

Finanziato dall'Unione europea NextGenerationEU







#### Map-Level Emulator of CMB systematics Paolo Campeti (INFN Ferrara) In collaboration with: Martina Gerbino, Massimiliano Lattanzi, Luca Pagano

Spoke 3 Technical Workshop, Trieste October 9 / 11, 2023

ICSC Italian Research Center on High-Performance Computing, Big Data and Quantum Computing

Missione 4 • Istruzione e Ricerca







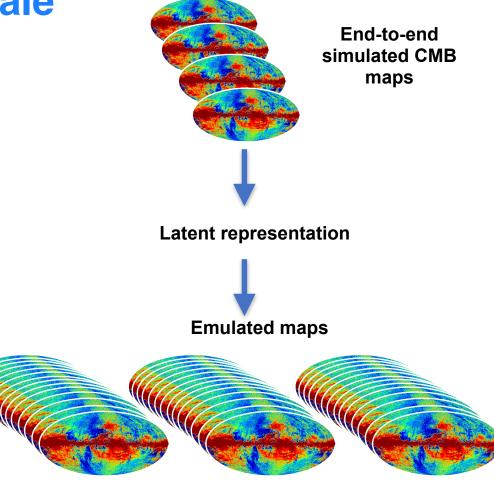


### **Map-level emulator: Scientific Rationale**

- End-to-end simulations of systematic effects in CMB experiments is highly computationally expensive
- Typically only ~few hundreds of simulated maps are available ( $\mathcal{O}(10)$  kCPU hrs per simulation)
- High accuracy and ML studies need  $\mathcal{O}(10^{4-5})$  or more simulations! Repeat for different sys. effects...



- But...small training sets not sufficient for direct emulation of the fields
- Use a latent representation of the fields as intermediate step!
- Then emulate maps from this latent representation











## **Technical Objectives, Methodologies and Solutions**

- Choose a Latent representation: Wavelet Phase Harmonics (WPH)
- Why?
  - Highly sensitive to non-Gaussian information content (typical of systematics)
  - Doesn't require training!

. . .

- Need to make sure that emulated observables are distributed correctly
- WPH can be contrasted with CNNs: WPH filters are defined by wavelets rather than learned from data  $\rightarrow$  can be applied when number of simulations is small or just 1
- Used in recent literature in similar contexts:
  - Generation of dust foregrounds maps from single training image (*Jeffrey + 2021*, *Regaldo-Saint Blancard + 2022*)
  - Dust polarisation de-noising for Planck data (Delouis+2023)
  - Emulating CMB anisotropies maps from cosmic strings (*Price + 2023*)







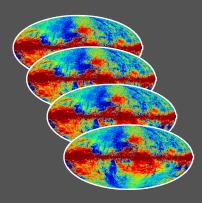


### **Technical Objectives, Methodologies and Solutions - 2**

Workflow for extreme data augmentation as in Price+2023

#### A. Simulation

1. Create a small ensemble of (expensive) *end-to-end* simulations



#### **B.** Compression Step

- 1.Draw uniform random simulation  $x_{sim}$  from the ensemble
- 2.Compute latent vector  $z_{sim} = \Phi(x_{sim})$  where  $\Phi$ is the WPH mapping

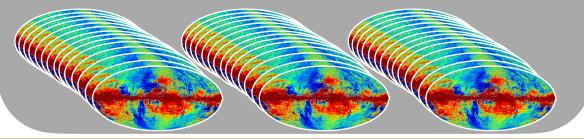
#### C. Synthesis Step

1. Take random Gaussian realisation  $x_0$ 

2.Using autodiff property of compression mapping  $\Phi$ , do iterative minimisation of  $\ell_2$ -loss  $\mathscr{L}(x) = ||\Phi(x) - z_{sim}||_2^2$ 

3.Obtain 
$$x_{emu}$$
 such that  $\Phi(x_{emu}) \simeq z_{sim}$ 

4.repeat steps B and C to generate many emulated maps





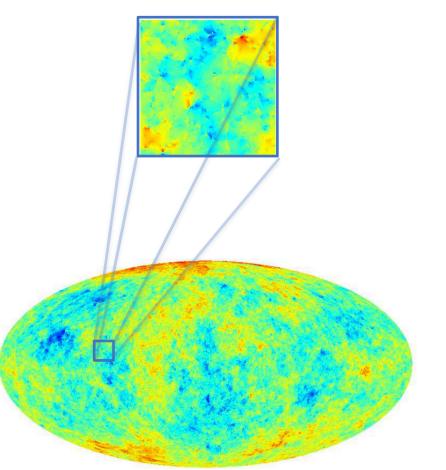






## **Technical Objectives, Methodologies and Solutions - 3**

- Public codes apply only to *small flat-sky patches* suitable for ground-based experiments (e.g. SO/ CMB-S4)
- We want to apply this to CMB systematics in fullsky suitable for satellites such as LiteBIRD: spherical scattering transform (*Delouis+2022, McEwen+2021*)
- Training set for LiteBIRD is already available
- Need to retain the correlations in the systematics among different frequency channels of the experiment (*Regaldo-Saint Blancard + 2022, Delouis+2022*)
- Complete our study by using the emulated training set for Simulation Based Inference for cosmological parameters (e.g. tensor-to-scalar ratio)





If you think you understand quantur KPI chanics, you don't understand quantu KPI echanics.

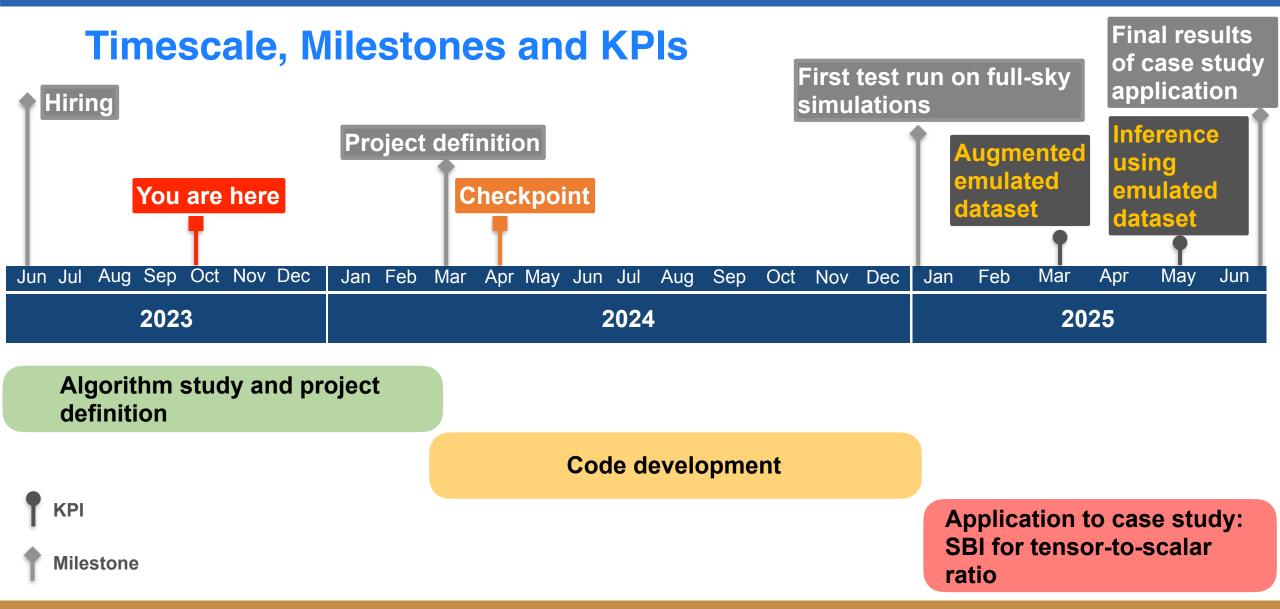
— Richard P. Feynman —

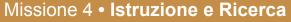
AZQUOTES



















## **Accomplished Work, Results**

- Initial goal before hiring was just broadly defined
- I studied recent literature in order to find an appropriate problem to tackle
- I'm currently studying literature to identify the best algorithm for our needs for our preliminary project definition
- I'm gathering the most suitable available codes as a baseline to modify for our specific needs









# Next Steps and Expected Results (by next checkpoint: April 2024)

- Identification and definition of the algorithms suitable for our case study
- The algorithm presented here is very promising: latent space defined via WPH filter + maximum likelihood algorithm for emulation + SBI algorithm for inference on cosmological parameters
- Study and gather the codes already available in the literature
- By next checkpoint we aim to:
  - 1. Have project and algorithms defined
  - 2. Have started code development



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## GPU-Porting of Boltzmann Codes Paolo Campeti (INFN Ferrara) In collaboration with: Martina Gerbino, Massimiliano Lattanzi

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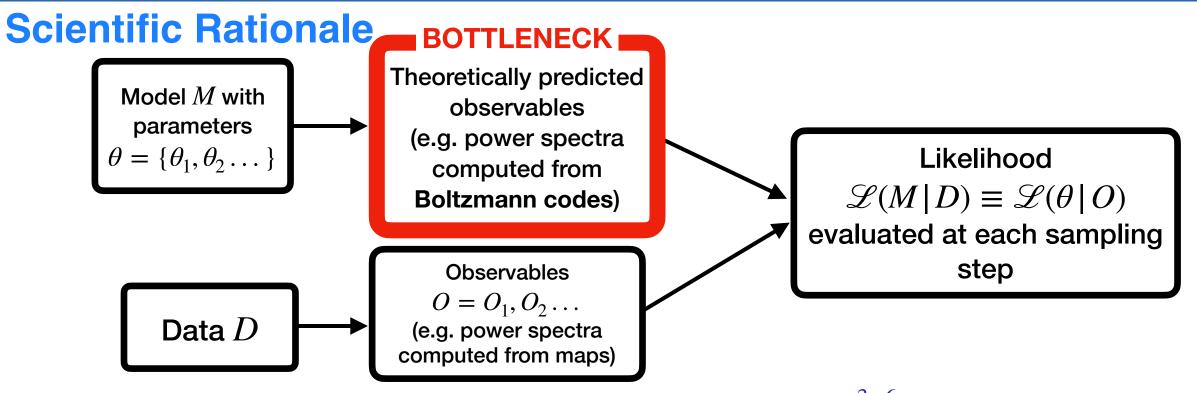
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- Bottleneck can be overridden by NN emulators! Factor  $\mathcal{O}(10^{3-6})$  faster than Boltzmann solvers
- But...NN emulators require re-training for each cosmological model being compared to data (e.g. beyond  $\Lambda \text{CDM}$  models)
- Re-training can be very expensive!  $\mathcal{O}(10^5 6)$  spectra needed,  $\mathcal{O}(10)$  mins per spectrum
- Solution: porting Boltzmann codes Camb or Class to GPU!









## **Technical Objectives, Methodologies and Solutions**

- The two main bottlenecks in Einstein-Boltzmann Solvers are:
  - 1. The integration of cosmological perturbations over time that provides all transfer functions and related source functions.
  - 2. The line-of-sight integrals which project the transfer function from Fourier space to harmonic space

$$C_{\ell}^{XY} = 4\pi \int \frac{dk}{k} \mathcal{P}_{\mathcal{R}}(k) \Delta_{\ell}^{X}(k) \Delta_{\ell}^{Y}(k) \qquad \Delta_{\ell}^{E}(k) = \int d\tau S_{P}(k,\tau) \epsilon_{\ell}(k \left[\tau_{0} - \tau\right]) \,.$$

- Step 1: perturbation module ideally suited for an NN approach (e.g. ClassNet), very difficult to optimize with HPC techniques: ODE algorithms are sequential in nature. Speedup factor ~ 3.
- Step 2: harmonic transfer module, can be tackled with GPU porting! Large number of independent integrals.



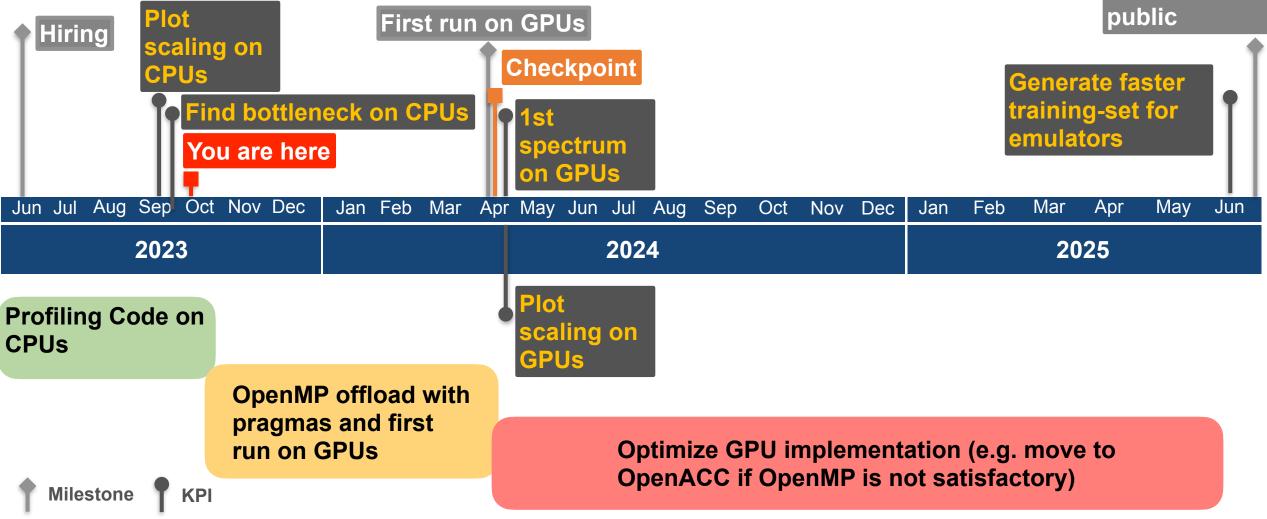






Make code

#### **Timescale, Milestones and KPIs**





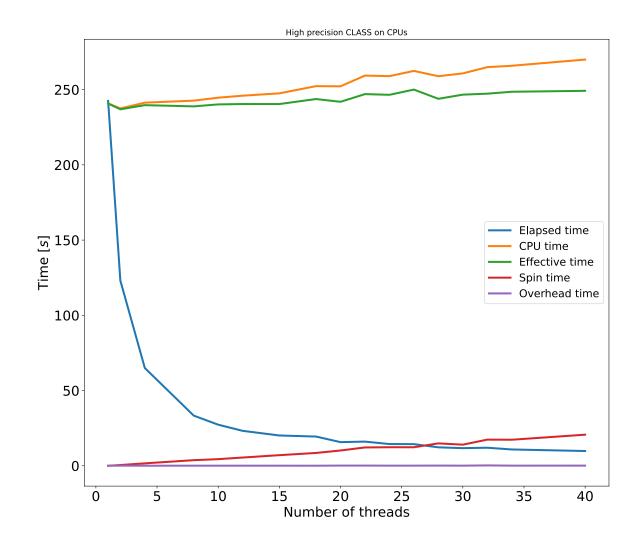






#### **Accomplished Work, Results**

- Elapsed time: wall time from the beginning to the end of collection
- **CPU time:** time during which the CPU is actively executing your application
- **Effective time:** CPU time spent in the user code. Does not include Spin and Overhead time.
- **Spin time:** Wait Time during which the CPU is busy
- **Overhead time:** CPU time spent on the overhead of known synchronization and threading libraries, such as OpenMP
- CPU time = Effective time + Spin time + Overhead











### **Accomplished Work, Results - 2**

Profiling of the CLASS code using VTune tool

Hotspots 💿								
Analysis Configuration Collection Log Summary Bottom-up Caller/Callee Top-down Tree Flame Graph Platform								
Grouping: Call Stack								
Function Stack	CPU Time: Total 👻 🔅	CPU Time: Self 📄	Module	Function (Full)	Source File			
🔻 Total	100.0%	Os						
▼_start	97.2%	Os	class	_start	start.S			
▼libc_start_main	97.2%	Os	libc.so.6	libc_start_main				
▼ main	97.2%	Os	class	main	class.c			
perturbations_init	51.4%	Os	class	perturbations_init	perturbations.c			
▶ transfer_init	43.4%	Os	class	transfer_init	transfer.c			
▶ lensing_init	1.1%	Os	class	lensing_init	lensing.c			
▶ fourier_init	1.0%	0.012s	class	fourier_init	fourier.c			
▶ harmonic_init	0.4%	Os	class	harmonic_init	harmonic.c			
▶ output_init	0.0%	Os	class	output_init	output.c			
thermodynamics_init	0.0%	Os	class	thermodynamics_init	thermodynamics.c			
▶ input_init	0.0%	Os	class	input_init	input.c			
▶ background_init	0.0%	Os	class	background_init	background.c			
clone	2.4%	Os	libc.so.6	clone				
INTERNAL1311483b::kmp_wait_template <kmp_flag_64<(bool)0, (bool)1="">, (bool)1, (bool)0, (bool)1, (bool)0, (bool)0, (bool)1</kmp_flag_64<(bool)0,>	0.3%	0.784s	libiomp5.so	_INTERNAL1311483b::kmp_wait_template <kmp_fla< td=""><td>kmp_wait_release.h</td></kmp_fla<>	kmp_wait_release.h			
kmp_flag_native <unsigned (bool)1="" (flag_type)1,="" long="" long,="">::notdone_check</unsigned>	0.0%	0.088s	libiomp5.so	kmp_flag_native <unsigned (bo<="" (flag_type)1,="" long="" long,="" td=""><td>kmp_wait_release.h</td></unsigned>	kmp_wait_release.h			
▶ sched_yield	0.0%	0.056s	libc.so.6	sched_yield				









#### **Accomplished Work, Results - 3**

#### • Specifically in the transfer module we find:

Hotspots 💿								
Analysis Configuration Collection Log Summary Bottom-up Caller/Callee Top-down Tree Flame Graph Platform								
Grouping: Call Stack								
Function Stack	CPU Time: Total 👻 🔌	CPU Time: Self 🚿 Module	Function (Full)	Source File				
🔻 Total	100.0%	Os						
▼ _start	97.2%	Os class	_start	start.S				
▼libc_start_main	97.2%	Os libc.so.6	libc_start_main					
▼ main	97.2%	Os class	main	class.c				
perturbations_init	51.4%	Os class	perturbations_init	perturbations.c				
▼ transfer_init	43.4%	Os class	transfer_init	transfer.c				
▼ [OpenMP fork]	42.6%	Os libiomp5.so	kmpc_fork_call	kmp.h				
▼kmp_fork_call	42.6%	Os libiomp5.so	kmp_fork_call	kmp_runtime.cpp				
▼ [OpenMP dispatcher]	42.6%	Os libiomp5.so	kmp_invoke_task_func	kmp_runtime.cpp				
▼ transfer_init\$omp\$parallel@316	42.6%	Os class	transfer_init\$omp\$parallel@316	transfer.c				
transfer_compute_for_each_q	42.6%	0.320s class	transfer_compute_for_each_q	transfer.c				
<pre>v transfer_compute_for_each_l</pre>	41.6%	0.528s class	transfer_compute_for_each_l	transfer.c				
▼ transfer_integrate	41.0%	1.852s class	transfer_integrate	transfer.c				
▼ transfer_radial_function	38.5%	8.984s class	transfer_radial_function	transfer.c				
hyperspherical_Hermite4_interpolation_vector_Phi	15.8%	39.208s class	hyperspherical_Hermite4_interpolation_vector_Phi	hyperspherical.c				
hyperspherical_Hermite4_interpolation_vector_Phid2Phi	10.9%	26.912s class	hyperspherical_Hermite4_interpolation_vector_Phid2Phi	hyperspherical.c				
hyperspherical_Hermite4_interpolation_vector_dPhi	6.5%	16.003s class	hyperspherical_Hermite4_interpolation_vector_dPhi	hyperspherical.c				









# Next Steps and Expected Results (by next checkpoint: April 2024)

- Milestones:
  - 1. First CLASS Run on GPUs using OpenMP pragmas
  - 2. First attempt at profiling CLASS on GPUs
- KPIs:
  - **3. First spectrum computed with GPUs**
  - 4. Plot CLASS scaling on GPUs









#### **Wavelet Phase Harmonics statistic**

#### A.1. Bump-steerable wavelets

The WPH statistics rely on a bank of wavelets that are dilations and rotations of a mother bump-steerable wavelet  $\psi$  defined in Fourier space as follows (Mallat et al. 2020):

$$\hat{\psi}(\boldsymbol{k}) = \exp\left(\frac{-(k-\xi_0)^2}{\xi_0^2 - (k-\xi_0)^2}\right) \cdot \mathbf{1}_{[0,2\xi_0]}(\boldsymbol{k}) \\ \times \cos^{L-1}(\arg(\boldsymbol{k})) \cdot \mathbf{1}_{[0,\pi/2]}(|\arg(\boldsymbol{k})|),$$
(A.1)

with  $k = ||\mathbf{k}||$ ,  $\mathbf{1}_A(x)$  being the indicator function that returns 1 if  $x \in A$  and 0 otherwise, and  $\xi_0 = 0.85\pi$  being the central wavenumber of the mother wavelet. The dilated and rotated wavelets are defined as follows:

$$\boldsymbol{\psi}_{\boldsymbol{\xi}_{j,\theta}}(\boldsymbol{r}) = 2^{-j} \boldsymbol{\psi} \Big( 2^{-j} \operatorname{rot}_{-\theta}[\boldsymbol{r}] \Big), \tag{A.2}$$

with *j* being the index of the dilation by a factor  $2^j$  and  $\theta$  being the angle of rotation. We call  $\xi_{j,\theta} = 2^{-j}\xi_0 u_{\theta}$  with  $u_{\theta} = \cos \theta u_x + \sin \theta u_y$  the central wavevector of the wavelet obtained by such a transform. In practice, we consider *J* dilation indices *j* ranging from 0 to *J*-1, and we divide  $2\pi$  into 2*L* evenly spaced rotation angles  $\theta$ . The bank of wavelets is thus the set of 2*JL* wavelets  $\{\psi_{\xi_{j,\theta}} : j = 0, ..., J - 1, \theta = 0, \frac{\pi}{L}, ..., \frac{(2L-1)\pi}{L}\}$ , and these wavelets cover most of Fourier space with their respective band-passes.

In this Letter, we work with  $512 \times 512$  maps and choose J = 8 and L = 8. We show in Fig. A.1 one example wavelet from the bank.

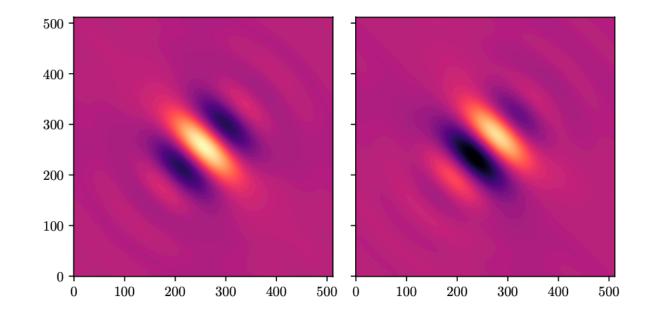


Fig. A.1. Real part (*left*) and imaginary part (*right*) of a  $512 \times 512$  bump-steerable wavelet  $\psi_{6,\pi/4}$ . The wavelet is centered in the middle of the map for a better visualization.