

# PROJECTION BIAS IN OPTICALLY SELECTED GALAXY CLUSTER FOR EUCLID SURVEY

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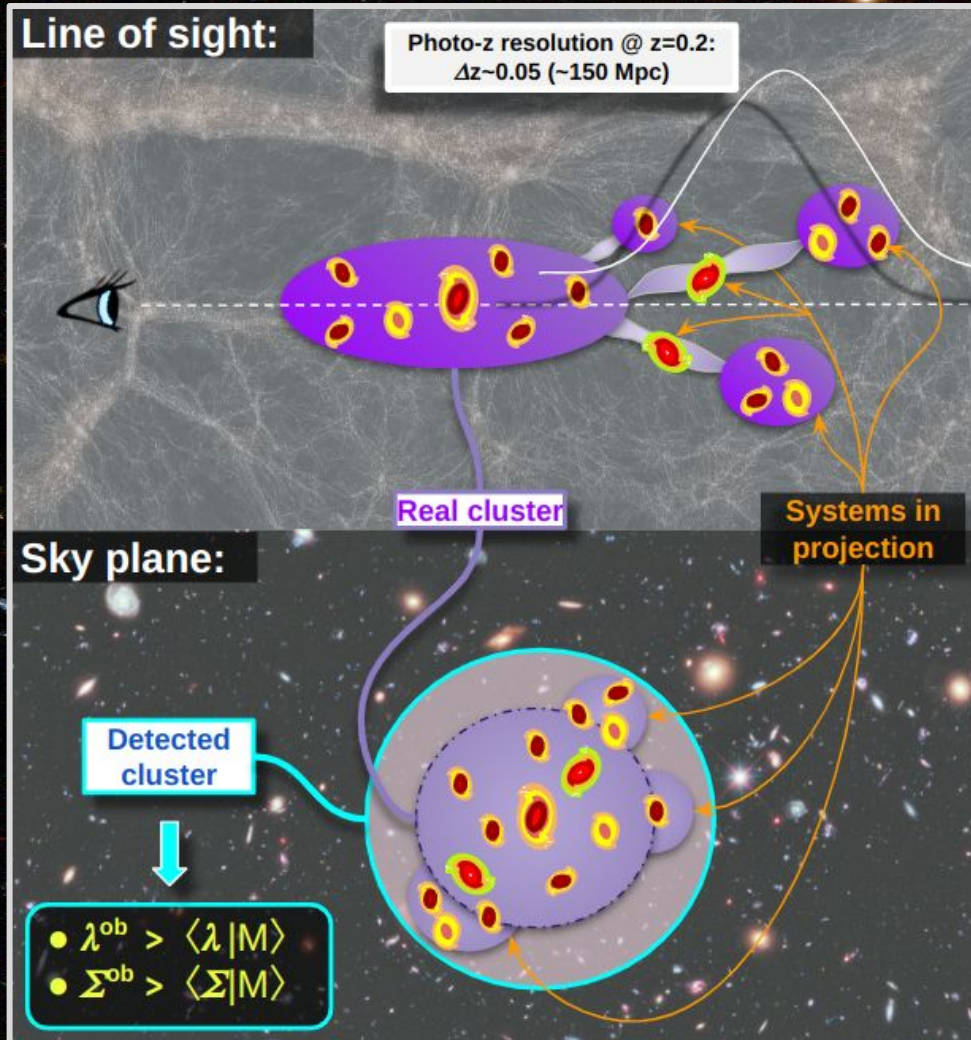
MAIN

COLLABORATORS:

- STEFANO BORGANI
- MATTEO COSTANZI
- TIAGO CASTRO
- ALEXANDRO SARO



# SELECTION EFFECTS IN OPTICAL CATALOGS

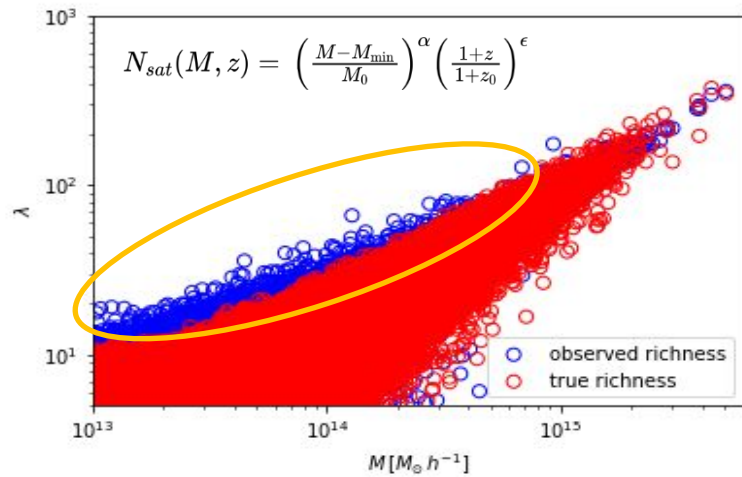


## RICHNESS-MASS RELATION

$$\lambda^{\text{ob}} = \lambda^{\text{true}}(M) + \Delta\lambda(\lambda^{\text{true}}, \dots)$$

$$\Sigma^{\text{ob}} = \Sigma(M) + \Delta\Sigma(\lambda^{\text{ob}}, \dots)$$

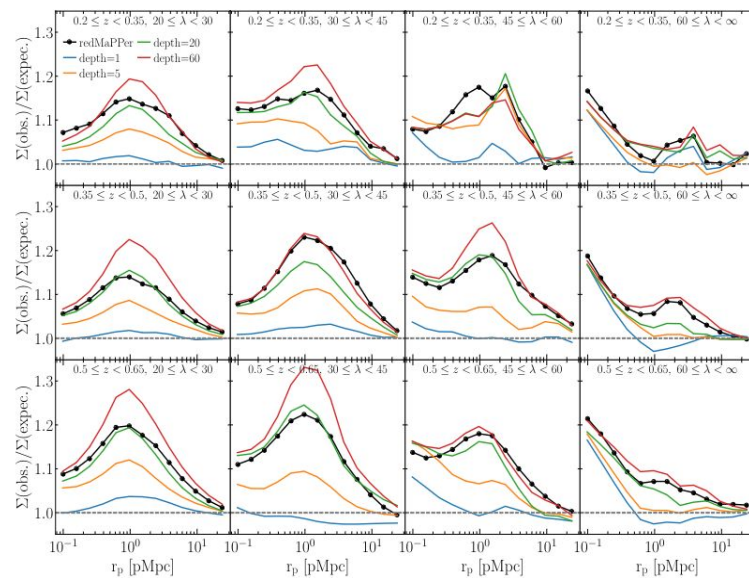
# SELECTION EFFECTS IN OPTICAL CATALOGS



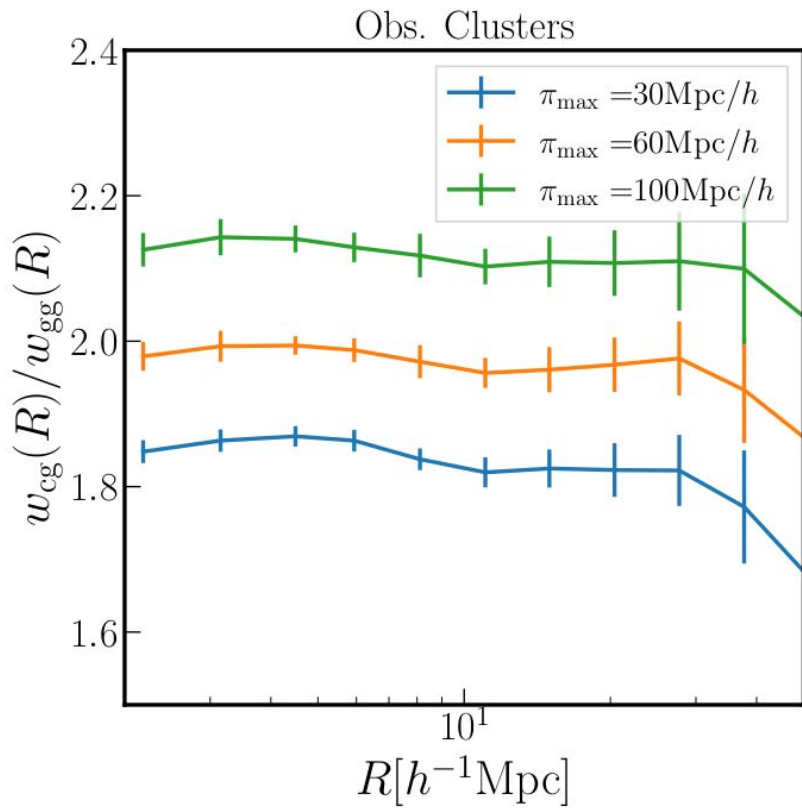
## RICHNESS-MASS RELATION

$$\lambda^{ob} = \lambda^{true}(M) + \Delta\lambda(\lambda^{true}, \dots)$$

$$\Sigma^{ob} = \Sigma(M) + \Delta\Sigma(\lambda^{ob}, \dots)$$



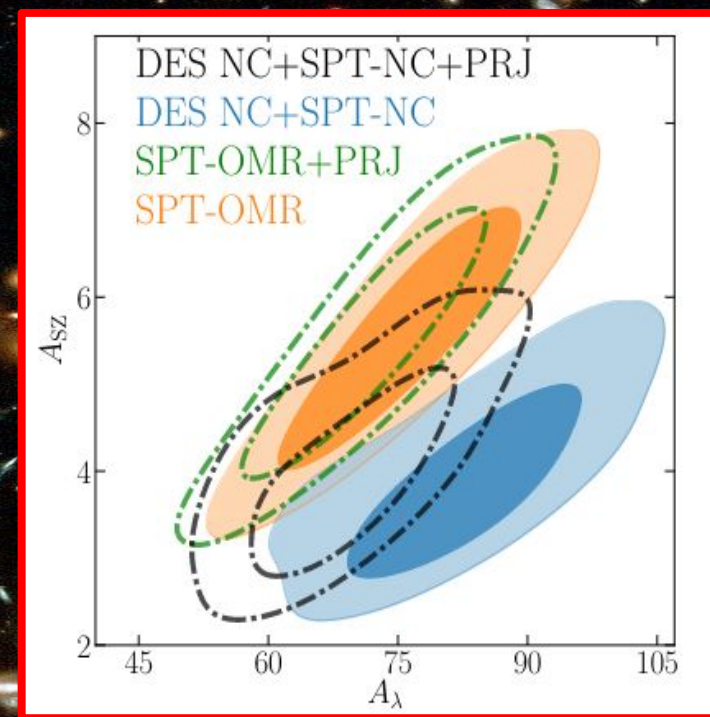
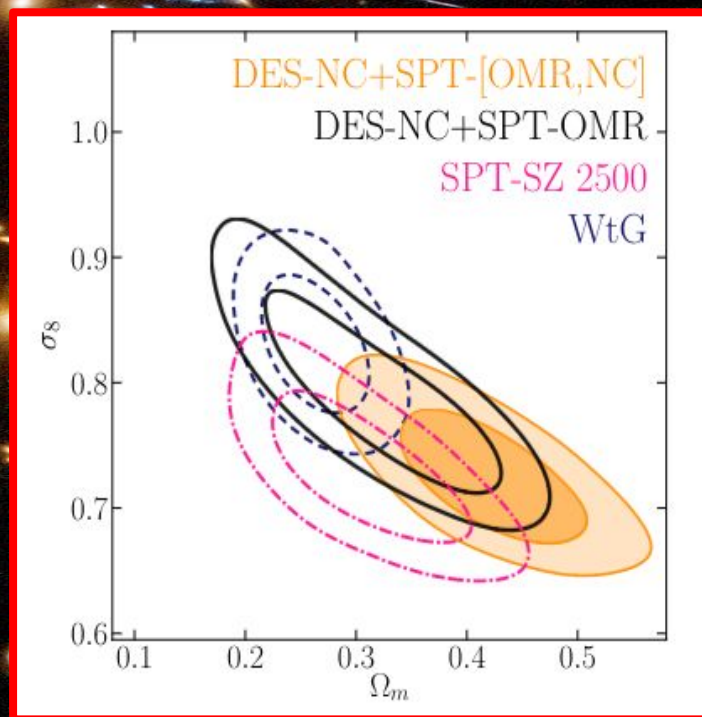
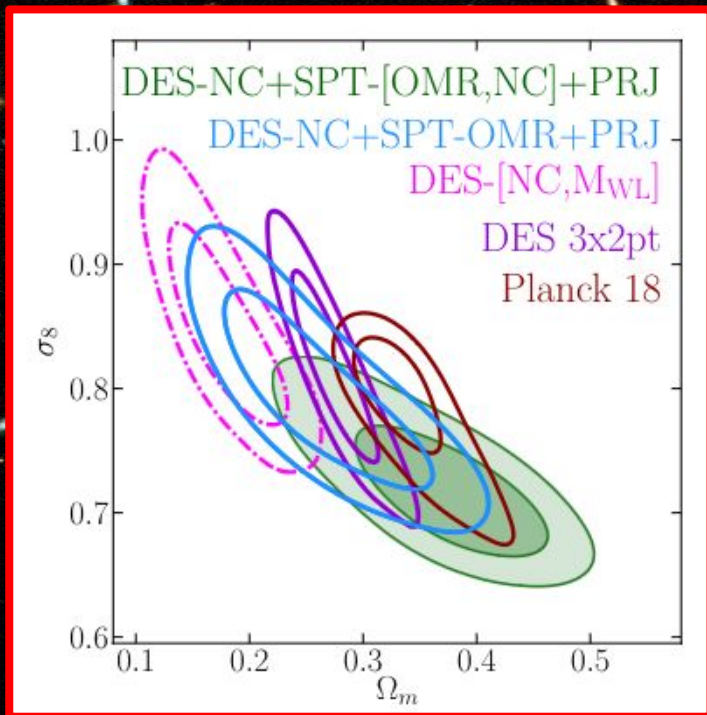
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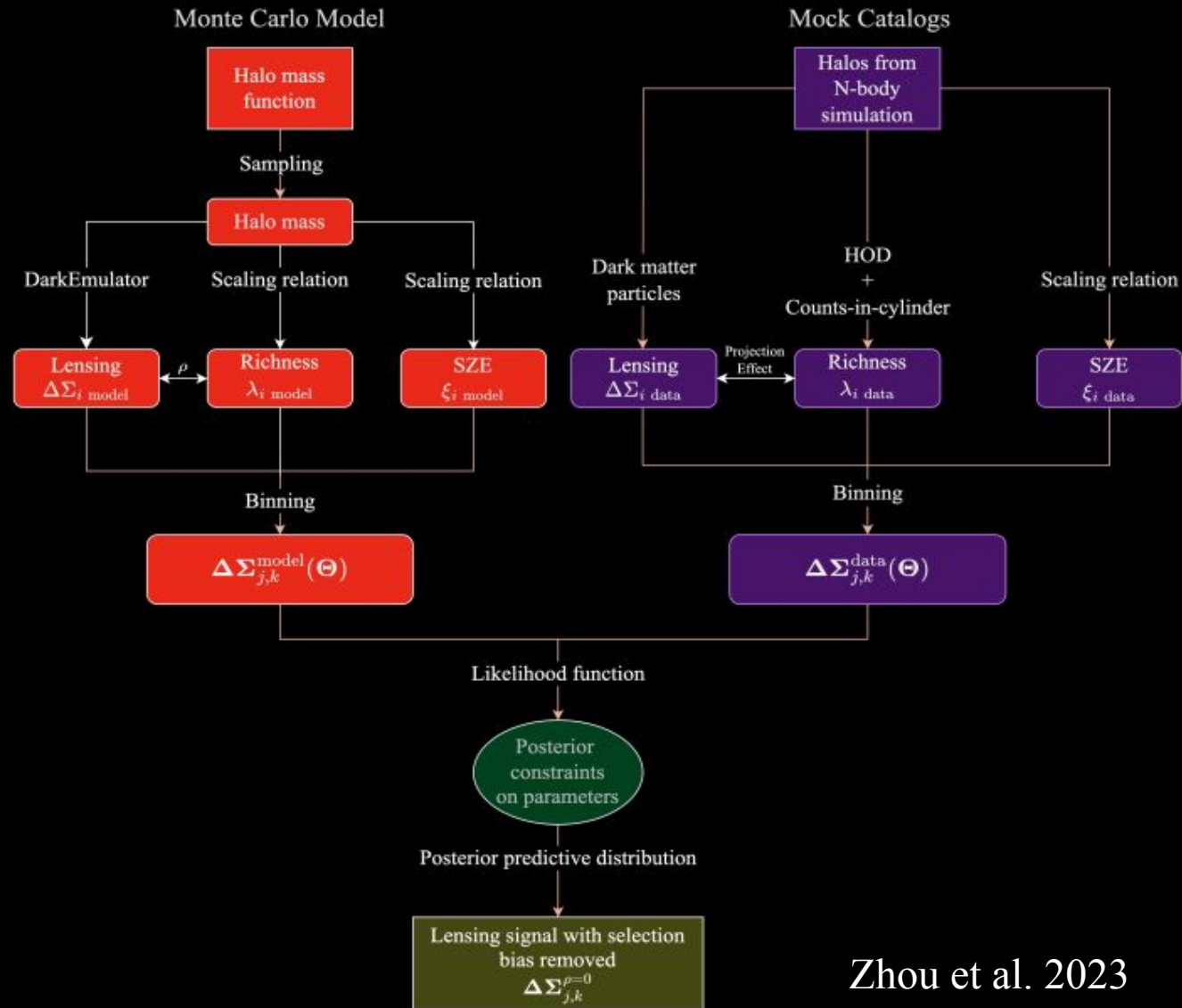
## PROJECTED TWO POINT FUNCTION

$$\frac{w_{\text{cg}}(R, \pi_{\text{max}})}{w_{\text{gg}}(R, \pi_{\text{max}})} = \frac{b_c}{b_g} (1 + \alpha_0(\pi_{\text{max}}, d_{\text{proj}}))$$

# IMPACT ON COSMOLOGICAL PARAMETERS



# OUR APPROACH

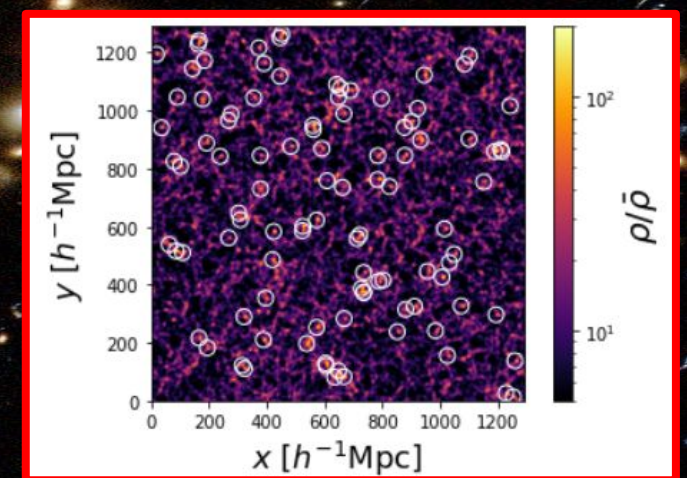
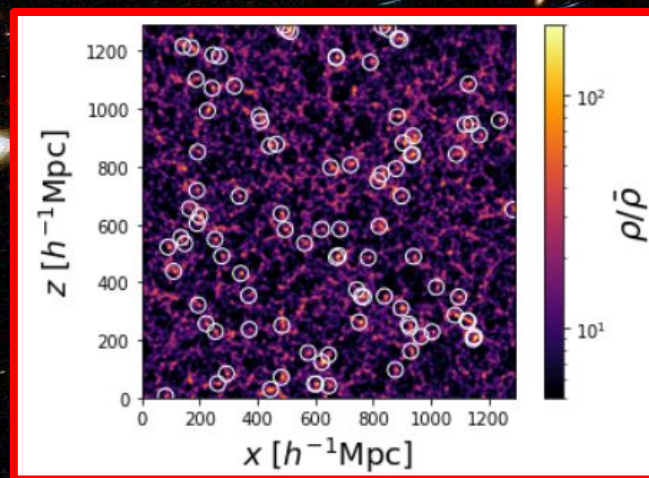
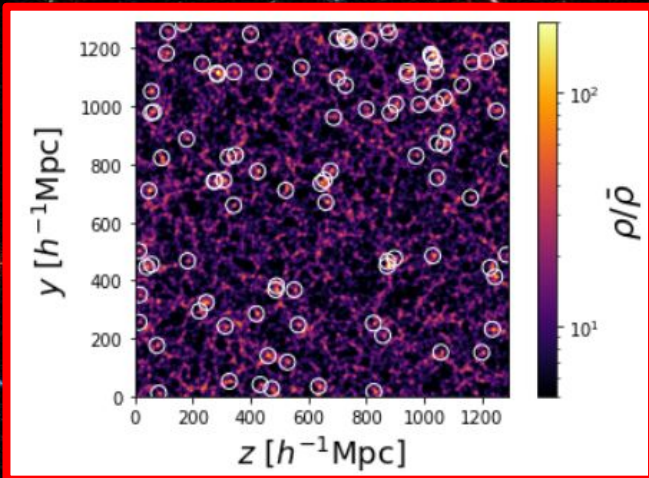


# OUR APPROACH

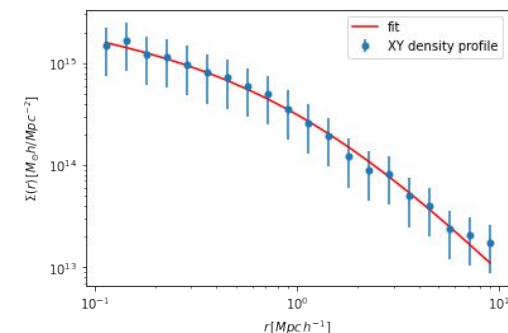
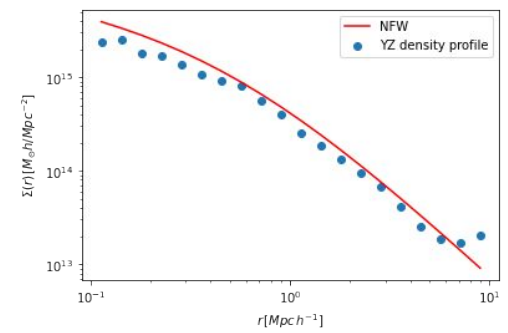
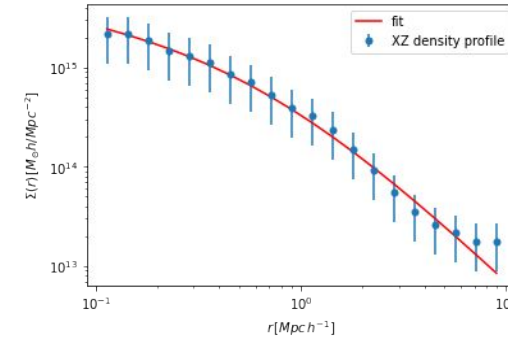
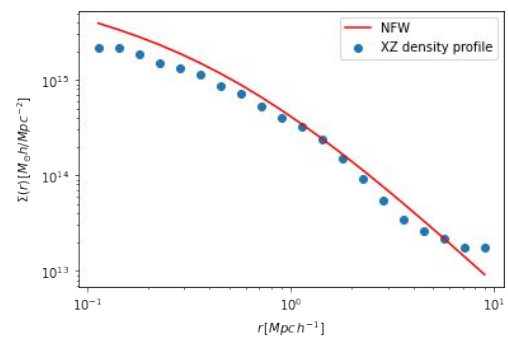
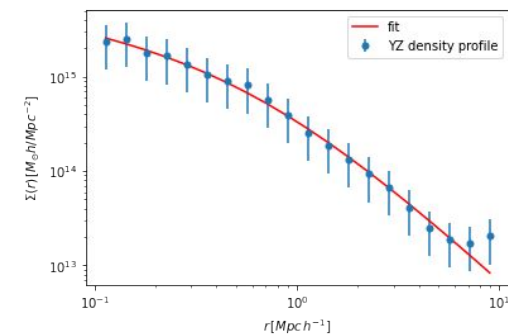
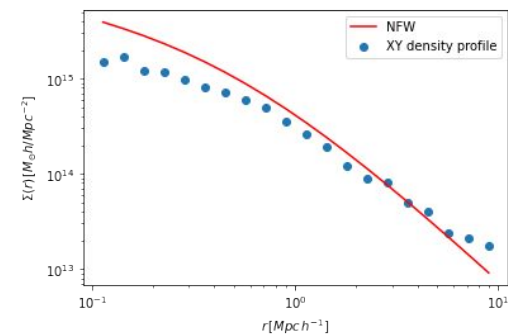
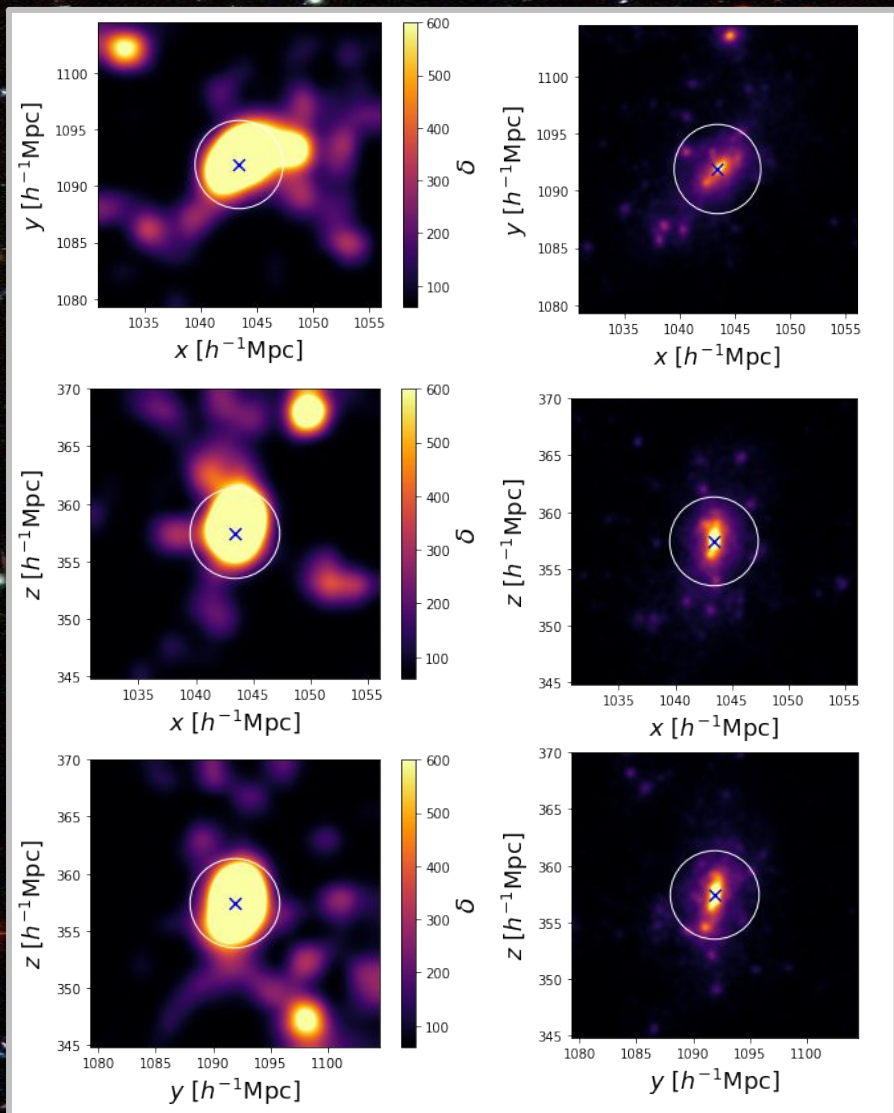
## PathFinder Cluster COsmoLOgy

| Name | $\Omega_m$ | $h$    | $\Omega_b$ | $n_s$  | $\sigma_8$ |
|------|------------|--------|------------|--------|------------|
| C0   | 0.3158     | 0.6732 | 0.0494     | 0.9661 | 0.8102     |
| C1   | 0.1986     | 0.7267 | 0.0389     | 0.9775 | 0.8590     |
| C2   | 0.1665     | 0.7066 | 0.0417     | 0.9461 | 0.8341     |
| C3   | 0.3750     | 0.6177 | 0.0625     | 0.9778 | 0.7136     |
| C4   | 0.3673     | 0.6353 | 0.0519     | 0.9998 | 0.7121     |
| C5   | 0.1908     | 0.6507 | 0.0527     | 0.9908 | 0.8971     |
| C6   | 0.2401     | 0.8087 | 0.0357     | 0.9475 | 0.8036     |
| C7   | 0.3020     | 0.5514 | 0.0674     | 0.9545 | 0.8163     |
| C8   | 0.4093     | 0.7080 | 0.0446     | 0.9791 | 0.7253     |

- TreePM Open-GADGET3
- 68 bilions DM particles
- 1290 comoving Mpc/h

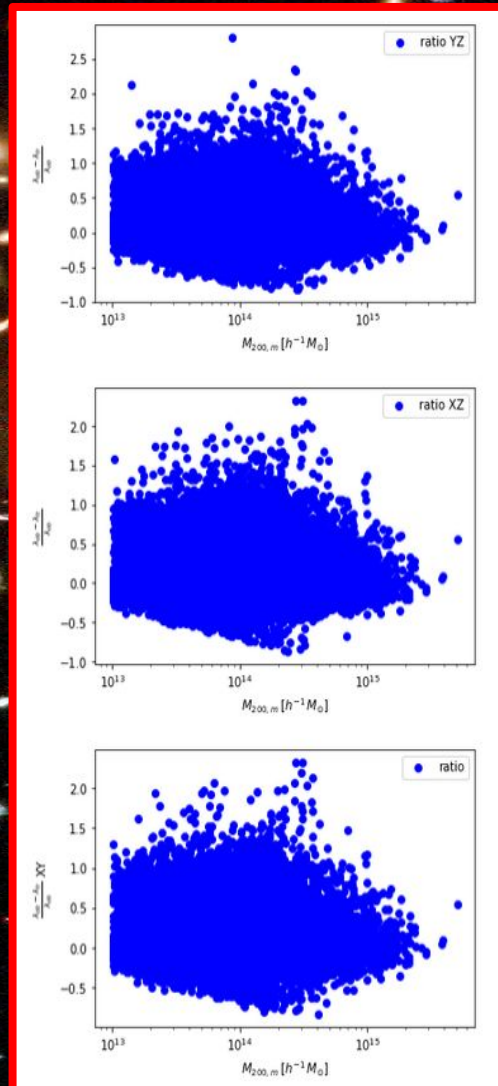
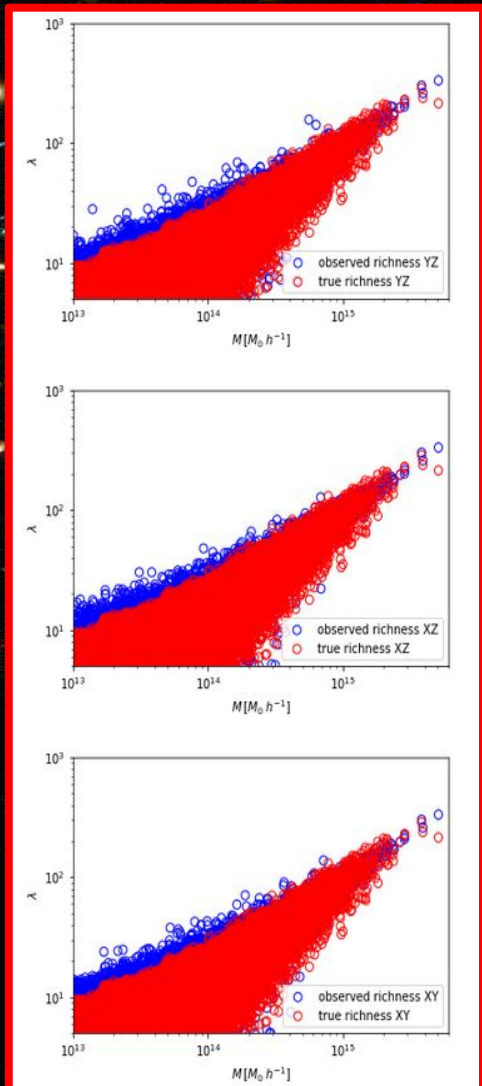
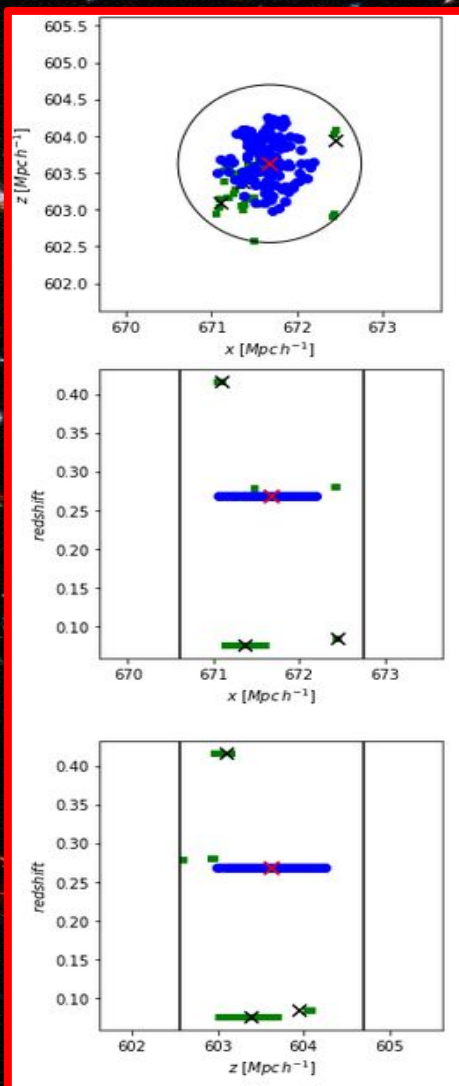


# OUR APPROACH





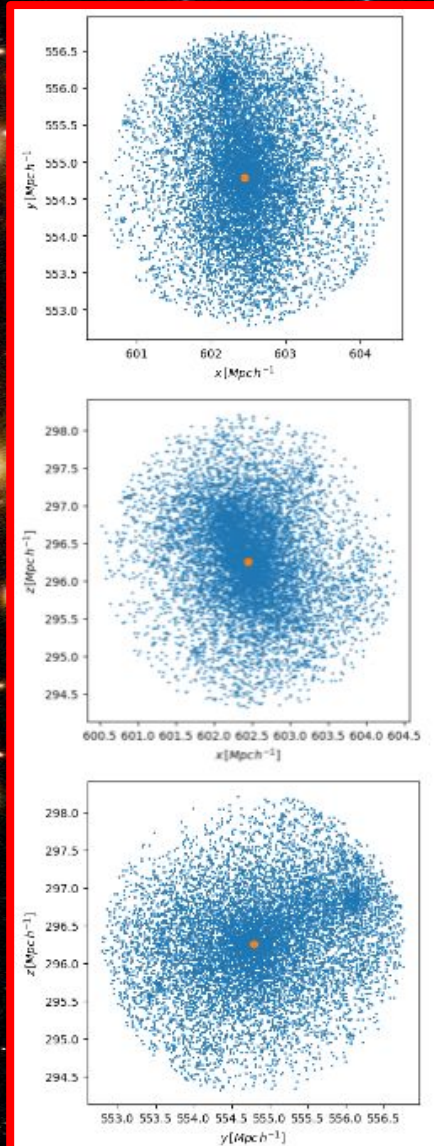
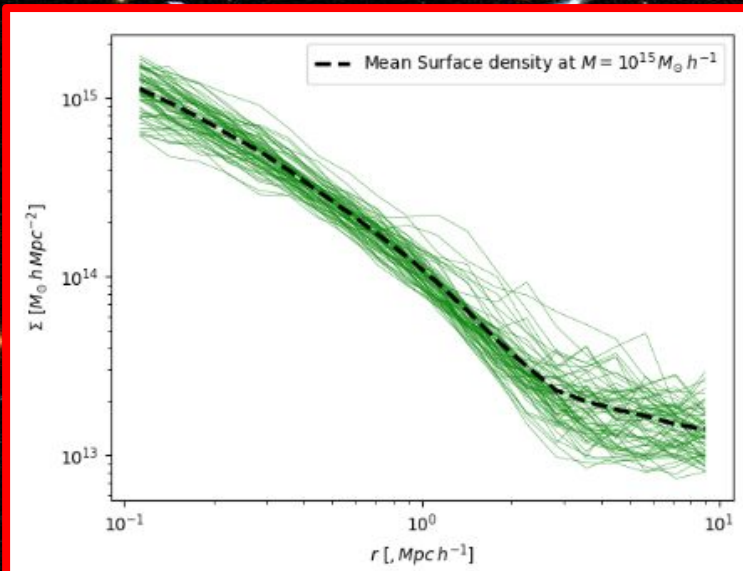
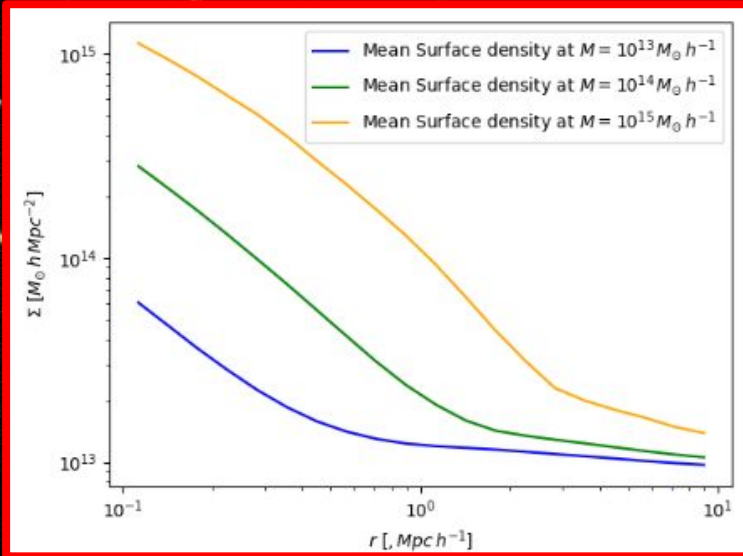
# PRELIMINARY FOR NFW PAINTING



$$R_\lambda = \left( \frac{\lambda}{100} \right)^{0.2} \text{ physical } h^{-1} \text{Mpc}$$

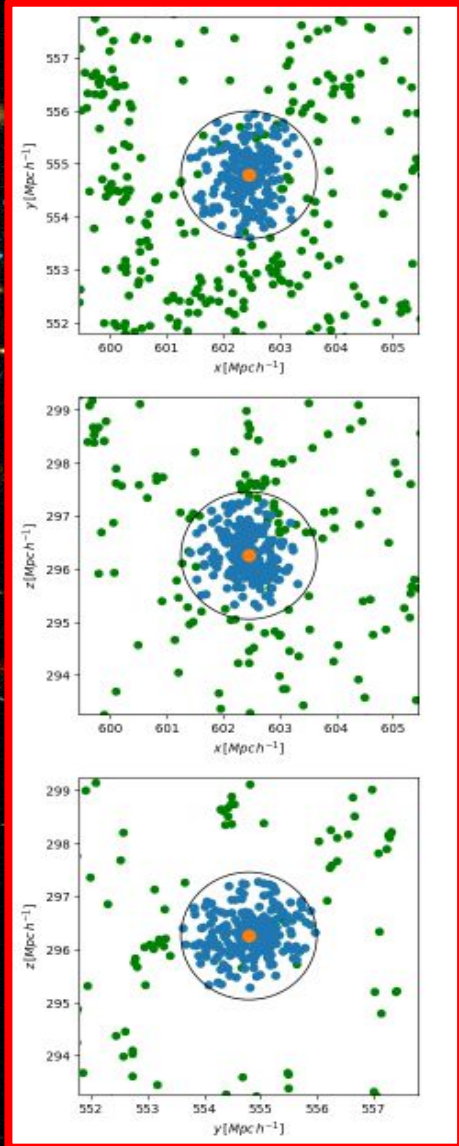
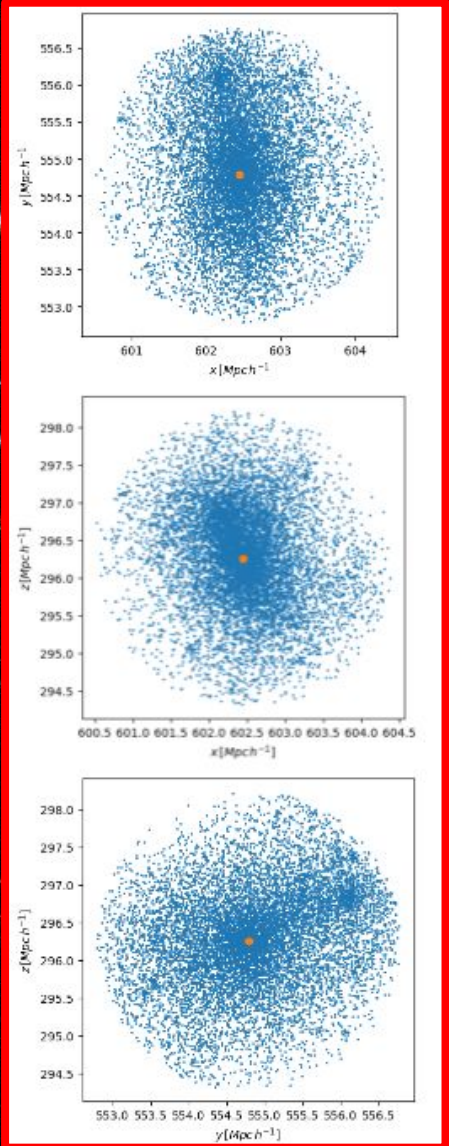
$$w(\Delta z, z_{cl}) = \begin{cases} 1 - \frac{(\Delta z)^2}{\sigma_z(z_{cl})^2}, & |\Delta z| < \sigma_z(z_{cl}) \\ 0, & \text{otherwise} \end{cases}$$

# SURFACE DENSITY PROFILES AND DM PAINTING

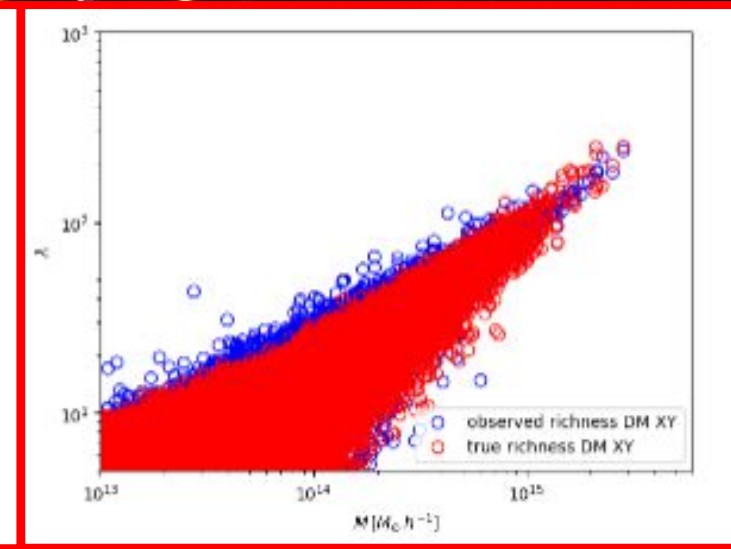
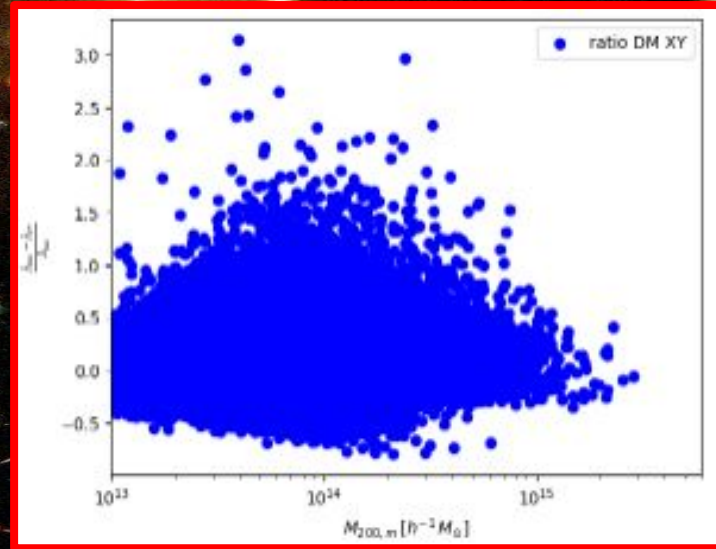


- Currently using one fourth of the box
- Preselecting DM particles in ellipsoids with KDtree
- Sigma profiles are evaluated in cylinders with projection depth of 100 comoving Mpc
- A sphere of radius 2 comoving Mpc is stored to pass to the galaxy painter
- From a base of  $\sim 24$  millions object we have a sample  $\sim 270000$  object above  $1e13$  solar masses

# SURFACE DENSITY PROFILES AND DM PAINTING

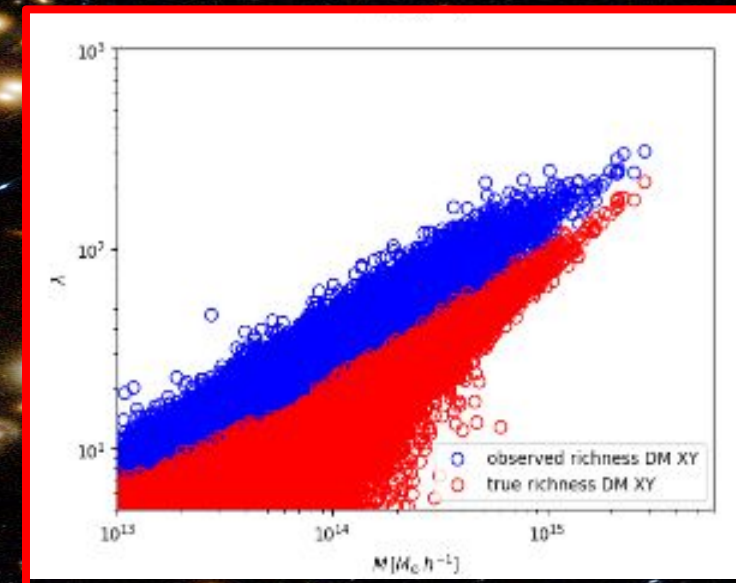
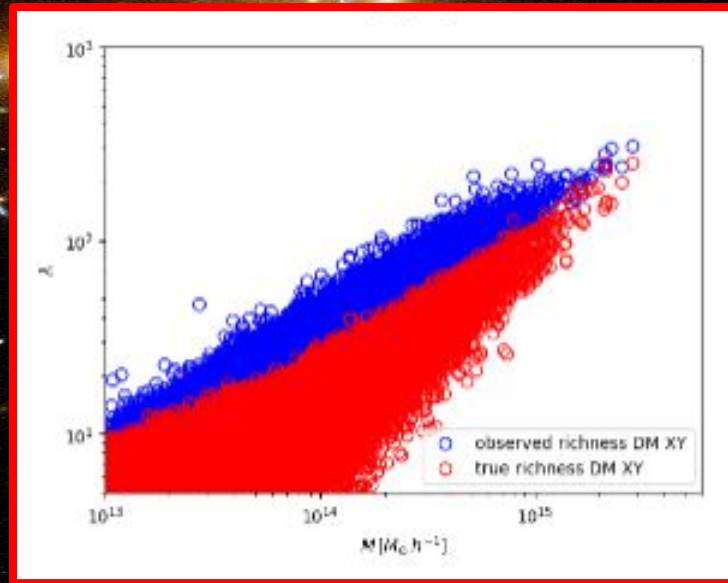
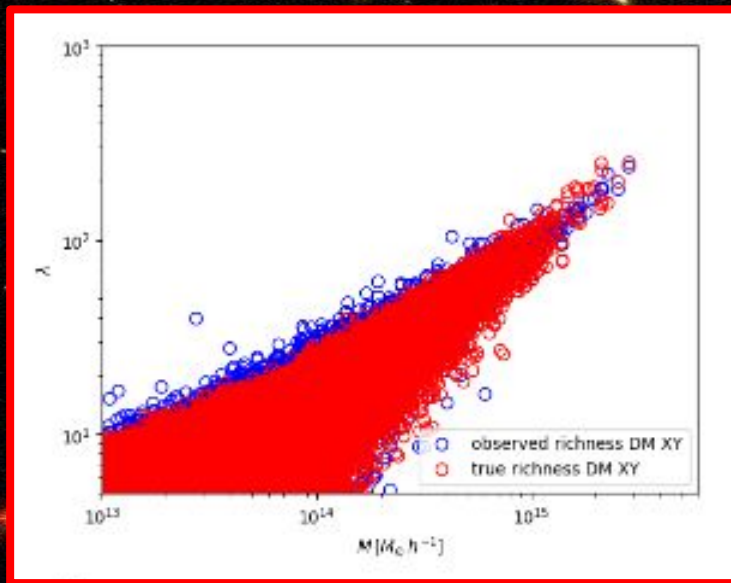


Galaxies are randomly drawn based on the DM positions inside a sub-sphere of radius given by the richness aperture



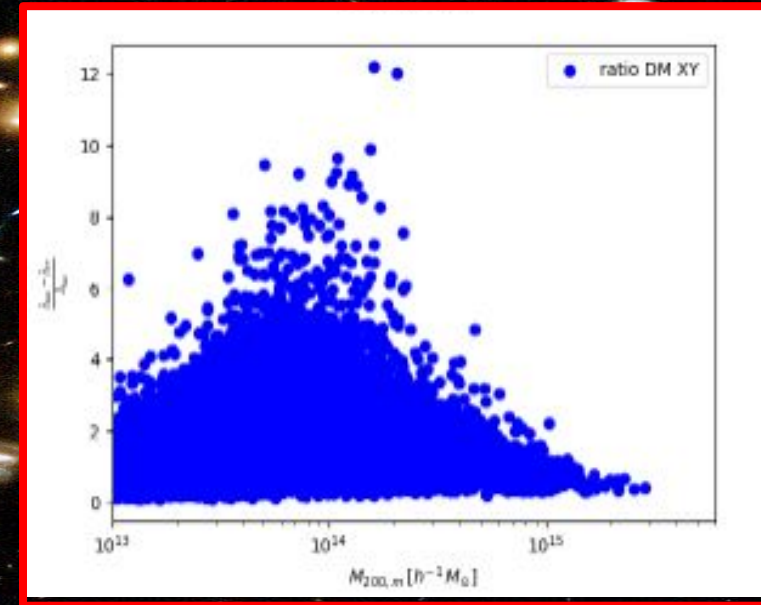
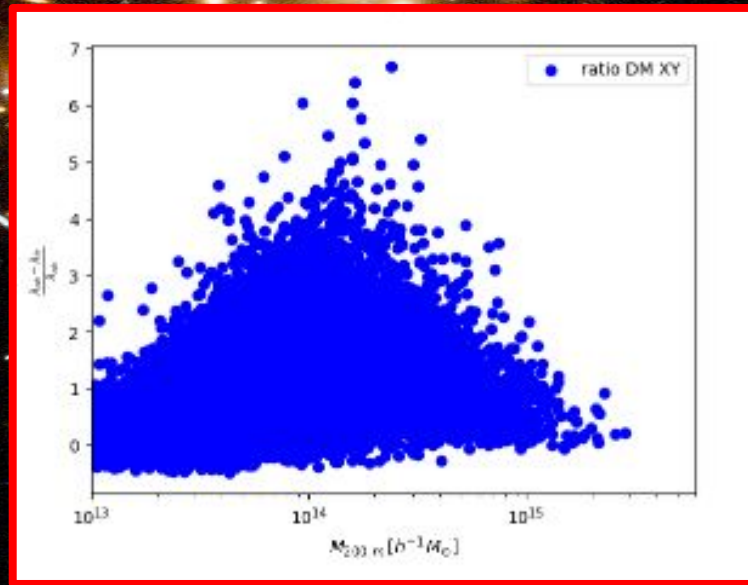
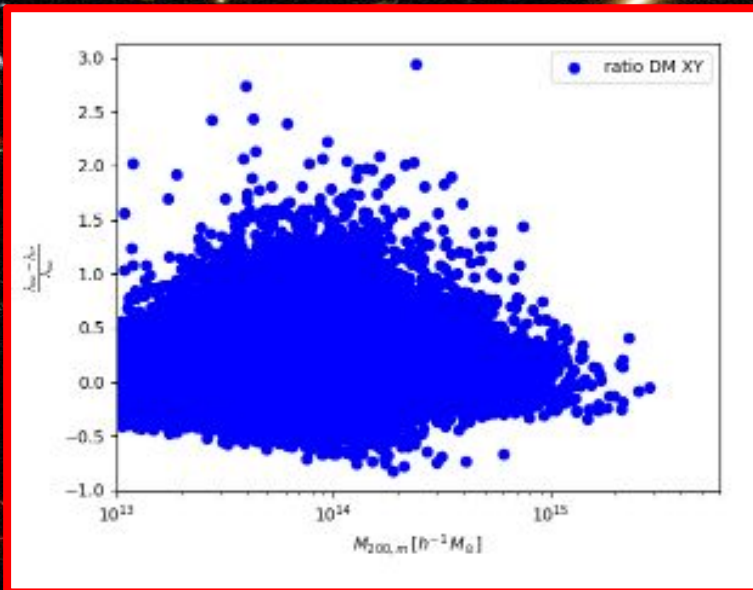
# SURFACE DENSITY PROFILES AND RADIAL PROBABILITY

$$P(\Delta r, M, c) = \frac{\Sigma_{NFW+bkg}(\Delta r, M, c) - \Sigma_{NFW+bkg}(r_{bkg}, M, c)}{\Sigma_{NFW+bkg}(\Delta r, M, c)}, \quad \text{where } r_{bkg} = 4 \text{ Mpc } h^{-1}$$



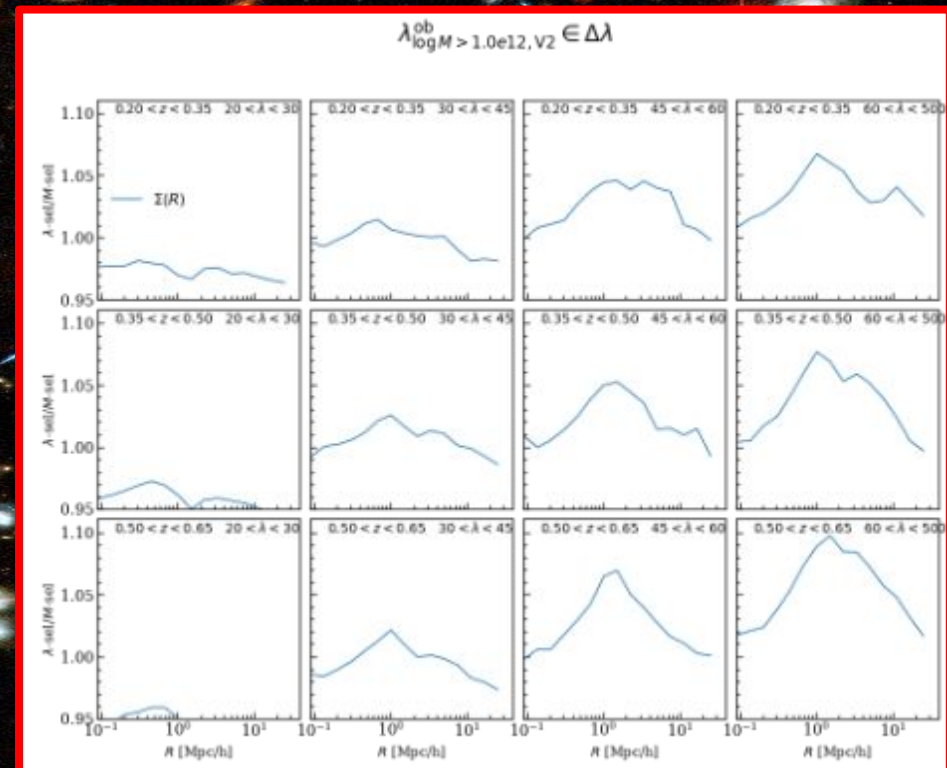
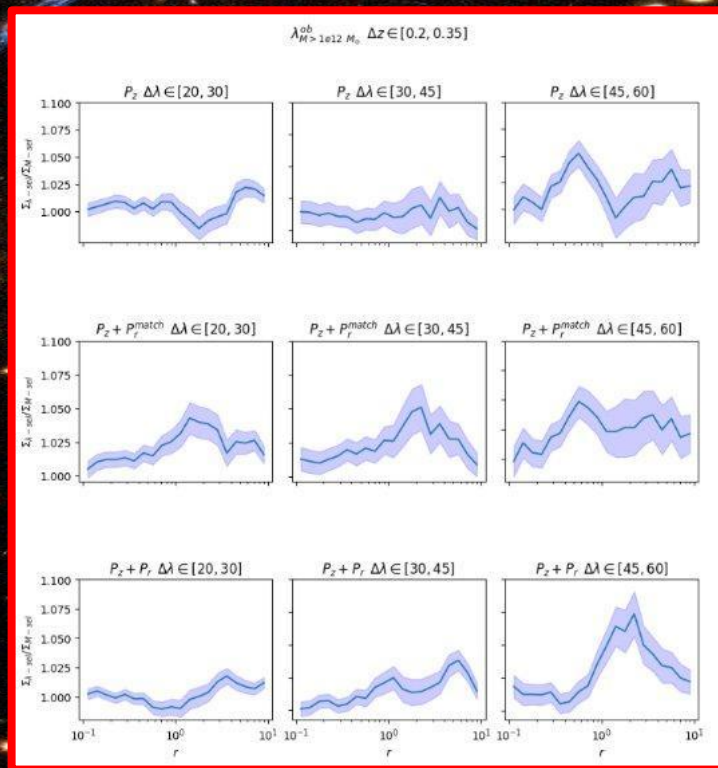
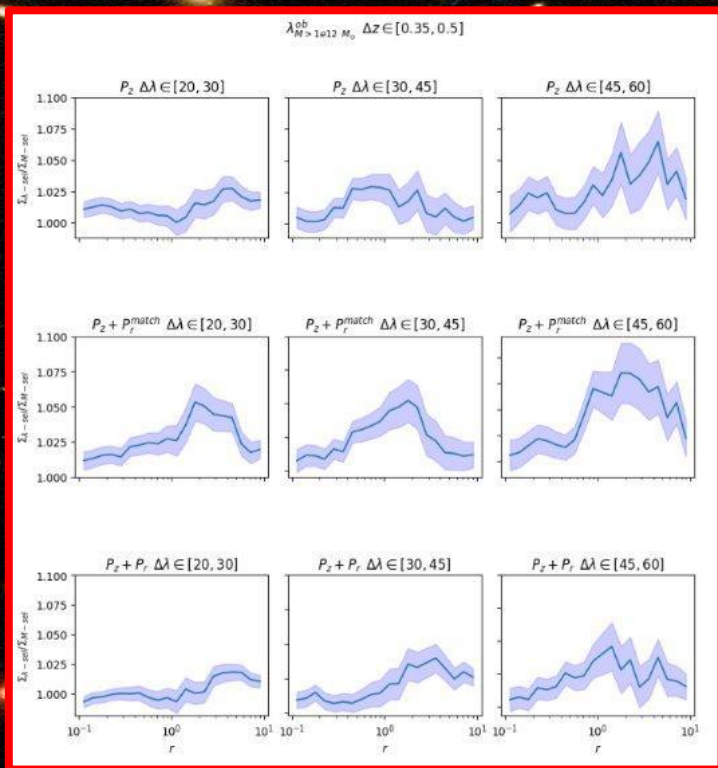
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# VALIDATION

We performed an initial validation on a subset of the Z=0 C0 box



# MEMBERSHIP PROBABILITY EMULATOR

In order to obtain a Euclid-like output for the richness estimation, we trained a NN model on the Flagship2 30 deg<sup>2</sup> catalogue processed with PZWAV and Rich-CL

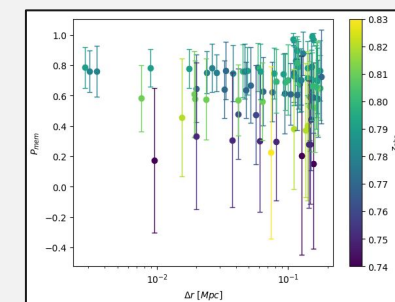
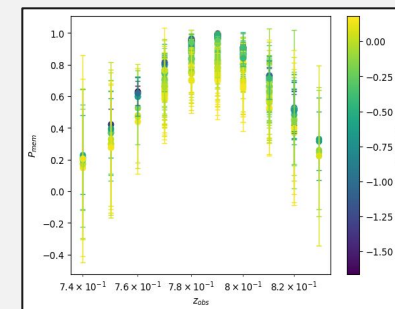
PREVIOUS PROBABILITY ASSIGNATION SCHEME

$$w_z(\Delta z, z_{cl}) = 1 - \frac{\Delta z^2}{\sigma_z^2(z_{cl})}$$

$$w_r(\Delta r, M, c) = \frac{\Sigma_{NFW+bkg}(\Delta r, M, c) - \Sigma_{NFW,bkg}(\Delta r_{bkg}, M, c)}{\Sigma_{NFW+bkg}(\Delta r, M, c)}$$

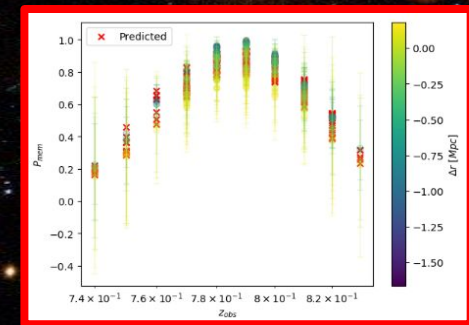
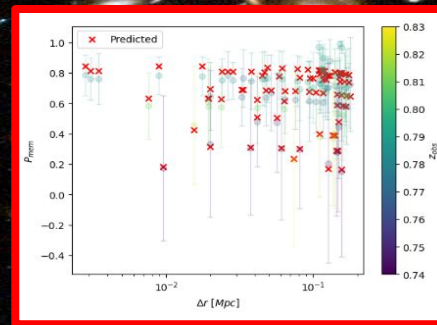
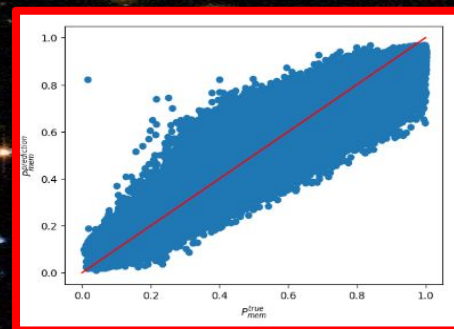
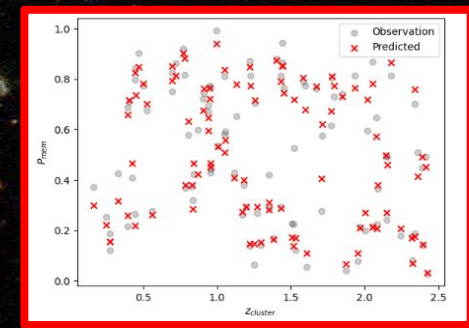
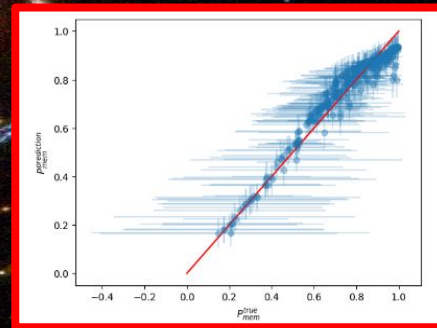
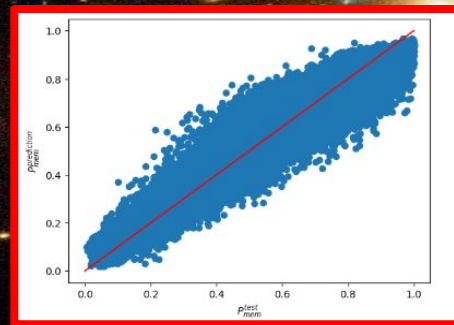
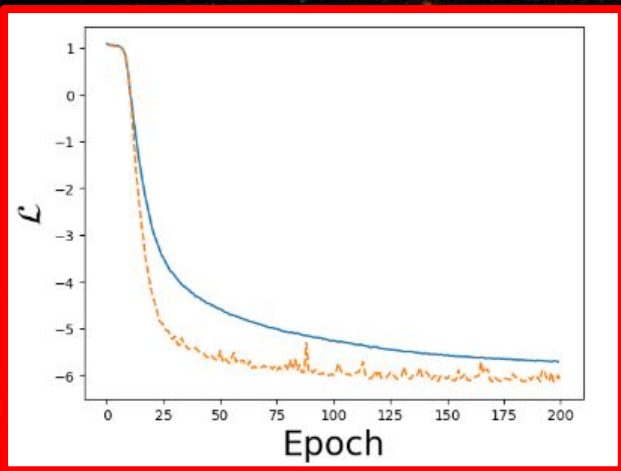


RICH-CL OUTPUT FOR THE FLAGSHIP2 30deg<sup>2</sup>



# MEMBERSHIP PROBABILITY EMULATOR

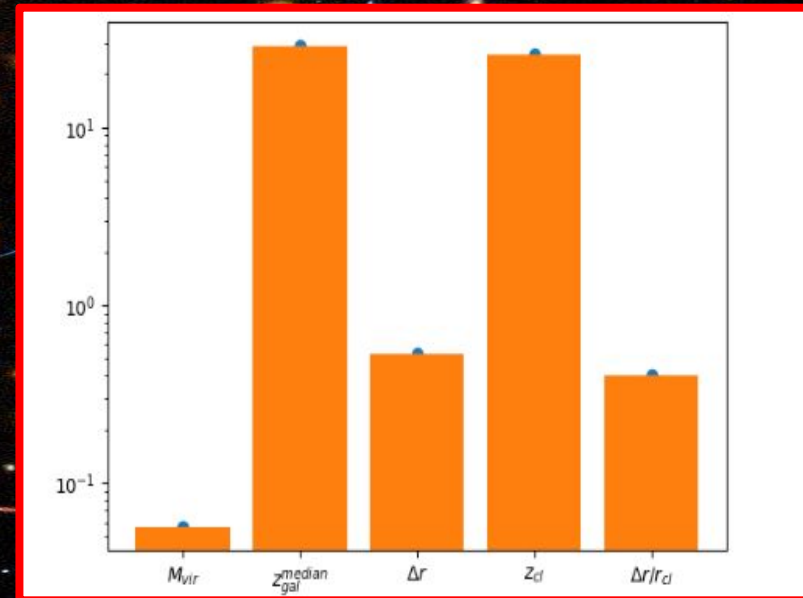
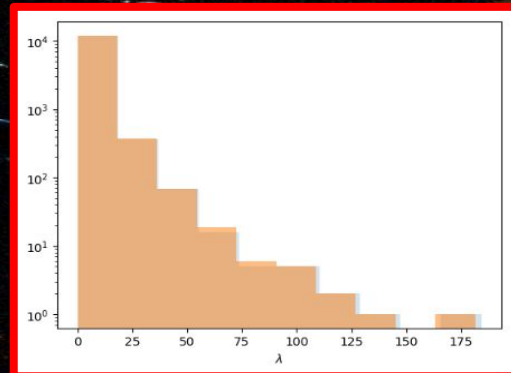
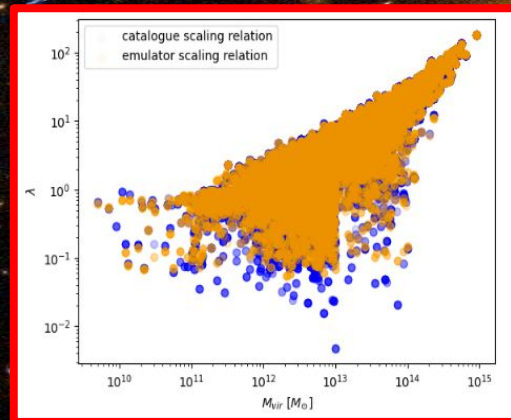
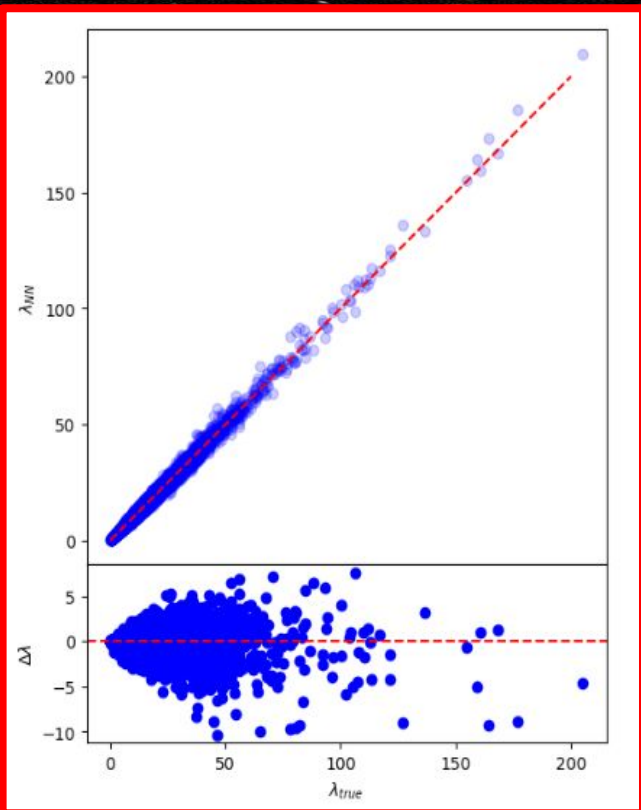
We implement the training via Pytorch and the hyperparameter optimization With an Optuna based trial process





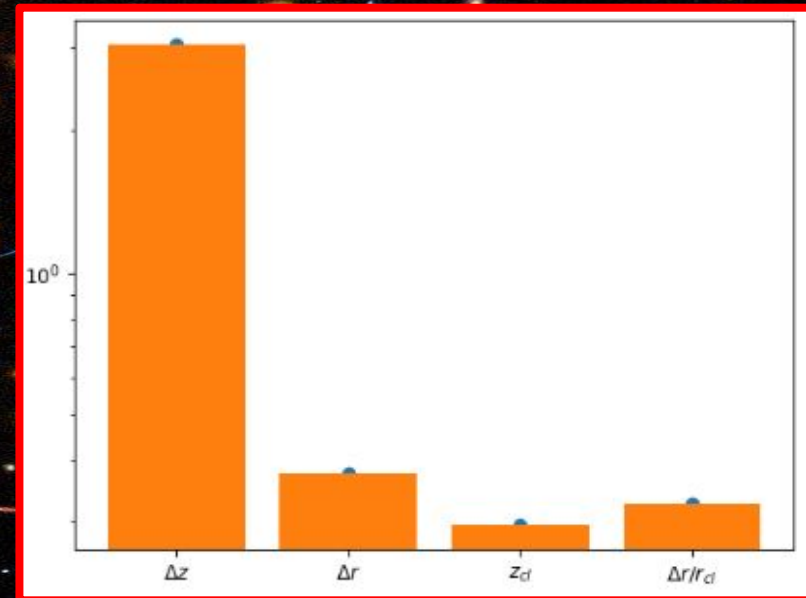
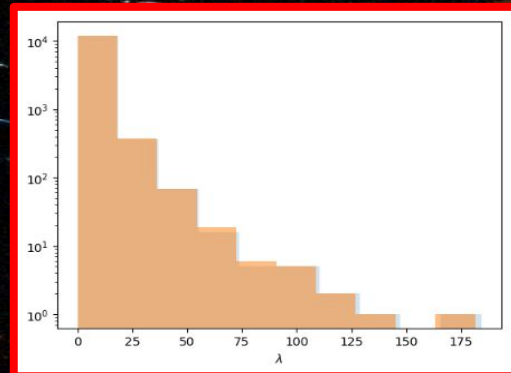
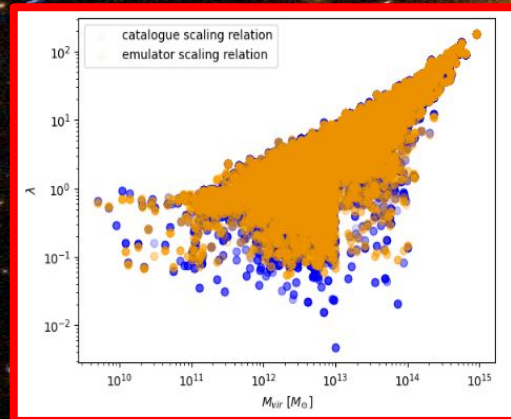
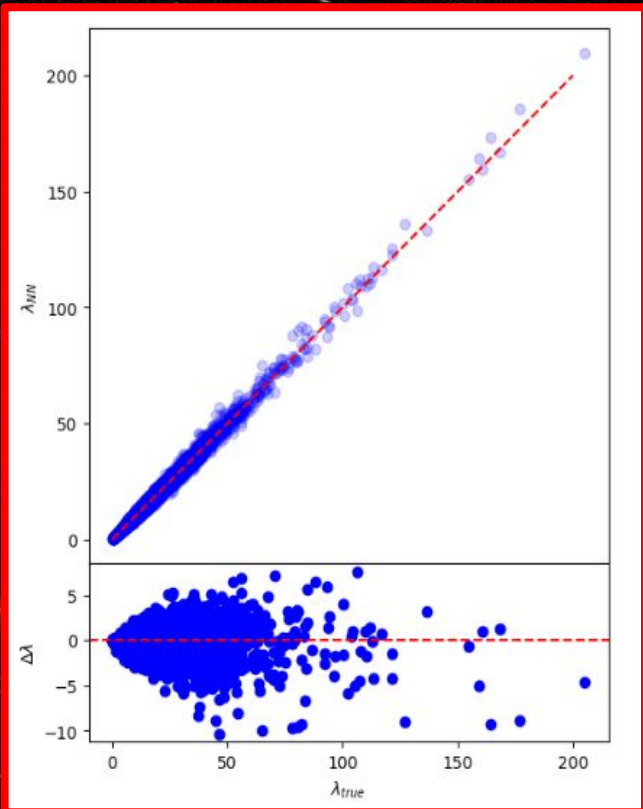
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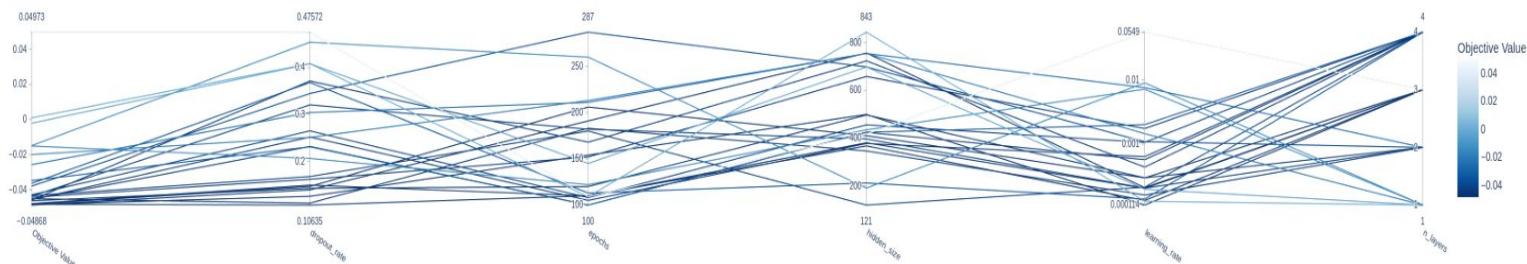
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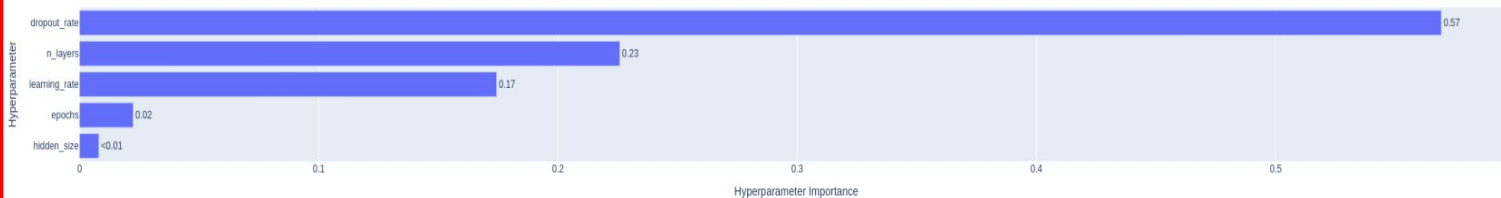
# MEMBERSHIP PROBABILITY EMULATOR

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Parallel Coordinate Plot



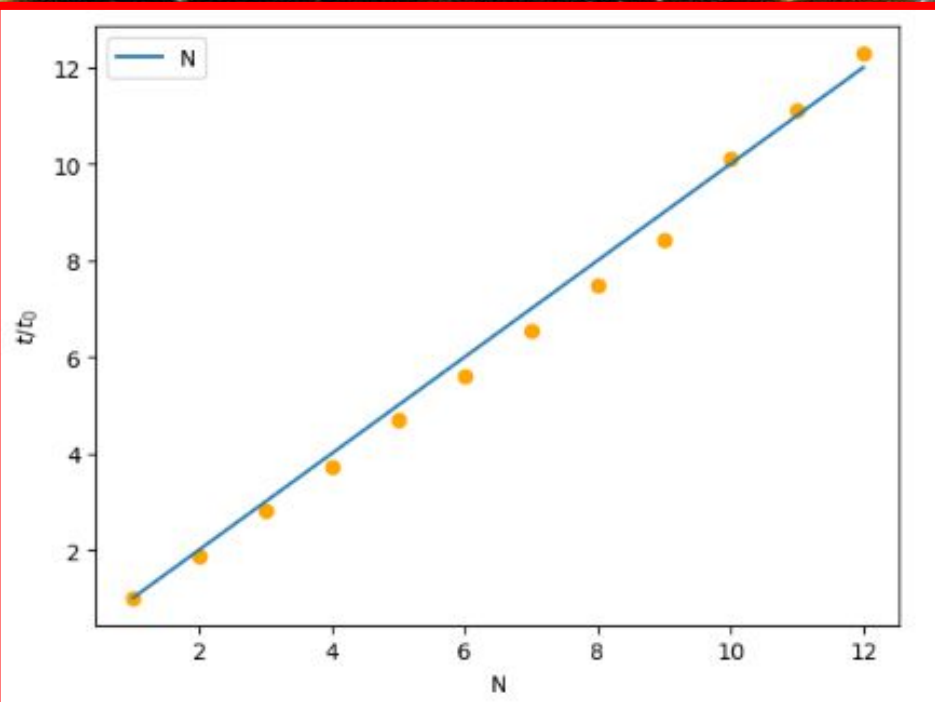
Hyperparameter Importances



```
learning_rate: 0.0002107066626642909
epochs: 191
n_layers: 3
hidden_size: 756
dropout_rate: 0.13884307002455876
```

# MEMBERSHIP PROBABILITY EMULATOR

We implement the training via Pytorch and the hyperparameter optimization With an Optuna based trial process



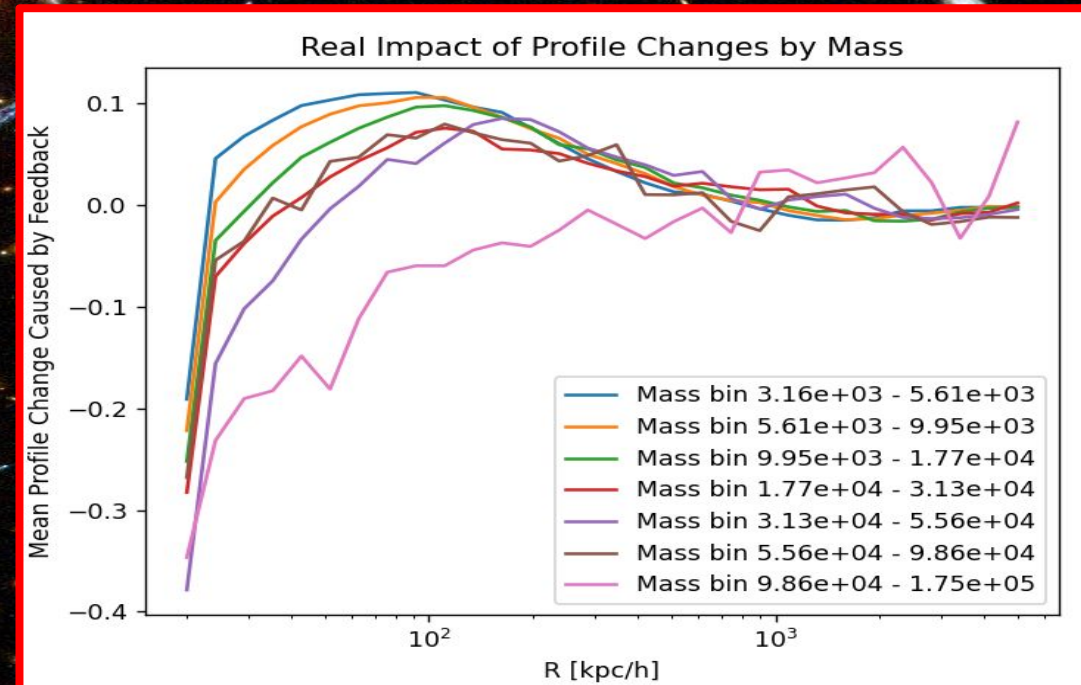
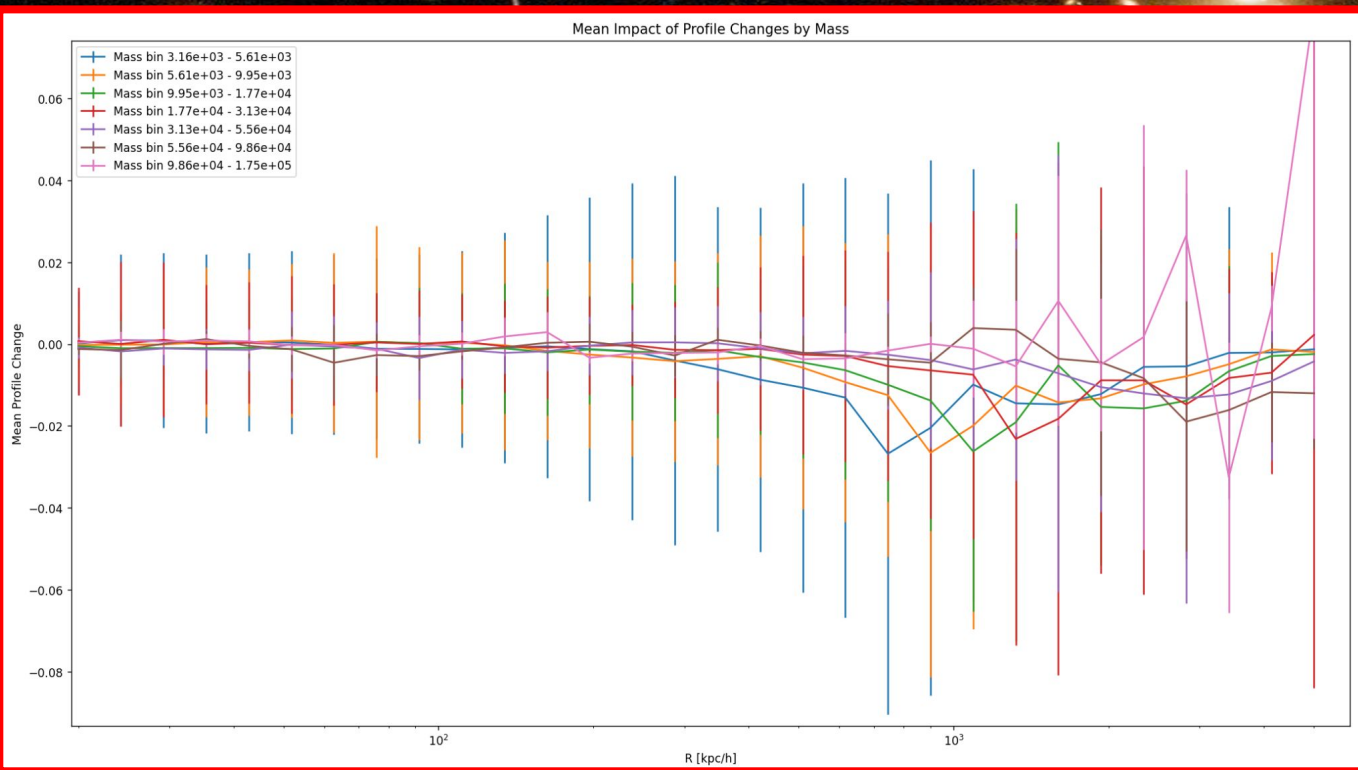
Considering that gain is limited, but adding parameters worsen the evaluation time:

```
evaluation time for model2_bis:5.7797768115997314  
evaluation time for model2:0.5806732177734375  
evaluation time for model1:3.1462643146514893
```

where model2 is the optimized model but with a value 100 for the hidden\_size hyperparameter (since it is the less relevant and more time consuming to raise)

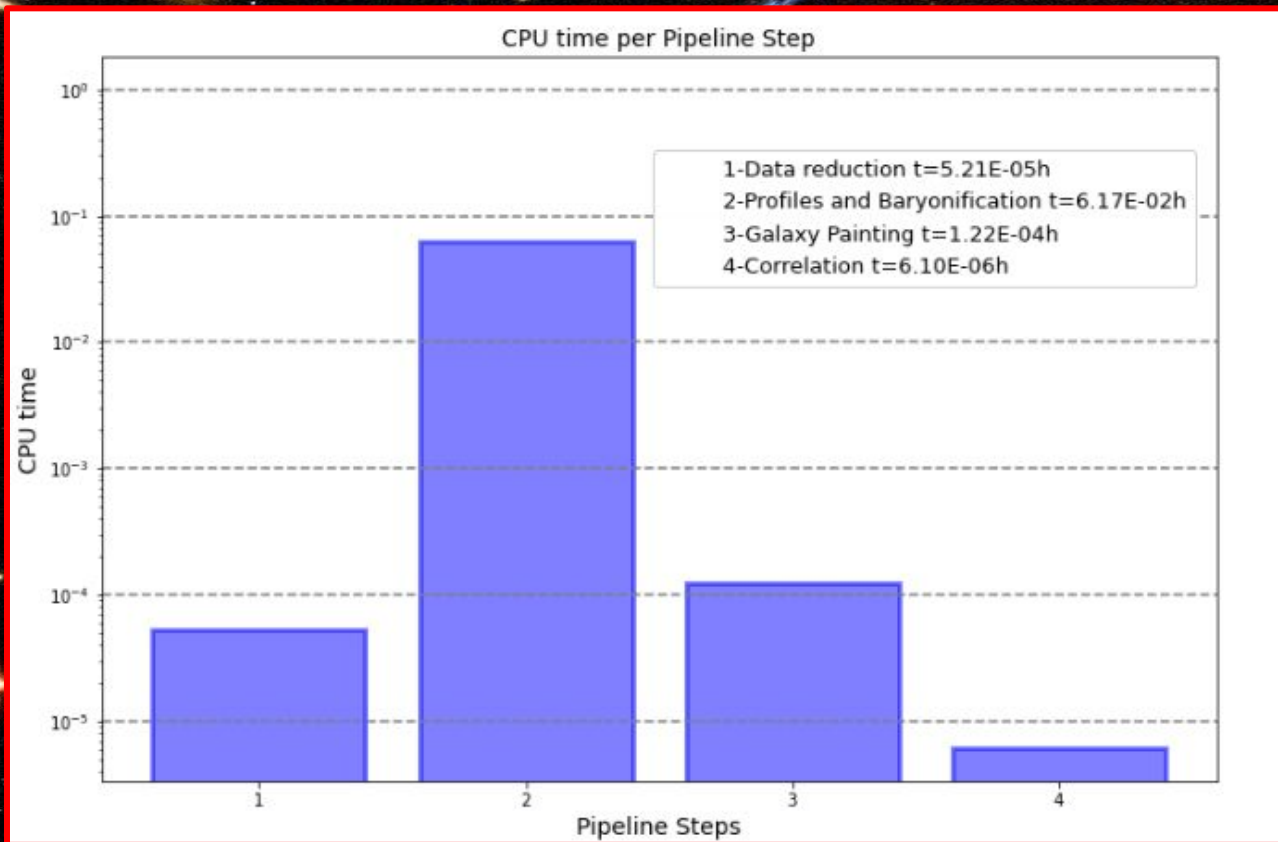
# OPTIMIZATION AND BARYONIFICATION

Currently we are testing the optimized version with a better scheme for the density profile extraction, which while allows also for fast baryonification implementation



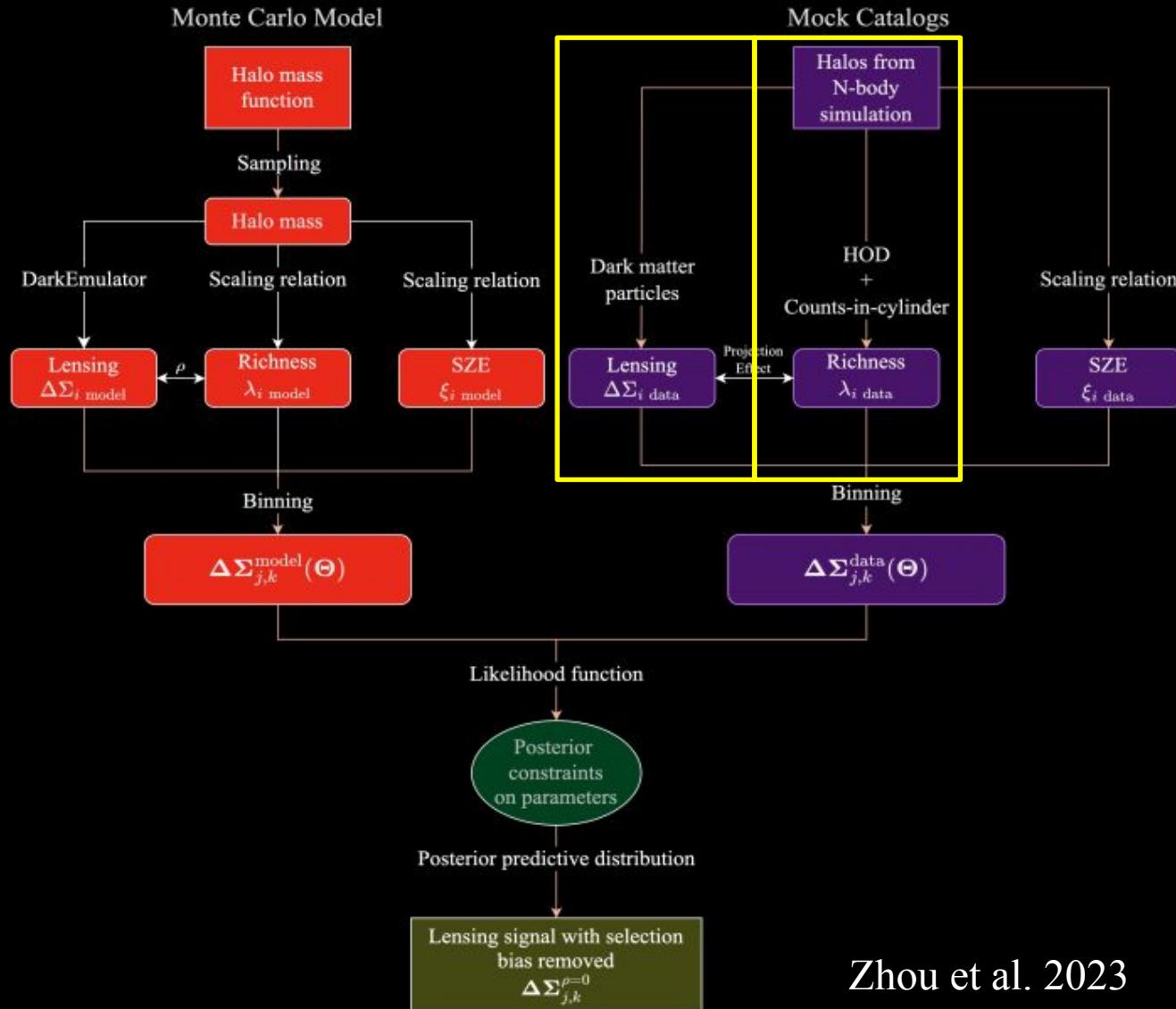
# CURRENT CHALLENGES

Optimizing bottleneck in the pipeli during density profile evaluation



Currently we are testing the optimized version of the 2d profile calculator. The last version can produce both 2d and 3d profiles for a Magneticum box of 512 Mpc/h in 2 h running with 16 processes.

# NEXT STEP



- Extend the machinery for richness and density profiles to the full PICCOLO cosmological boxes (now in progress)
- Validate the pipeline with the output of RICH-CL richness assignment (waiting for the Flagship2 200 deg<sup>2</sup> catalogue)