

 **2024**

8th Heidelberg International Symposium on
High Energy Gamma Ray Astronomy
Milano, 2-6 September 2024

The Cosmological Optical Convergence: Extragalactic Background Light from TeV γ -Rays

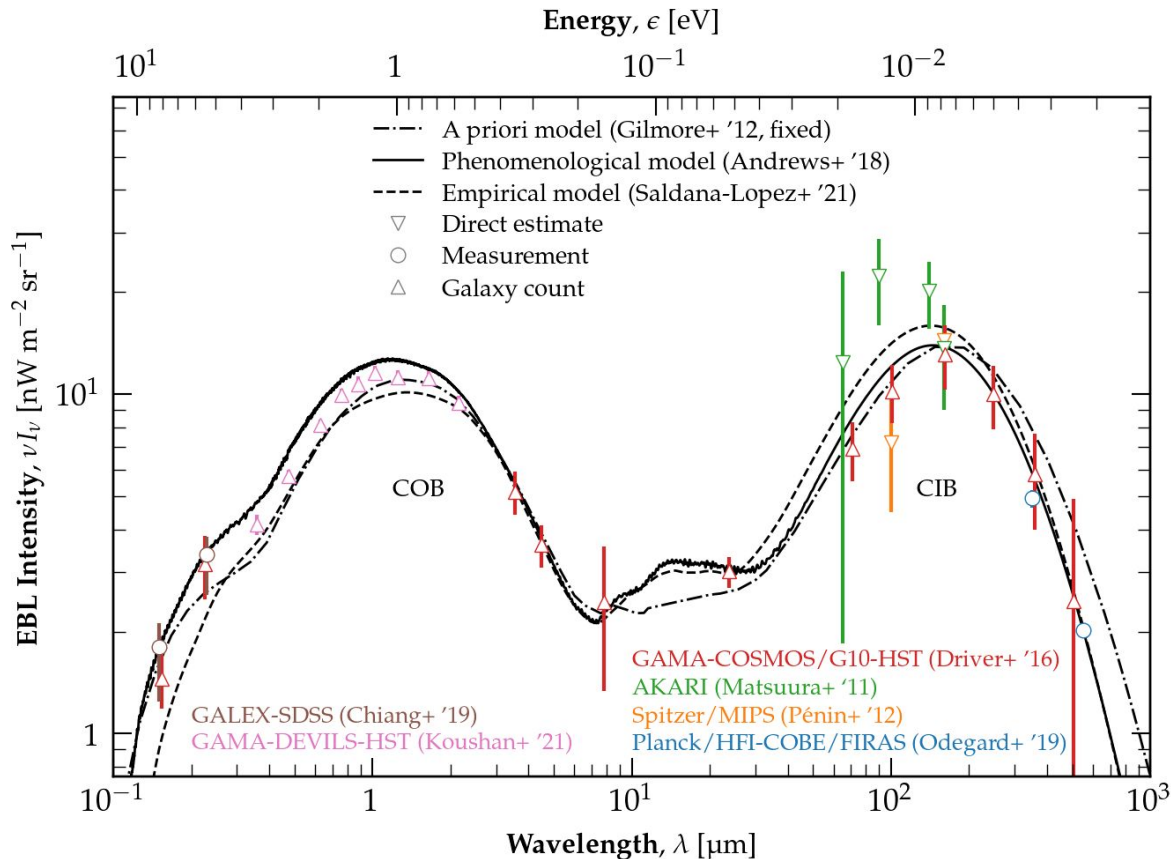
Lucas Gréaux, J. Biteau, M. Nieves-Rosillo
 γ -2024 – September 4th, 2024

Submitted to ApJL



**université
PARIS-SACLAY**

The Extragalactic Background Light



EBL: sum of all **optical** and **infrared** light from **thermal processes** in the universe

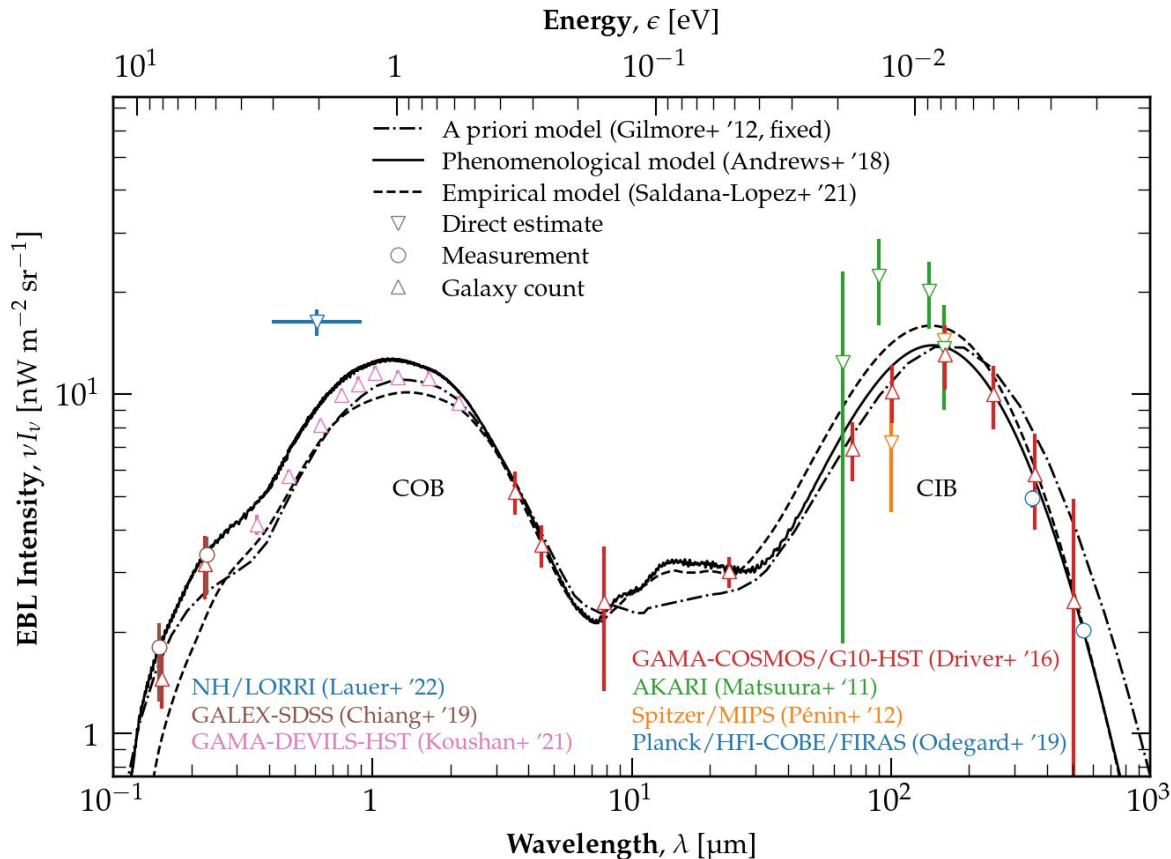
IGL: integrated galactic light, **resolved galaxies**, expected to make up most of the EBL

IGL \leq EBL

➤ **Diffuse components?**

$$\nu I_\nu^{\text{EBL}} = \nu I_\nu^{\text{IGL}} \times (1 + f_{\text{diff}})$$

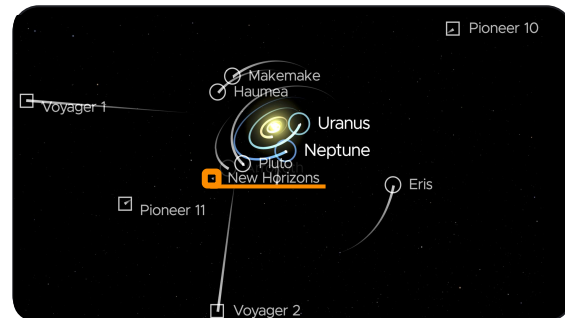
The cosmological optical controversy



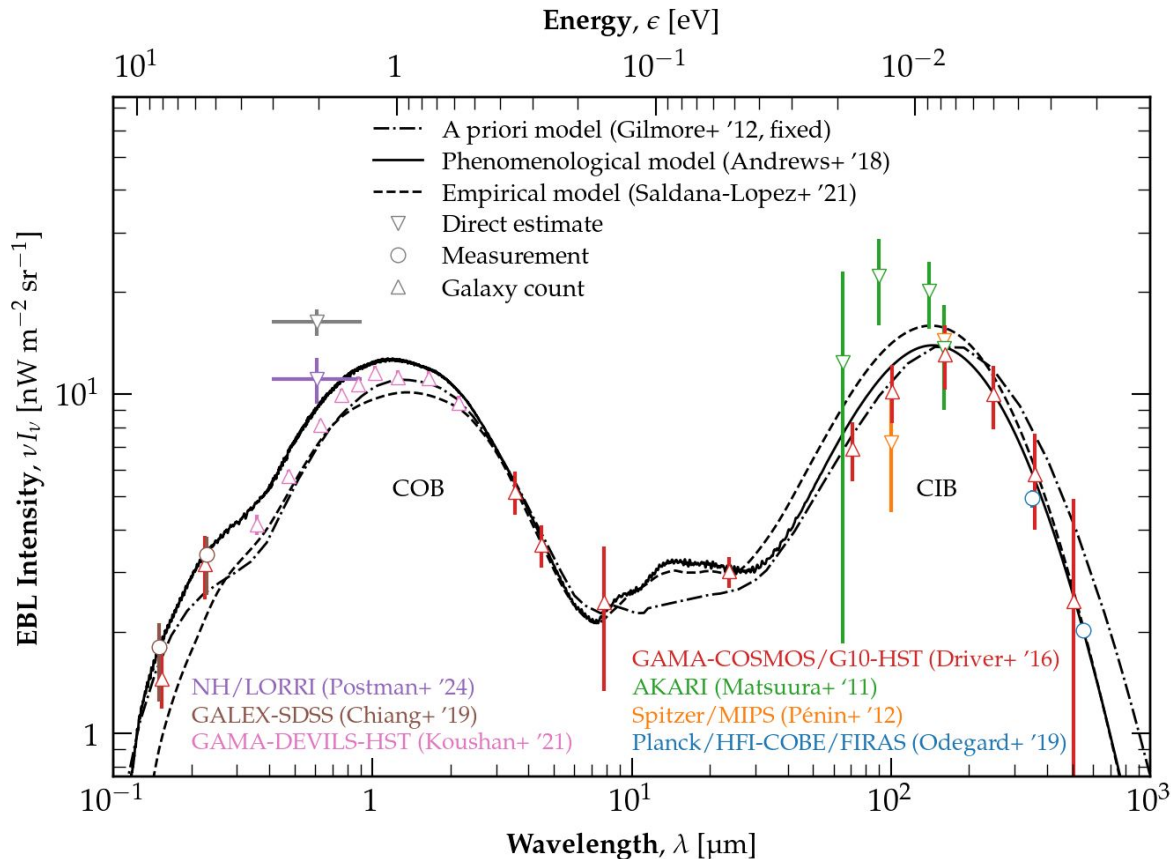
Direct meas.: light after subtraction of foreground

New Horizons probe: Suggested a 5σ excess wrt IGL, from beyond Pluto's orbit (Lauer+ '21, '22)

⇒ **Optical controversy**



The cosmological optical convergence?

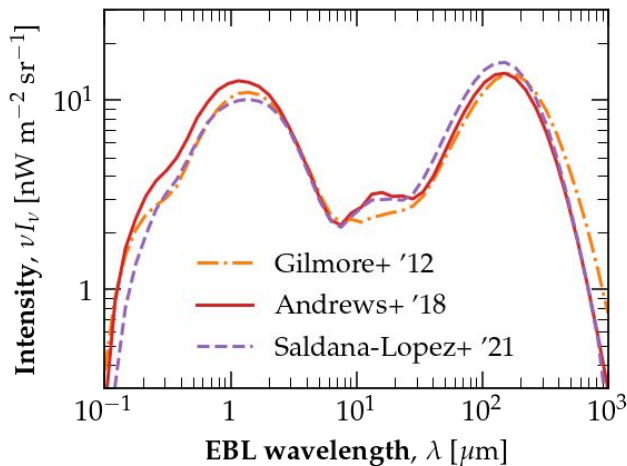
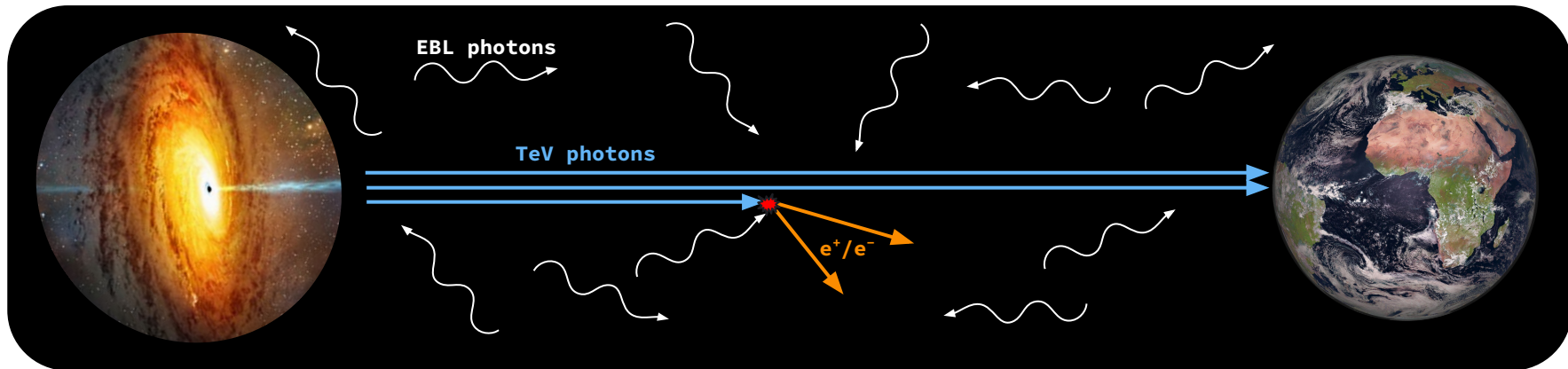


Latest **New Horizons** data shows **agreement with IGL** (Postman+ '24)

~~→~~ **Optical controversy**
 ★ **Optical convergence?**

Measurement only at **600nm**

Propagation of TeV photons through the Universe



Optical depth τ :

$$\Phi_{\text{obs}} = \Phi_{\text{int}} \times e^{-\tau}$$

γ -ray data

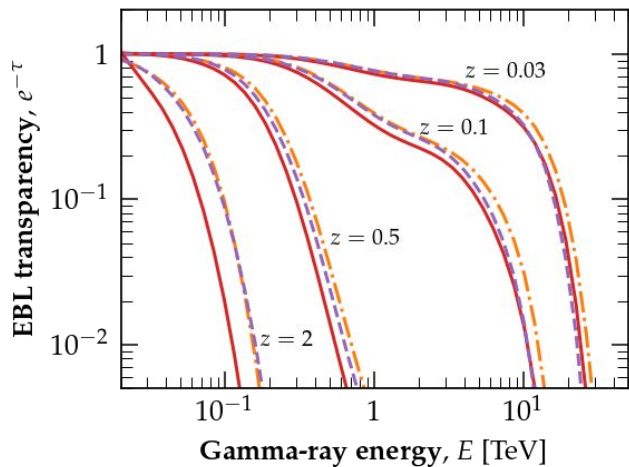
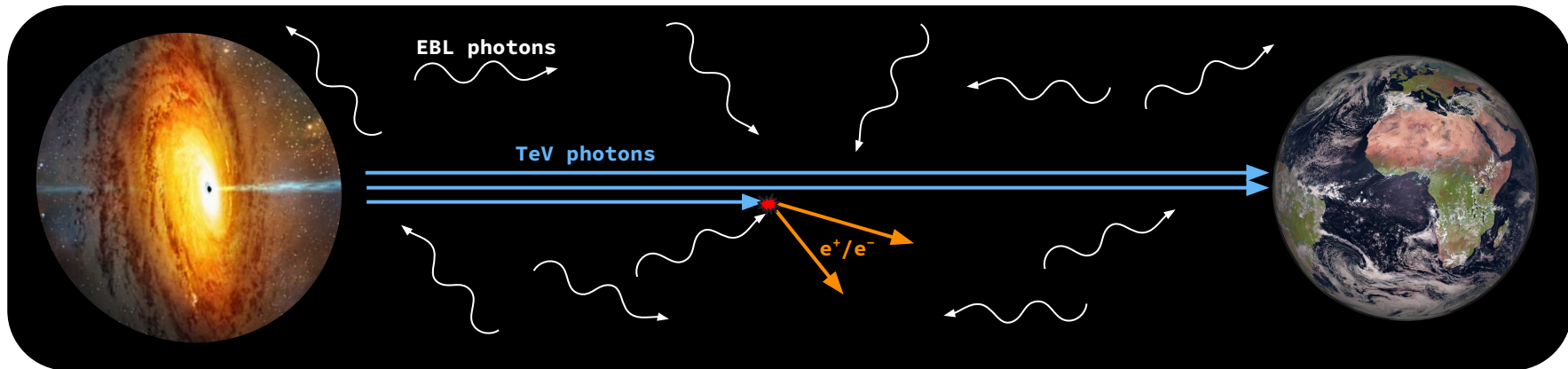
$\propto 1/H_0$

EBL intensity

$$\tau(E_\gamma, z_0) = \int_0^{z_0} dz \frac{\partial L}{\partial z}(z) \int_0^\infty d\epsilon \frac{\partial n}{\partial \epsilon}(\epsilon, z) \int_{-1}^1 d\mu \frac{1-\mu}{2} \sigma_{\gamma\gamma}(E_\gamma(1+z), \epsilon, \mu)$$

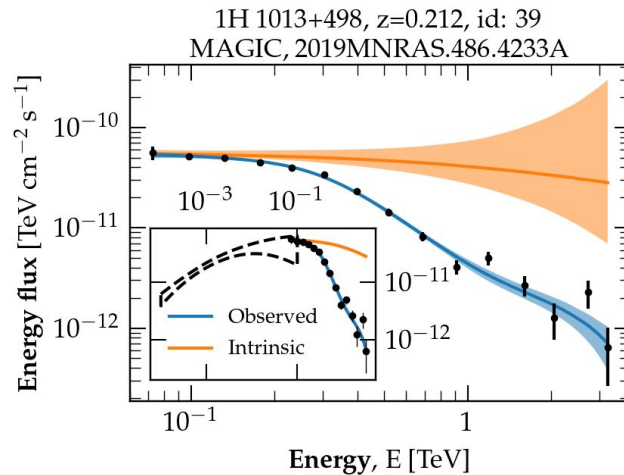
γγ cross-section

Propagation of TeV photons through the Universe

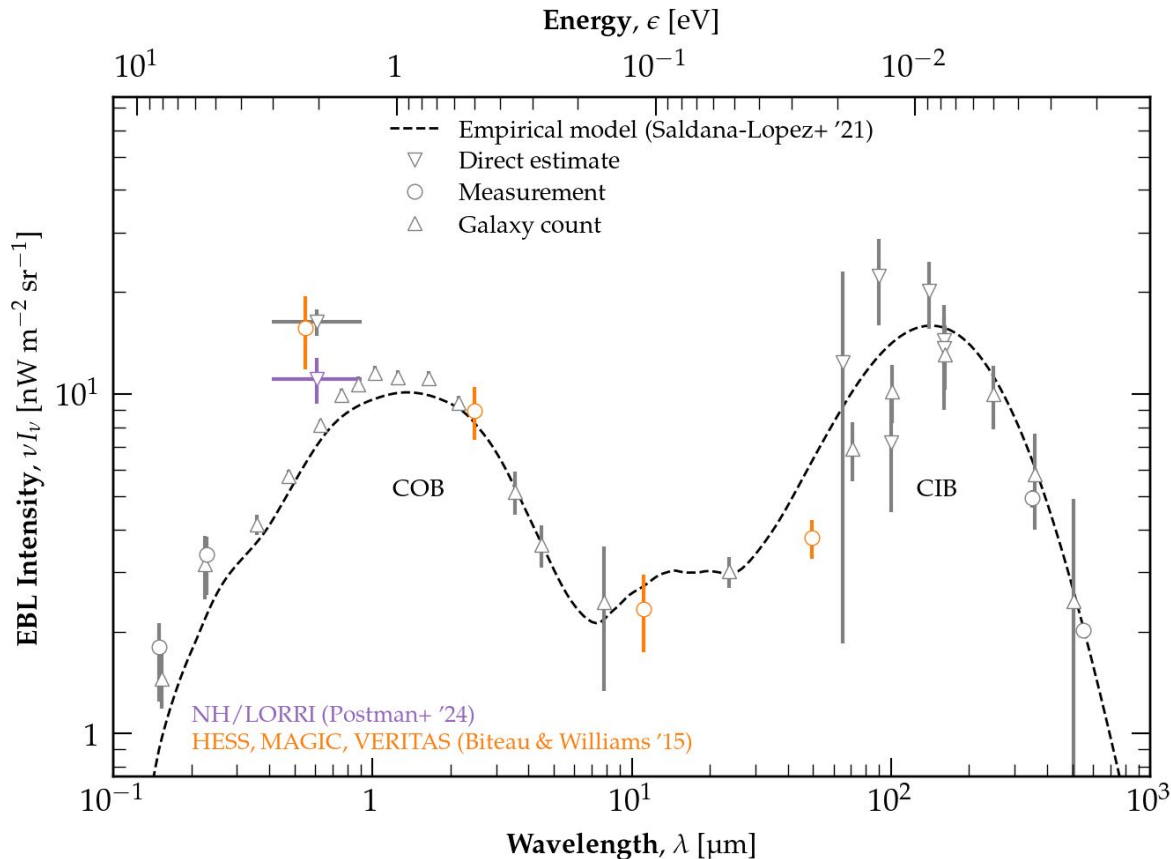


Optical depth τ :

$$\Phi_{\text{obs}} = \Phi_{\text{int}} \times e^{-\tau}$$



EBL measurements from gamma-ray cosmology

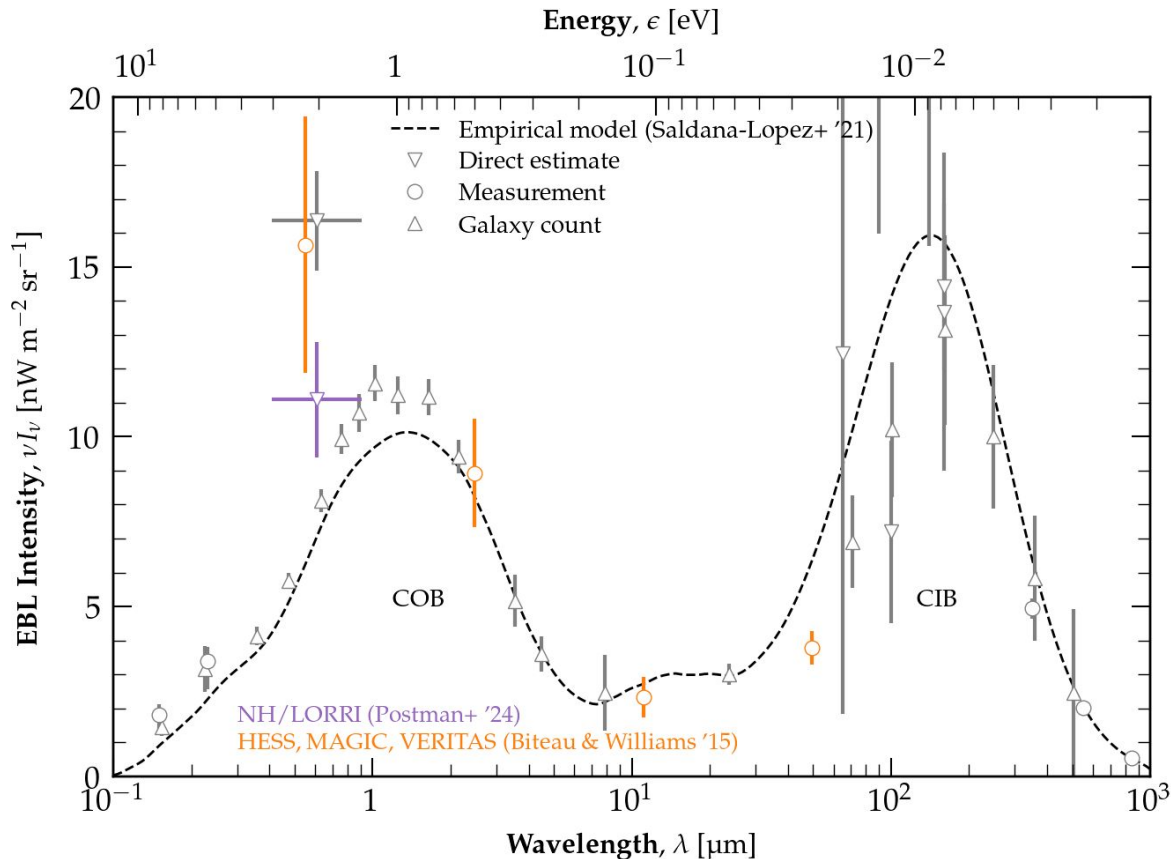


γ -ray cosmology:

Reconstruct EBL using the **absorption imprint** on TeV spectra

✓ **Compatible with IGL**

EBL measurements from gamma-ray cosmology



γ -ray cosmology:

Reconstruct EBL using the **absorption imprint** on TeV spectra

- ✓ Compatible with IGL
- ✗ Lack precision

γ -ray measurements **could not confirm nor infirm** an excess such as initially shown in [Lauer+ '21/'22](#)

Data sample

TeV data: **STeVECat**, [10.5281/zenodo.8152245](https://doi.org/10.5281/zenodo.8152245)

Spectral TeV Extragalactic Catalog

Archival spectra published by IACTs
(H.E.S.S, MAGIC, VERITAS and other)

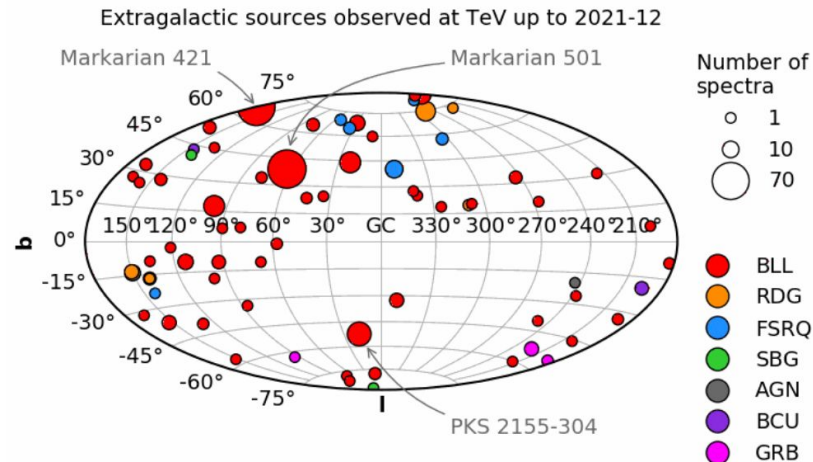
Selected spectra: at least 4 points,
sources with solid redshift > 0.01

➤ 268 spectra (86 for B&W'15)

GeV data: *Fermi*-LAT

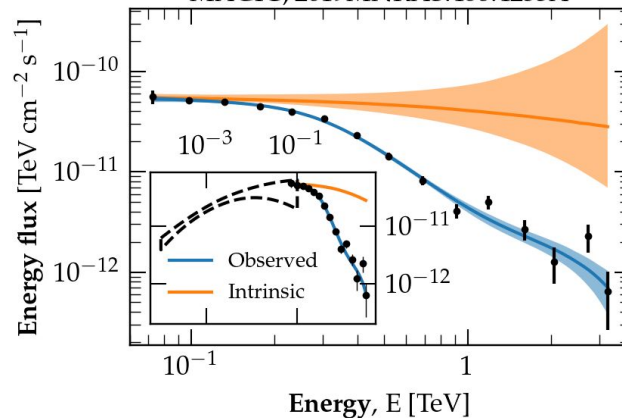
Contemporaneous *Fermi*-LAT observations
used as **priors** for spectral index and
curvature

➤ 64 contemporaneous spectra



$$\Phi_{\text{obs}} = \Phi_{\text{int}} \times e^{-\tau}$$

1H 1013+498, $z=0.212$, id: 39
MAGIC, 2019MNRAS.486.4233A



Shortcomings of the Frequentist analysis

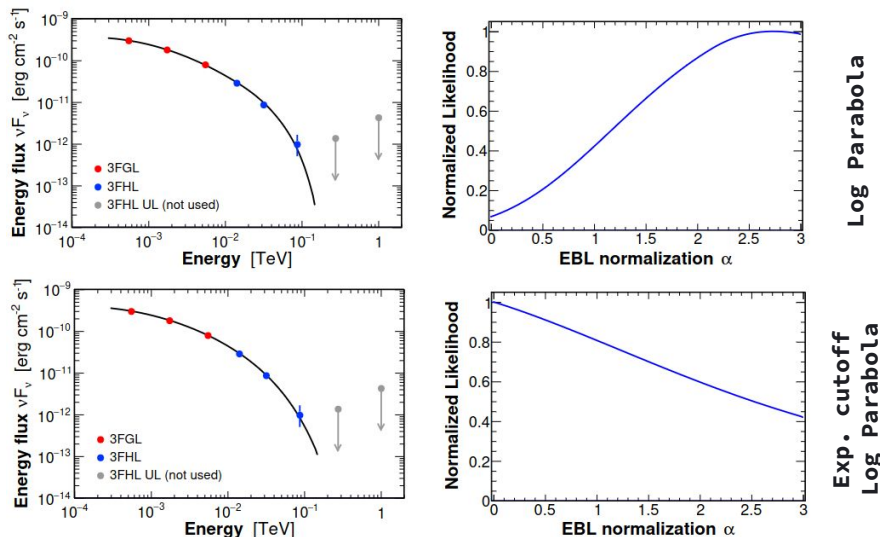
- \mathbf{a} EBL parameters
- Θ spectral parameters

$$\phi_{\text{model}}(E, z, \mathbf{a}, \Theta) = \phi_{\text{ELP}}(E, \Theta) \times e^{-\tau(E, z, \mathbf{a})}$$

$$\phi_{\text{ELP}}(E, \Theta) = \phi_0 \left(\frac{E}{E_0} \right)^{-\alpha - \beta \log \left(\frac{E}{E_0} \right)} \exp(-\lambda E)$$

With \mathcal{D} observed data, Likelihood:

$$\begin{aligned} \Pr(\mathcal{D} | a) &= \max_{\Theta} \left\{ \Pr(\mathcal{D} | a, \Theta) \right\} \\ &= \max_{\Theta} \left\{ \prod_k \Pr(D_k | a, \theta_k) \right\} \end{aligned}$$



Frequentist framework

- Find best parameters \mathbf{a} for a set of spectral models (**minimization**)
- Update** the set of spectral models
- Repeat** until convergence

The Bayesian Framework as an answer

- α EBL parameters
- Θ spectral parameters

$$\phi_{\text{model}}(E, z, a, \Theta) = \phi_{\text{ELP}}(E, \Theta) \times e^{-\tau(E, z, a)}$$

$$\phi_{\text{ELP}}(E, \Theta) = \phi_0 \left(\frac{E}{E_0} \right)^{-\alpha - \beta \log \left(\frac{E}{E_0} \right)} \exp(-\lambda E)$$

With \mathcal{D} observed data, **Likelihood**:

$$\begin{aligned} \Pr(\mathcal{D} | a) &= \int d\Theta \Pr(\mathcal{D} | a, \Theta) \\ &= \int d\Theta \prod_k \Pr(D_k | a, \theta_k) \end{aligned}$$

Bayesian framework

$$\Pr(a | \mathcal{D}) = \frac{\Pr(\mathcal{D} | a) \Pr(a)}{\Pr(\mathcal{D})}$$

Compute the **full probability distribution** and **marginalize** over non-EBL parameters

- ⇒ **Sampling** with MCMC
- ⇒ **Uninformative priors**
- ⇒ All spectra as **log-parabola with exponential cutoff**
- ⇒ **Nuisance parameters**
 - Bias on the **energy scale**, ε

$$\phi_{\varepsilon\text{-model}}(E, z, a, \Theta, \varepsilon) = \phi_{\text{model}}(E \times e^{\varepsilon}, z, a, \Theta)$$

Model independent EBL parametrization

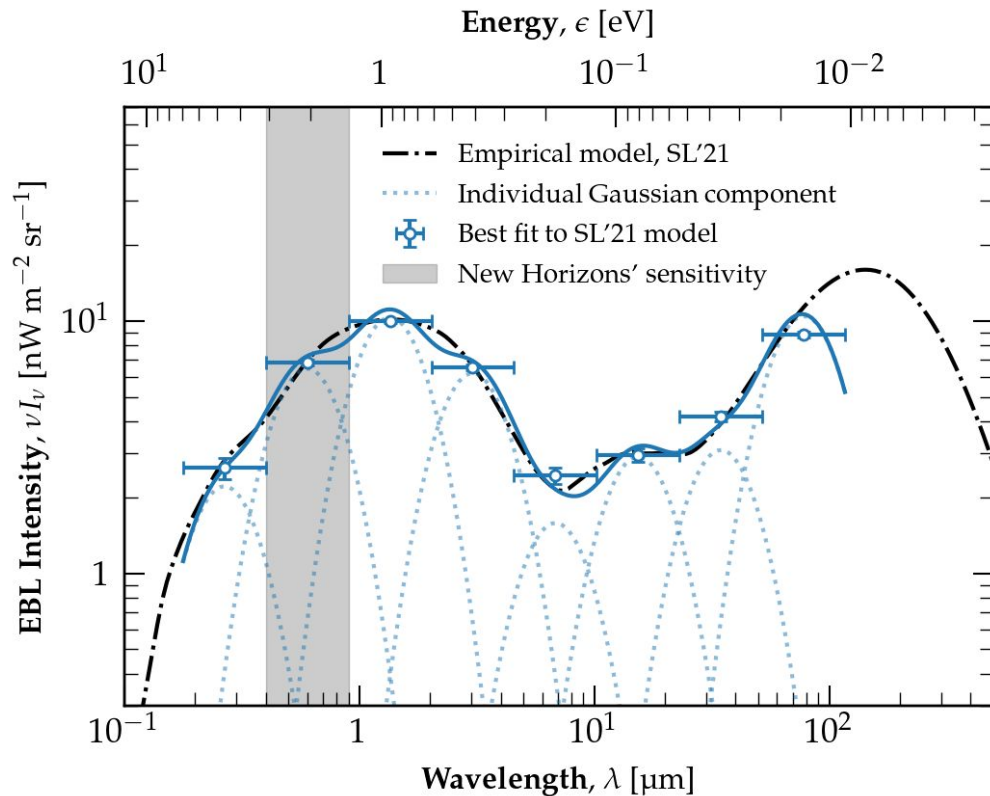
EBL model: Sum of 8 Gaussians

- ⇒ **Free amplitudes a_i**
- ⇒ Fixed widths & positions
 - **Match New Horizons'** band in 400 - 900 nm
- ⇒ **Redshift evolution** with nuisance parameter f_{evol}

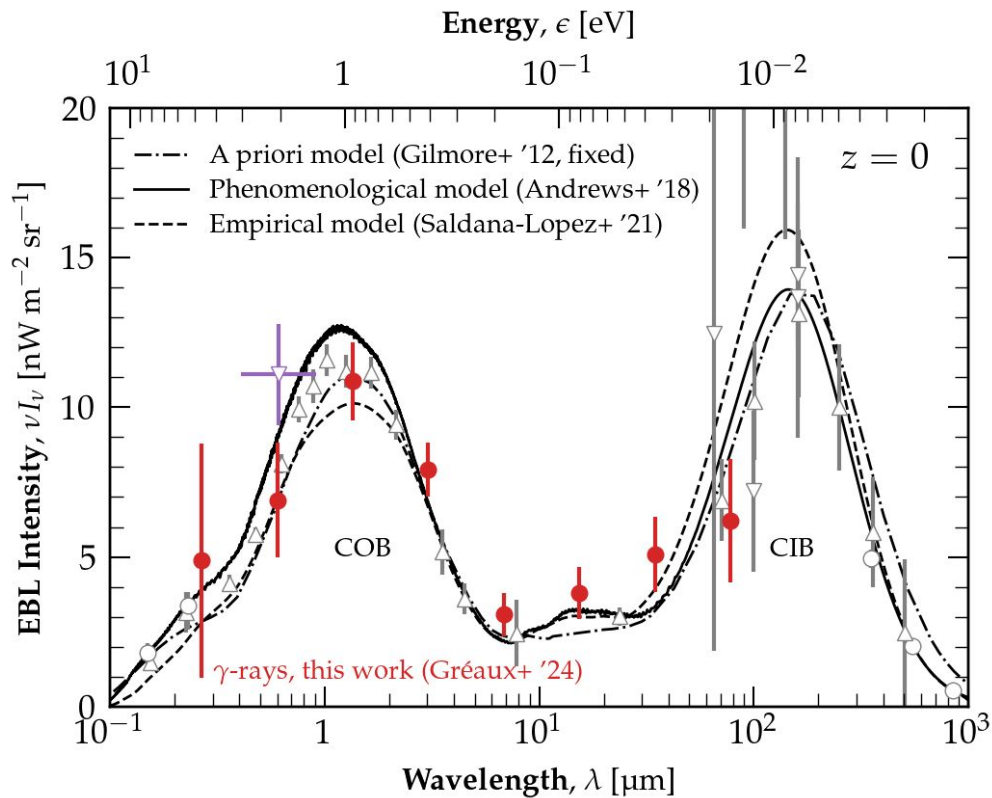
$$\nu I_\nu(l, a, z) = \sum_{i=1}^8 a_i \times \exp\left(-\frac{(l - l_i)^2}{2\sigma^2}\right) \times (1+z)^{3-f_{evol}}$$

$$\tau_{\text{model}}(E, z, a) = \sum_{i=1}^8 a_i \times \tau_i(E, z)$$

First fully model-independent gamma-ray reconstruction of the EBL

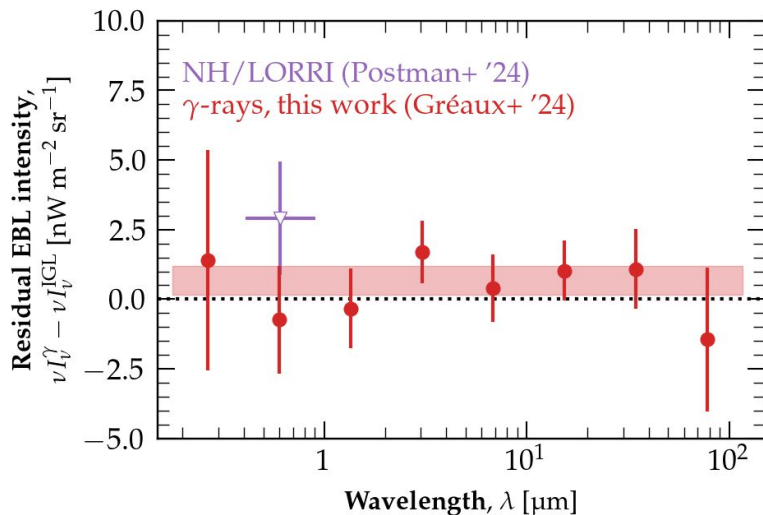


The cosmological optical convergence



Precision between 1 and 50 μm :
Better than $\pm 1.3 \text{ nW m}^{-2} \text{sr}^{-1}$

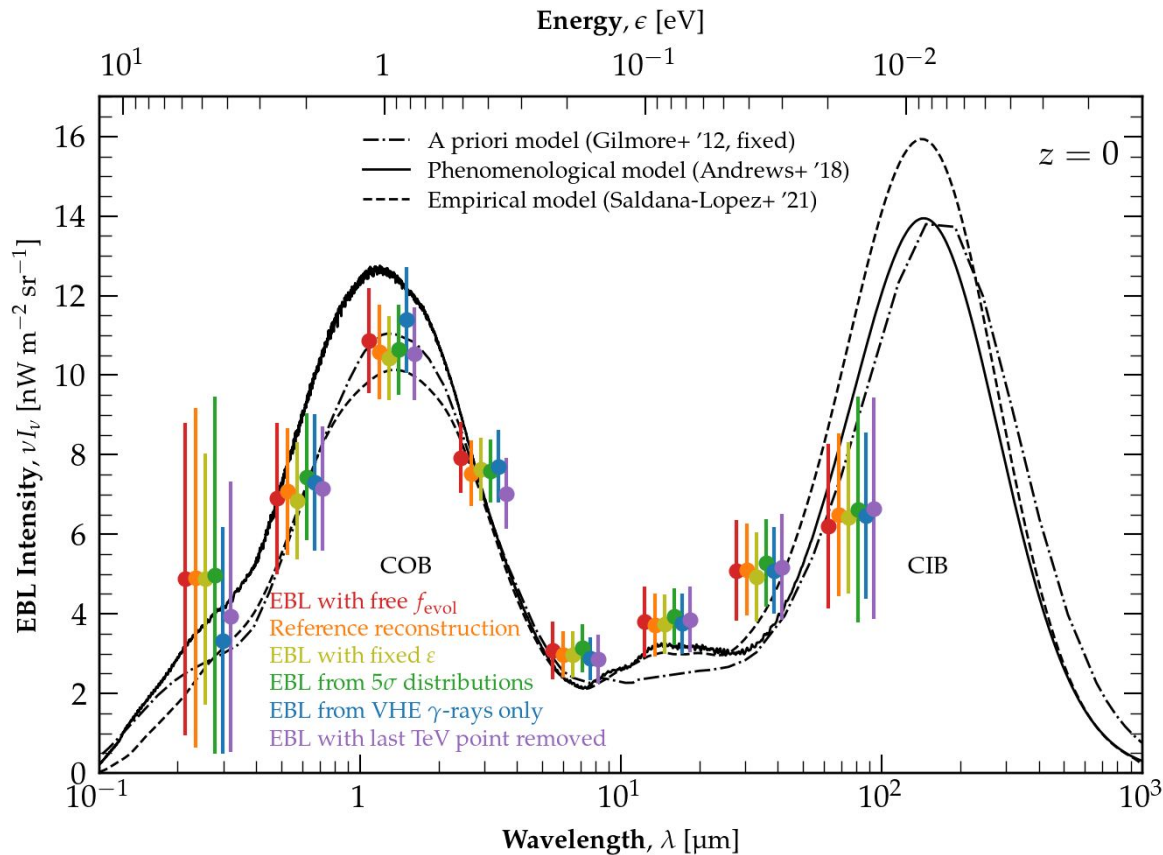
Exclude diffuse components with
 $f_{\text{diff}} \leq 20\%$ at 95% C.L.



Reliability of the reconstruction

Negligible impact for:

- Parameterized EBL **redshift evolution**
- Nuisance parameter on **energy scale**
- **Variation** of the reconstruction **method**
- Assumption on **GeV-TeV spectral correlation**
- Bias from **highest energy flux point**
- **Dividing dataset** in two parts



Hubble constant measurement

γ -ray data

$\propto 1/H_0$

IGL intensity

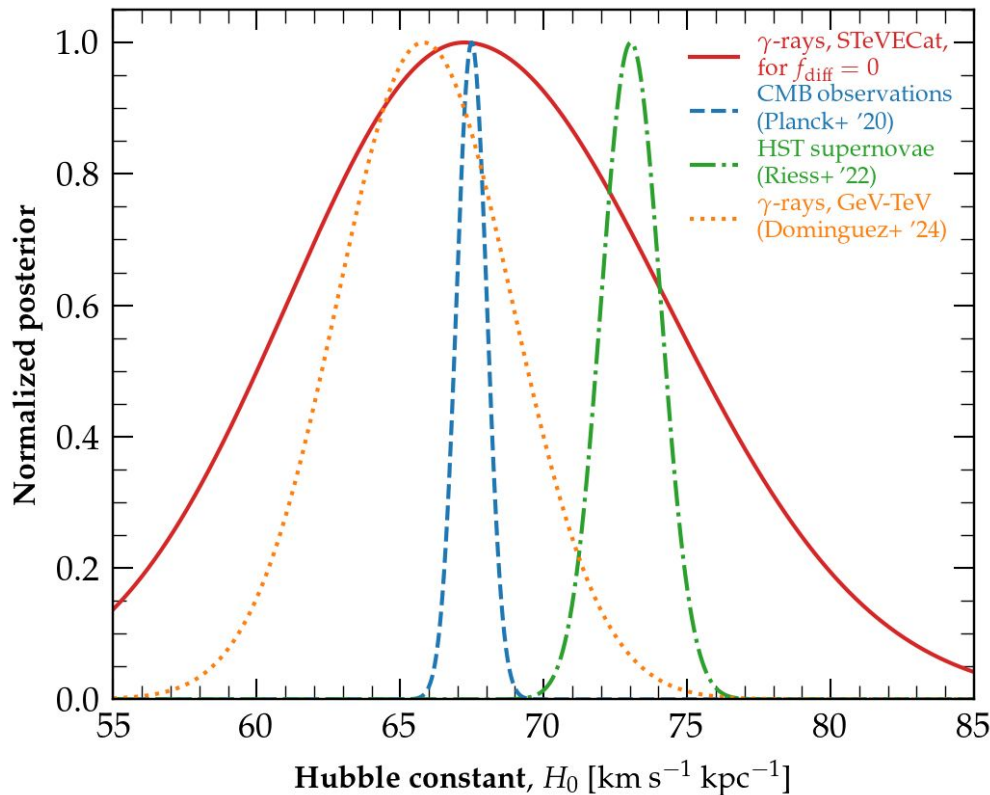
$$\tau(E_\gamma, z_0) = \int_0^{z_0} dz \frac{\partial L}{\partial z}(z) \int_0^\infty d\epsilon \frac{\partial n}{\partial \epsilon}(\epsilon, z) \int_{-1}^1 d\mu \frac{1-\mu}{2} \sigma_{\gamma\gamma}(E_\gamma(1+z), \epsilon, \mu)$$

—————
 $\gamma\gamma$ cross-section

Use the γ -ray / IGL measurements to **measure H_0** :

$$H_0 = 67 \pm 7 \text{ km s}^{-1} \text{ Mpc}^{-1} \times (1 + f_{\text{diff}})$$

Independent from CMB / cepheids



Conclusion

New γ -ray EBL measurement

➤ Submitted to ApJL

⇒ Bayesian framework

➤ Marginalize over spectral/nuisance parameters

⇒ New data corpus, **STeVEC**at

➤ Sample size ~tripled wrt previous

⇒ **Independent** from IGL, direct meas., and reference models

➤ Only use γ -ray observations

⇒ **Reduced uncertainties** with respect to **previous γ -ray studies**

⇒ EBL from **γ -rays** indistinguishable from IGL

⇒ Constraint on **diffuse components**:
 $f_{\text{diff}} \leq 20\%$ at 95% C.L.

⇒ $H_0 = 67 \pm 7 \text{ km s}^{-1} \text{ Mpc}^{-1} \times (1 + f_{\text{diff}})$

IGL precision of ~1% expected for **LSST, Euclid, JWST**

Reionization contribution expected at $\sim 0.1\text{--}1 \text{ nW m}^{-2} \text{ sr}^{-1}$ ($\sim 0.1\text{--}1\%$ of EBL)

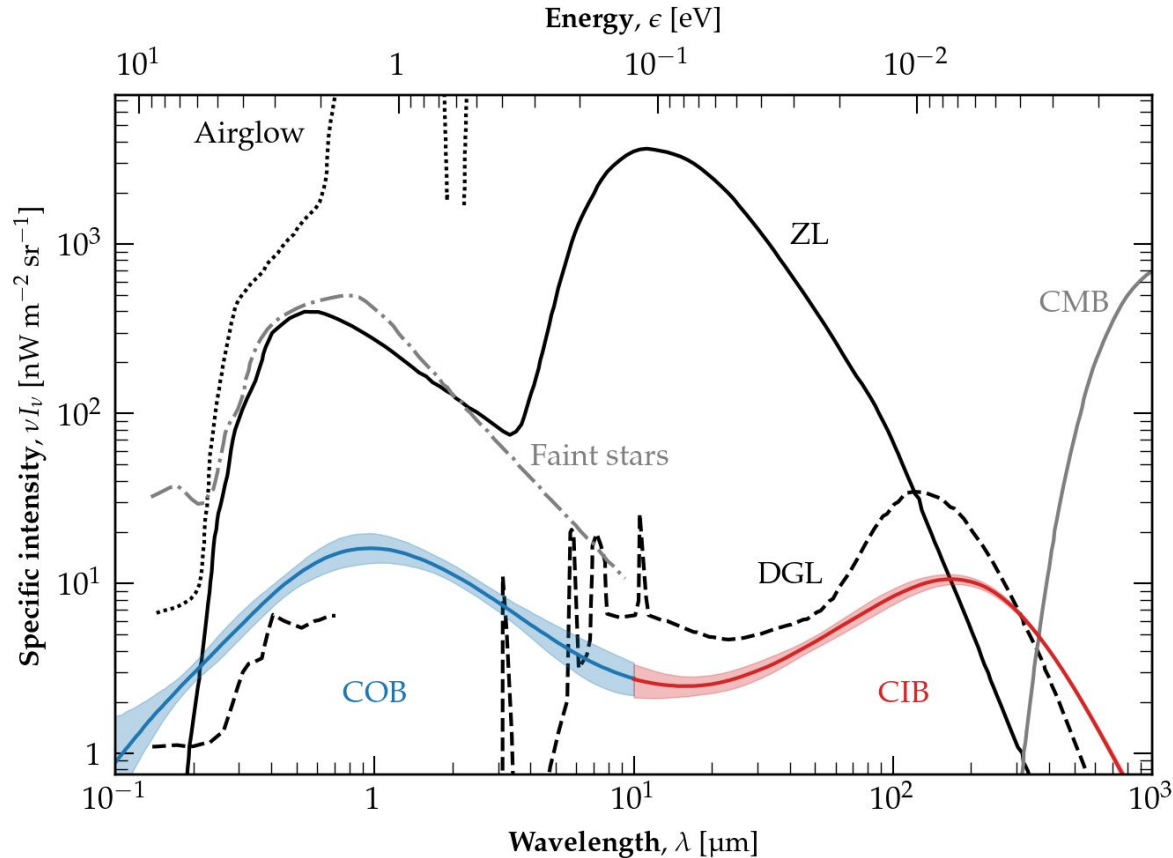
★ **Current γ instruments' precision:**
 $\pm 1.3 \text{ nW m}^{-2} \text{ sr}^{-1}$

★ **CTAO should bring exciting results**



Appendix

The cosmological optical controversy



Direct measurements:
light after **subtraction**
of foreground

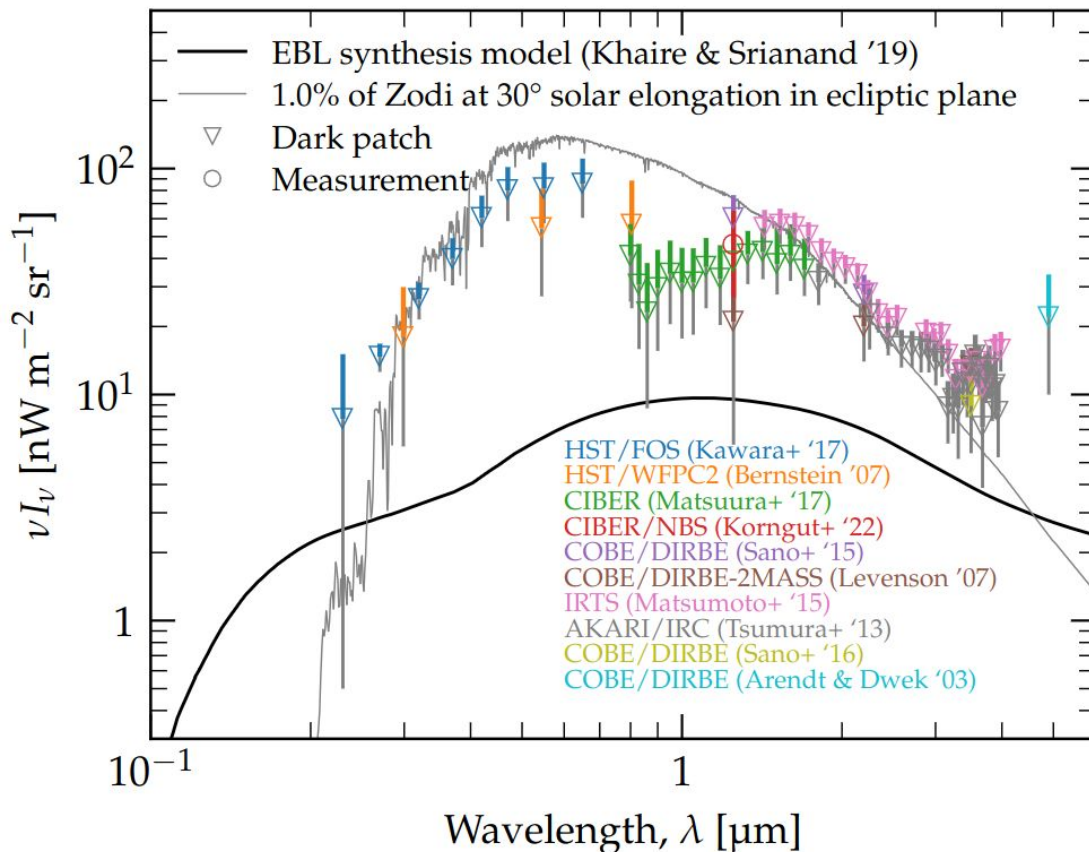
Zodiacal light (ZL):
Sunlight scattered on
Solar System dust

- **ZL outshines EBL** by more than an order of magnitude

Direct measurements at $1\mu\text{m}$

Direct measurements from low orbit instruments and **Zodiacal lights** (Zodi)

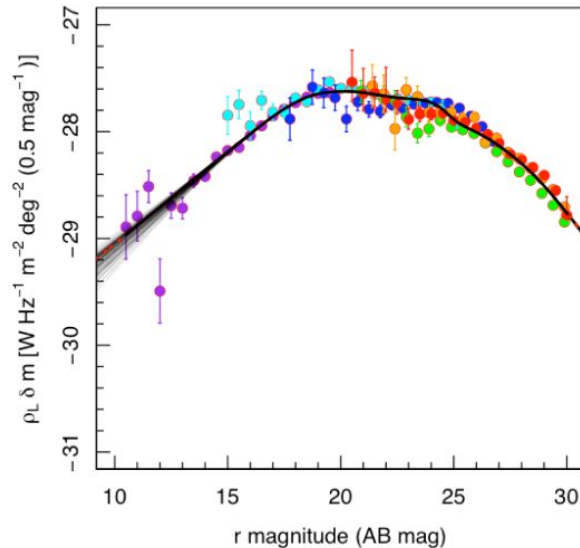
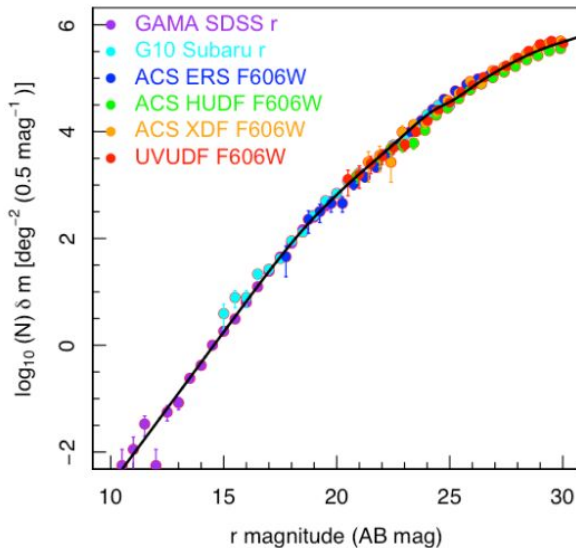
The resemblance between the solar spectrum and the data suggests an unaccounted-for Zodi component



IGL measurements

IGL: integrated galactic light, **resolved galaxies**, expected to make up most of the EBL

Measured from galaxy surveys, contribution mainly derived from **intermediate-magnitude galaxies**



Hubble constant from gamma rays

γ-ray data

$\propto 1/H_0$

IGL intensity

$$\tau(E_\gamma, z_0) = \int_0^{z_0} dz \frac{\partial L}{\partial z}(z) \int_0^\infty d\epsilon \frac{\partial n}{\partial \epsilon}(\epsilon, z) \int_{-1}^1 d\mu \frac{1-\mu}{2} \sigma_{\gamma\gamma}(E_\gamma(1+z), \epsilon, \mu)$$

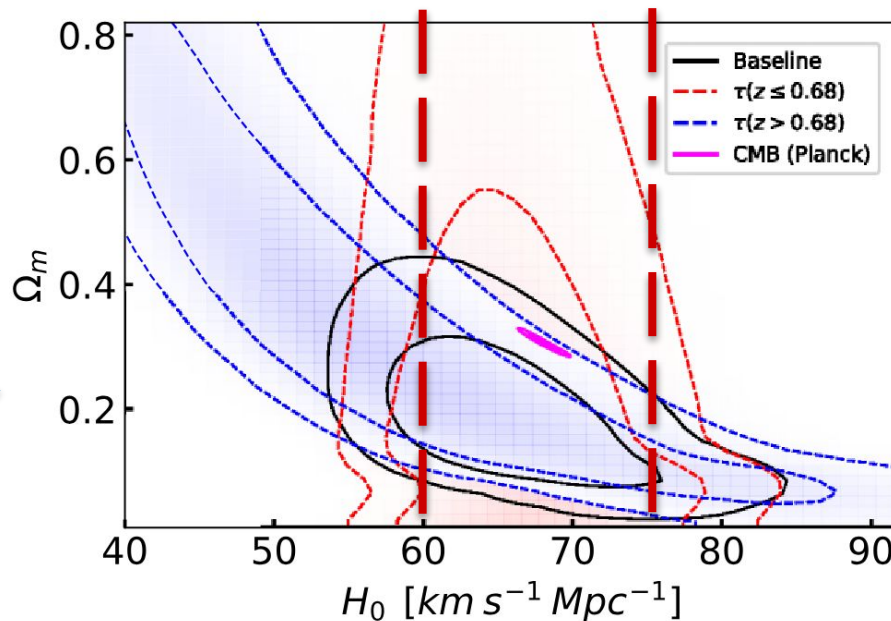
—————
γγ cross-section

Domínguez+ '24

- VHE+HE γ-ray vs **evolving IGL**
- **Model dependent**

Gréaux+ '24

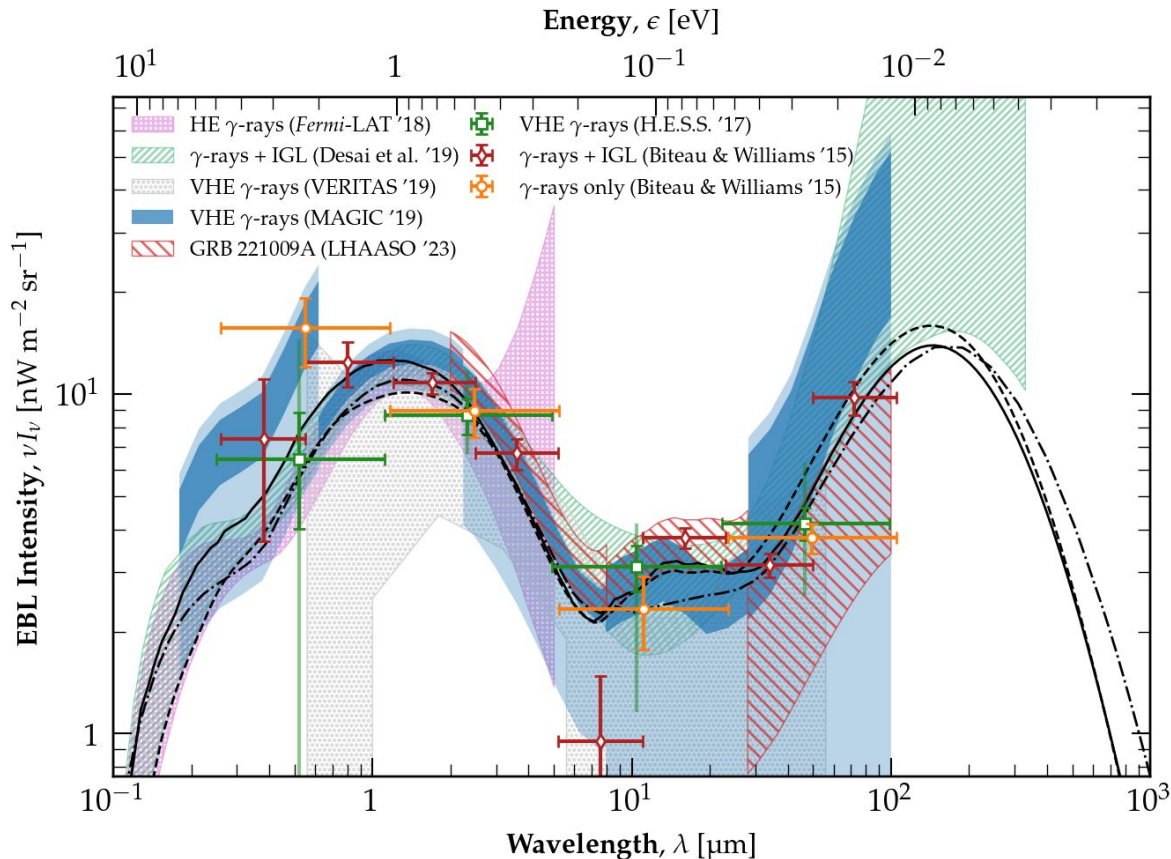
- VHE γ-ray vs **IGL at z = 0**
- **Model independent**



$$H_0 = 67 \pm 7 \text{ km s}^{-1} \text{ Mpc}^{-1} \times (1 + f_{\text{diff}})$$

- **Coherent with D24 for low z**

EBL measurements from gamma-ray cosmology

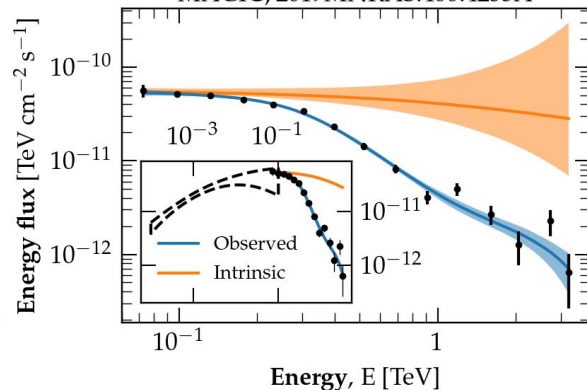


EBL from the **absorption imprint** on TeV spectra:

$$\Phi_{\text{obs}} = \Phi_{\text{int}} \times e^{-\tau}$$

$$\tau(E_\gamma, z_0) = \int_0^{z_0} dz \frac{\partial L}{\partial z}(z) \int_0^\infty d\epsilon \frac{\partial n}{\partial \epsilon}(\epsilon, z) \int_{-1}^1 d\mu \frac{1-\mu}{2} \sigma_{\gamma\gamma}(E_\gamma(1+z), \epsilon, \mu)$$

1H 1013+498, $z=0.212$, id: 39
MAGIC, 2019MNRAS.486.4233A



From samples to probability distributions

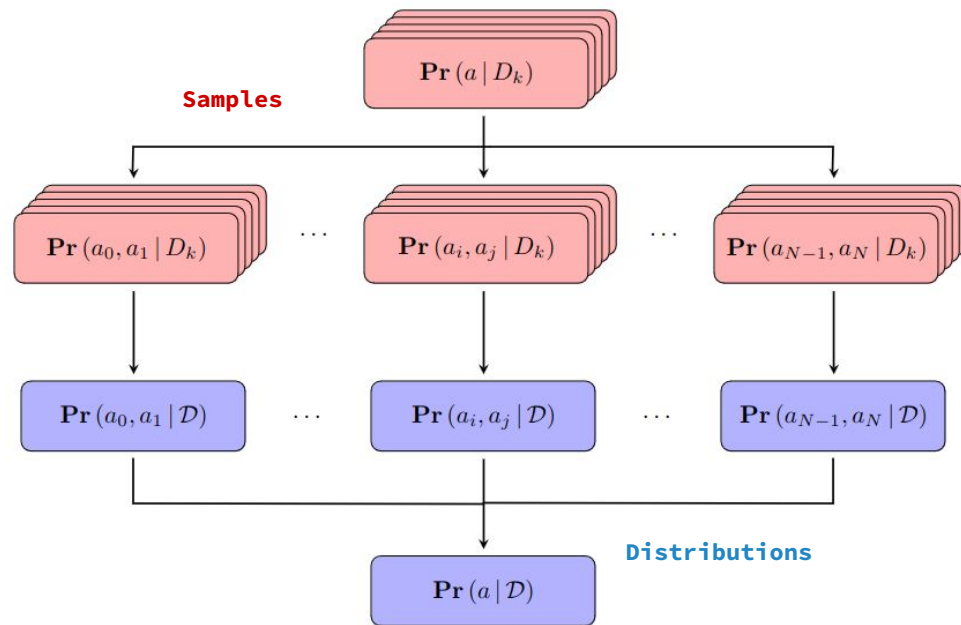
With n free parameters and N spectra:

$$\Pr(\mathcal{D} | a) = \int d\Theta \prod_{k=1}^N \Pr(D_k | a, \theta_k)$$

Complexity: $O(N^3 n^3)$

$$\Pr(\mathcal{D} | a) = \prod_{k=1}^N \int d\theta_k \Pr(D_k | a, \theta_k)$$

Complexity: $O(Nn^3)$

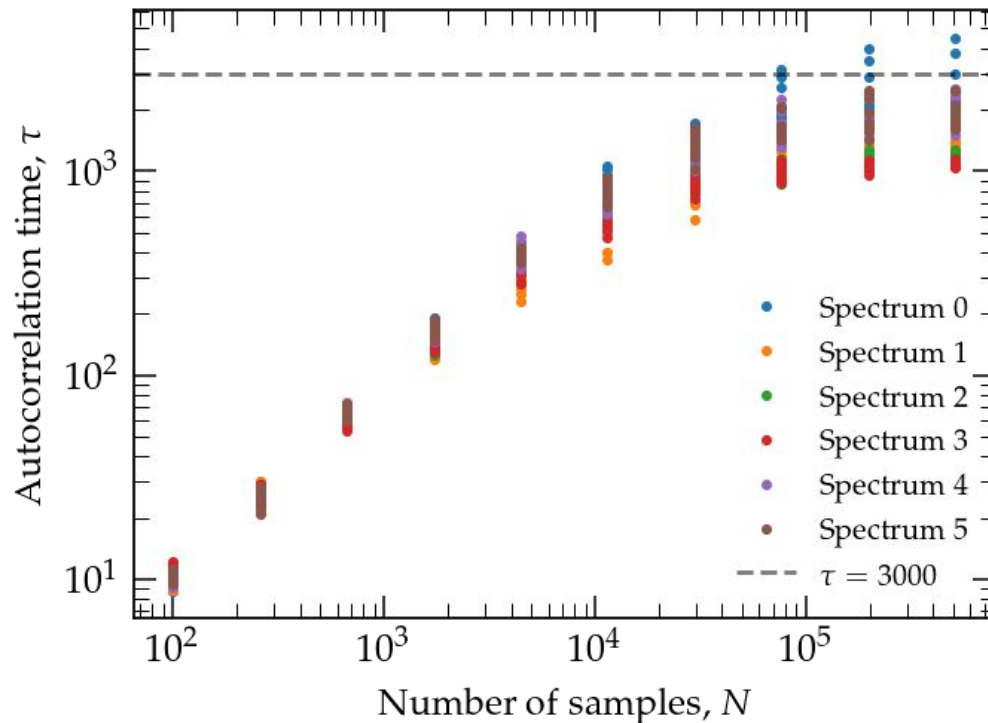


Autocorrelation time

Autocorrelation time: τ such that a chain of length N has N/τ independent samples

$$\begin{aligned}\sigma^2(\bar{f}) &= \langle (\frac{1}{N} \sum_i f_i)^2 \rangle - \langle \frac{1}{N} \sum_i f_i \rangle^2 \\ &= \frac{1}{N^2} \sum_{i,j} \langle f_i f_j \rangle - \langle f_i \rangle \langle f_j \rangle = \frac{1}{N^2} \sum_{i,j} \hat{C}_{ij} \\ \sigma^2(\bar{f}) &= \frac{\sigma^2(f)}{N} \underbrace{\left(1 + 2 \sum_{t=1}^{N-1} \left(1 - \frac{t}{N} \right) \frac{\hat{C}(t)}{\hat{C}(0)} \right)}_{\xrightarrow{N \rightarrow \infty} \tau}\end{aligned}$$

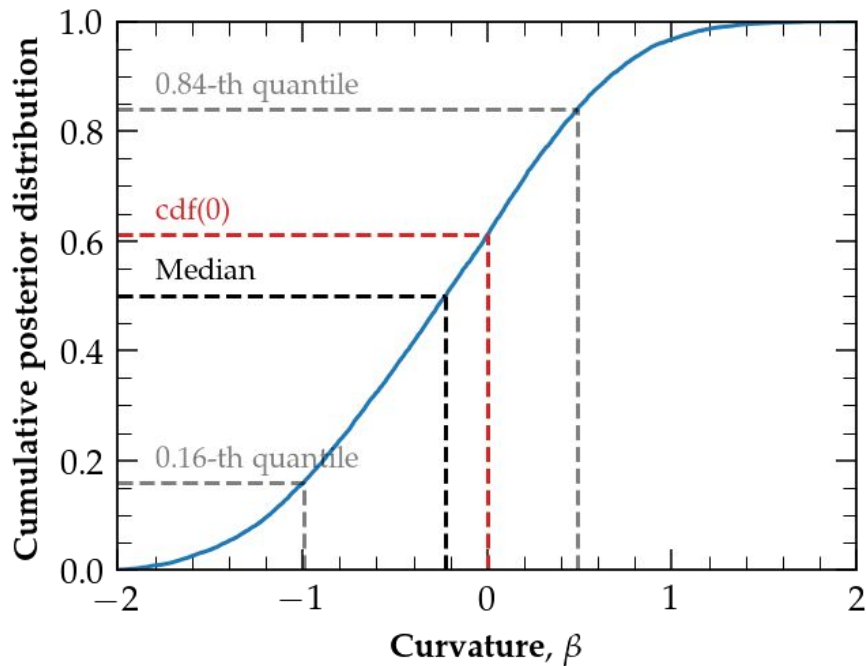
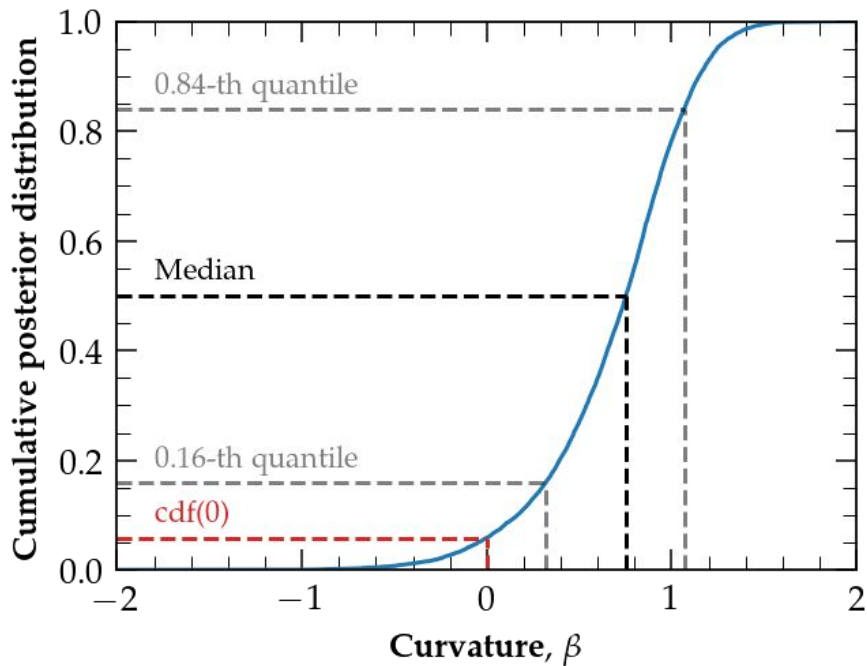
EBL model: Sum of 8 gaussians



Reconstructed spectral parameters

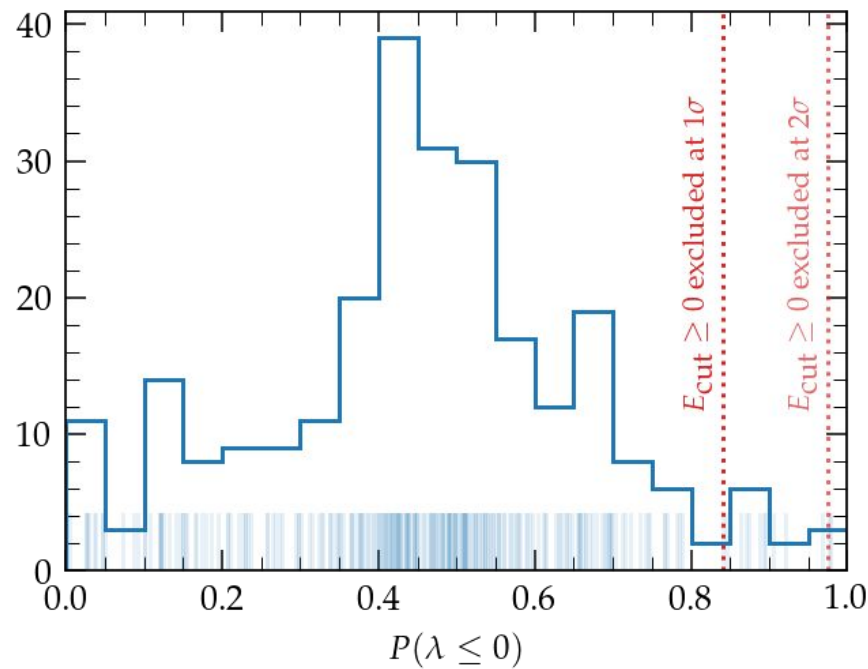
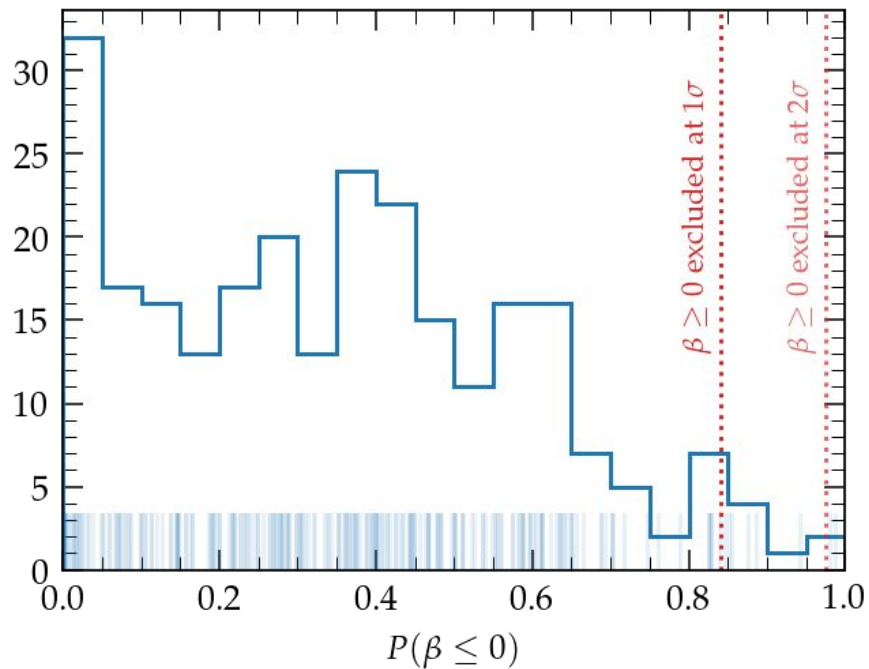
Reconstruct two values of interest from posterior distribution of each spectrum

- **Median** (reconstructed parameter p)
- **cdf(0)** = $P(p \leq 0)$



Reconstructed spectral parameters: curvature & energy cutoff

On the scale of the dataset, reconstructed spectra are physical



Gamma-ray spectral residuals

Distribution of spectral residuals over the complete dataset

EBL model: Sum of 8 Gaussians

Reconstruction compatible with a Gaussian with $\mu = 0.2$, $\sigma = 0.7$

Slight tendency to underestimate the data in the modelling

