

GRB multi-TeV detection: Beyond standard physics?

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Outline

- GRB 221009A
- Axion-like particles
- Results with ALP model
- Lorentz Invariance Violation
- Results with LIV model
- Conclusions

GRB 221009A

GRB 221009A

- Extremely luminous Gamma Ray Burst (GRB) at $z = 0.151$
- Observed by:
 - Swift, Fermi
 - LHAASO at $E \simeq 18$ TeV within 2000 s after the initial burst
 - Carpet-2 at $E \simeq 251$ TeV at 4536 s after Fermi-GBM trigger

BUT strong EBL absorption for $E \gtrsim 14$ TeV at $z = 0.151$ within Conventional Physics (CP)

EBL	15 TeV		18 TeV		100 TeV		251 TeV	
	τ_{CP}	P_{CP}	τ_{CP}	P_{CP}	τ_{CP}	P_{CP}	τ_{CP}	P_{CP}
FR	10.1	4×10^{-5}	14.1	7×10^{-7}	333	2×10^{-145}	15411	~ 0
G	9.4	8×10^{-5}	13.1	2×10^{-6}	246	2×10^{-107}	9502	~ 0
SL	12.8	3×10^{-6}	18.3	10^{-8}	220	3×10^{-96}	>9251	~ 0

τ_{CP} -> optical depth; P_{CP} -> photon survival probability

FR -> EBL model by Franceschini & Rodighiero 2017

G -> EBL model by Gilmore et al. 2012

SL -> EBL model by Saldana-Lopez et al. 2021

Warning!!!

- Our results are based on:
 - **LHAASO** event @ 18 TeV
 - Possible **Carpet-2** event @ 251 TeV

More **solid conclusions**
will be drawn **when** the
SED is **known**

QUESTION:

*How can we have detected this
GRB at $E \simeq 18 \text{ TeV}$, 251 TeV ?*

ANSWER:

with **axion-like particles
(ALPs) !!!**

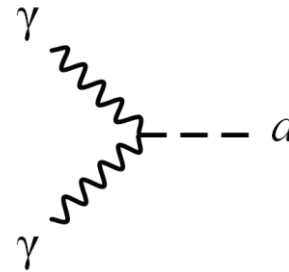
G. Galanti, L. Nava, M. Roncadelli and F. Tavecchio, arXiv:2210.05659

Axion-like particles

Axion-like particles (ALPs)

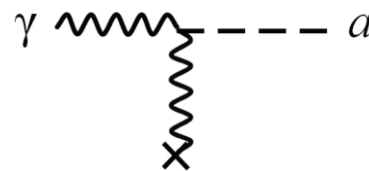
- Predicted by String Theory
- Very light particles a ($m_a < 10^{-8}$ eV)
- Spin 0
- **Interaction with two photons** (coupling $g_{a\gamma\gamma}$)
- Interactions with other particles discarded
- Possible candidate for dark matter
- Induce the **change of the polarization state** of photons

Two photons

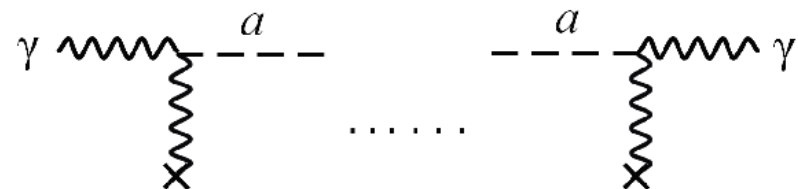


$$\mathcal{L}_{a\gamma} = g_{a\gamma\gamma} \mathbf{E} \cdot \mathbf{B} a$$

In an external B field



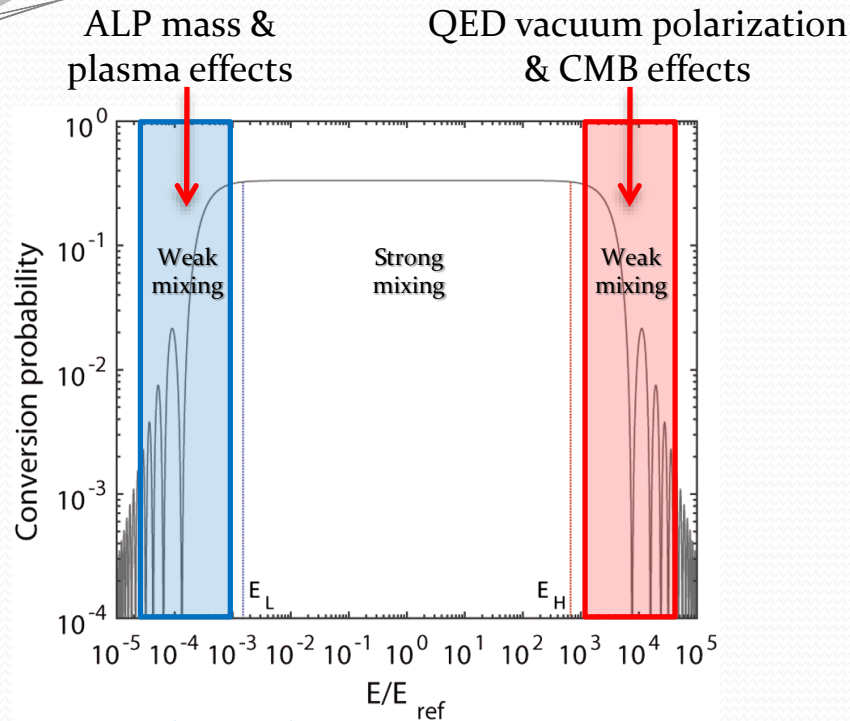
Photon-ALP oscillations



ALPs in astrophysical contest

- ALPs very **elusive** in laboratory experiments (low coupling) → **astrophysical environment** is the **best opportunity** to study ALPs and ALP effects (*for free*)
- Photon/ALP beam in the VHE band $E \gg m_a$
- For $E < 10$ GeV → negligible photon absorption due to EBL
 - **Photon-ALP interaction** produces effective **photon absorption**
- For $E > 10$ GeV → photons absorbed by EBL ($\gamma\gamma \rightarrow e^+e^-$), **ALPs** are **not absorbed**
 - **Photon-ALP oscillations increase medium transparency**
- **HINTS** at ALP existence:
 - Explain how flat spectrum radio quasars (FSRQs) can emit up to 400 GeV
F. Tavecchio, M. Roncadelli, G. Galanti and G. Bonnoli, Phys. Rev. D, 86, 085036 (2012) [arXiv: 1202.6529].
 - Solve the anomalous redshift dependence of blazar spectra
G. Galanti, M. Roncadelli, A. De Angelis, G. F. Bignami, MNRAS 493, 1553 (2020) [arXiv: 1503.04436].
 - GRB 221009A?
G. Galanti, L. Nava, M. Roncadelli and F. Tavecchio, arXiv:2210.05659.

ALP-induced irregularities



BLUE AREA:

- Spectral effects investigated in:
D. Wouters, P. Brun, Phys. Rev. D 86, 043005 (2012).
Fermi-LAT Collaboration, Phys. Rev. Lett. 116, 161101 (2016).
CTA Consortium, JCAP 02, 048 (2021).
- Polarization effects studied in:
G. Galanti, Phys. Rev. D 107, 043006 (2023).
G. Galanti, M. Roncadelli, F. Tavecchio, E. Costa, arXiv:2202.12286.

- Photon-ALP conversion probability $P_{\gamma \rightarrow a}(E, m_a, g_{a\gamma\gamma}, B)$
- Highlighted zones predict **spectral irregularities and polarization features** in observational data
- Constraints on $g_{a\gamma\gamma}$ and m_a but the firmest is $g_{a\gamma\gamma} < 6.6 \times 10^{-11} \text{ GeV}^{-1}$ for $m_a < 0.02 \text{ eV}$ (CAST collaboration, 2017)

RED AREA:

- Spectral effects investigated in:
G. Galanti, F. Tavecchio, M. Roncadelli, C. Evoli, MNRAS 487, 123 (2019) [arXiv:1811.03548].
G. Galanti, F. Tavecchio, M. Landoni, MNRAS 491, 5268 (2020) [arXiv:1911.09056].
- Polarization effects studied in:
G. Galanti, Phys. Rev. D 107, 043006 (2023) [arXiv:2202.11675].

γ : photon

a : ALP

absorption: $\gamma + \gamma_{\text{Soft}} \rightarrow e^+ + e^-$

γ_{Soft} : EBL

$g_{a\gamma\gamma}$: $\gamma\gamma a$ coupling

E : γ electric field

B : external magnetic field

$$\mathcal{L}_{a\gamma} = g_{a\gamma\gamma} \mathbf{E} \cdot \mathbf{B} a$$

$$B_{\text{host}} = O(10) \mu\text{G}$$

Host galaxy:

G. Galanti, L. Nava, M. Roncadelli, F. Tavecchio,
arXiv: 2210.05659.

A. J. Levan et al., arXiv: 2302.07761.

$$B_{\text{GRB}} = O(1-10^4) \text{ G}$$

GRB:

G. Galanti, L. Nava, M. Roncadelli, F. Tavecchio,
arXiv: 2210.05659.

Milky Way:

D. Horns, L. Maccione, M. Meyer et al., Phys.
Rev. D; 86, 075024 (2012) [arXiv: 1207.0776].

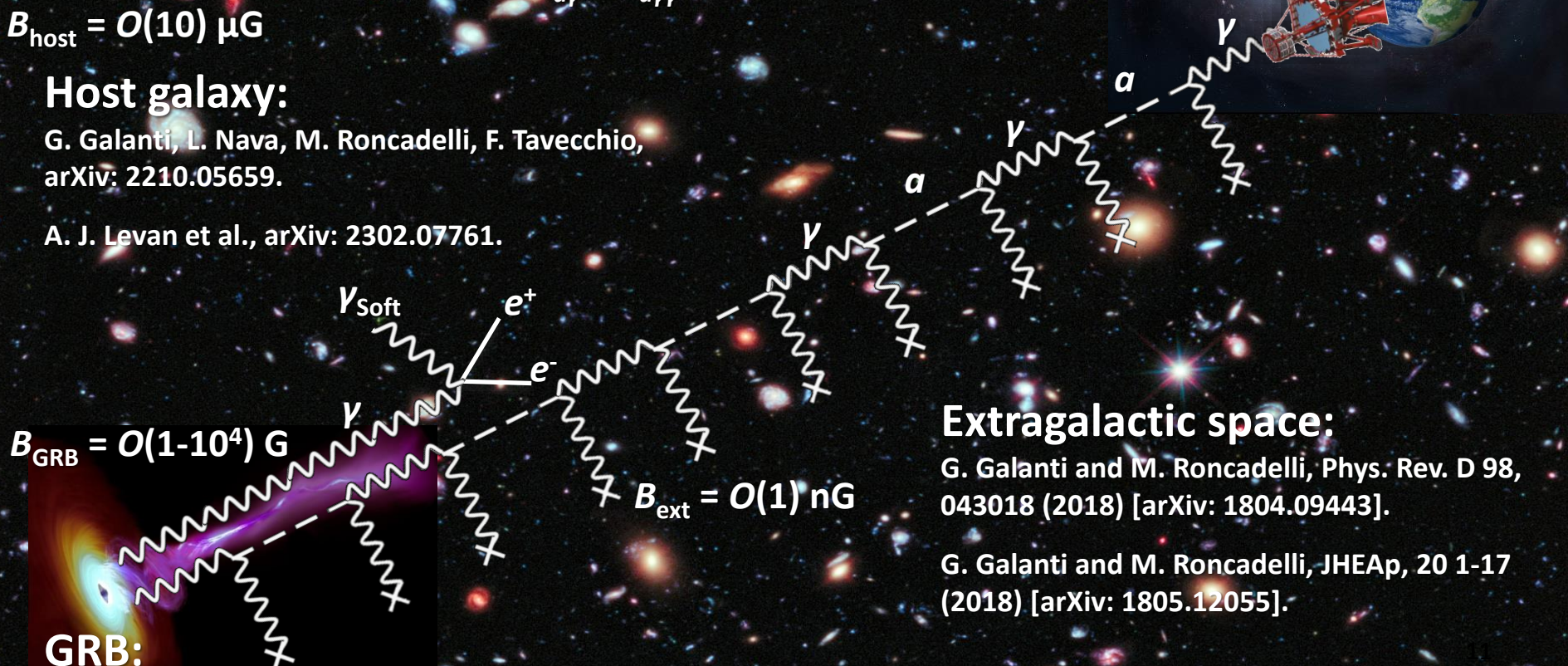
G. Galanti, F. Tavecchio, M. Roncadelli, C. Evoli,
MNRAS 487, 123 (2019) [arXiv: 1811.03548].

$$B_{\text{MW}} = O(1-5) \mu\text{G}$$

Extragalactic space:

G. Galanti and M. Roncadelli, Phys. Rev. D 98,
043018 (2018) [arXiv: 1804.09443].

G. Galanti and M. Roncadelli, JHEAp, 20 1-17
(2018) [arXiv: 1805.12055].



γ -ALP conversion for GRB 221009A

GRB:

- **Negligible** γ -ALP conversion even with parameters maximizing $P_{\gamma \rightarrow a}$
 - $B'_{\text{GRB}} = 2 \text{ G}$, distance $R = 2 \times 10^{17} \text{ cm}$, $\Gamma = 45$ at $t \sim 2000 \text{ s}$
 - $\rightarrow \gamma$ -ALP beam propagation length $\Delta R' \sim R/\Gamma \sim 5 \times 10^{15} \text{ cm}$

Host Galaxy:

- **Disk-like galaxy** observed **edge-on** with **GRB** in the **center** (Levan+2023). We take:
 - i) **Starburst** galaxy $\rightarrow$ M82 as a model (Lopez-Rodriguez+2021) $\rightarrow B_{\text{host}} = \text{O}(20\text{-}50) \mu\text{G}$
 - ii) **Spiral** galaxy (Beck2016) $\rightarrow B_{\text{host}} = \text{O}(5\text{-}10) \mu\text{G}$

Extragalactic space:

- **Domain-like model** for B_{ext} (Galanti & Roncadelli, 2018) $\rightarrow$ limits: $10^{-7} \text{ nG} < B_{\text{ext}} < 1.7 \text{ nG}$ on $L_{\text{dom}} = \text{O}(1) \text{ Mpc}$ (Pshirkov+2016). We take:
 - i) $B_{\text{ext}} = 1 \text{ nG}$ with $0.2 \text{ Mpc} < L_{\text{dom}} < 10 \text{ Mpc}$: **favoured** by (Rees & Setti, 1968; Kronberg+1999)
 - ii) $B_{\text{ext}} < 10^{-15} \text{ G}$ $\rightarrow$ very **conservative** scenario

Milky Way:

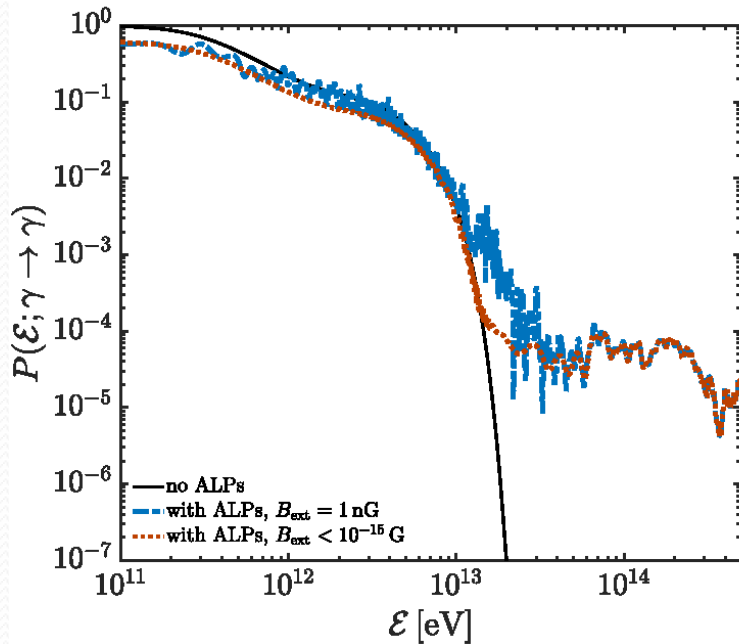
- B_{MW} **map by Jansson & Farrar** (Jansson & Farrar, 2012a,b)

Total Effect:

- γ -ALP interaction in **all media** $\rightarrow$ **final photon survival probability** P_{ALP}

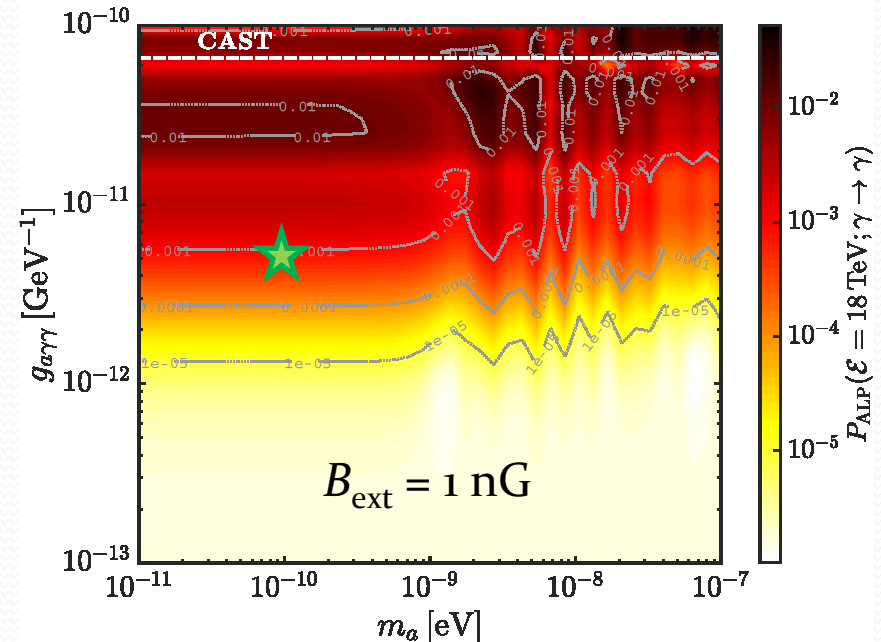
Results with ALP model

ALP effect – Starburst galaxy

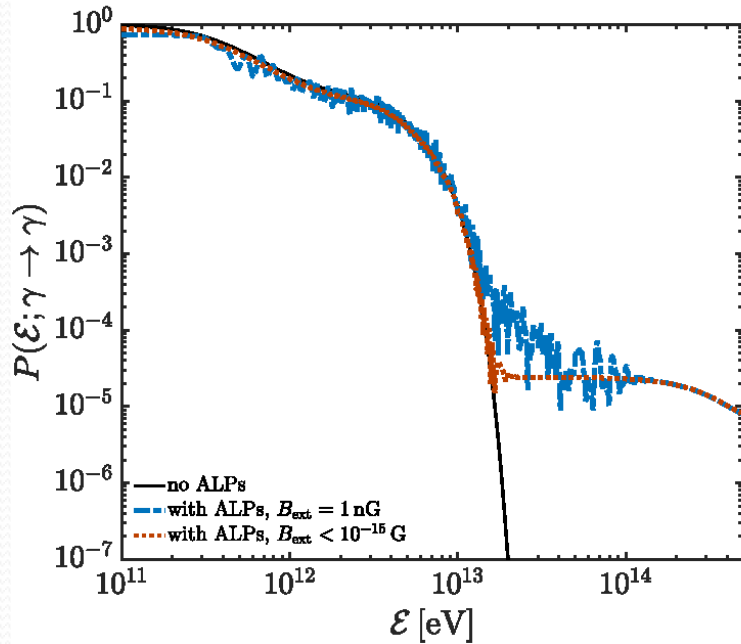


- $P_{\text{CP}}(E, \gamma \rightarrow \gamma)$:
 - @ 15 TeV $\rightarrow \sim 4 \times 10^{-4}$
 - @ 18 TeV $\rightarrow \sim 7 \times 10^{-7}$
 - @ 100 TeV $\rightarrow \sim 2 \times 10^{-145}$
 - @ 251 TeV $\rightarrow \sim 0$
- $P_{\text{ALP}}(E, \gamma \rightarrow \gamma)$:
 - @ 15 TeV $\rightarrow \sim \mathbf{3 \times 10^{-3}}$
 - @ 18 TeV $\rightarrow \sim \mathbf{9 \times 10^{-4}}$
 - @ 100 TeV $\rightarrow \sim 7 \times 10^{-5}$
 - @ 251 TeV $\rightarrow \sim 5 \times 10^{-5}$

- CAST bound (CAST collaboration, 2017)
 - $g_{a\gamma\gamma} < 6.6 \times 10^{-11} \text{ GeV}^{-1}$ for $m_a < 0.02 \text{ eV}$
- Most stringent bound (Dessert+2022)
 - $g_{a\gamma\gamma} < 5.4 \times 10^{-12} \text{ GeV}^{-1}$ for $m_a < 3 \times 10^{-7} \text{ eV}$
- We take $g_{a\gamma\gamma} = 5 \times 10^{-12} \text{ GeV}^{-1}$; $m_a = 10^{-10} \text{ eV}$
 - **Explain** both **LHAASO** and **Carpet-2**
 - **Compatible with other ALP hints**

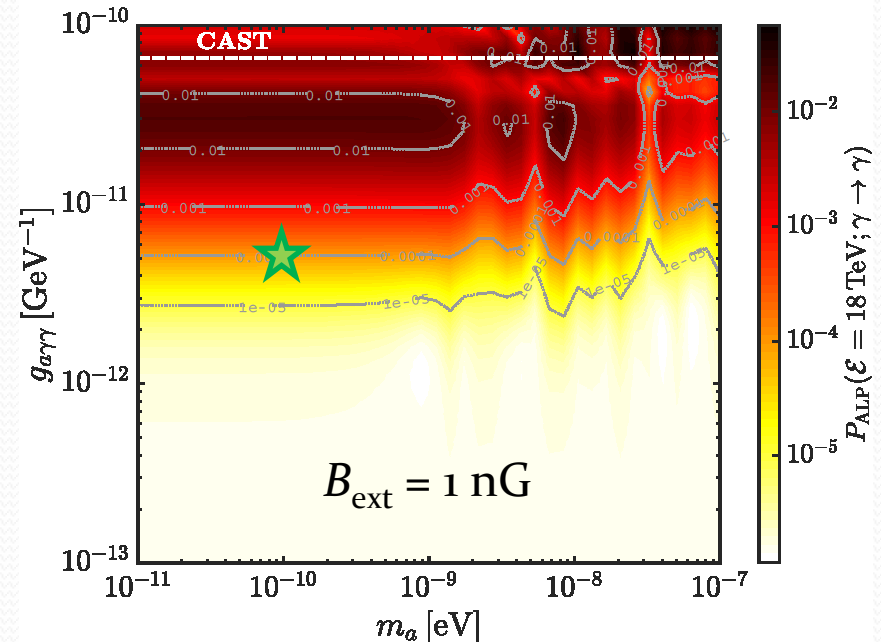


ALP effect – Spiral galaxy



- $P_{\text{CP}}(E, \gamma \rightarrow \gamma)$:
 - @ 15 TeV $\rightarrow \sim 4 \times 10^{-4}$
 - @ 18 TeV $\rightarrow \sim 7 \times 10^{-7}$
 - @ 100 TeV $\rightarrow \sim 2 \times 10^{-145}$
 - @ 251 TeV $\rightarrow \sim 0$
- $P_{\text{ALP}}(E, \gamma \rightarrow \gamma)$:
 - @ 15 TeV $\rightarrow \sim \mathbf{3 \times 10^{-4}}$
 - @ 18 TeV $\rightarrow \sim \mathbf{2 \times 10^{-4}}$
 - @ 100 TeV $\rightarrow \sim 3 \times 10^{-5}$
 - @ 251 TeV $\rightarrow \sim 2 \times 10^{-5}$

- CAST bound (CAST collaboration, 2017)
 - $g_{a\gamma\gamma} < 6.6 \times 10^{-11} \text{ GeV}^{-1}$ for $m_a < 0.02 \text{ eV}$
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 - **Explain** both **LHAASO** and **Carpet-2**
 - **Compatible with other ALP hints**



Lorentz Invariance Violation

Lorentz Invariance Violation (LIV)

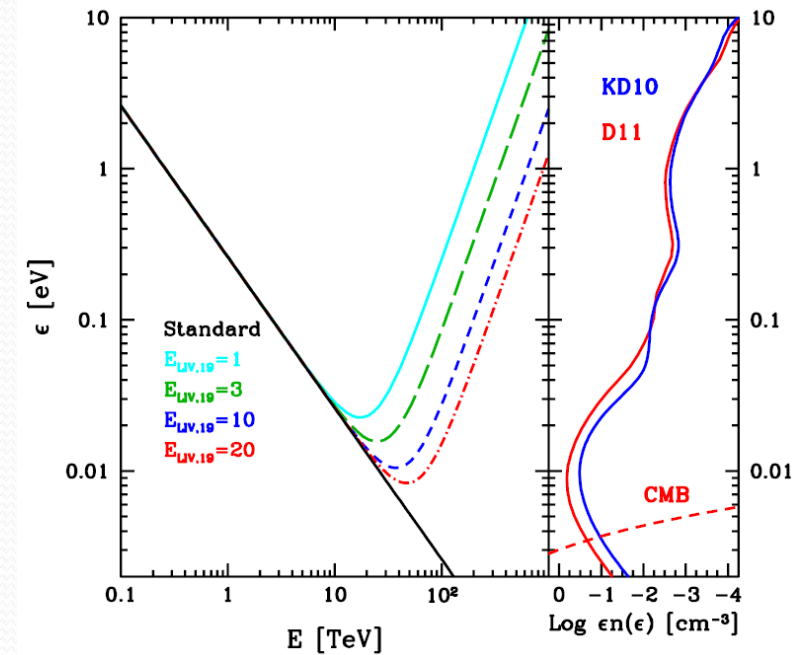
- Predicted by quantum gravity models for $E > 10^{19}$ GeV (Mattingly 2005)
- Effects on standard physics processes (Coleman&Glashow 1999; Jacobson+2003; Liberati 2013):
 - Photon decay
 - Photon splitting
 - **Modification of dispersion relations**

- **Modified photon dispersion relation**

$$E^2 - p^2 = -\frac{E^{n+2}}{E_{\text{LIV}}^n}$$

$E \rightarrow$ energy
 $p \rightarrow$ momentum
 $E_{\text{LIV}} \rightarrow$ LIV parameter

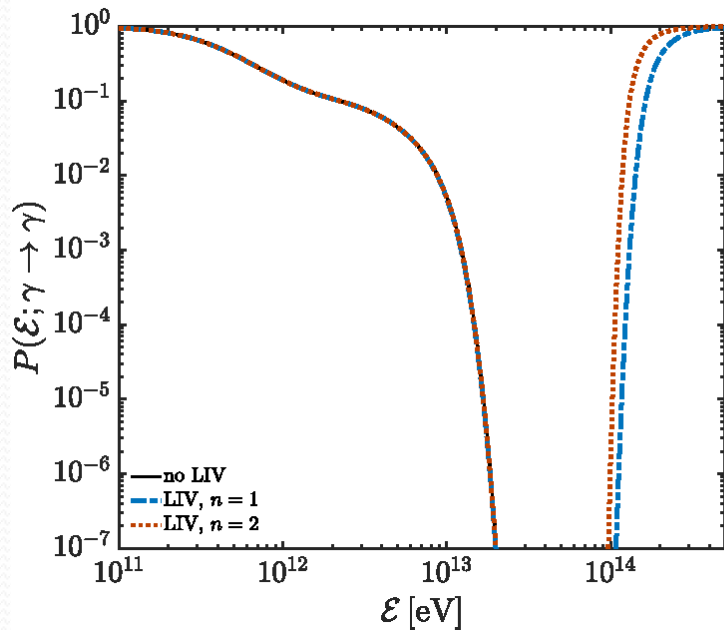
- $\rightarrow$ **Modification** of the **threshold** of the $\gamma\gamma \rightarrow e^+e^-$ process
 - Hundreds-TeV photons interact with optical/UV photons
 - **Smaller** photon absorption



F. Tavecchio and G. Bonnoli, A&A 585, A25 (2016)

Results with LIV model

LIV effect



- $P_{\text{CP}}(E, \gamma \rightarrow \gamma)$:
 - @ 15 TeV $\rightarrow \sim 4 \times 10^{-4}$
 - @ 18 TeV $\rightarrow \sim 7 \times 10^{-7}$
 - @ 100 TeV $\rightarrow \sim 2 \times 10^{-145}$
 - @ 251 TeV $\rightarrow \sim 0$
- $P_{\text{LIV}, n=1}(E, \gamma \rightarrow \gamma)$:
 - @ 15 TeV $\rightarrow \sim$ as in CP
 - @ 18 TeV $\rightarrow \sim$ as in CP
 - @ 100 TeV $\rightarrow \sim 5 \times 10^{-10}$
 - @ 251 TeV $\rightarrow \sim \mathbf{0.68}$
- $P_{\text{LIV}, n=2}(E, \gamma \rightarrow \gamma)$:
 - @ 15 TeV $\rightarrow \sim$ as in CP
 - @ 18 TeV $\rightarrow \sim$ as in CP
 - @ 100 TeV $\rightarrow \sim 2 \times 10^{-6}$
 - @ 251 TeV $\rightarrow \sim \mathbf{0.91}$

- LIV bounds (Lang+2019)

- $E_{\text{LIV}, n=1} > 10^{20} \text{ GeV}$
- $E_{\text{LIV}, n=2} > 2 \times 10^{12} \text{ GeV}$

- We take

- $E_{\text{LIV}, n=1} = 3 \times 10^{20} \text{ GeV}$
- $E_{\text{LIV}, n=2} = 5 \times 10^{12} \text{ GeV}$

- LIV-induced modifications sizable above $\sim 40 \text{ TeV}$

- **cannot explain LHAASO** event
- effective to **explain Carpet-2** event (if real event not too far from $E \sim 251 \text{ TeV}$)

Conclusions

Conclusions

- **GRB 221009A challenges conventional physics** (CP)
 - Event @ 18 TeV (**LHAASO**) → **very problematic** within CP
 - Event @ 251 TeV (**Carpenter-2**) → **unexplainable** by CP
- **ALPs can explain both the detections**
 - Within current bounds about $g_{a\gamma\gamma}$ and m_a
 - Same ALP parameters used in previous hints at ALPs
- **LIV not satisfactory**
 - **Cannot explain LHAASO** detection
 - Very effective to **justify Carpenter-2** event
- **FINAL QUESTION:** Possible first **ALP indirect detection?**

$$G_{rr} = R_{rr} - \frac{1}{2} R g_{rr} = \frac{8\pi G}{c^4} T_{rr}$$

$$S_B = \frac{k_B 4\pi G}{\hbar c} M^2$$

$$\psi(x) = \frac{1}{\sqrt{k_1}} (A_- e^{ik_1 x} + A_+ e^{-ik_1 x}) \quad x < 0$$

$$k_1 = \sqrt{2mE/\hbar^2}$$

$$R_{rr} - \frac{1}{2} R g_{rr} + \Lambda g_{rr} = \frac{8\pi G}{c^4} T_{rr}$$

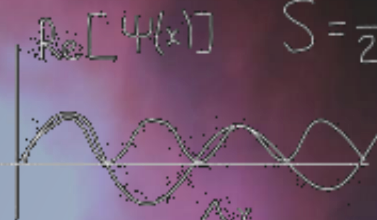
$$\sigma = \frac{24\pi^3 L^2}{T^2 c^2 (1 - e^2)}$$



$$S = \frac{c^2 k A}{4 \hbar G}$$

$$H = \frac{P P}{2m} + V(x)$$

$$P = -i\hbar \nabla$$



$$S = \frac{1}{2k} \int R \sqrt{-g} d^4 x$$

$$L = \text{tr} \left\{ \frac{1}{g^2} F_{IJ} F^{IJ} - i \lambda \Gamma^I D_I \lambda \right\}$$

$$H|\psi(t)\rangle = i\hbar \frac{\partial}{\partial t} |\psi(t)\rangle$$

Thank you

$$E = mc^2$$

$$E = (pc)^2 + (mc^2)^2$$

$$r = \frac{\theta}{2\pi} + \frac{4\pi}{g^2}$$

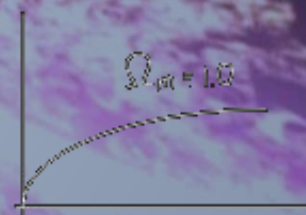
$$I = \int e^{-ax^2/2} dx = \sqrt{\frac{2\pi}{a}}$$

$$E^2 = p^2 c^2 + m^2 c^4$$

$$\frac{1}{c^2} \frac{\partial^2}{\partial t^2} \psi - \nabla^2 \psi + \frac{m^2 c^2}{\hbar^2} \psi = 0$$

$$p = \hbar k = \frac{\hbar a}{\lambda} = \frac{\hbar}{\lambda}$$

$$S = \frac{1}{2} \int d^4 x \left(\dot{\phi}^2 - \frac{p^2}{8(1+\phi^2)} \right)$$



$$A_{ij} = \frac{8\pi \hbar \nu^3}{c^3} B_{ij}$$

$$S_{fi} = \langle f | S | i \rangle$$

$$dY = e^{-\int_t^s V(X_{rr}) dr} \phi(X,s) \frac{\partial u}{\partial X} \frac{\partial w}{\partial w}$$

$$\frac{d}{dt} \langle A \rangle = \frac{1}{i\hbar} \langle [\hat{A}, \hat{H}] \rangle + \left\langle \frac{\partial \hat{A}}{\partial t} \right\rangle$$

$$i\hbar \frac{\partial}{\partial t} \psi = -\frac{\hbar^2}{2} \sum_{n=1}^N \frac{1}{m_n} \nabla_n^2 \psi + V \psi$$

$$\Delta x \Delta p \geq \frac{\hbar}{2}$$

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$$H|\psi(t)\rangle = i\hbar \frac{\partial}{\partial t} |\psi(t)\rangle$$

$$\frac{\delta(\hbar\omega - \hbar\omega_0)}{\hbar^2}$$

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$$E^2 = (pc)^2 + (mc^2)^2$$

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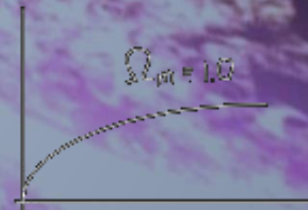
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