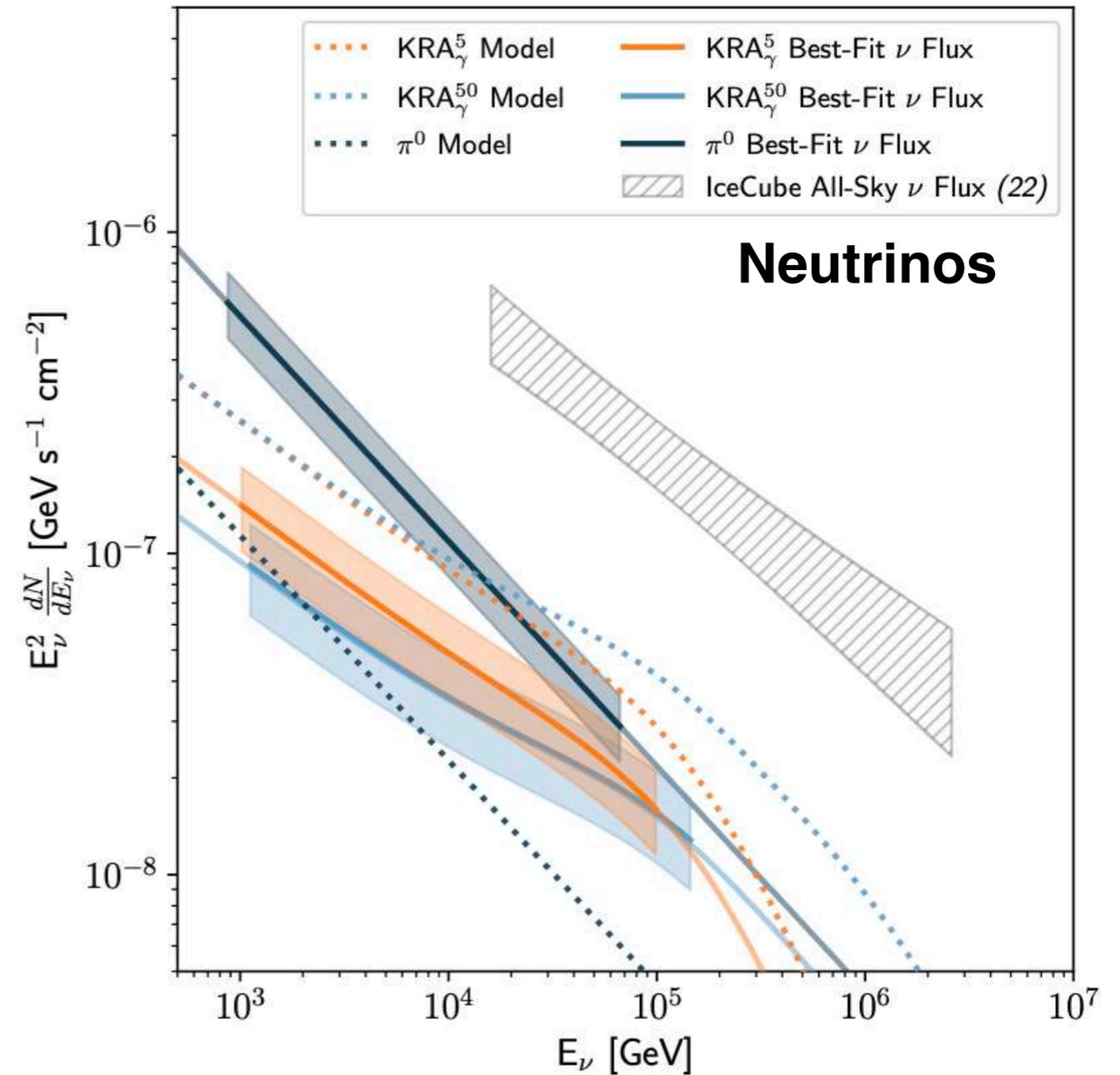
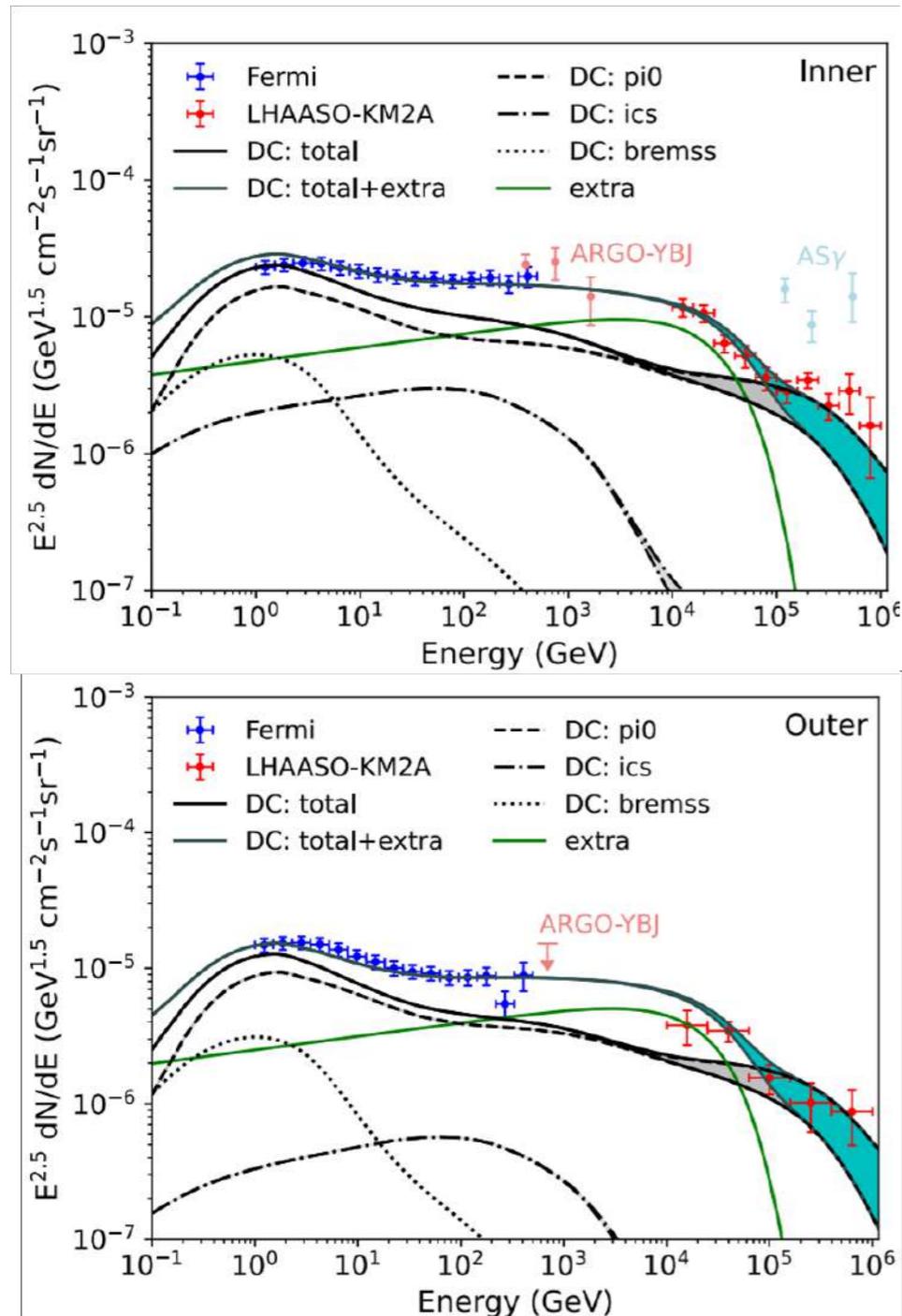
- **Extended** gamma-ray emission (1° - 3°) detected by many star clusters
- **Origin of emission?**
- Emission size consistent with projected dimension of the wind-blown bubble
- Difficult to disentangle diffuse and low-surface brightness sources

Name	$\log M/M_\odot$	r_c [pc]	D [kpc]	Age [Myr]	L_w [erg s $^{-1}$]
Westerlund 1	4.6 ± 0.045	1.5	4	4 – 6	10
Westerlund 2	4.56 ± 0.035	1.1	2.8 ± 0.4	1.5 – 2.5	2
Cygnus OB2	4.7 ± 0.3	5.2	1.4	2 – 7	2
NGC 3603	4.1 ± 0.1	1.1	6.9	2 – 3	-
BDS 2003	4.39	0.2	4	1	-
W40	2.5	0.44	0.44	1.5	-
RSGC 1	4.48	1.5	6.6	10 – 14	-
MC 20	~ 3	1.3	3.8 – 5.1	3 – 8	~ 4
NGC 6618	-	3.3	~ 2	< 3	-
30 Dor (LMC)	4.8 – 5.7	multiple	50	1	-
NGC 2070 / RCM 136	4.34 – 5	subcluster		5	-



Do young and massive star clusters contribute to the MM diffuse emission?

- What is the **unresolved source** contribution to the diffuse **gamma-ray** and **neutrino** emissions observed from our Galaxy?



YMSCs

- Clusters of hundreds OB-type ($M_{\star} > 3 M_{\odot}$) stars distributed over few pc.

Young: Age < 10 Myr

Massive: $M_{\text{sc}} > 10^3 M_{\odot}$

- Recently emerged as a new **gamma-ray** source population

- Several **acceleration sites** proposed:

- massive star winds

 Casse & Paul, ApJ 237 (1980) 236G

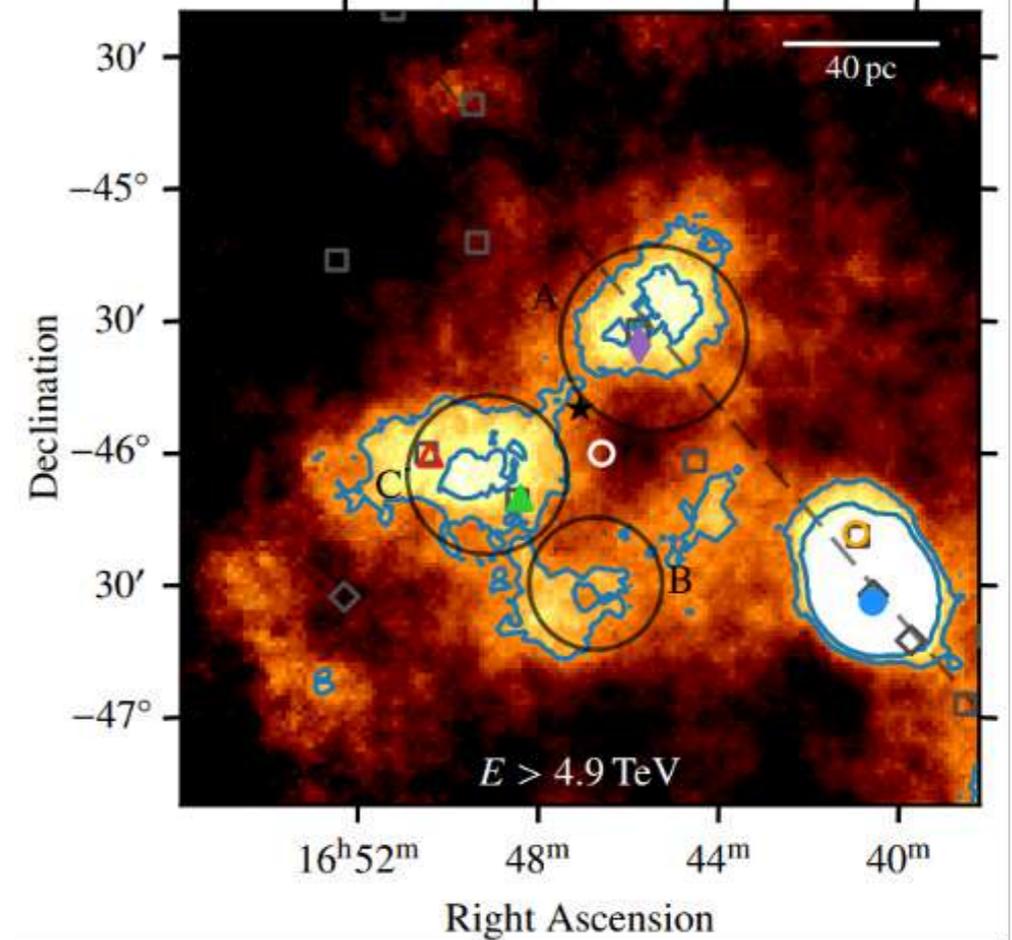
- collective wind termination shock

 Morlino et al., MNRAS 504 (2021) 4

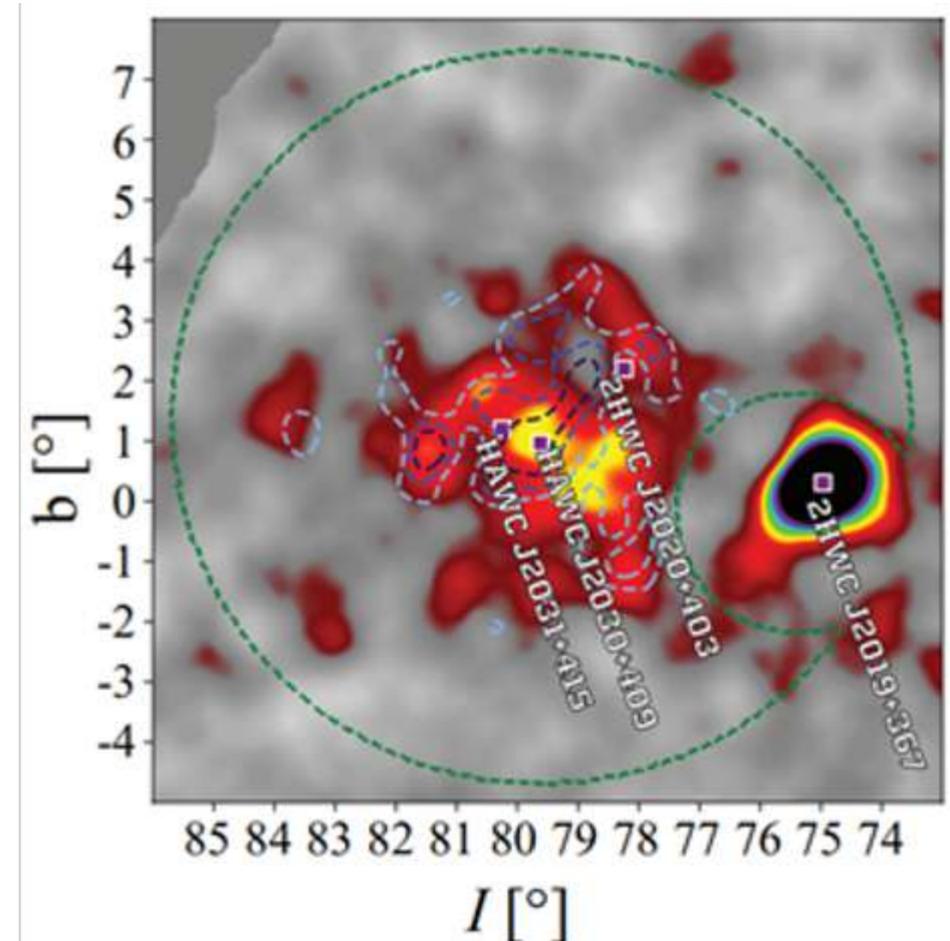
- SNRs in cluster cores

 Vieu et al., MNRAS 512 (2022) 1275

 Vieu & Reville, MNRAS 519 (2023) 136V



 Aharonian et al. [H.E.S.S. Coll.], A&A 666 (2022) A124

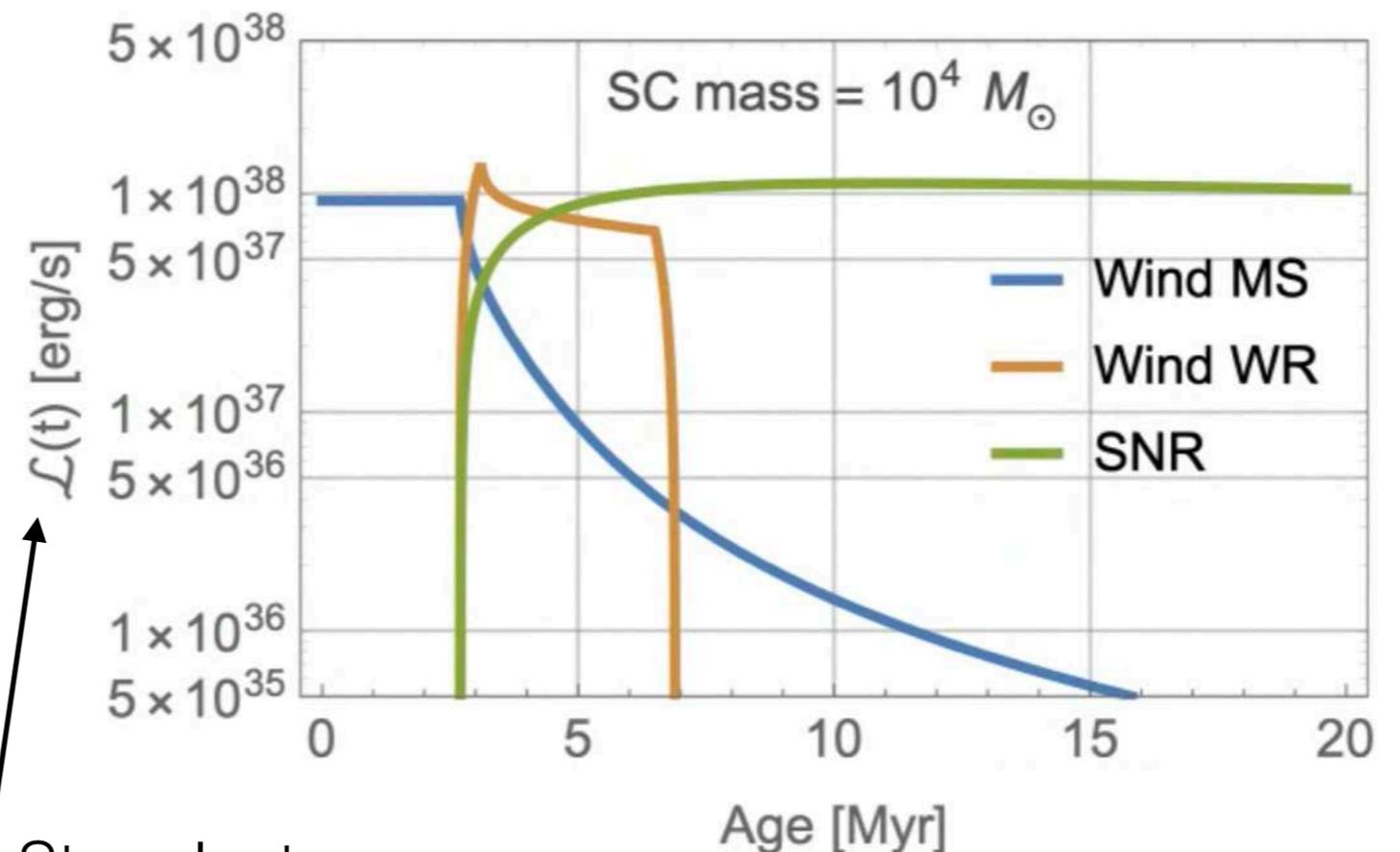
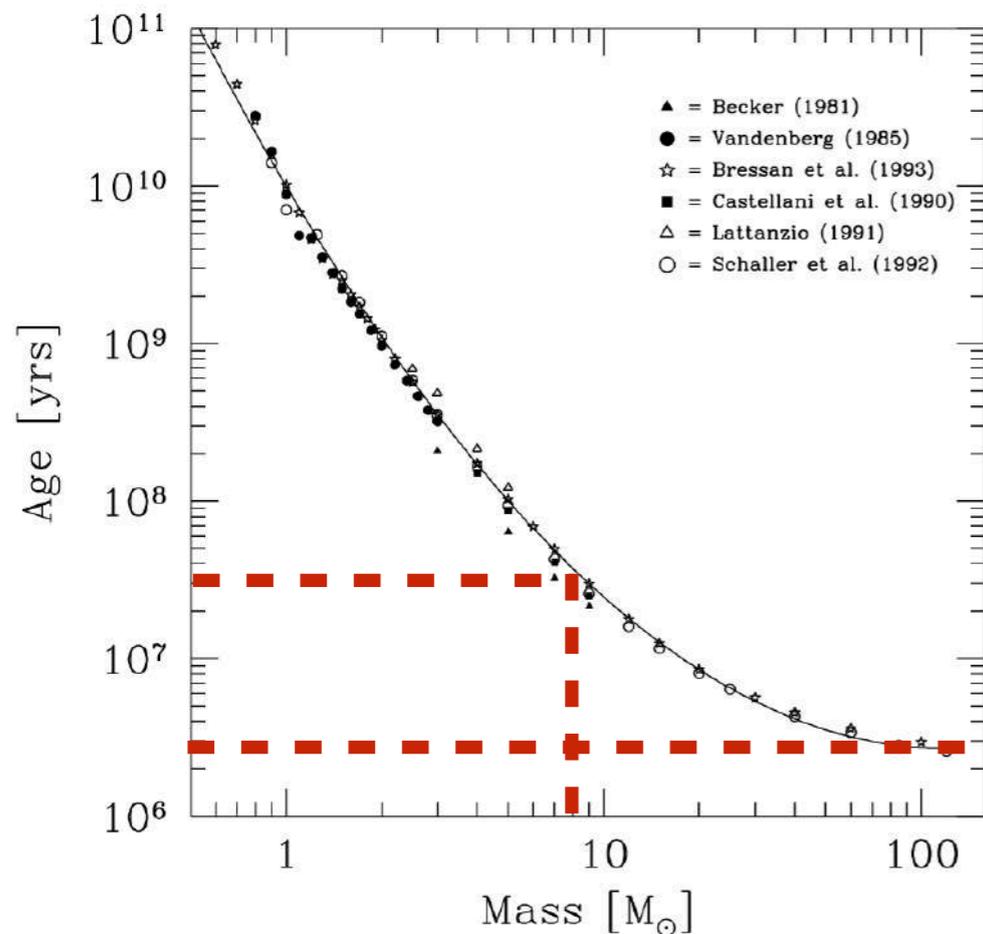


 Abeysekara et al. [HAWC Coll.], Nat. Astr. 5 (2021) 465

What powers stellar clusters?

Different sources of power:

Phase	Source	Single episode	Model
$t \lesssim 3 \text{ Myr}$	MS stellar winds	$t \gtrsim \text{Myr}$	quasi-stationary
$3 \text{ Myr} \lesssim t \lesssim 7 \text{ Myr}$	WR stellar winds	$t \sim 10^5 \text{ yr}$	semi-stationary
$3 \text{ Myr} \lesssim t \lesssim 30 \text{ Myr}$	SNe	$t \sim 10^3 - 10^4 \text{ yr}$	impulsive



What do we need to describe the cumulative hadronic emission from star clusters?

Cluster population: space distribution and formation rate

Stellar wind physics for the population inside clusters

Cluster dynamics:
→ the wind-blown bubble
→ SNR shock evolution
→ HD & MHD turbulence

Target gas distribution:
→ wind ejecta + shell
→ uniform? clumpy?

Particle acceleration model:
→ Wind Termination Shock (WTS)
→ SNR Shocks

→ We follow the approach defined in  Menchiari et al., arXiv:2406.04087, submitted

1. Cluster distribution

- Because the Milky Way population of YMSCs is not known, information from **local population** will be used

$$\xi_{SC}(M_{SC}, t, r, \theta) = \frac{dN_{SC}}{dM_{SC}dt dr d\theta} = f(M_{SC})\psi(t)\rho(r, \theta)$$

cluster IMF

$$f(M_{SC}) \propto M_{SC}^{-1.54}$$

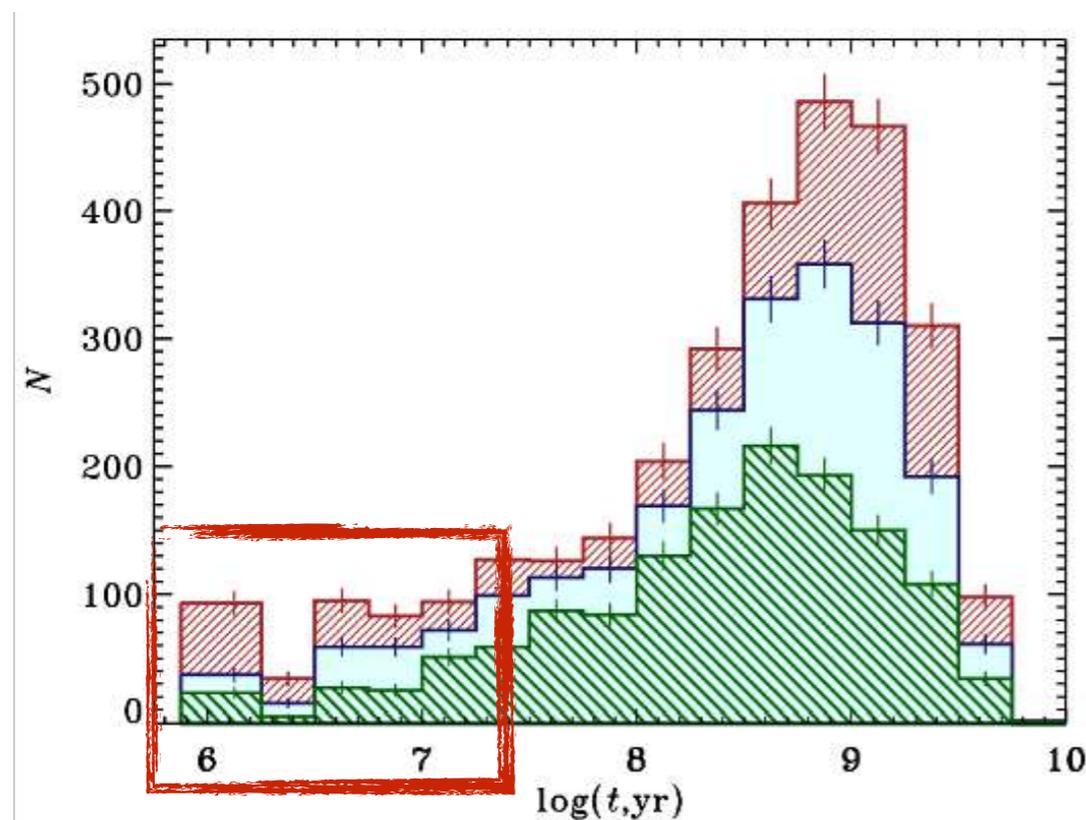
 Piskunov et al., A&A 614 (2018) A22

$$2.5 \leq M_{SC}/M_{\odot} \leq 6.3 \times 10^4$$

local cluster formation rate

$$\bar{\psi} = 1.8 \text{ Myr}^{-1} \text{ kpc}^{-2}$$

 Bonatto & Bica, MNRAS 415 (2011) 2827B



 Piskunov et al., A&A 614 (2018) A22

1. Cluster distribution

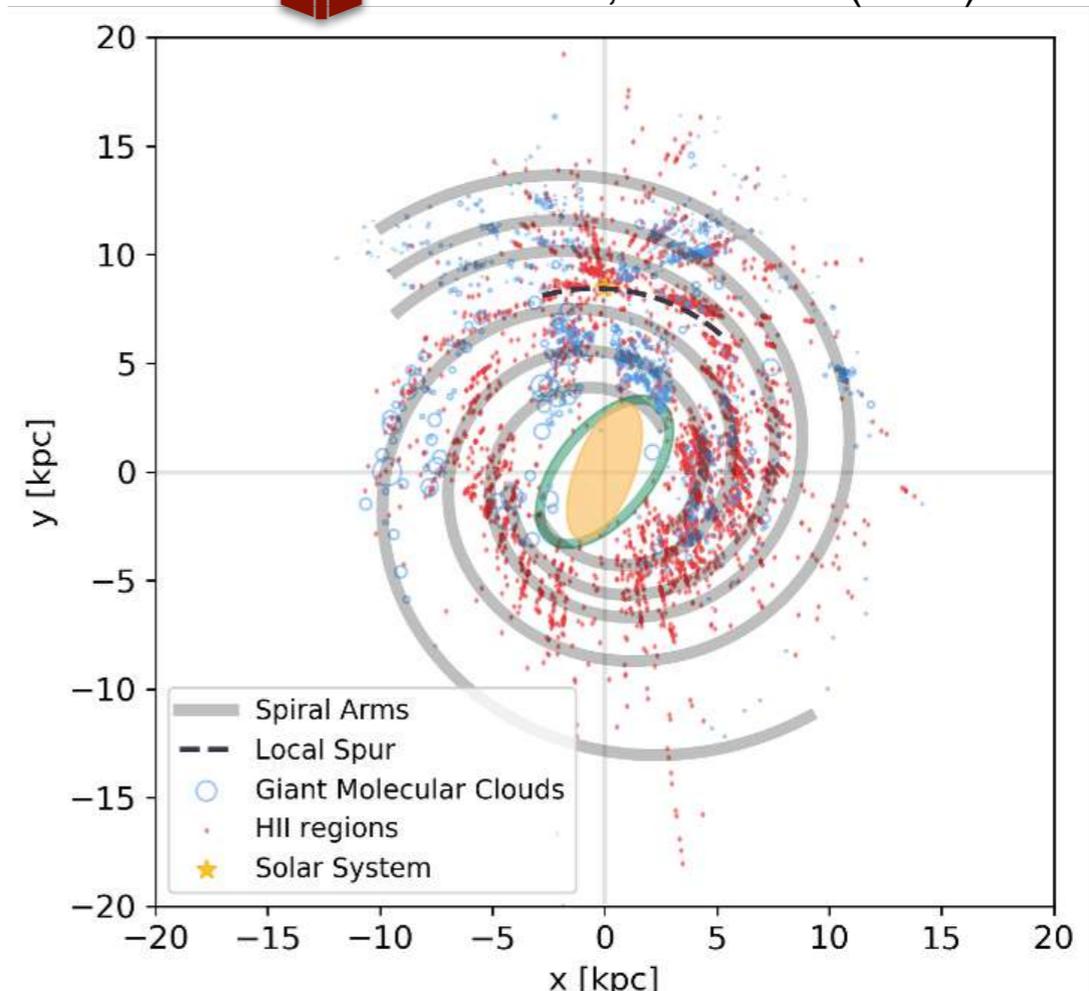
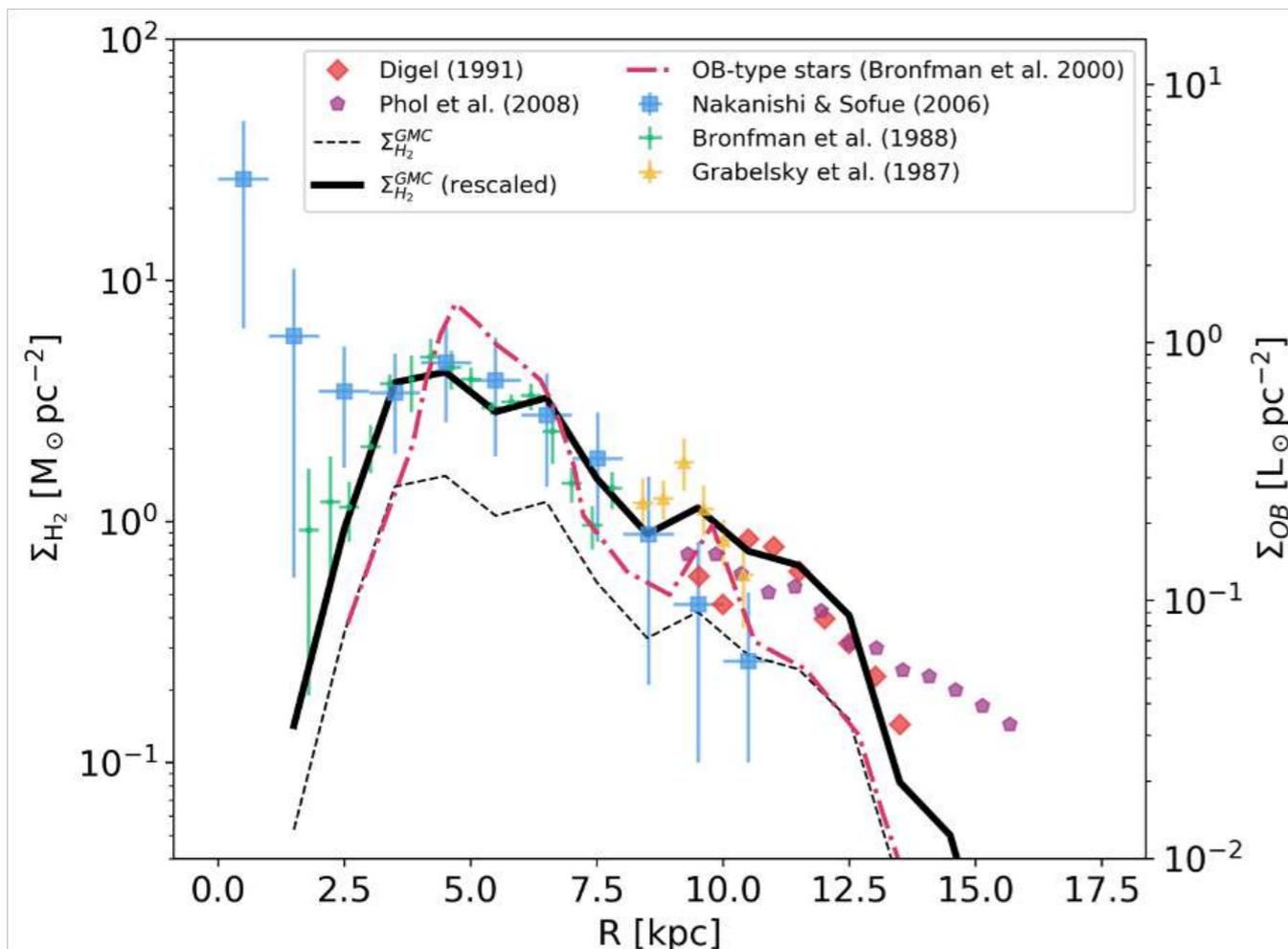
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$$\xi_{SC}(M_{SC}, t, r, \theta) = \frac{dN_{SC}}{dM_{SC} dt dr d\theta} = f(M_{SC}) \psi(t) \rho(r, \theta)$$

radial distribution following giant molecular clouds

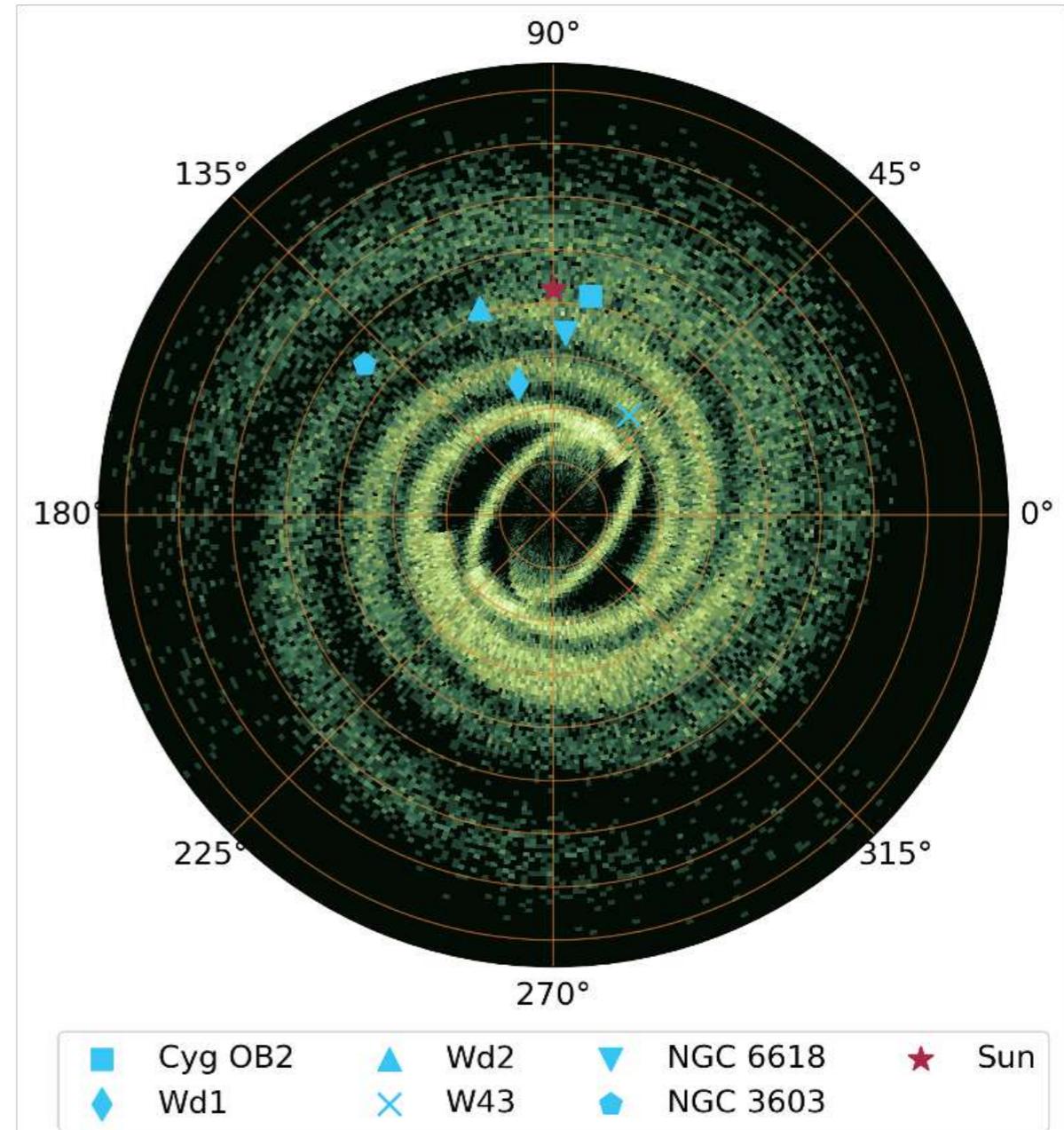
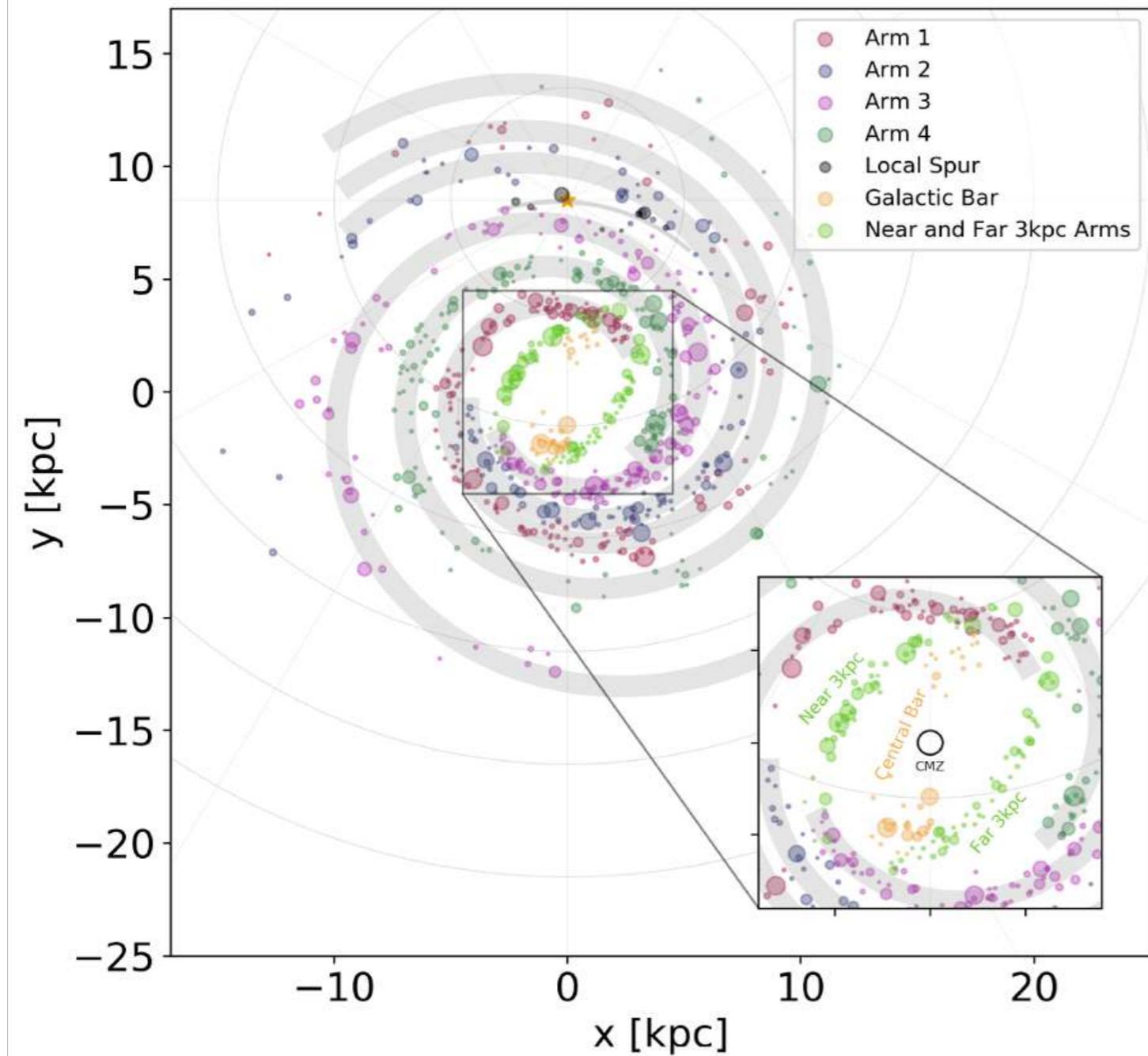


Hou & Han, A&A 569A (2014) 125H



Synthetic cluster population

Total number of YMSCs: 747 (Age < 10 Myr, $M_{sc} > 10^3 M_{sun}$)



Single realization of the Galactic population

100 realizations

2. Stellar population in star clusters

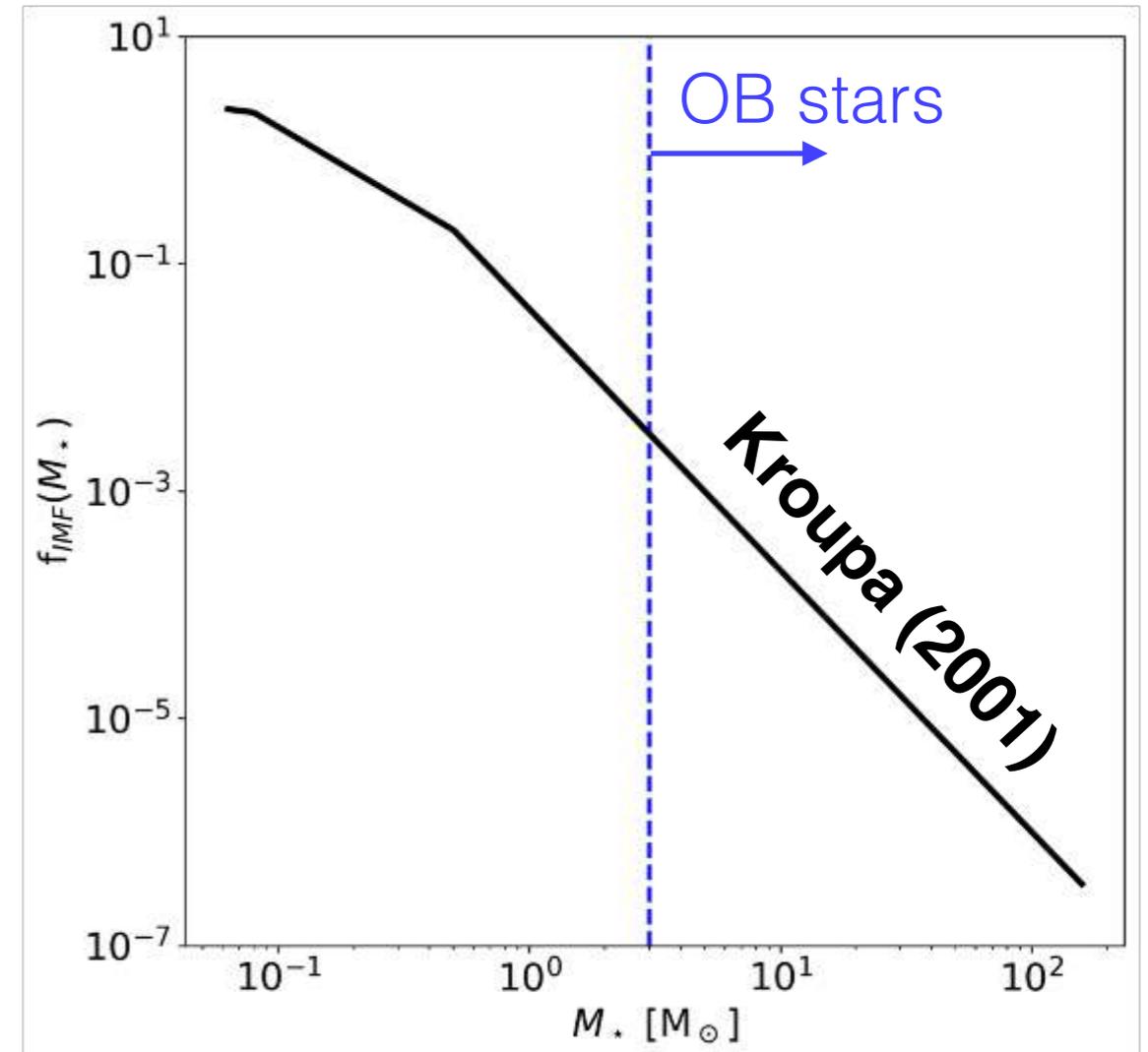
Total number of stars per cluster

$$N_{\star} = \Lambda M_{\text{SC}}$$

with

$$\Lambda = \frac{\int_{M_{\star,\text{min}}}^{M_{\star,\text{max}}} f_{\star}(M_{\star}) dM_{\star}}{\int_{M_{\star,\text{min}}}^{M_{\star,\text{max}}} M_{\star} f_{\star}(M_{\star}) dM_{\star}}$$

and $M_{\star,\text{max}} = 150 M_{\odot}$



stellar IMF

 Kroupa et al., MNRAS 322 (2001) 231

$$f_{\star}(M_{\star}) \propto M_{\star}^{-\alpha_i}$$

$$\alpha_0 = +0.3 \pm 0.7, \quad 0.01 \leq m/M_{\odot} < 0.08,$$

$$\alpha_1 = +1.3 \pm 0.5, \quad 0.08 \leq m/M_{\odot} < 0.50,$$

$$\alpha_2 = +2.3 \pm 0.3, \quad 0.50 \leq m/M_{\odot} < 1.00,$$

$$\alpha_3 = +2.3 \pm 0.7, \quad 1.00 \leq m/M_{\odot},$$

MS & WR stellar wind physics

Both MS and WR stars are included, the latter phase being of duration $\Delta T = 0.3$ Myr relevant only for stars with $M_{\star} > 25 M_{\odot}$

- **Mass loss rate \dot{M}_{\star}**

- OB-type stars

 Nieuwenhuijzen & de Jager, A&A 231 (1990) 134

- WR stars

 Nugis & Lamers, A&A 360 (2000) 227N

- **Wind speed $v_{\star,w}$**

- OB-type stars

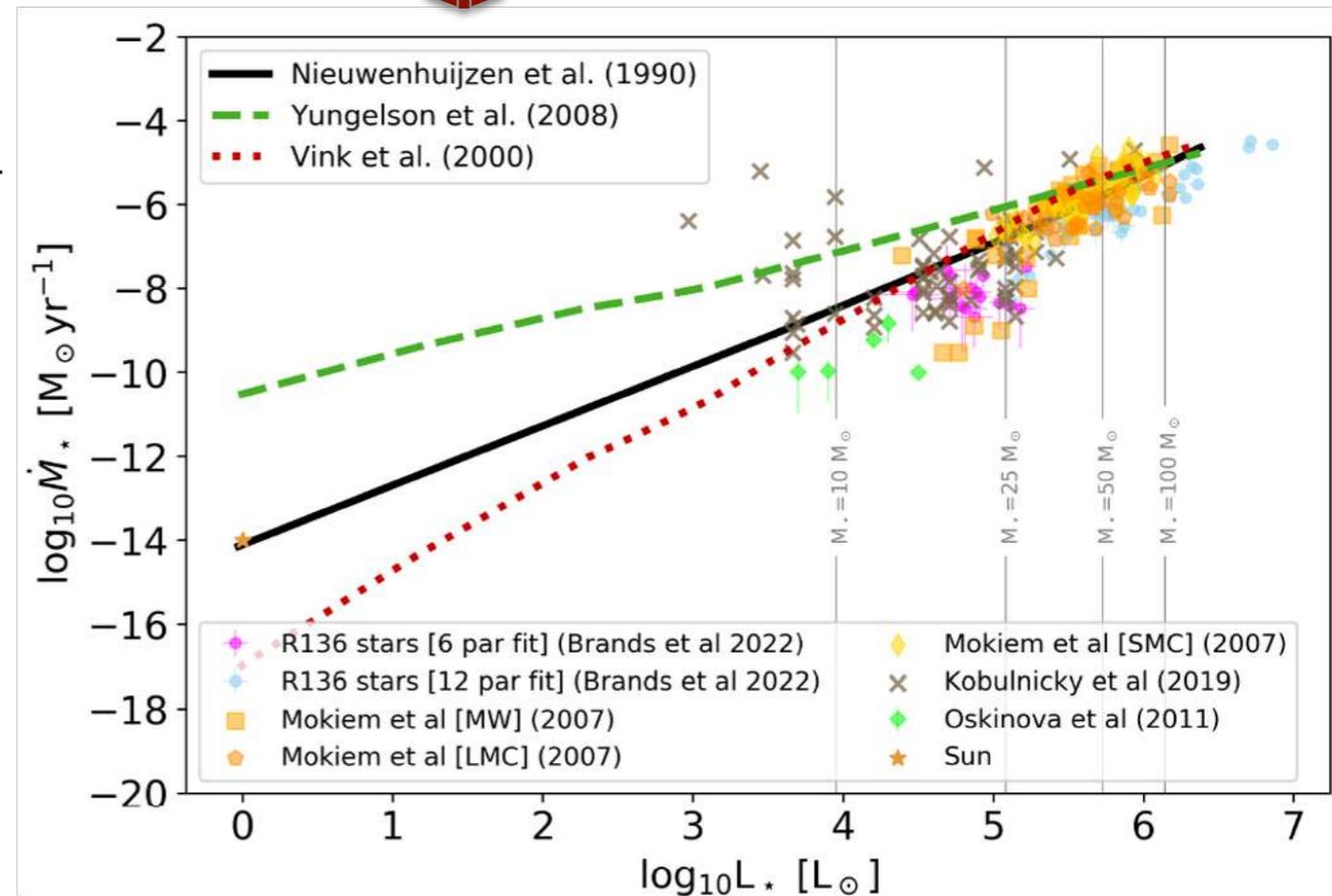
 Kudritzki & Puls, A&A 38 (2000) 613

- WR stars, constant to 2000 km/s

- **Wind luminosity**

$$L_{\star,w} = \frac{1}{2} \dot{M}_{\star} v_{\star,w}^2$$

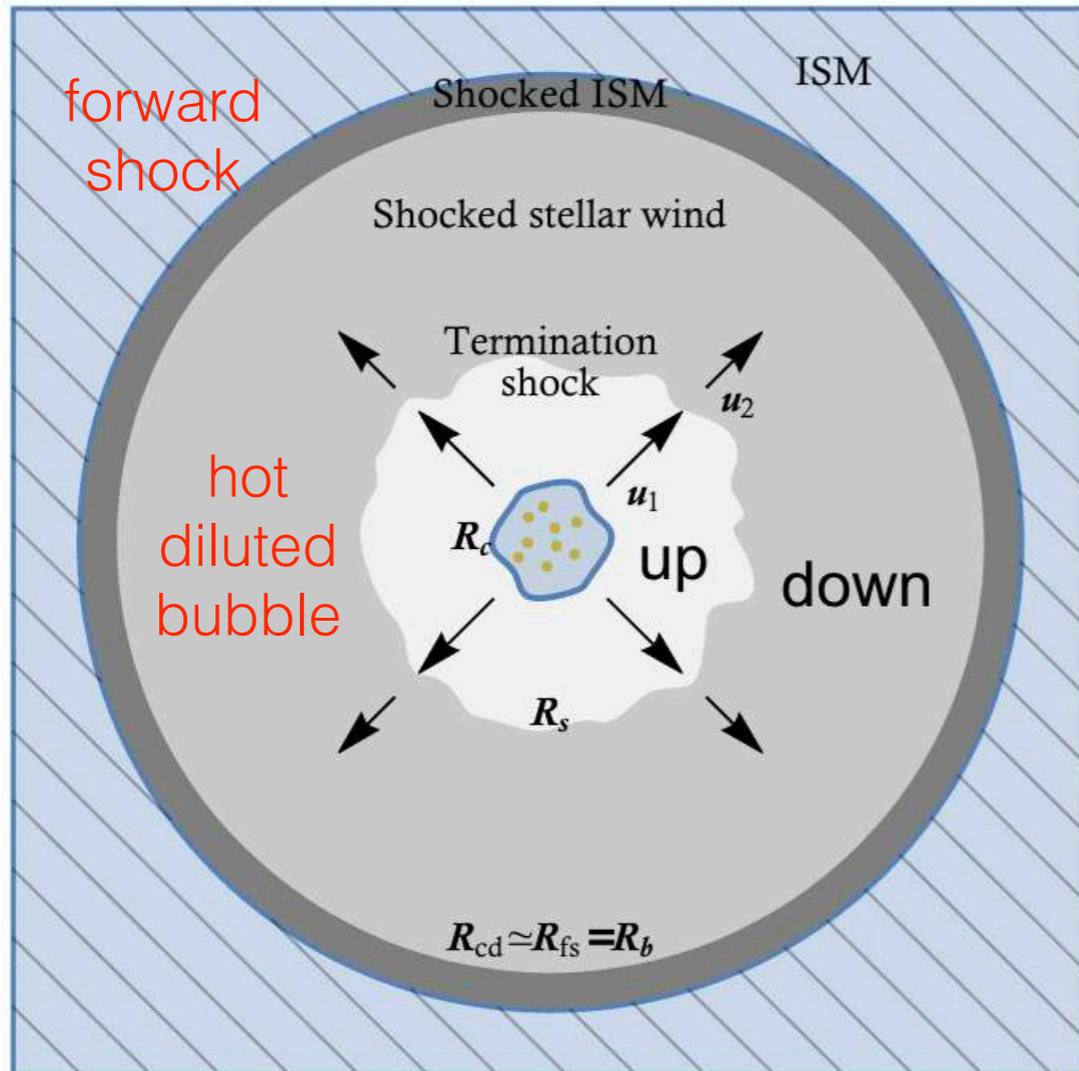
 S. Menchiari, PhD thesis (2023)



No SN included yet in these computations \longrightarrow lower limit to the SC energy conversion into CRs

3. Particle acceleration @ WTS

$T_{\text{age}} < 3 \text{ Myr}$: only stellar winds



Constant injection of energy in spherical symmetry:

- **Stellar Cluster core:**
~ few pc radius
- **Collective Wind Termination Shock (WTS):**

$$R_s(t) = 48.6 \left(\frac{n}{\text{cm}^{-3}} \right)^{-0.3} \left(\frac{\dot{M}_c}{10^{-4} M_\odot \text{yr}^{-1}} \right)^{0.3} \left(\frac{v_{w,c}}{1000 \text{ km s}^{-1}} \right)^{0.1} \left(\frac{t}{10 \text{ Myr}} \right)^{0.4} \text{ pc}$$

- **Bubble:**

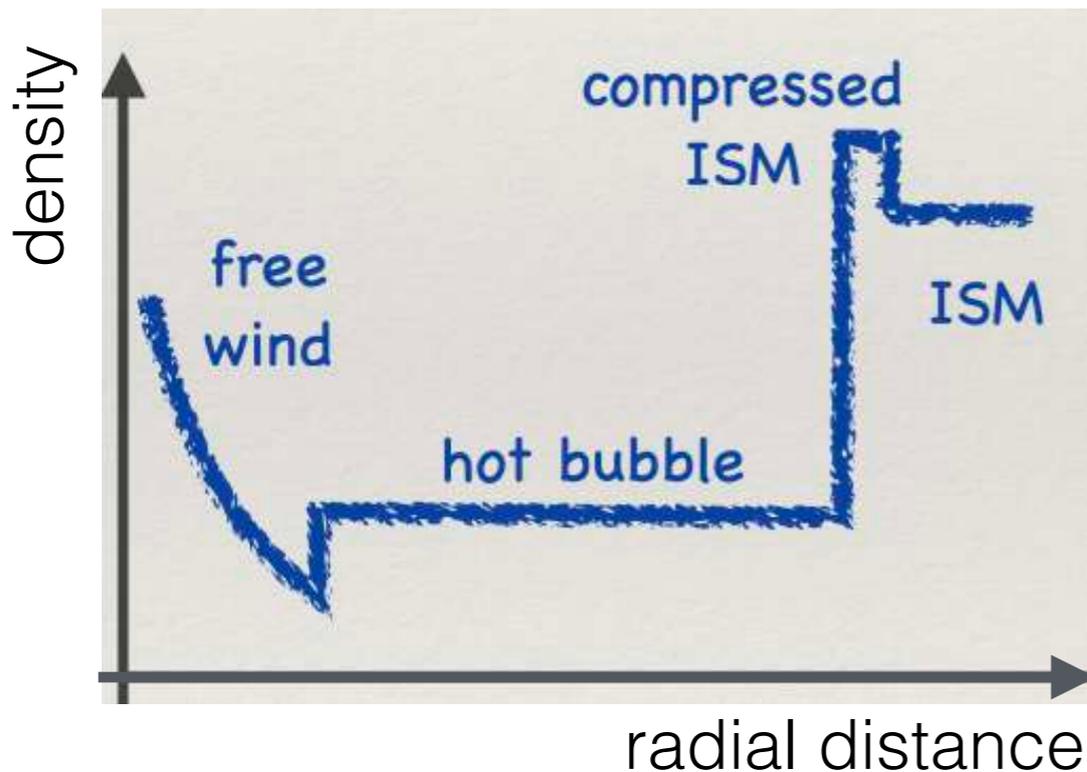
$$R_b(t) = 174 \left(\frac{n}{\text{cm}^{-3}} \right)^{-0.2} \left(\frac{L_{w,c}}{10^{37} \text{ erg s}^{-1}} \right)^{0.2} \left(\frac{t}{10 \text{ Myr}} \right)^{0.6} \text{ pc}$$

 Morlino et al., MNRAS 504 (2021) 4

 Weaver et al., ApJ 218 (1977) 377W

Target gas distribution in wind bubbles

- We adopt an idealized **purely adiabatic spherical** model
- A more realistic density profile should consist of a **complex fractal structure of filaments and clumps**, as induced by shell fragmentation and development of hydro instabilities (induced by e.g. cooling effects, wind clumpiness and ISM inhomogeneities)



 Mitchell et al. (2024)
arXiv:2403.16650, submitted

$$n_0 = 10 \text{ cm}^{-3}$$

1. $R_c < r < R_s \longrightarrow$ free cold wind profile

$$n_w(r) = \frac{\dot{M}_c}{4\pi r^2 v_w}$$

2. $R_s < r < R_{cd} \longrightarrow$ hot bubble

$$n_b = \frac{M_b}{\frac{4}{3}\pi(R_{cd}^3 - R_s^3)}$$

$$M_b = (\dot{M}_{sh} + \dot{M}_w) t_{age} - \frac{\dot{M}_w}{v_w(R_s - R_c)}$$

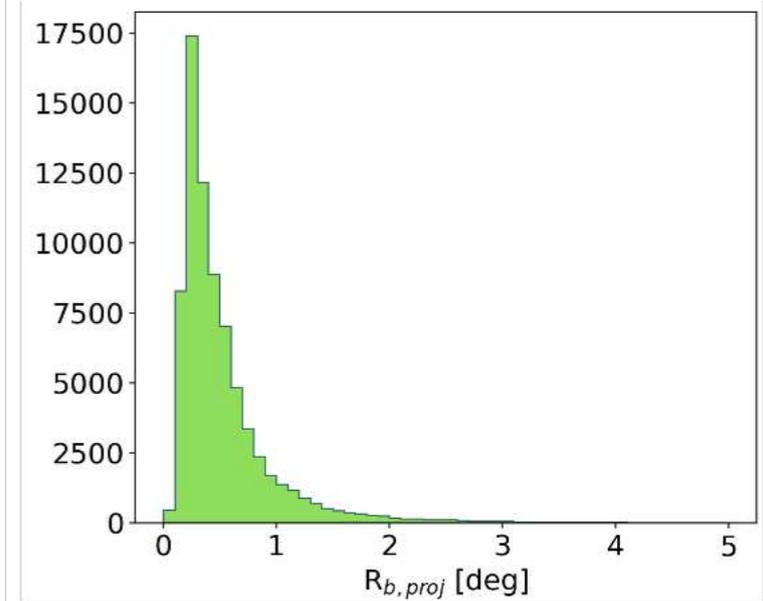
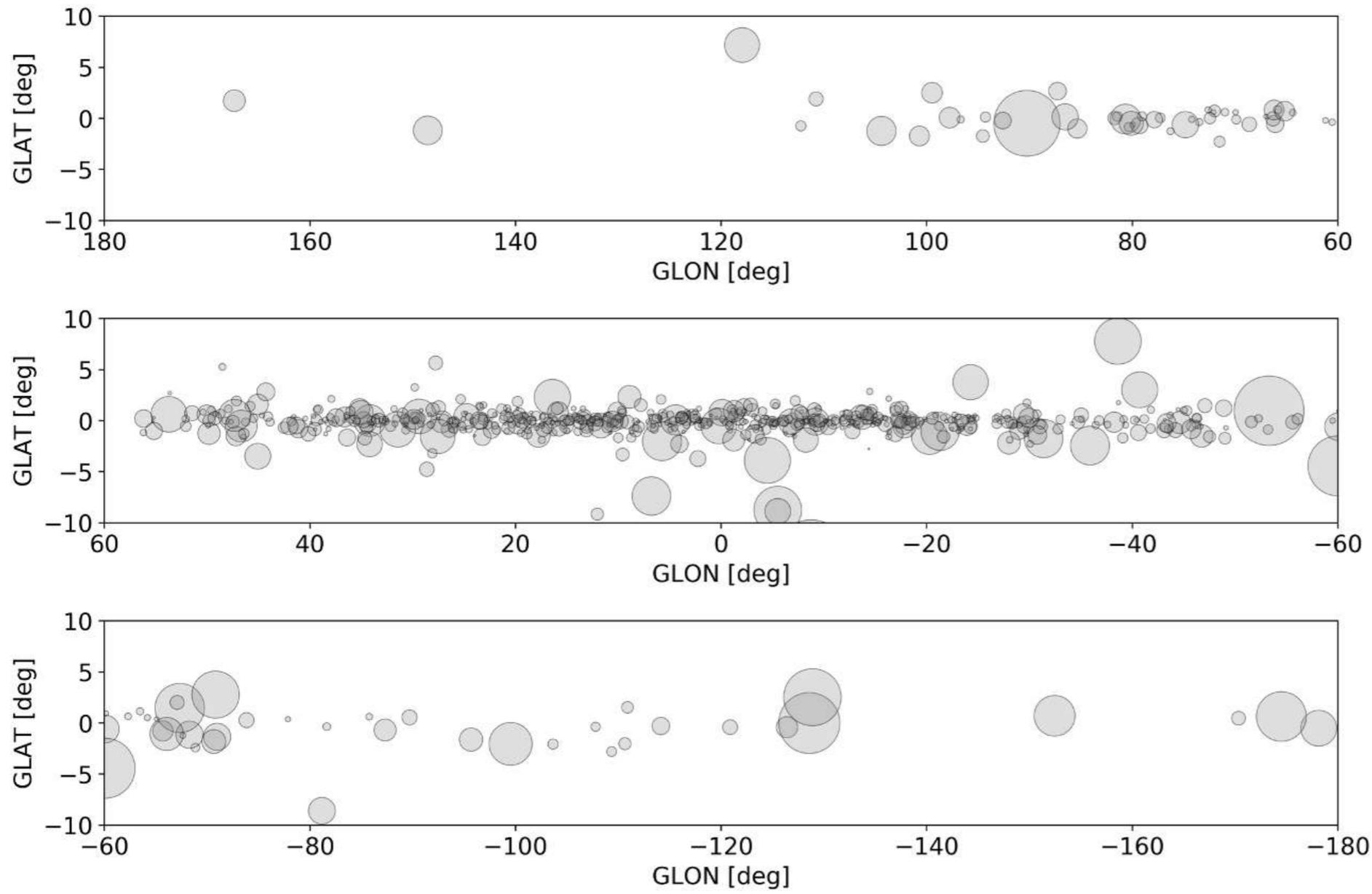
$$\dot{M}_{sh} = 2 \times 10^{-4} \left(\frac{L_{w,c}}{10^{37} \text{ erg/s}} \right)^{\frac{27}{35}} \left(\frac{n}{10 \text{ cm}^{-3}} \right)^{-\frac{2}{35}} \left(\frac{t}{1 \text{ Myr}} \right)^{\frac{6}{35}} M_{\odot} \text{ yr}^{-1}$$

3. $R_{cd} < r < R_b \longrightarrow$ shell

$$n_{sh} = \frac{n_0}{1 - R_{cd}^3/R_b^3} - \frac{\dot{M}_{sh} T_{age}}{m_p V_{sh}}$$

Synthetic YMSC population

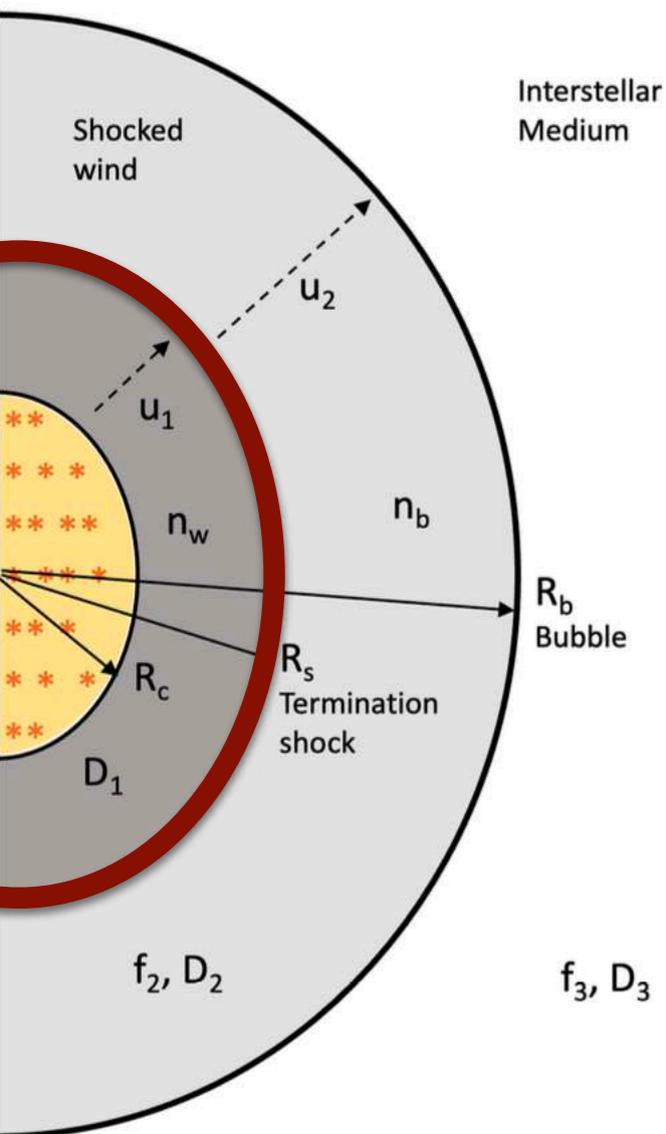
Single realization of the Galactic population



Bubble radii
distribution for one
realization



Particle acceleration @ WTS of YSCs



Time-stationary transport equation in spherical geometry:

$$\frac{\partial}{\partial r} \left[r^2 D(r, p) \frac{\partial f}{\partial r} \right] - r^2 u(r) \frac{\partial f}{\partial r} + \frac{d [r^2 u]}{dr} \frac{p}{3} \frac{\partial f}{\partial p} + r^2 Q(r, p) = 0$$

- Arbitrary diffusion coefficient $D(r, p)$

- Injection only at the termination shock

$$Q(r, p) \propto \delta(p - p_{inj}) \delta(r - R_s)$$

- Wind velocity profile:

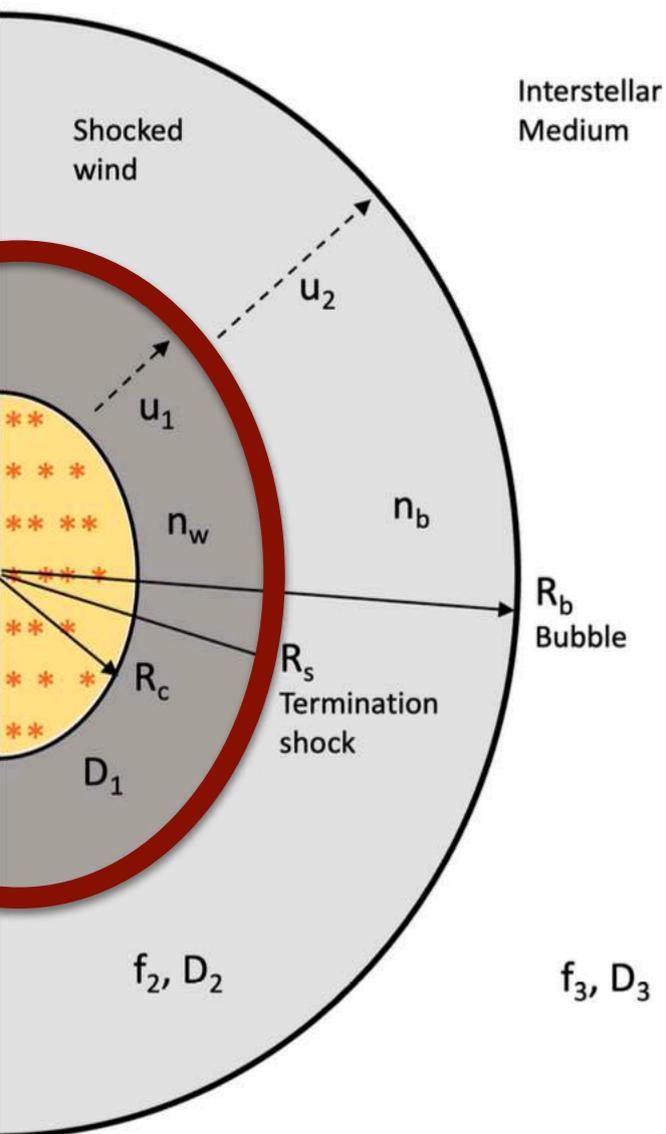
$$u(r) = \begin{cases} u_1 = v_w & \text{for } r < R_s, \\ \frac{u_1}{\sigma} \left(\frac{R_s}{r} \right)^2 & \text{for } R_s < r < R_b, \\ 0 & \text{for } r > R_b; \end{cases}$$

Boundary conditions:

1. No net flux at the cluster center: $r^2 [D \partial_r f - u f]_{r=R_c} = 0$
2. Matching the Galactic distribution: $f(r \rightarrow \infty, p) = f_{gal}(p)$

“Reversed” geometry wrt supernova remnants

Particle acceleration @ WTS of YSCs



Acceleration at the collective WTS is calculated under the following assumptions:

- **CR acceleration efficiency** is a few % of the wind kinetic luminosity:

$$L_{\text{CR}} = \epsilon_{\text{CR}} L_{\text{W}}$$

- **Magnetic turbulence** is produced by wind non-stationarity and inhomogeneities

$$4\pi r^2 v_w \frac{\delta B_w^2}{4\pi} = \eta_B \frac{1}{2} \dot{M} v_w^2$$

→ few % of wind kinetic energy converted into magnetic energy;

- **Diffusion coefficient** depends on the turbulence inside the bubble (**unknown**): most likely, it is generated by wind itself (MHD instabilities, flow non stationarity) and it impacts both transport and maximum energy of particles

$$\xi_{\text{CR}} = 0.10$$

$$f_{\text{WTS}} \propto p^{-4.2}$$

$$\begin{cases} D_{\text{Kol}}(E) = \frac{v}{3} r_L (\delta B)^{1/3} L_c^{2/3} \\ D_{\text{Kra}}(E) = \frac{v}{3} r_L (\delta B)^{1/2} L_c^{1/2} \\ D_{\text{Bohm}}(E) = \frac{v}{3} r_L (\delta B) \end{cases}$$



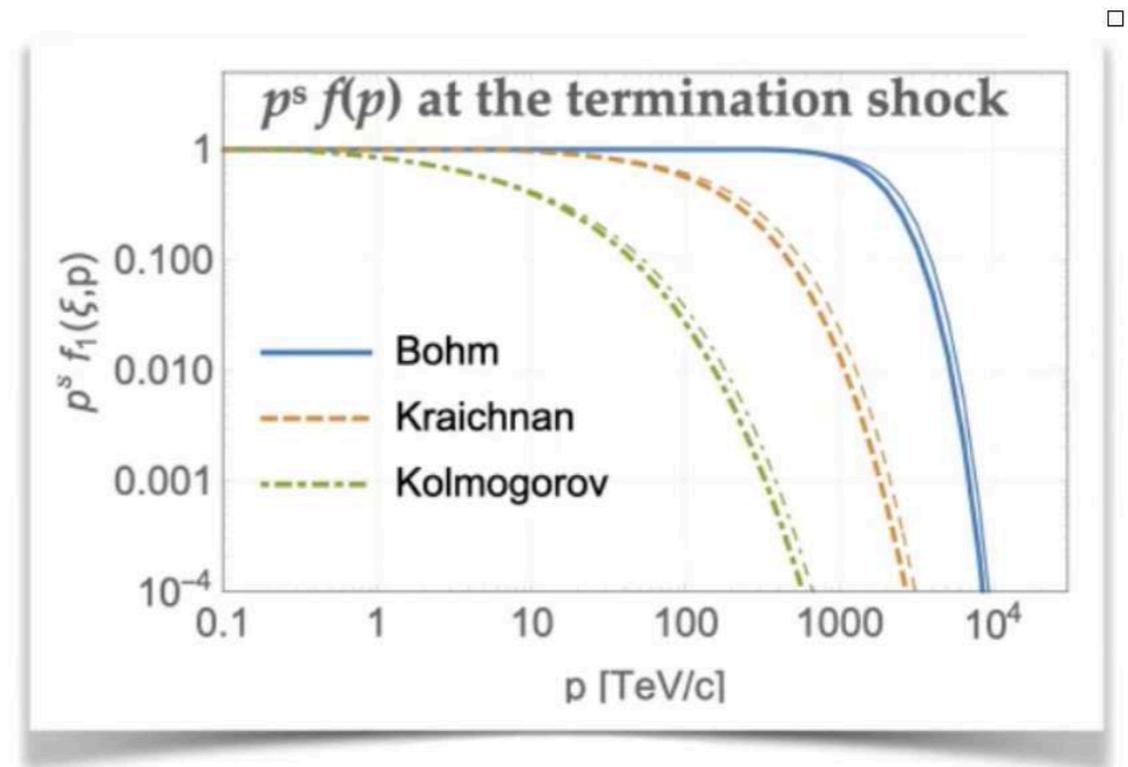
WTS particle acceleration: spectrum & E_{max}

$$f_s(p) = s \frac{\eta_{inj} n_1}{4\pi p_{inj}^3} \left(\frac{p}{p_{inj}} \right)^{-s} e^{-\Gamma_1(p)} e^{-\Gamma_2(p)}$$

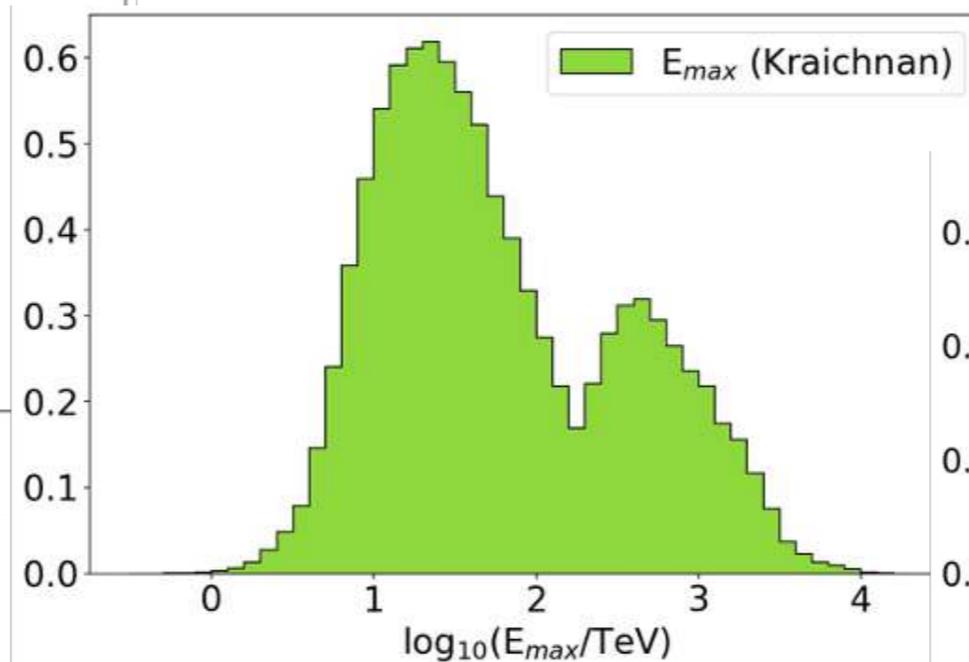
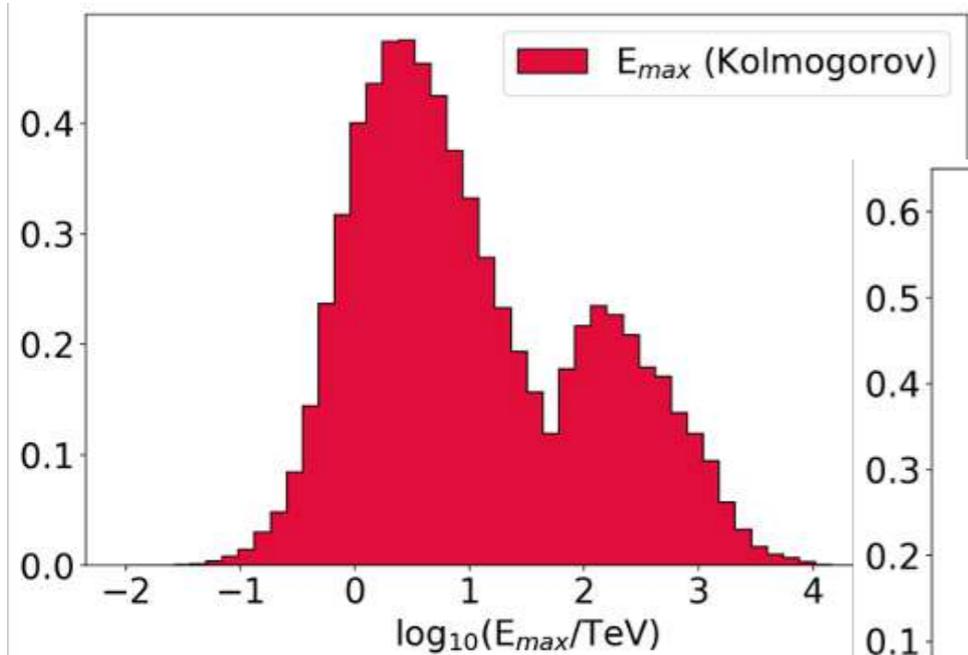
Standard power-law for plane shocks
 $s = \frac{3\sigma}{\sigma - 1}$

Cutoff due to particle confinement upstream in a spherical geometry

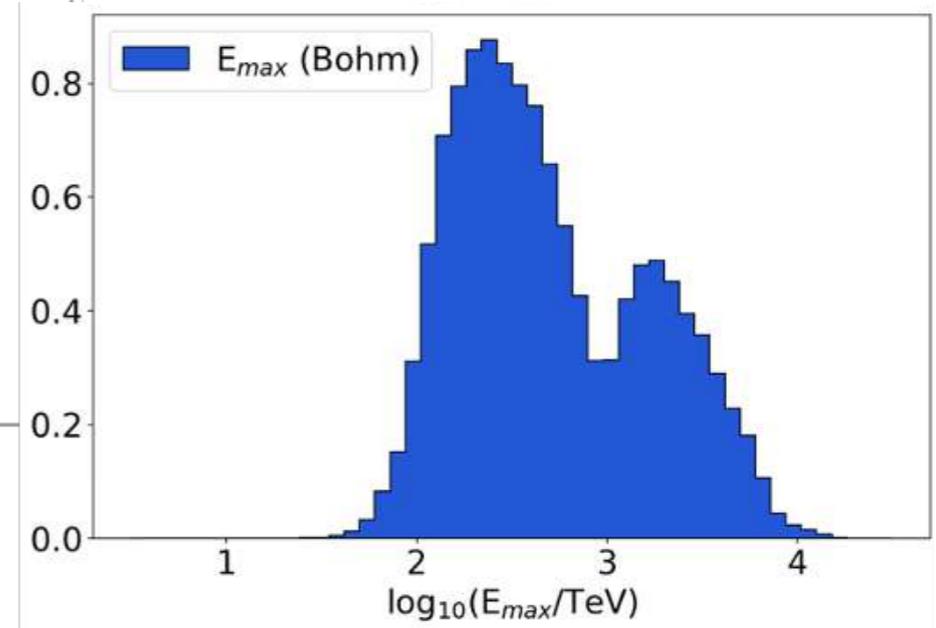
Cutoff due to particle escaping from the bubble



Morlino et al., MNRAS 504 (2021) 4

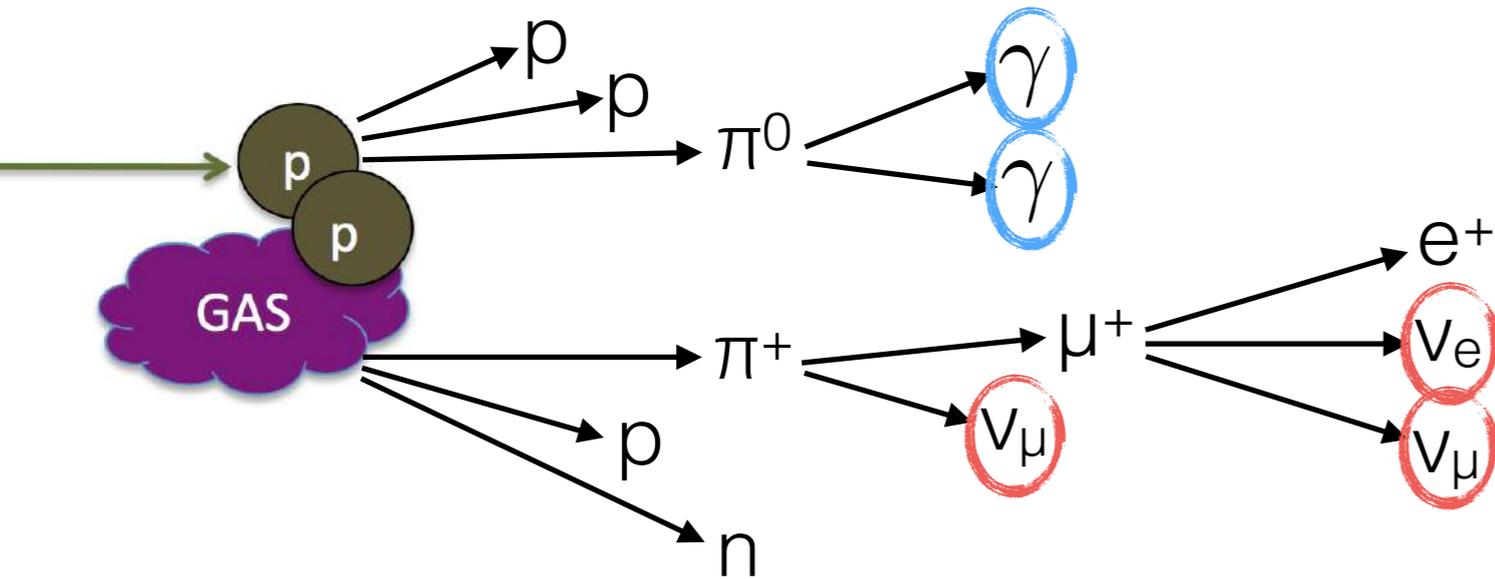


Bimodal distributions due to MS & WR stars

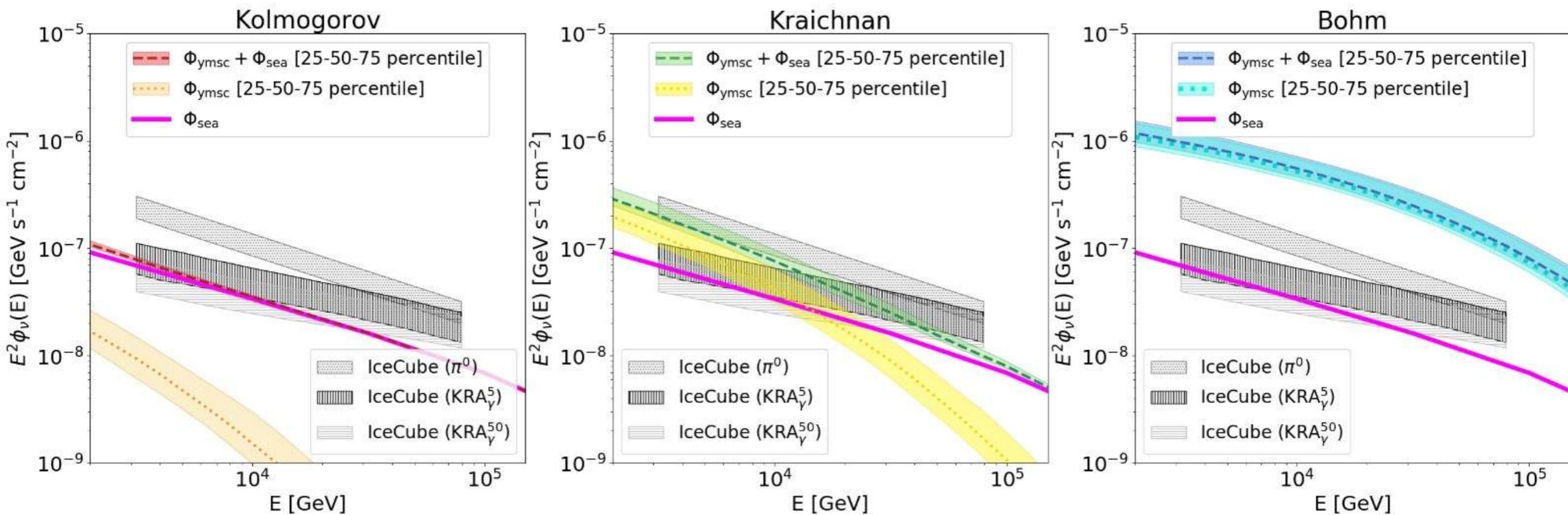


S. Menchiari (2024) private communication

4. Radiative signatures: neutrinos



Inelastic collisions
between accelerated
protons and target gas
+
diffuse emission from
the CR sea



4. Radiative signatures: gamma rays

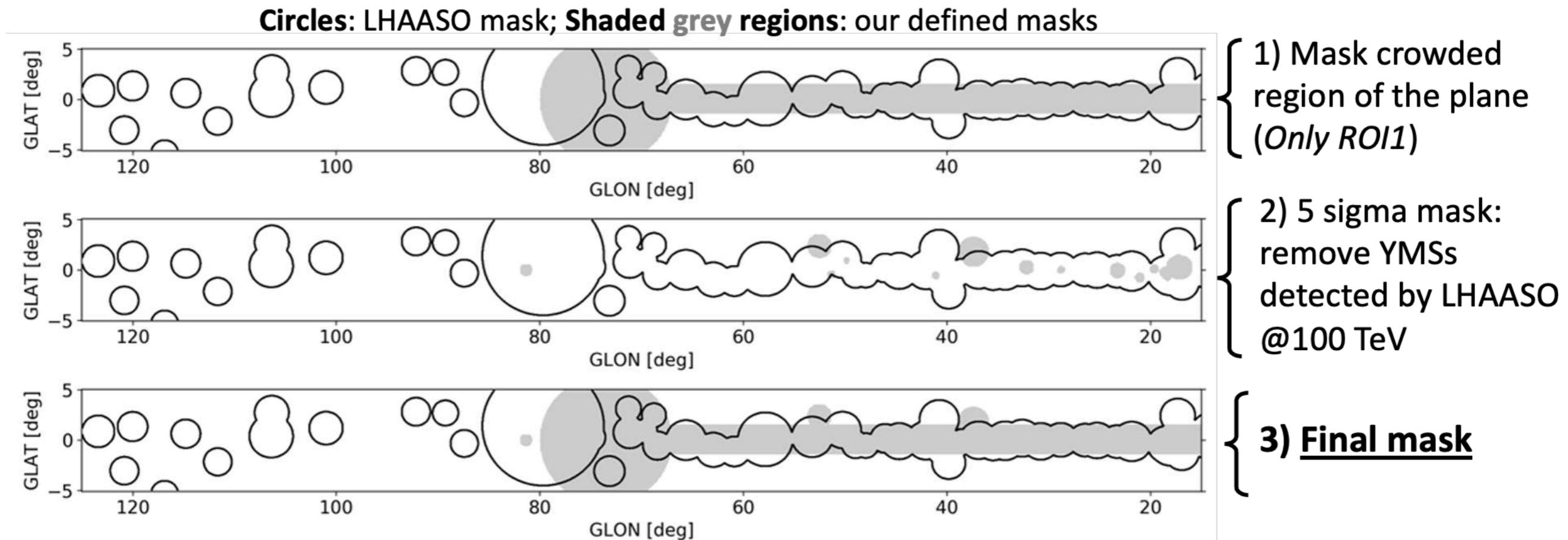
The masking procedure

Note: GDE data are provided after masking known detected sources (TeVCat+LHAASOcat)

A similar mask is defined for the synthetic simulations

ROI1: $15^\circ < \text{glon} < 125^\circ$, $|\text{glat}| < 5^\circ$

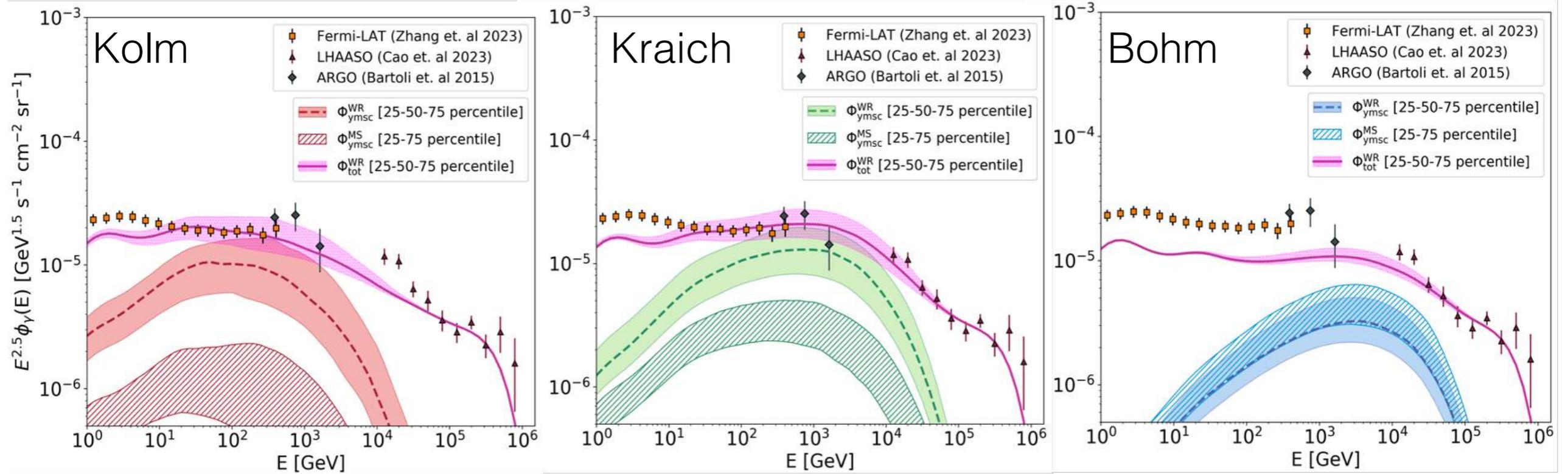
ROI2: $125^\circ < \text{glon} < 235^\circ$, $|\text{glat}| < 5^\circ$



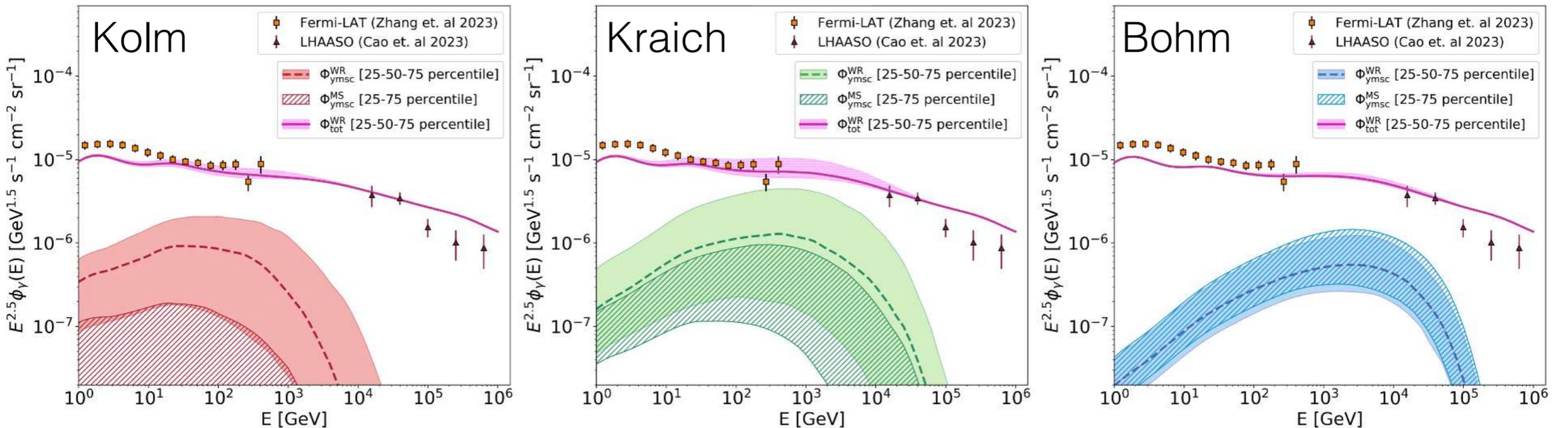
4. Radiative signatures: gamma rays

Diffuse emission

ROI1: $15^\circ < \text{glon} < 125^\circ$, $|\text{glat}| < 5^\circ$



ROI2: $125^\circ < \text{glon} < 235^\circ$, $|\text{glat}| < 5^\circ$



3b. Particle acceleration @ SNRs in SCs

- Why SCs are also important for SNRs?
 - **~100% of massive stars born in SCs** [$\sim 80\%$ explode in SCs, $\sim 20\%$ explode as isolated (probably associated to runaway stars)];
 - 80% of SNRs expand into an environment different from the “regular” ISM: **lower density** ($n \sim 0.01-0.1 \text{ cm}^{-3}$), **higher temperature** ($T \sim 10^6 - 10^8 \text{ K}$), **highly turbulent medium** (+ advection).
- Why SNR explosions in SCs are difficult to treat?
 - SNRs are **transient phenomena** along the SC evolution, introducing non-stationarity effects in the solution;
 - the non-uniform environment of SCs might induce the formation of **multiple reflected shocks**.

A simplified model for particle acceleration @ SNRs in SCs

- SNR dies before reaching the bubble boundary:

$$R_{\text{Sed}} = 17 \left(\frac{M_{\text{ej}}}{5M_{\odot}} \right)^{1/3} \left(\frac{n_b}{0.01 \text{ cm}^{-3}} \right)^{1/3} \text{ pc} \simeq R_{\text{TS}}$$

- Particle acceleration @ SNR lasts only for the **ejecta-dominated phase**;

- Ambient magnetic field given by **wind-termination shock turbulence: $B_0 \sim 10 \mu\text{G}$** ;

- Amplification due to **resonant streaming instability** only:

$$\mathcal{F}_{\text{res}} = 0.5 \left(\frac{\xi_{\text{CR}}}{0.1} \right)^{1/2} \left(\frac{E_{\text{SN}}}{10^{51} \text{ erg}} \right)^{1/4} \left(\frac{M_{\text{ej}}}{5M_{\odot}} \right)^{-1/4}$$

- **Time-limited acceleration** ($t_{\text{acc}}=t_{\text{Sed}}$):

$$E_{\text{max}}^p = 2\mathcal{F}_{\text{res}} \left(\frac{B_0}{10 \mu\text{G}} \right) \left(\frac{M_{\text{ej}}}{M_{\odot}} \right)^{-1/6} \left(\frac{E_{\text{SN}}}{10^{51} \text{ erg}} \right)^{1/2} \left(\frac{n_0}{0.01 \text{ cm}^{-3}} \right)^{-1/3} \text{ PeV}$$

- Power-law spectrum at the SNR shock, with **$s=4.3$ & 10% CR** conversion efficiency:

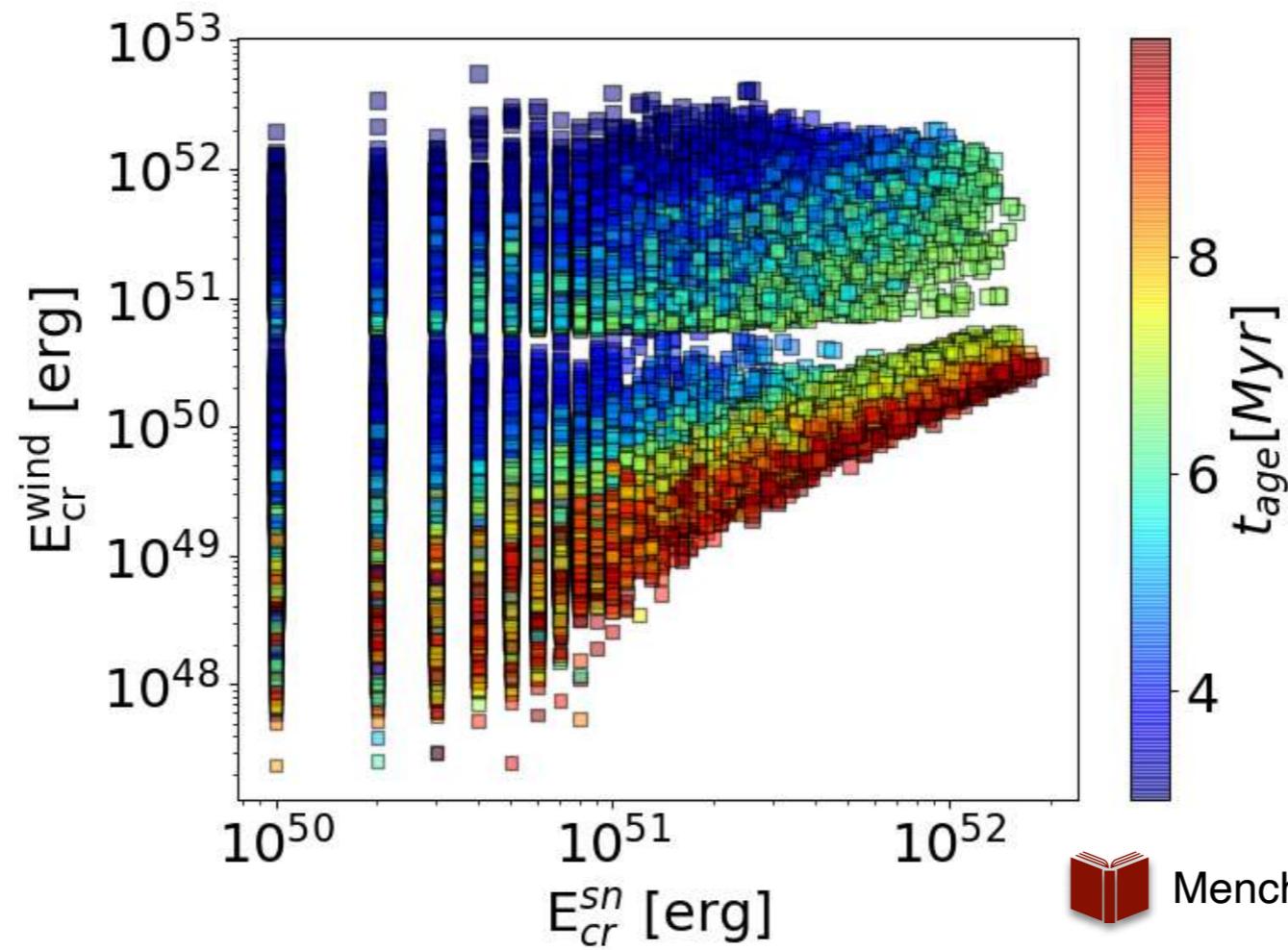
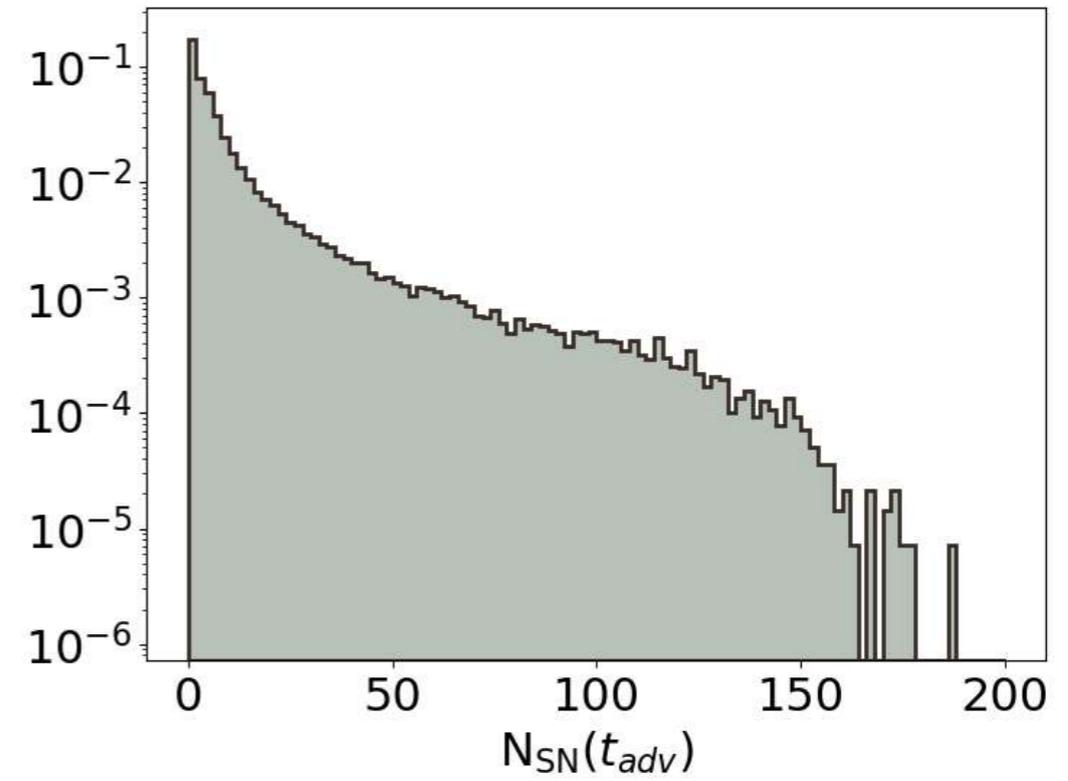
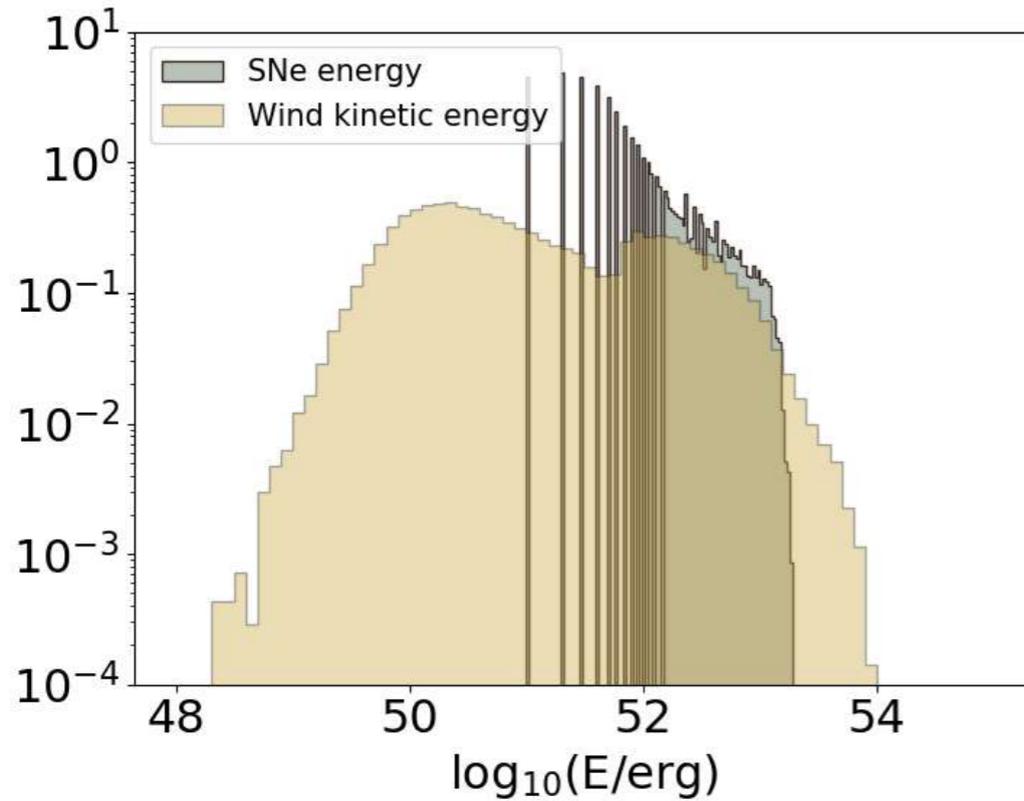
$$f_s(p) = \frac{3\xi_{\text{CR}}n_b u_{\text{sh}}}{4\pi\Lambda(m_p c)^4 c^2} \left(\frac{p}{m_p c} \right)^{-s} e^{-p/p_{\text{max}}}$$

- Particle **confinement** inside the bubble for one advection time:

$$t_{\text{adv}} = \int_{R_{\text{TS}}}^{R_b} \frac{dr}{u(r)} = \frac{R_b^3}{3u_2 R_{\text{TS}}^2} = 0.61 t_{\text{SC}}$$



Total number of YMSCs: 2241 (Age < 30 Myr, $M_{sc} > 10^3 M_{sun}$)



Conclusions

- **Young and massive star clusters** are powerful particle accelerators, as testified from gamma-ray detections;
- A **comprehensive study** of the Milky Way YMSC population was here presented by means of **synthetic realizations**;
 - Baseline model including **WTSs**;
 - Inclusion of SNRs is a work in progress.
- Non-negligible contribution of unresolved sources to **diffuse gamma-ray emission** above 100 GeV;
- Preliminary results indicate a possible non-negligible contribution to **diffuse Galactic neutrinos** as well;
- Model improvements required to treat properly bubble structure (relevant for SC geometry and hadronic collisions) and diffusion (relevant for transport and diffusion), particularly in the presence of SNRs.

**Thanks for your kind
attention!**

Siena
28th-31st October

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20

24

