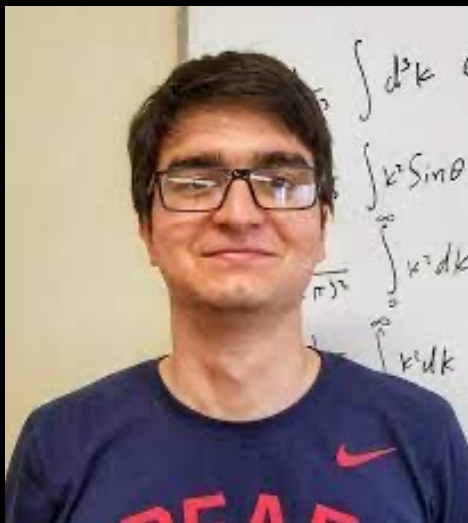


A New Way to Think About Halos and Galaxy Clusters

Eduardo Rozo





Rafael García



Edgar Salazar



Brandon
Wolfe



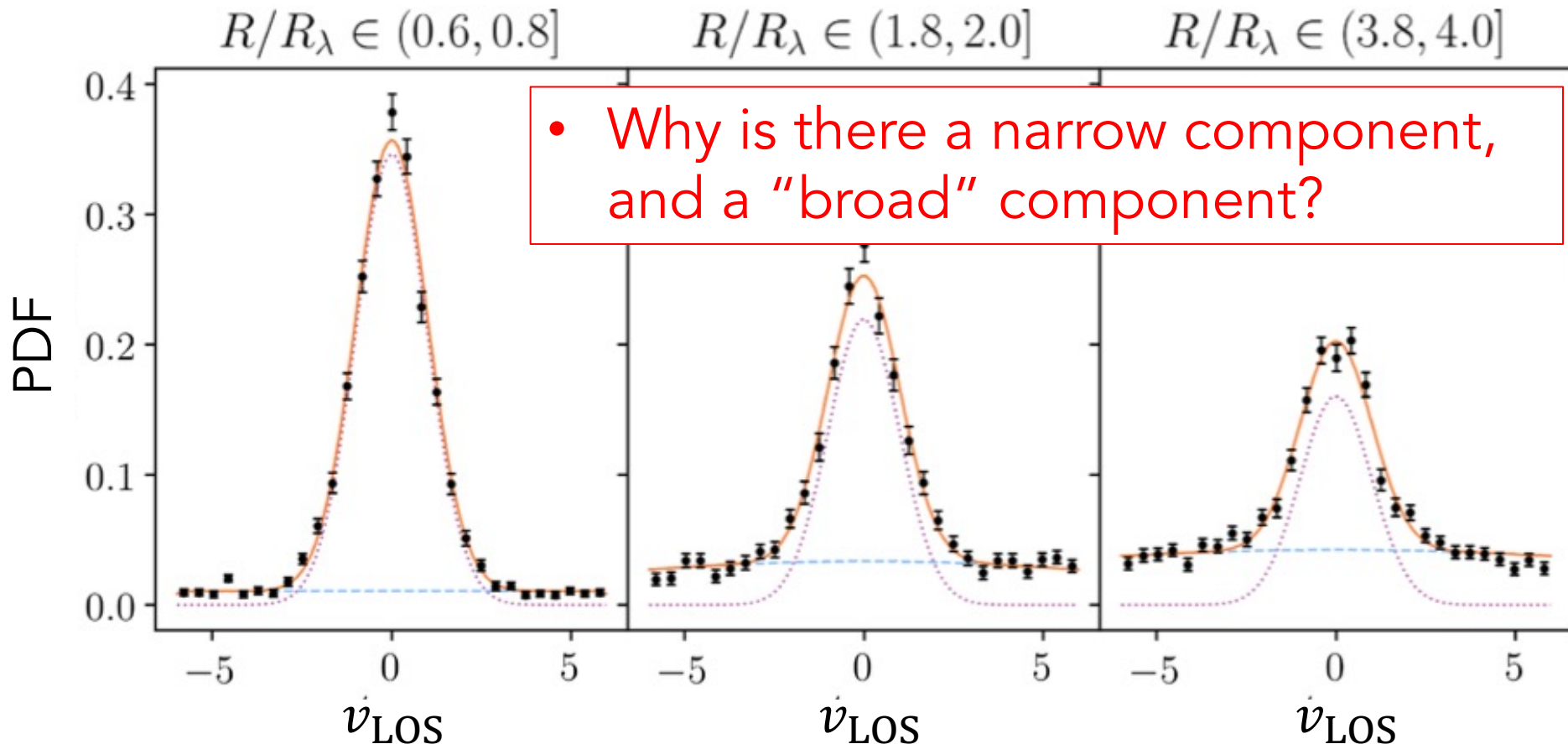
Paxton
Tomooka

Susmita Adhikari
Benedikt Diemer
Daisuke Nagai

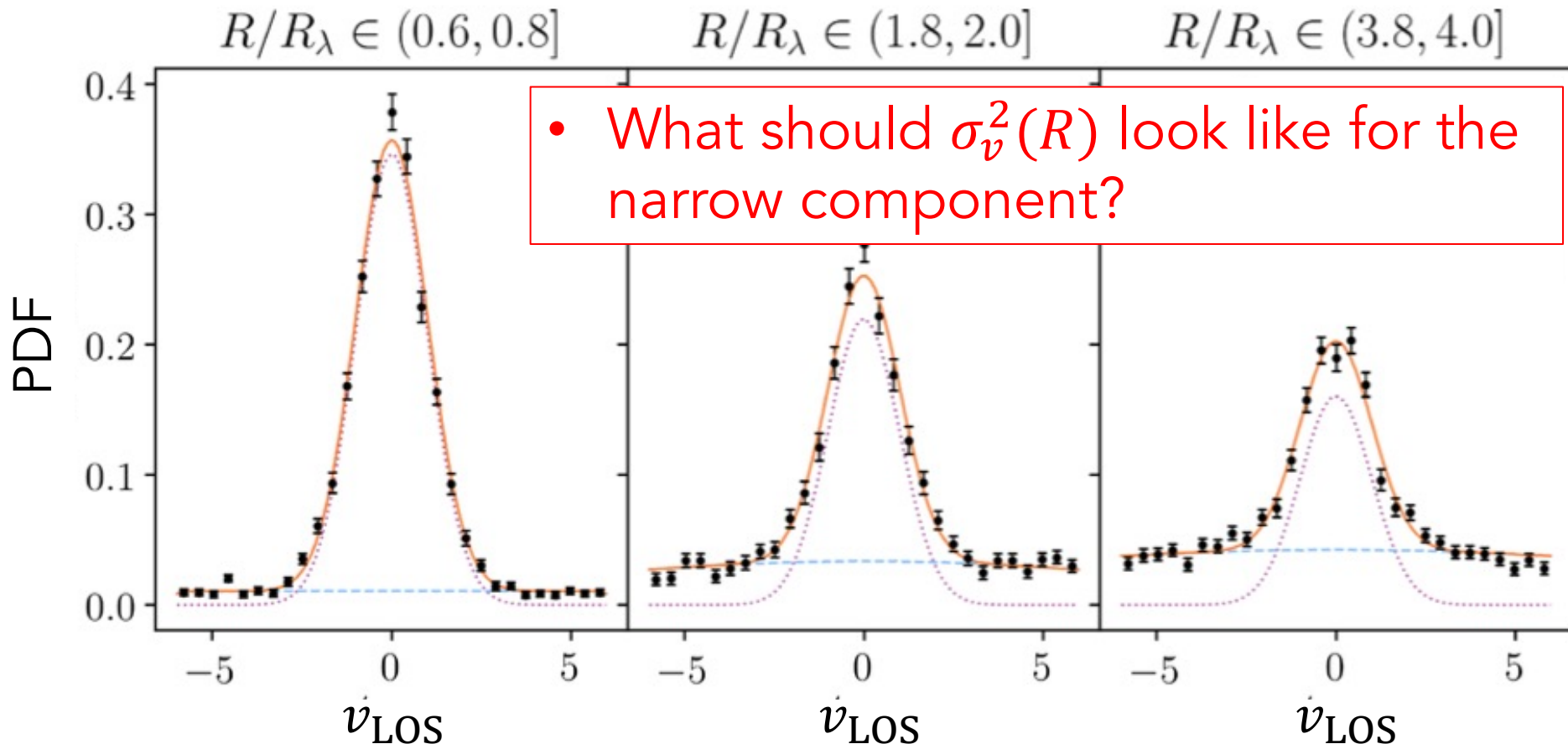
Han Aung
Connor Sweeney

Quiz Time!

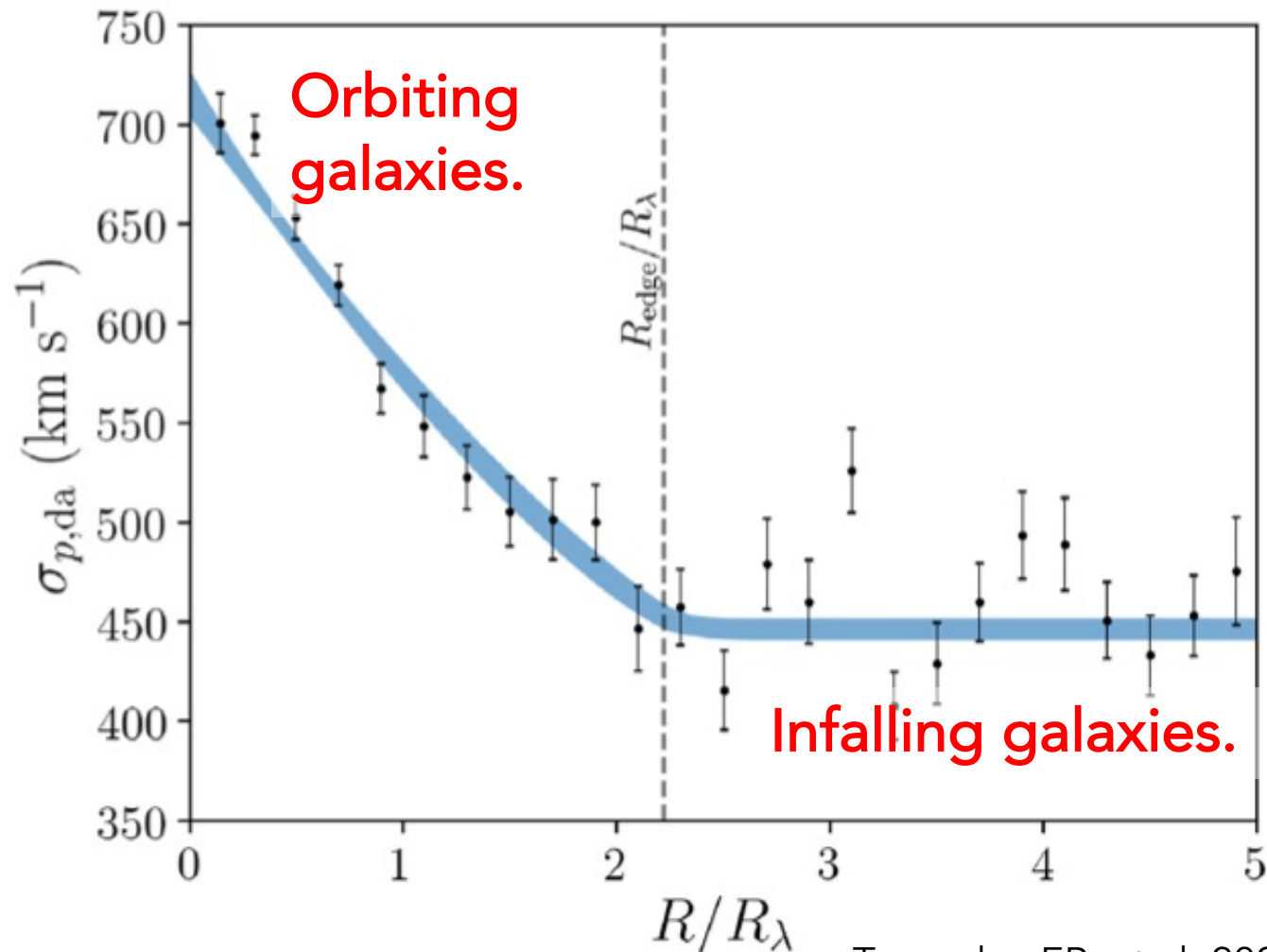
The Distribution of LOS Velocities of Galaxies Around Clusters



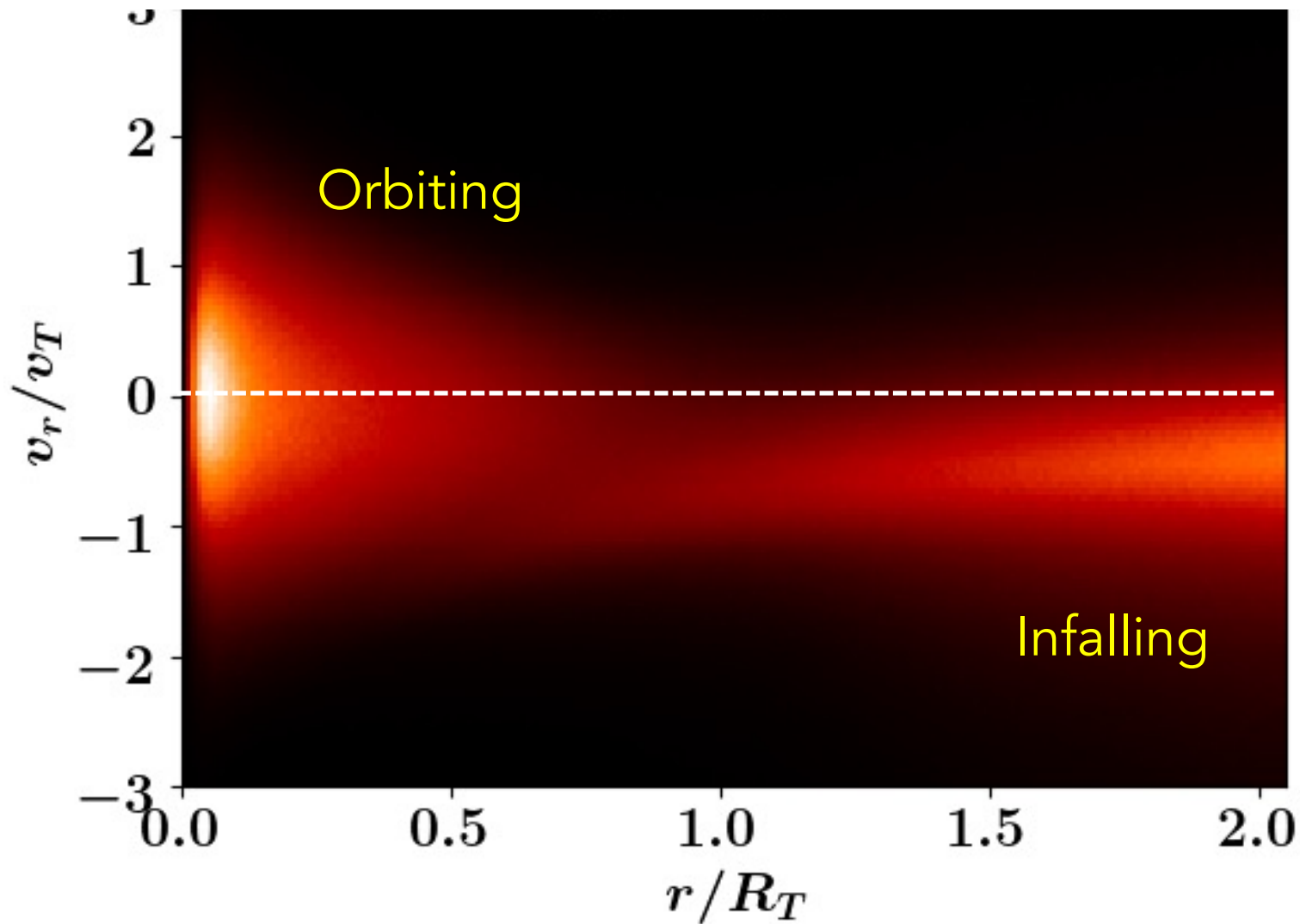
The Distribution of LOS Velocities of Galaxies Around Clusters



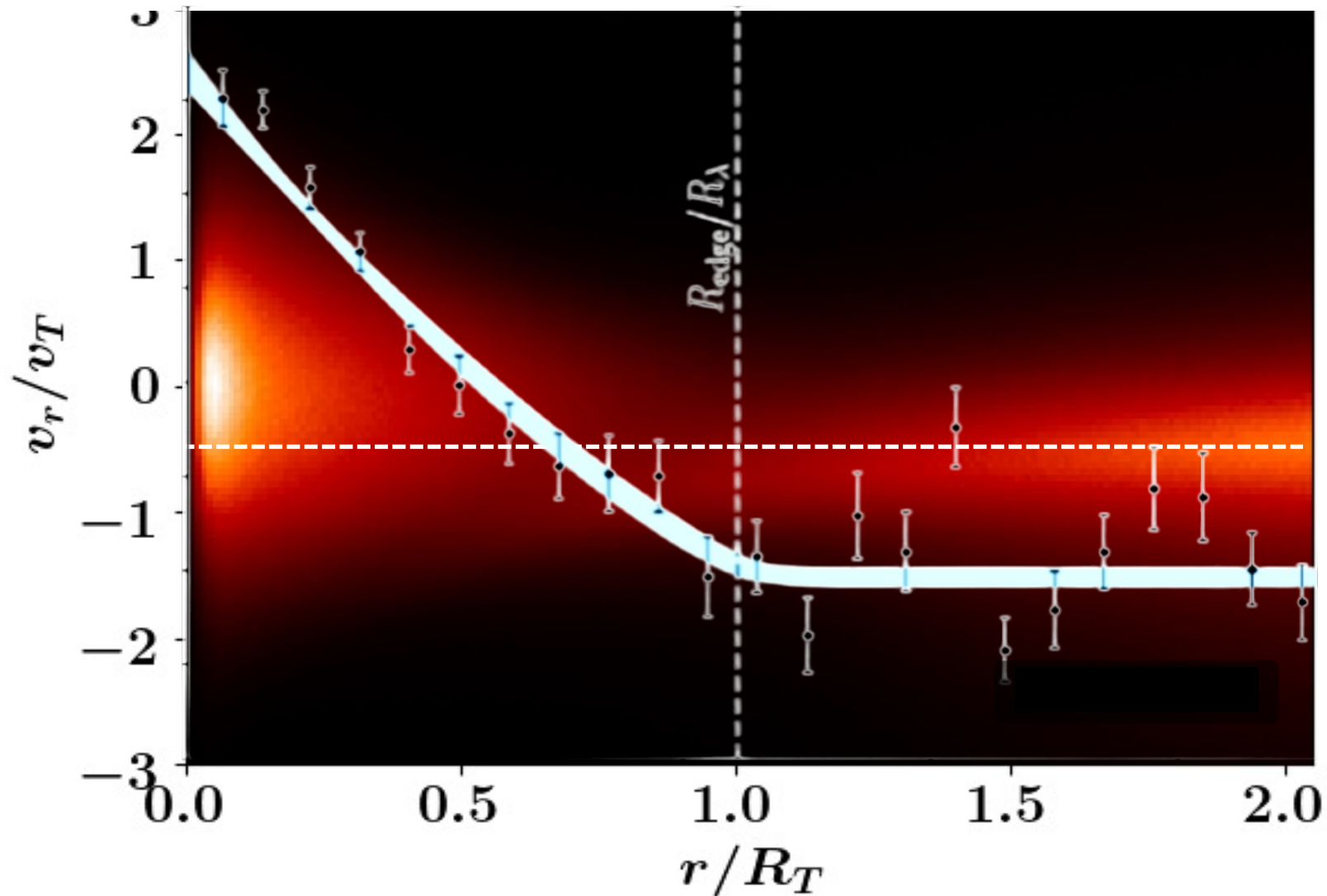
The Velocity Dispersion of Galaxy Clusters



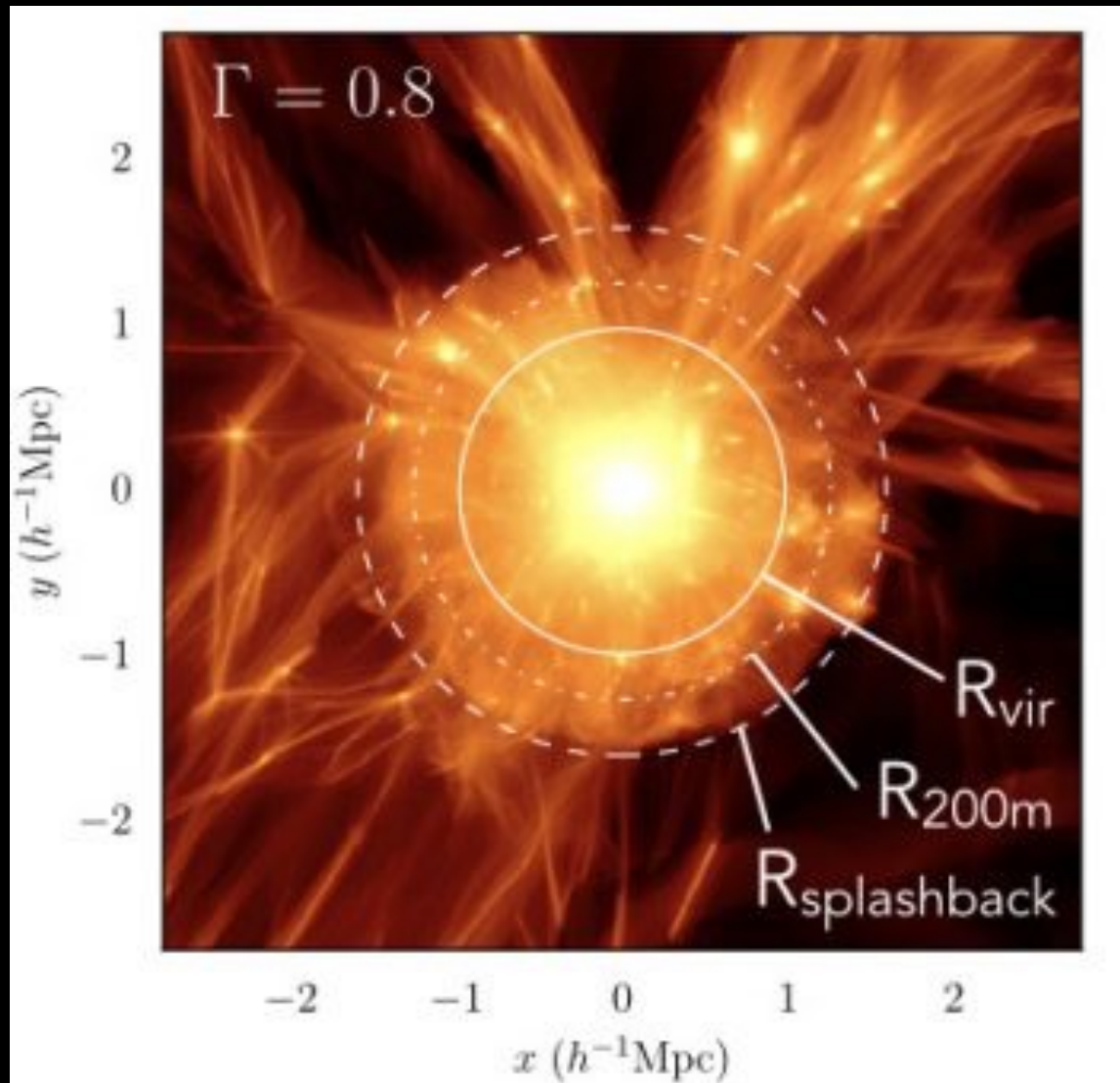
The Phase Space of a Halo



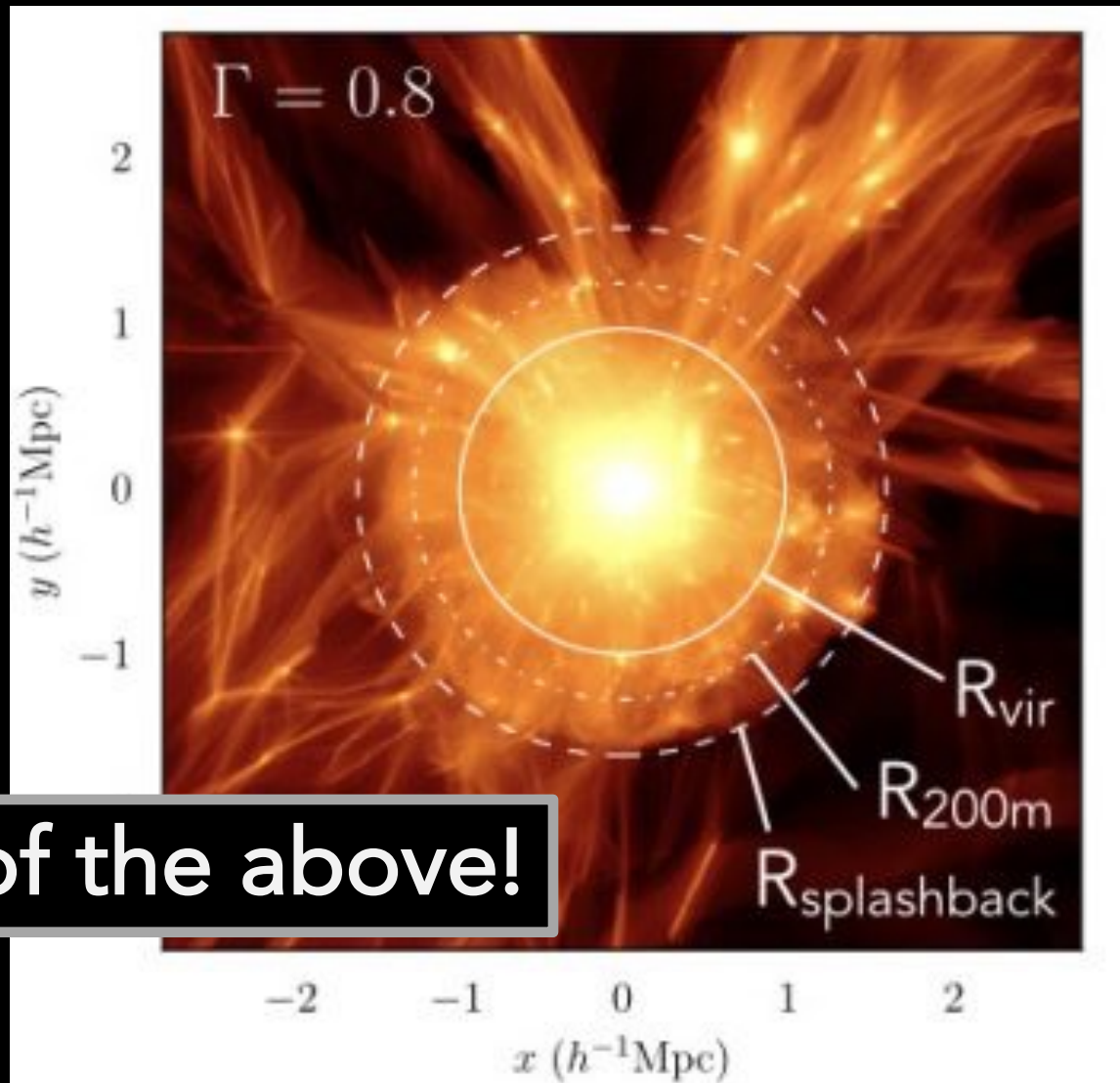
- There is an orbiting/infall dichotomy
- This dichotomy has observable implications.



What is the Right Halo Boundary?

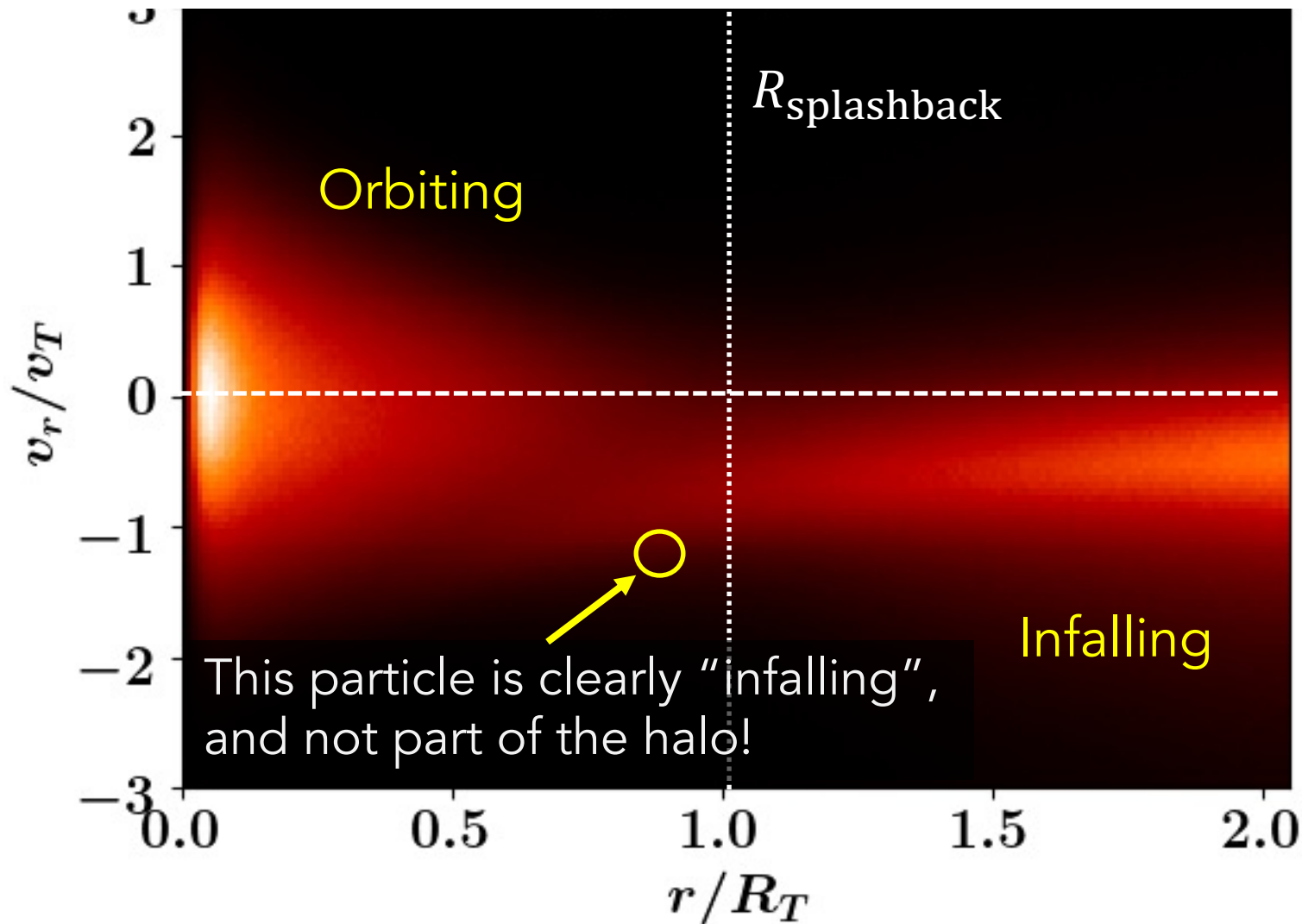


What is the Right Halo Boundary?

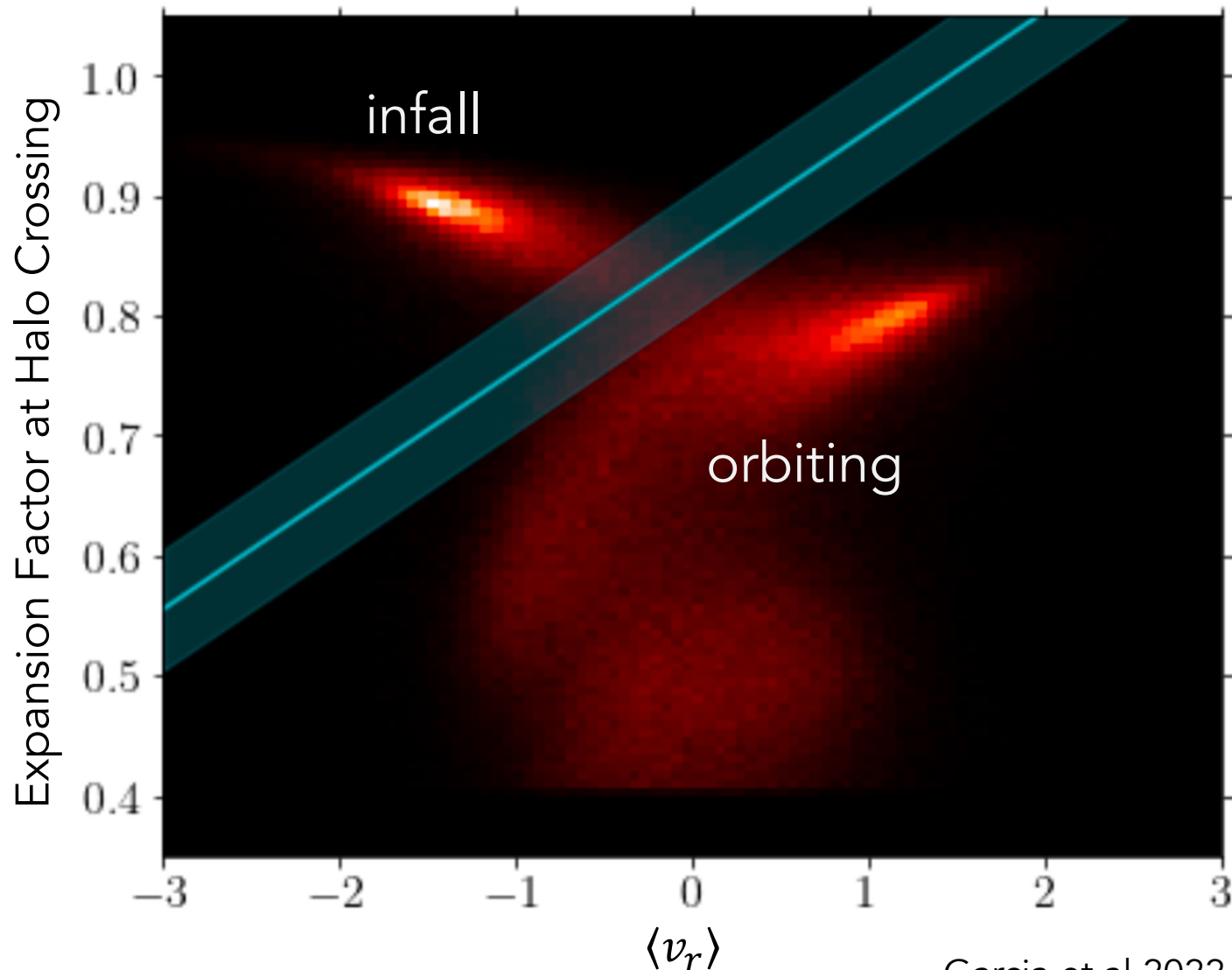


None of the above!

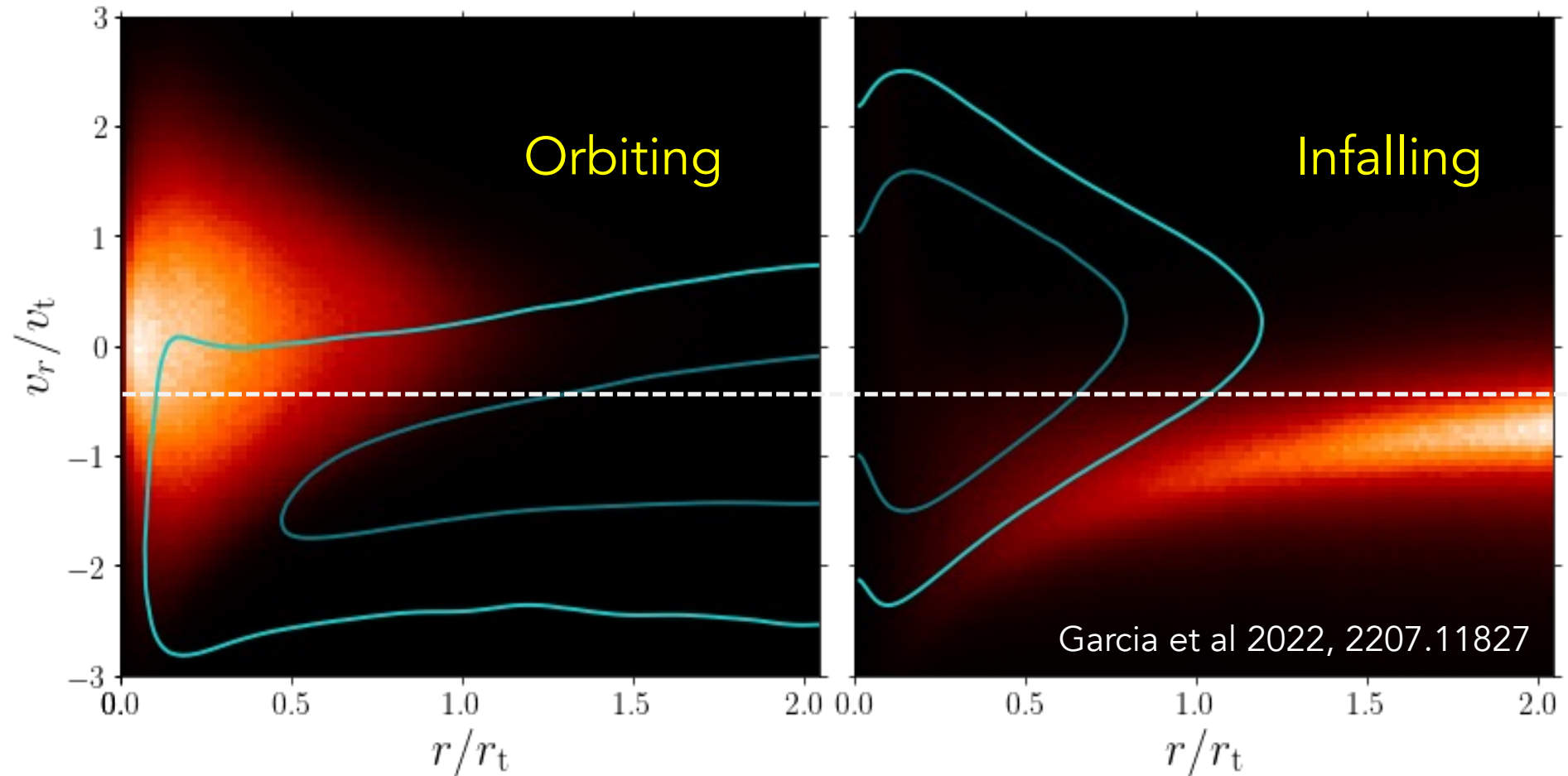
The Problem w/ ANY Radial Boundary



- Using particle histories, we can distinguish between orbiting and infalling at the 1% level.



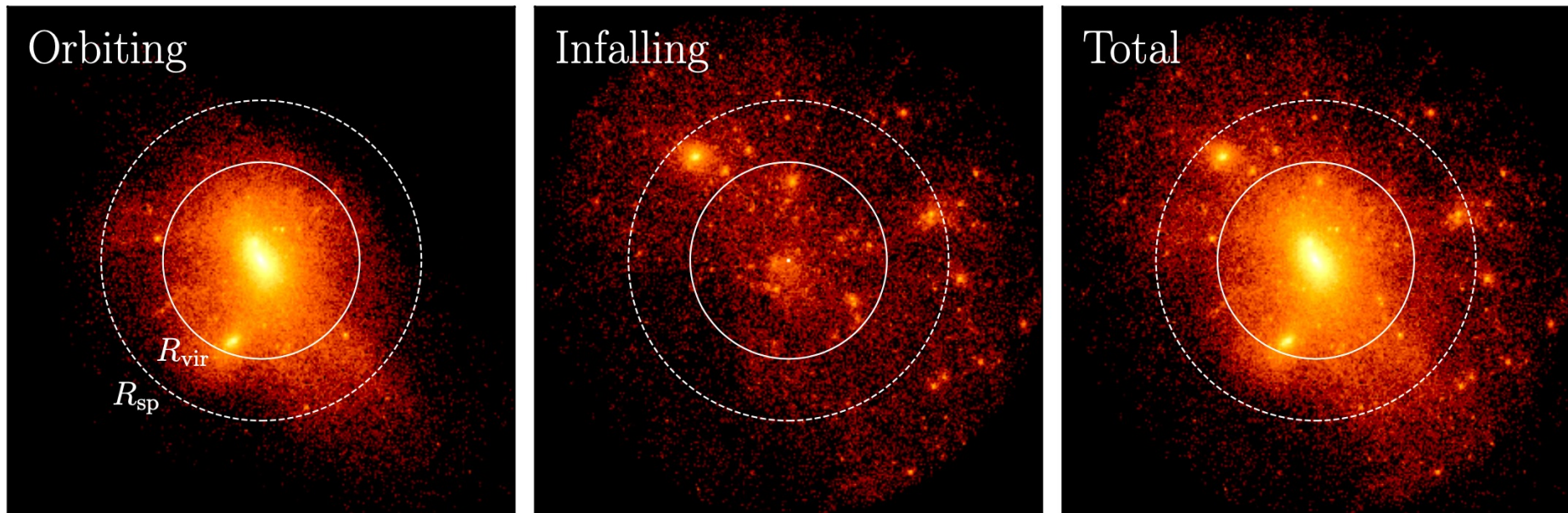
The Orbiting/Infall Dichotomy



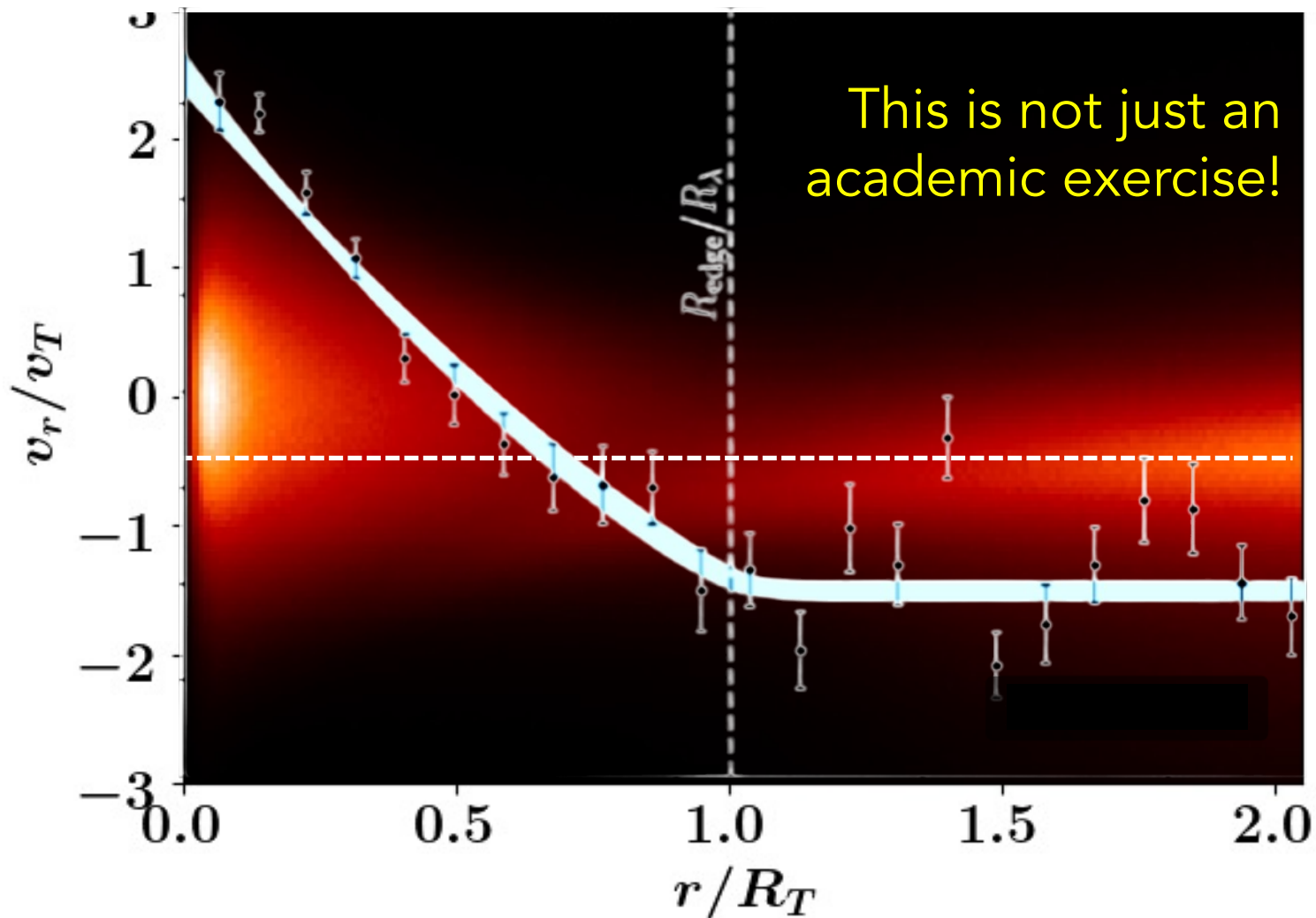
- This decomposition is *unique* at the percent level!

A New Halo Definition

A halo is the collection of all orbiting particles in a dark matter structure.

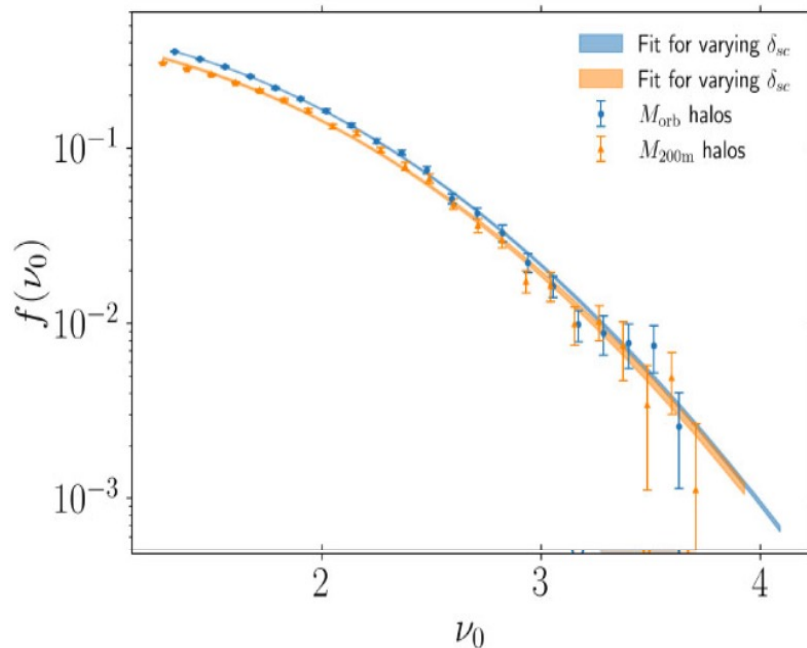


The proposed halo definition is unique, physically motivated, and its salient features are present in the data!

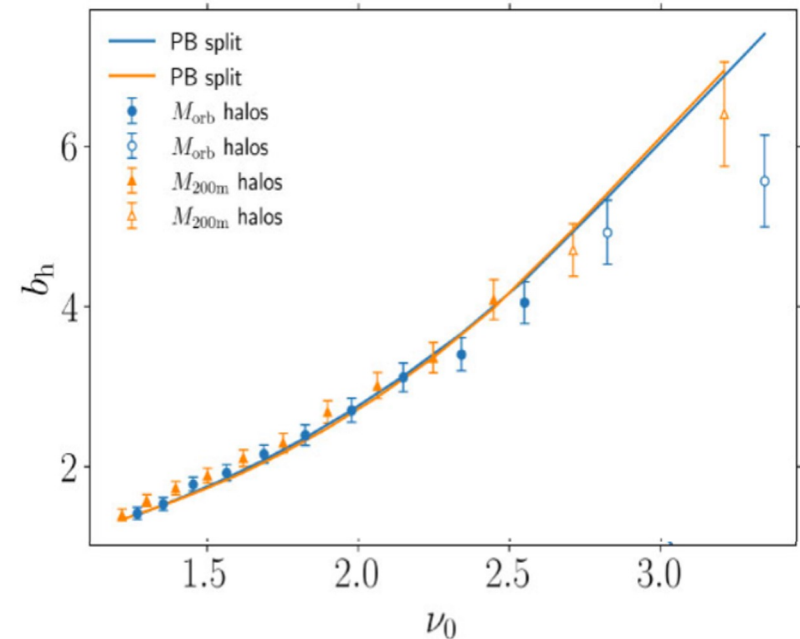


Implication No. 1: Simple Halo Statistics

- Mass function is very nearly Press—Schechter.
- Halo bias is consistent w/ Peak-background split

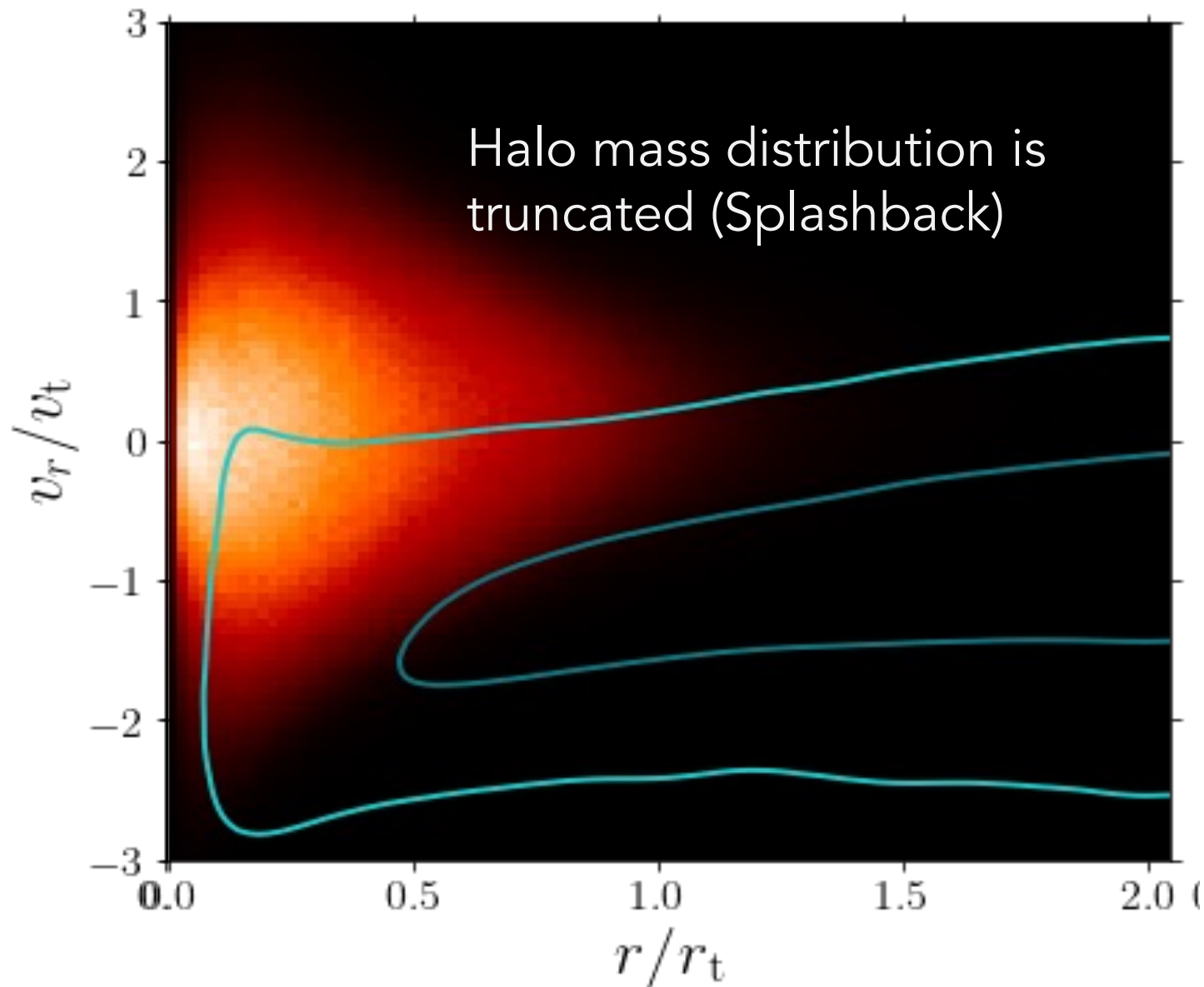


- PS w/ slowly moving barrier is good to $\approx 1\%$.

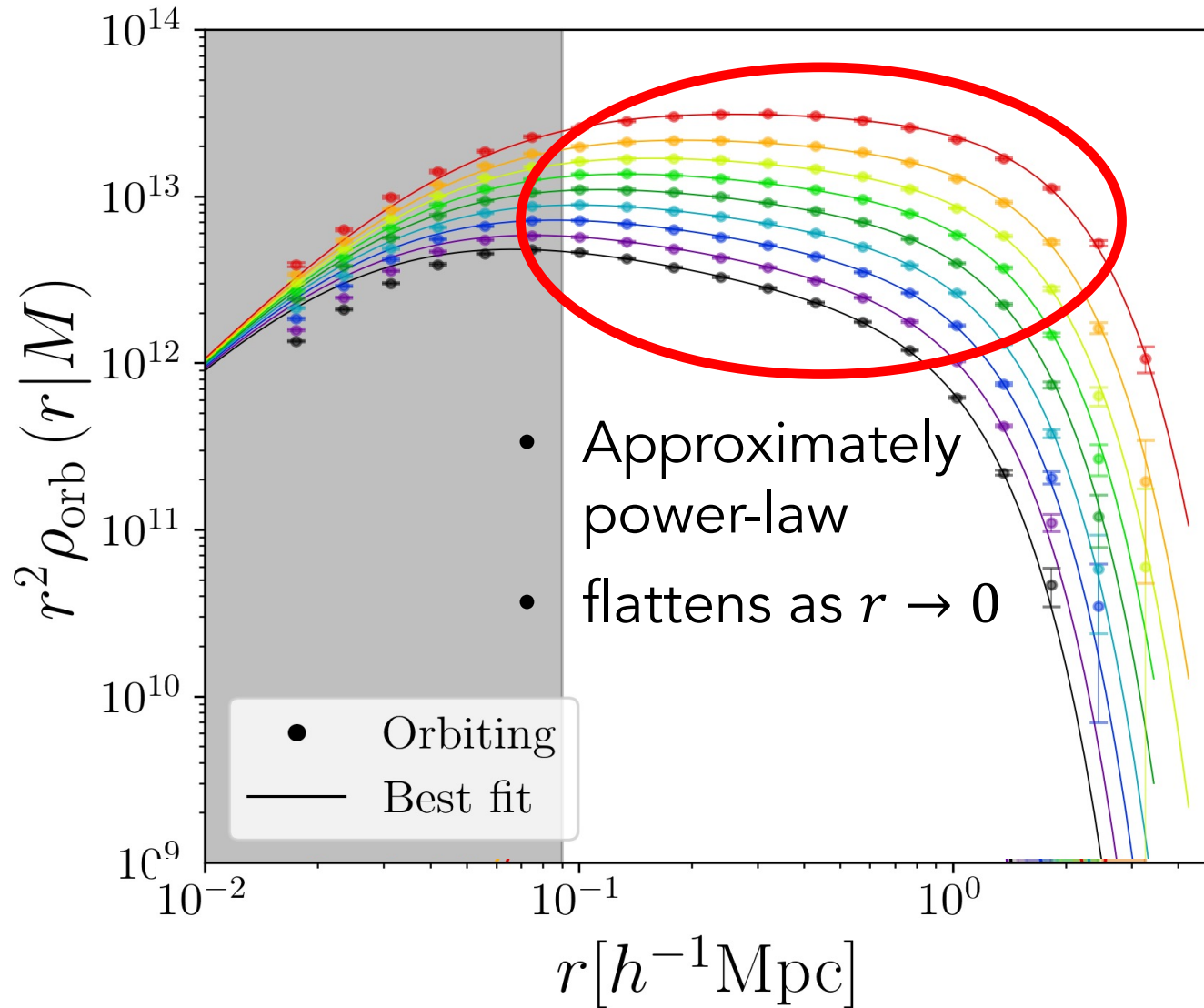


- PB split is accurate to $\lesssim 4\%$.

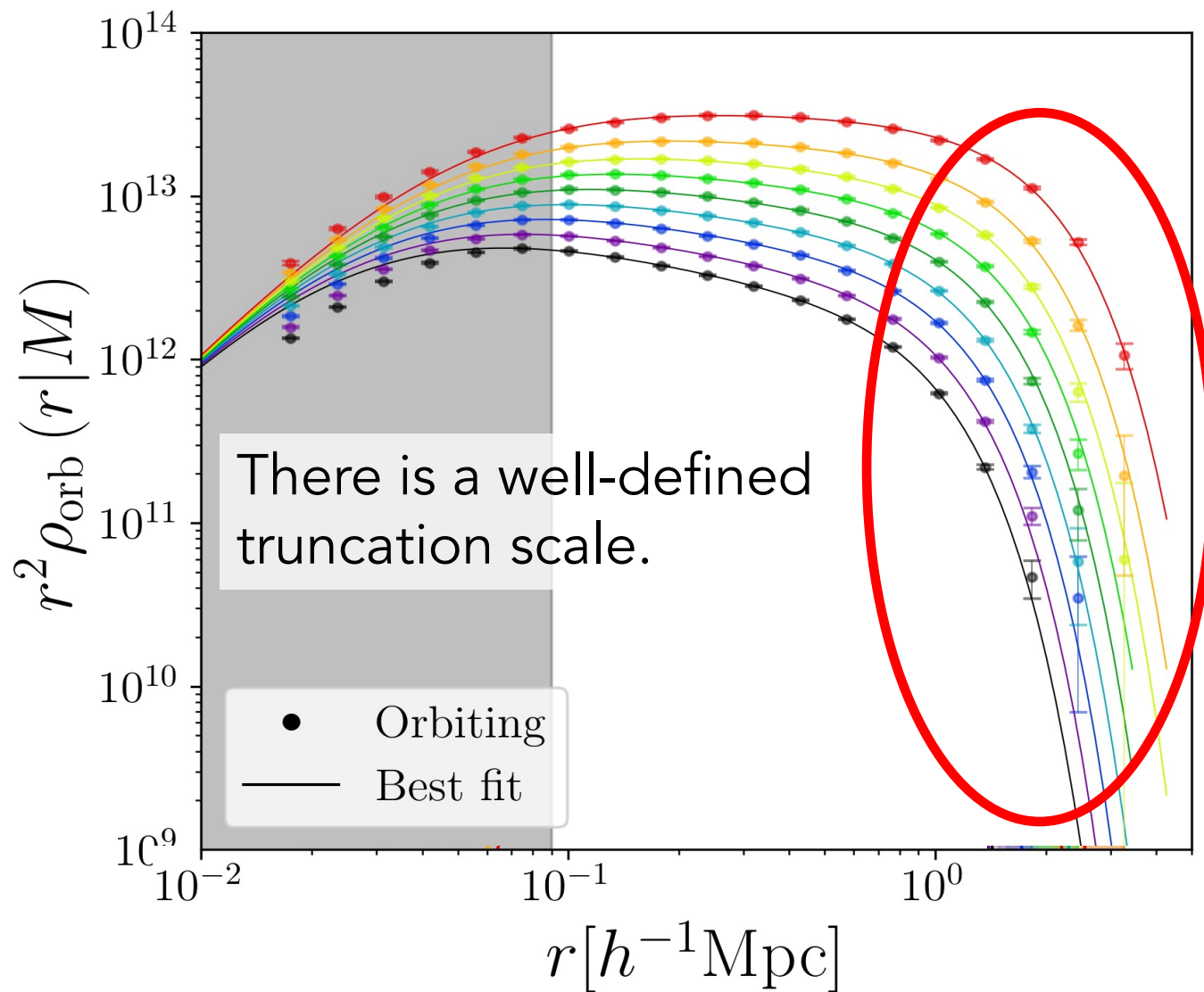
Implication no. 2: Halos are not NFW



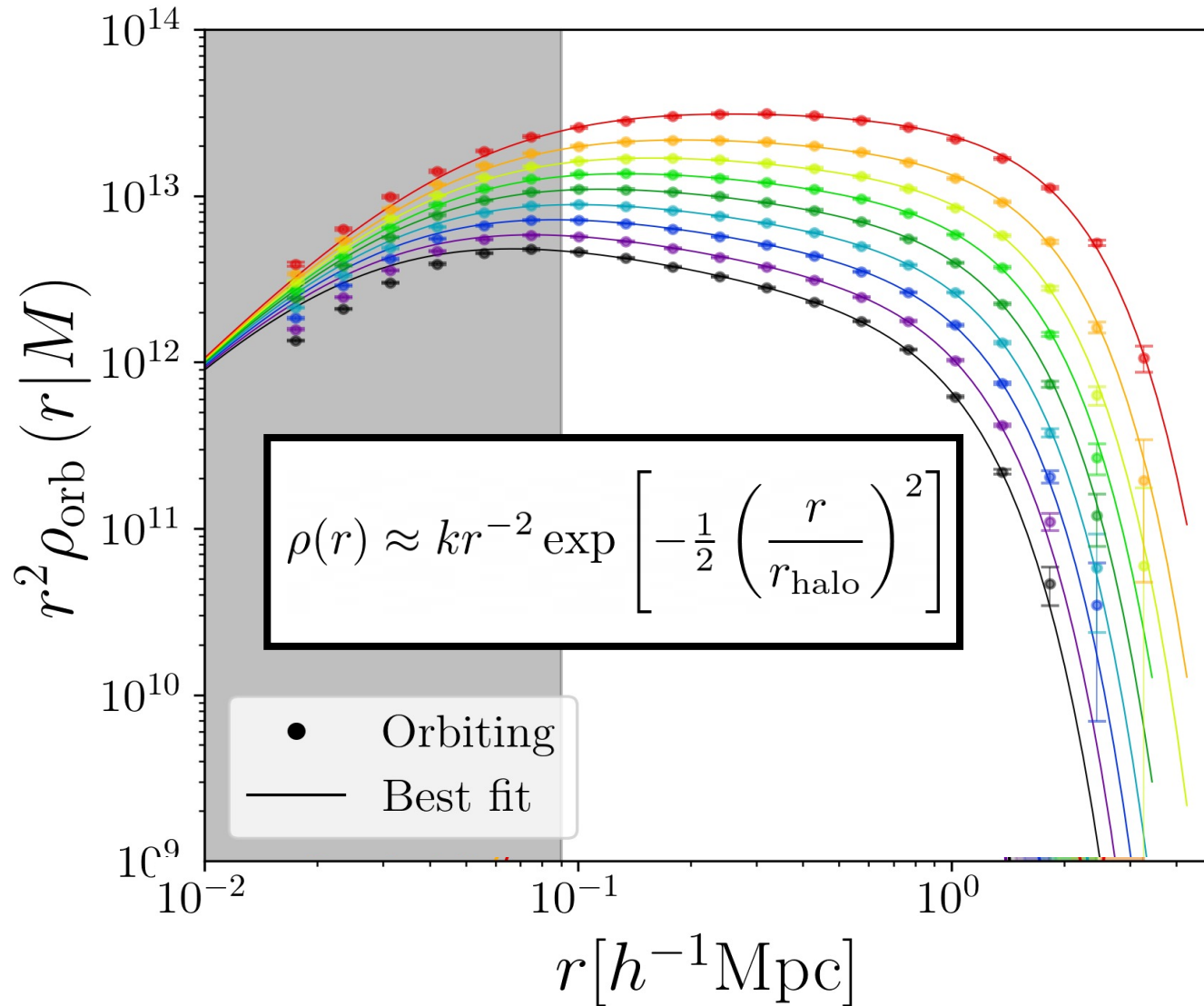
Halos are not NFW



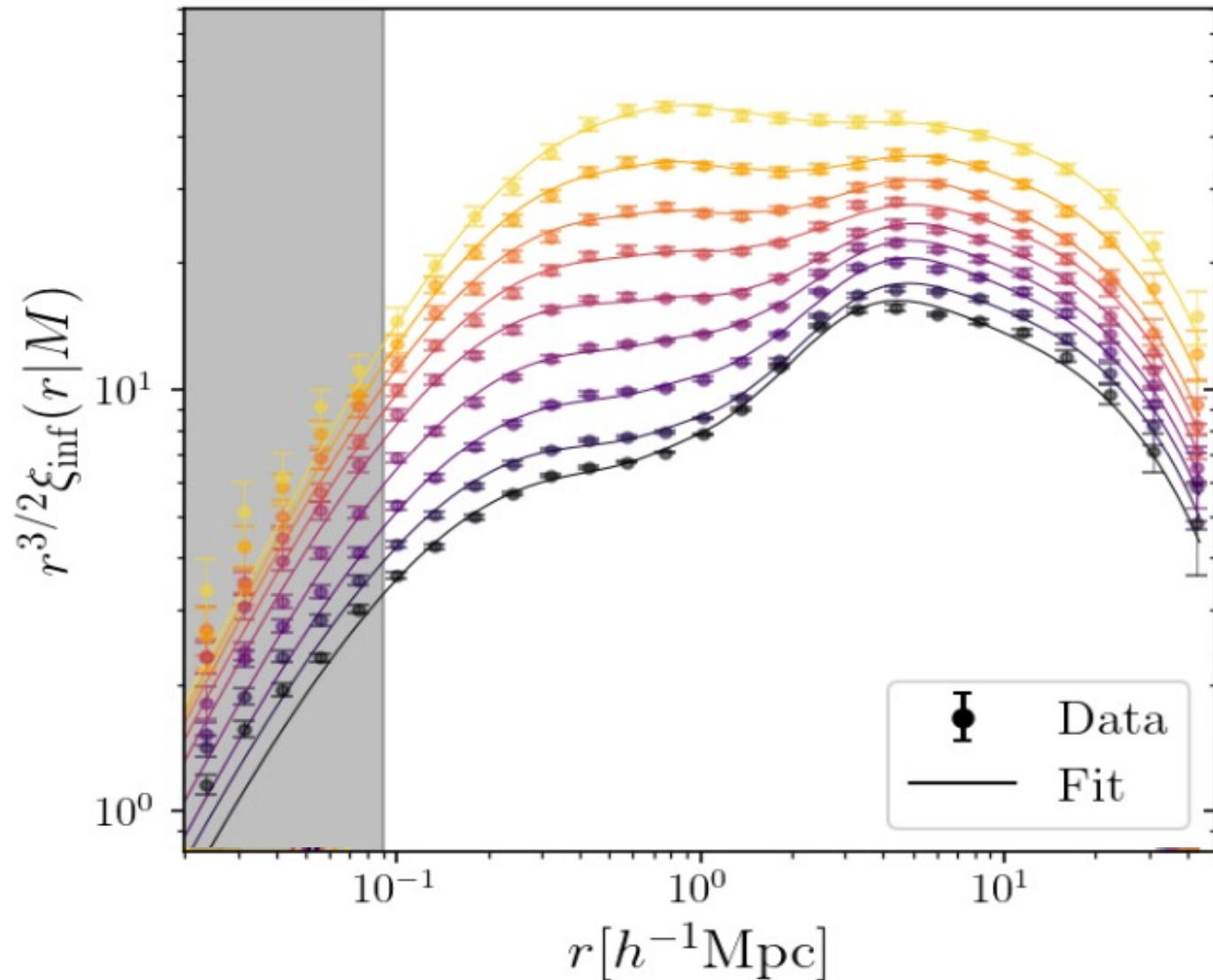
Halos are Finite!



Halo Profile Has Only One Radial Scale



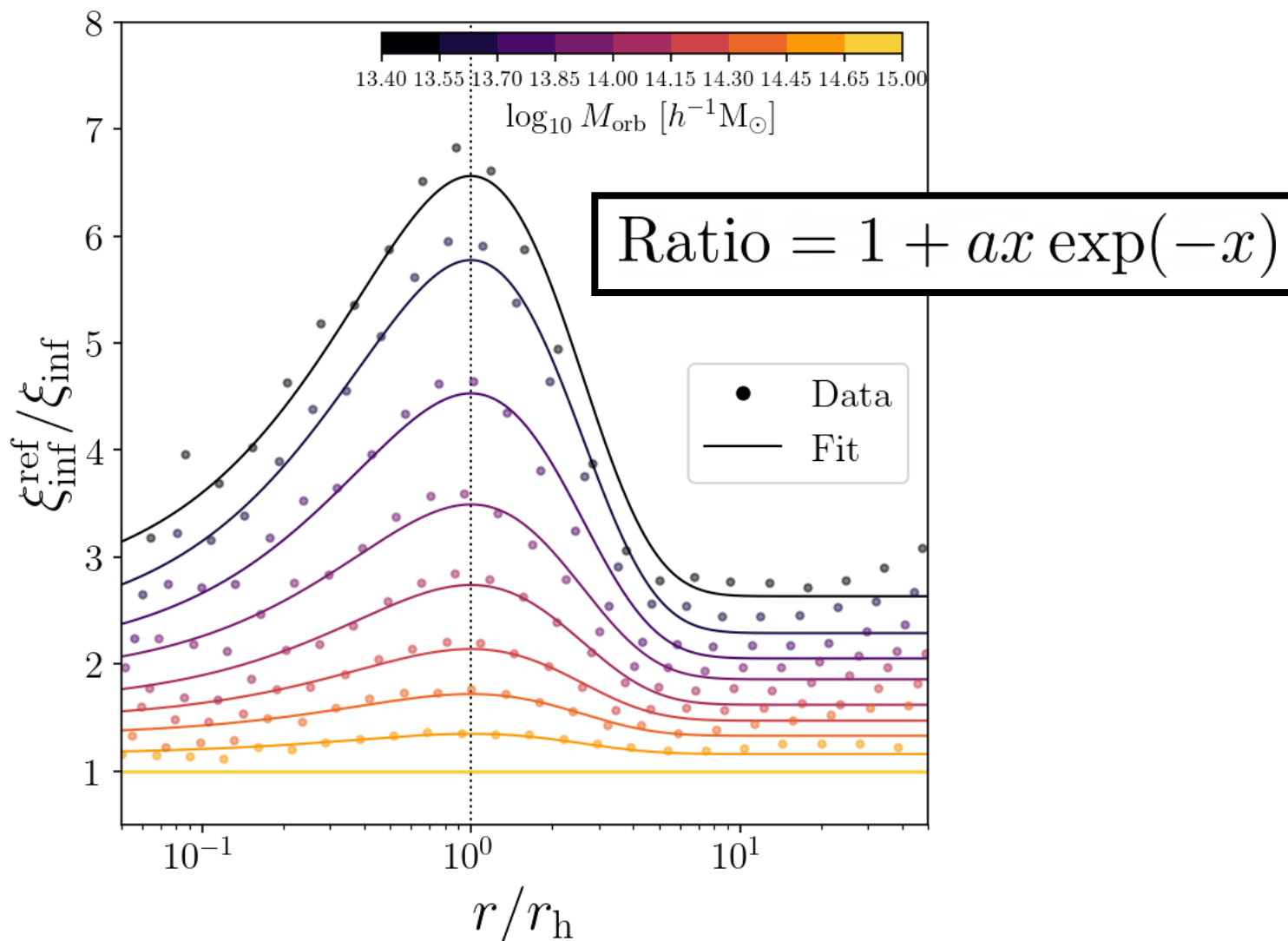
What About the Infall Distribution?



Ask me later if interested.

Salazar, ER et al, in prep.

The Ratio of Corr. Functions Knows About the Halo Radius



Modeling the Infall Profile

- Start w/ simplest possible model:

$$\xi_{\text{inf}}(r) \equiv \frac{\rho_{\text{inf}}}{\bar{\rho}_{\text{m}}} - 1 = b\xi_{\text{lin}}(r)$$



Fails to account for non-linear blurring on large scales.

Solution: Replace by Zeldovich correlation function ξ_{Z}

$$\xi_{\text{inf}} = \frac{\rho_{\text{inf}}}{\bar{\rho}} - 1 = b\xi_{\text{Z}}$$

Modeling the Infall Profile

- Start w/ simplest possible model:

$$\xi_{\text{inf}} = \frac{\rho_{\text{inf}}}{\bar{\rho}} - 1 = b\xi_Z$$

Modeling the Infall Profile

- Start w/ simplest possible model:

$$\xi_{\text{inf}} = \frac{\rho_{\text{inf}}}{\bar{\rho}} - 1 = b\xi_Z$$

- Adopt model at high mass, add relative ratio model:

$$\xi_{\text{inf}} = \frac{b}{1 + ax \exp(-x)} \xi_Z$$

Modeling the Infall Profile

- Start w/ simplest possible model:
- Adopt model at high mass, add relative ratio model:
- Add a nearly mass-independent non-linear bias.

$$\xi_{\text{inf}} = \frac{\rho_{\text{inf}}}{\bar{\rho}} - 1 = b\xi_Z$$

$$\xi_{\text{inf}} = \frac{b}{1 + ax \exp(-x)} \xi_Z$$

$$\xi_{\text{inf}} = \frac{b(1 + \Delta(r))}{1 + ax \exp(-x)} \xi_Z$$

Cored power-law:

$$\Delta(r) = \frac{\Delta_0}{[1 + (r/r_\Delta)]^\gamma}$$

Modeling the Infall Profile

- Final model:
$$\xi_{\text{inf}} = \frac{b(1 + \Delta(r))}{1 + ax \exp(-x)} \xi_z$$

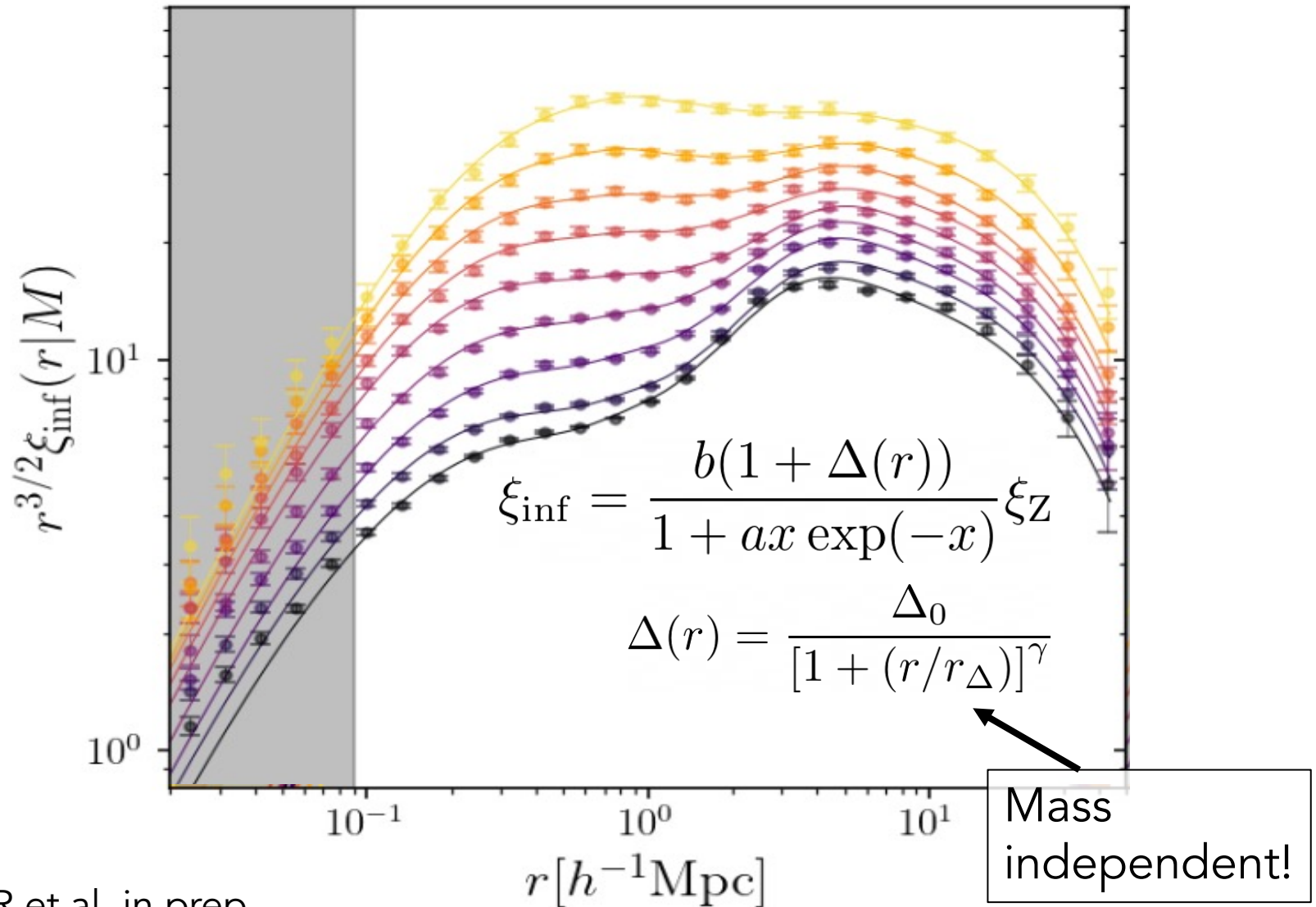
$$\Delta(r) = \frac{\Delta_0}{[1 + (r/r_\Delta)]^\gamma}$$



Does not depend on mass.

- There are no new radial scales associated with halos as a function of mass.

No New Mass Dependent Scale!



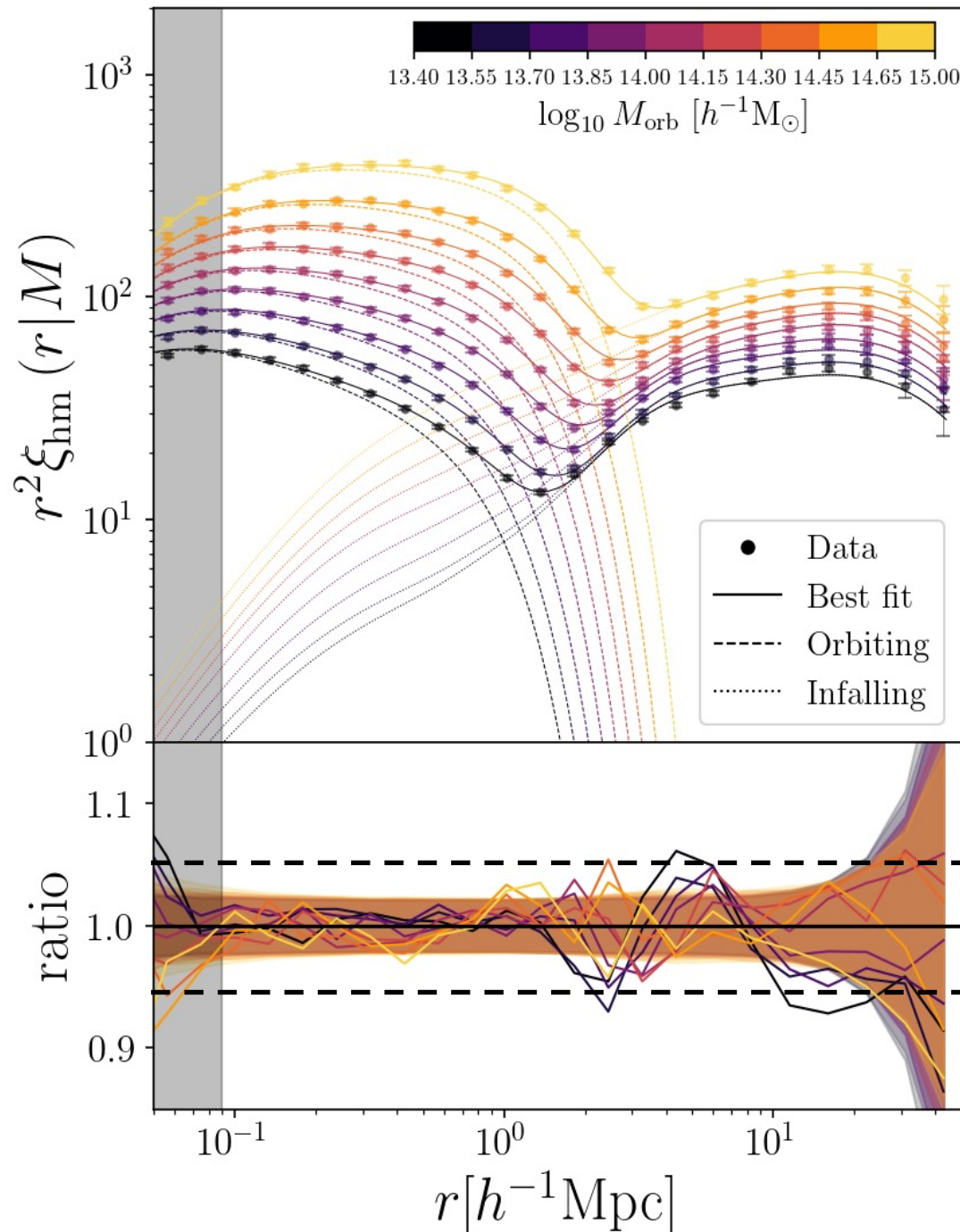
End Result

$$\rho(r) = \rho_{\text{orb}}(r) + \rho_{\text{inf}}(r)$$

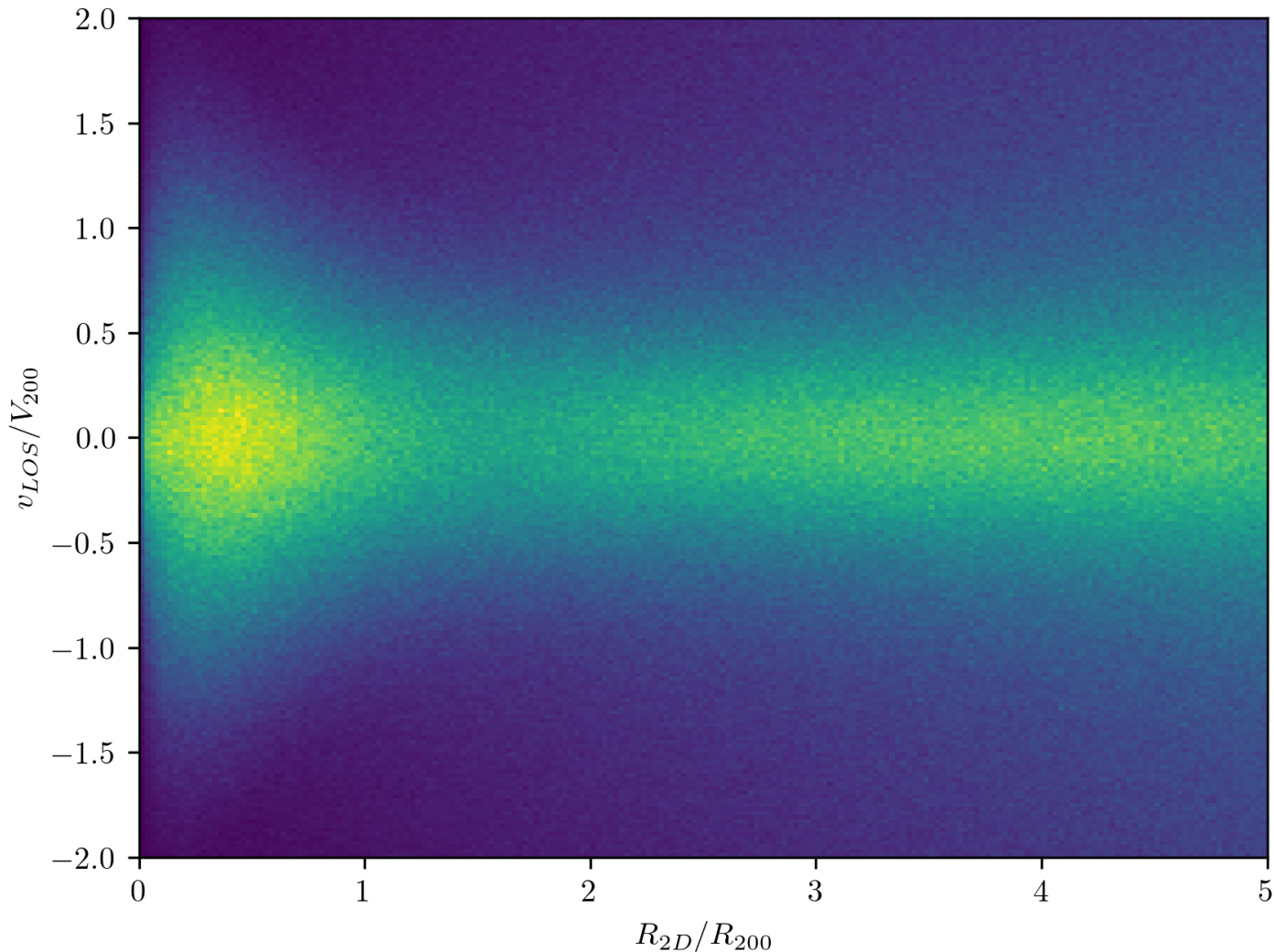
- Only 1 radial scale: unique halo radius.

- Much improved fitting function

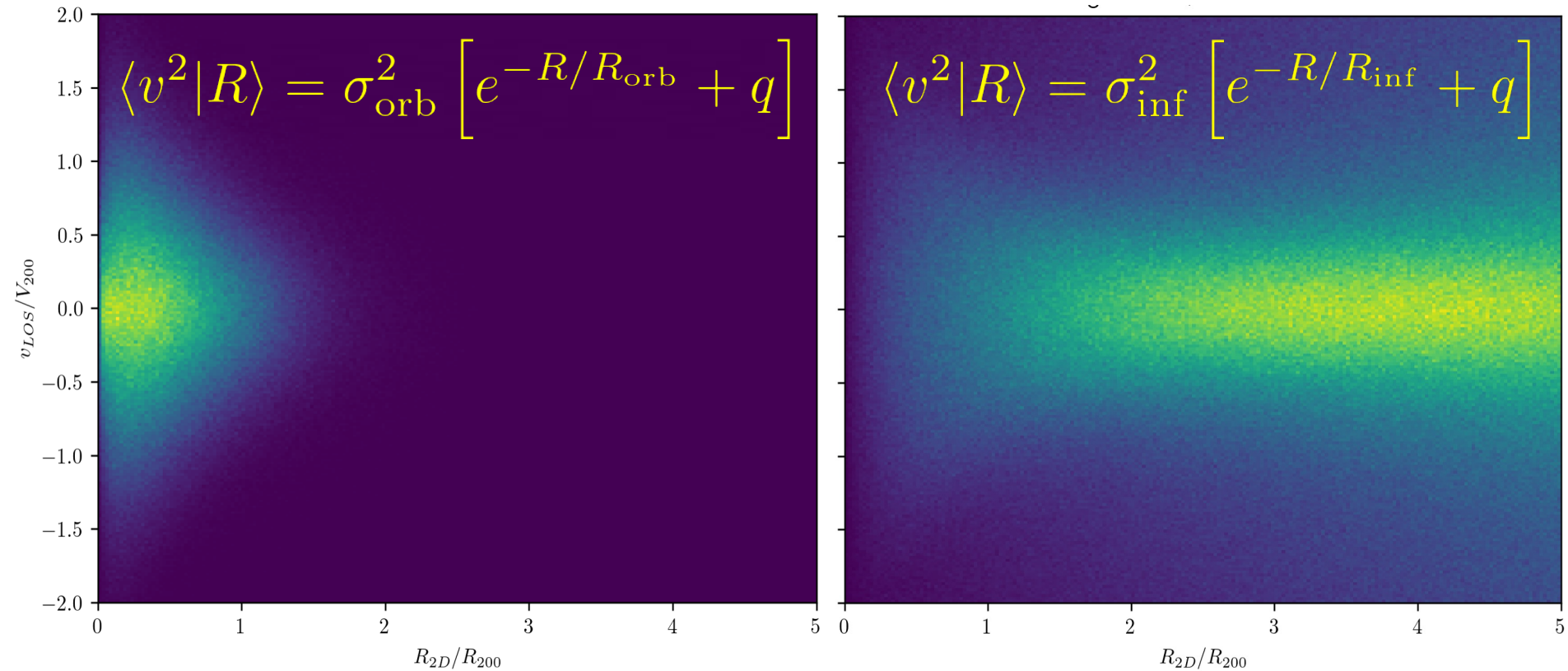
➤ Directly relevant for mass calibration.



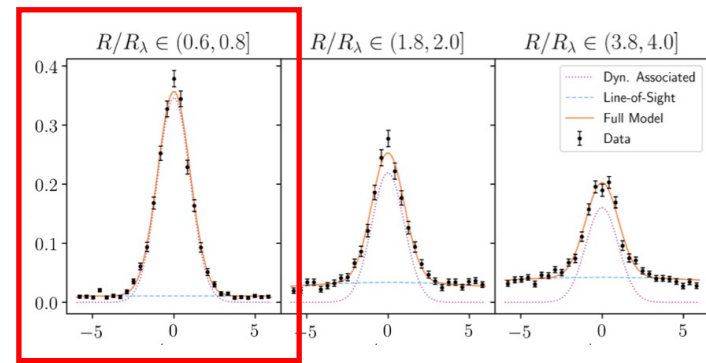
Implication no. 3: Modeling the Projected Phase of Galaxy Clusters



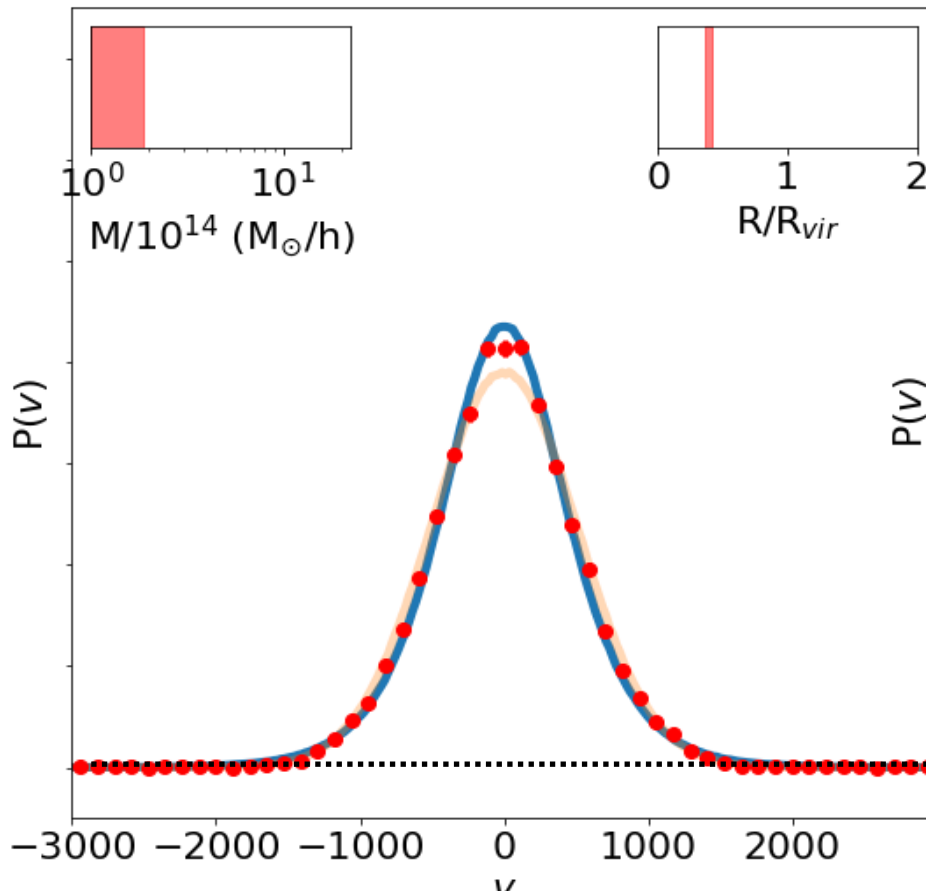
Implication no. 3: Modeling the Projected Phase of Galaxy Clusters



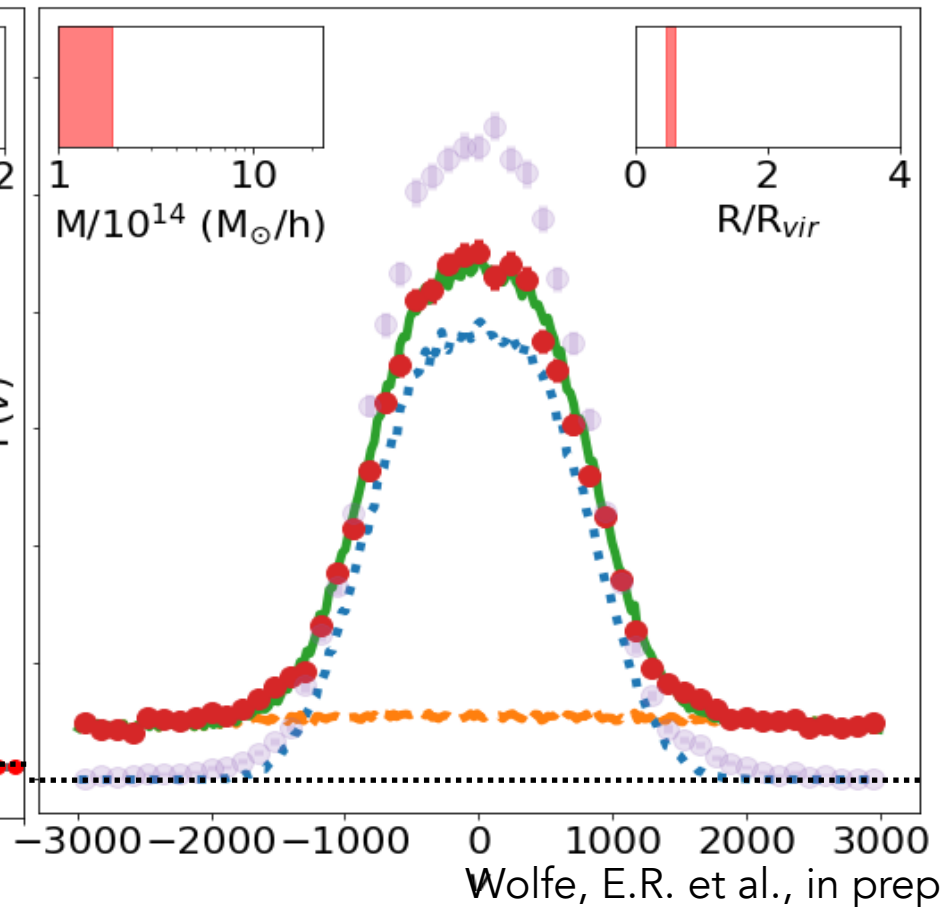
LOS Velocity Distribution of Cluster Galaxies



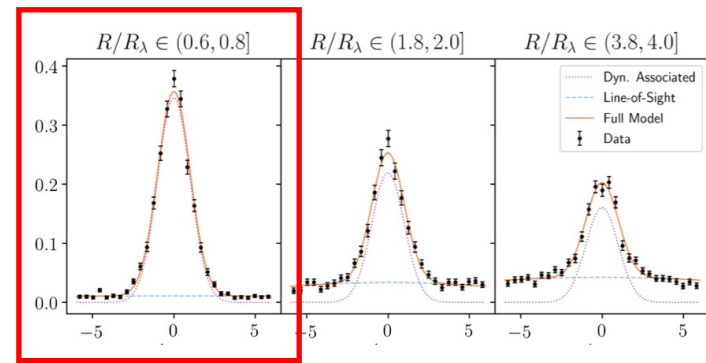
Orbiting



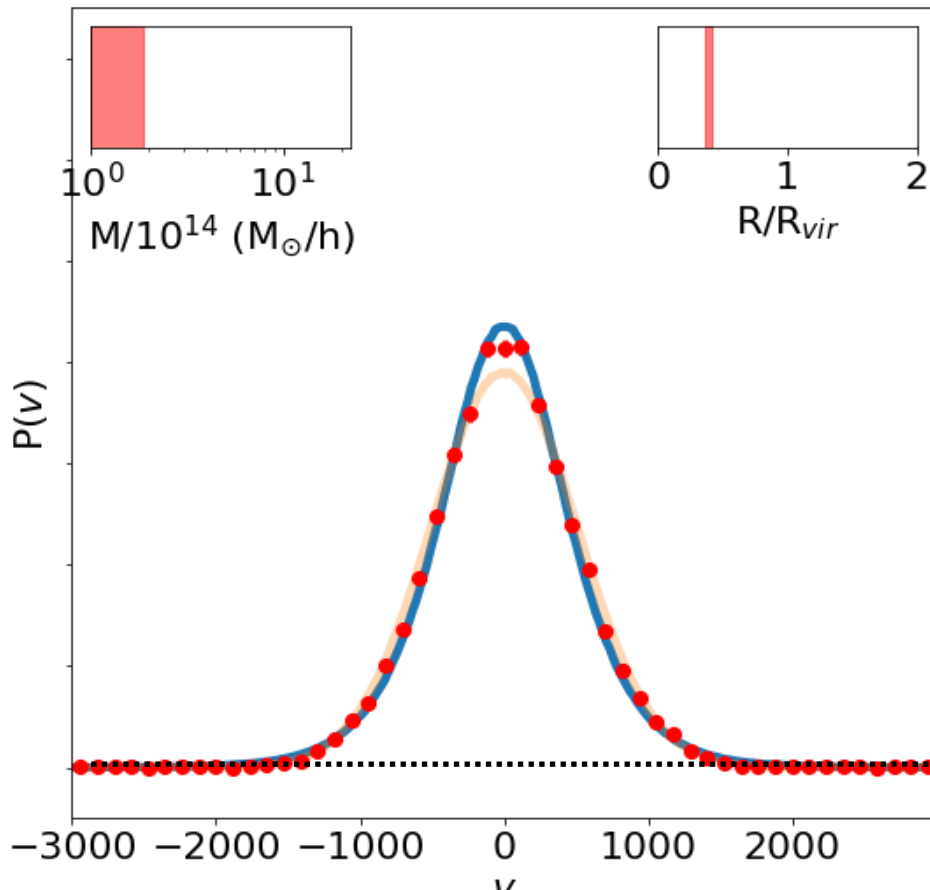
Infalling



LOS Velocity Distribution of Cluster Galaxies



Orbiting

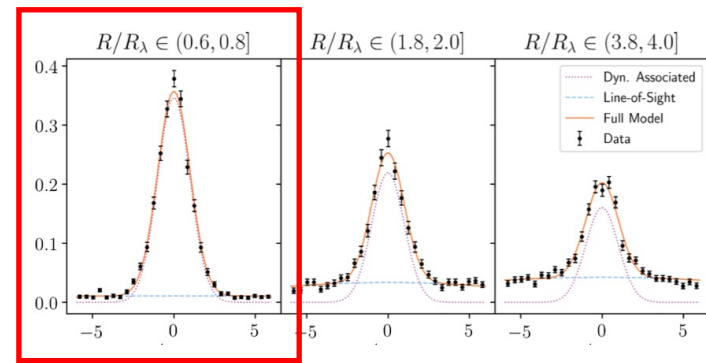


- Orbiting PDF close to but not quite Gaussian

- $\rho(v) \propto \frac{1}{\cosh^2(v/\langle v^2 \rangle)}$

- $\langle v^2 | R \rangle = \sigma_{orb}^2 \left[e^{-R/R_{orb}} + q \right]$

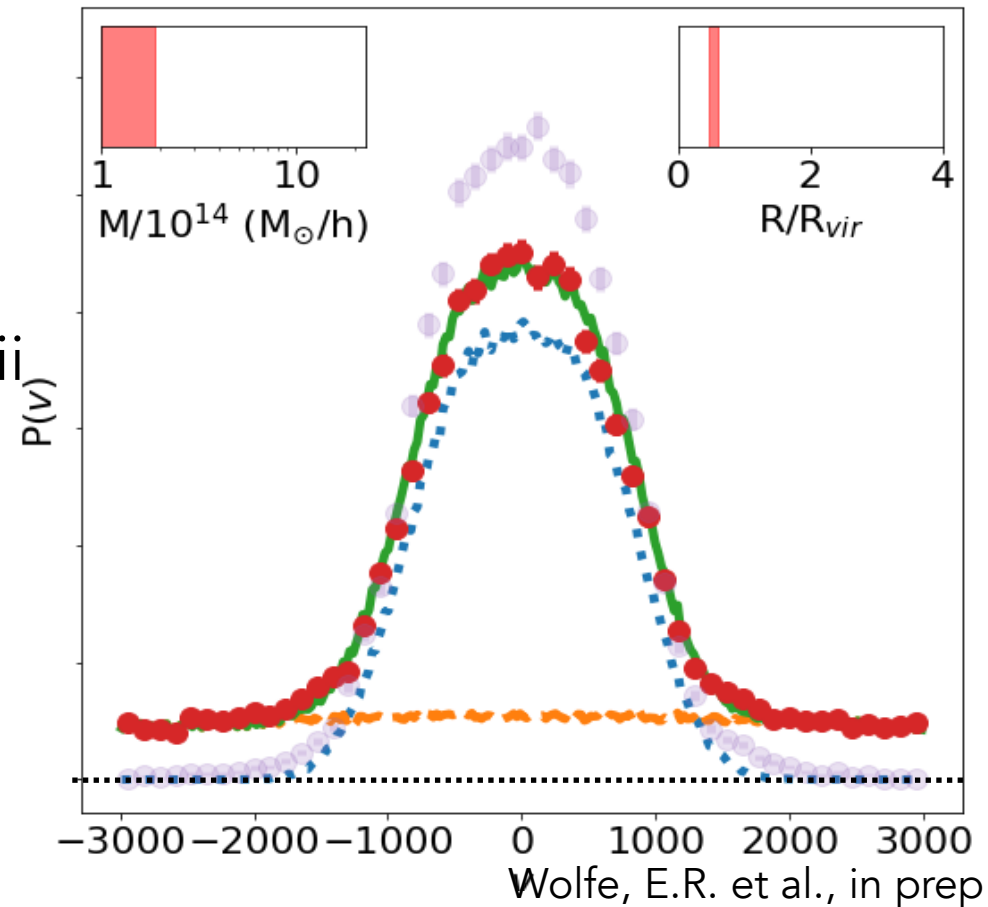
LOS Velocity Distribution of Cluster Galaxies



- Fit as peak + shelf
- Shape changes w/ radius:
 - Flat peak at small radii
 - Pointy peak at large radii
- Model w/ generalized normal distribution

$$\langle v^2 | R \rangle = \sigma_{\text{inf}}^2 \left[e^{-R/R_{\text{inf}}} + q \right]$$

Infalling



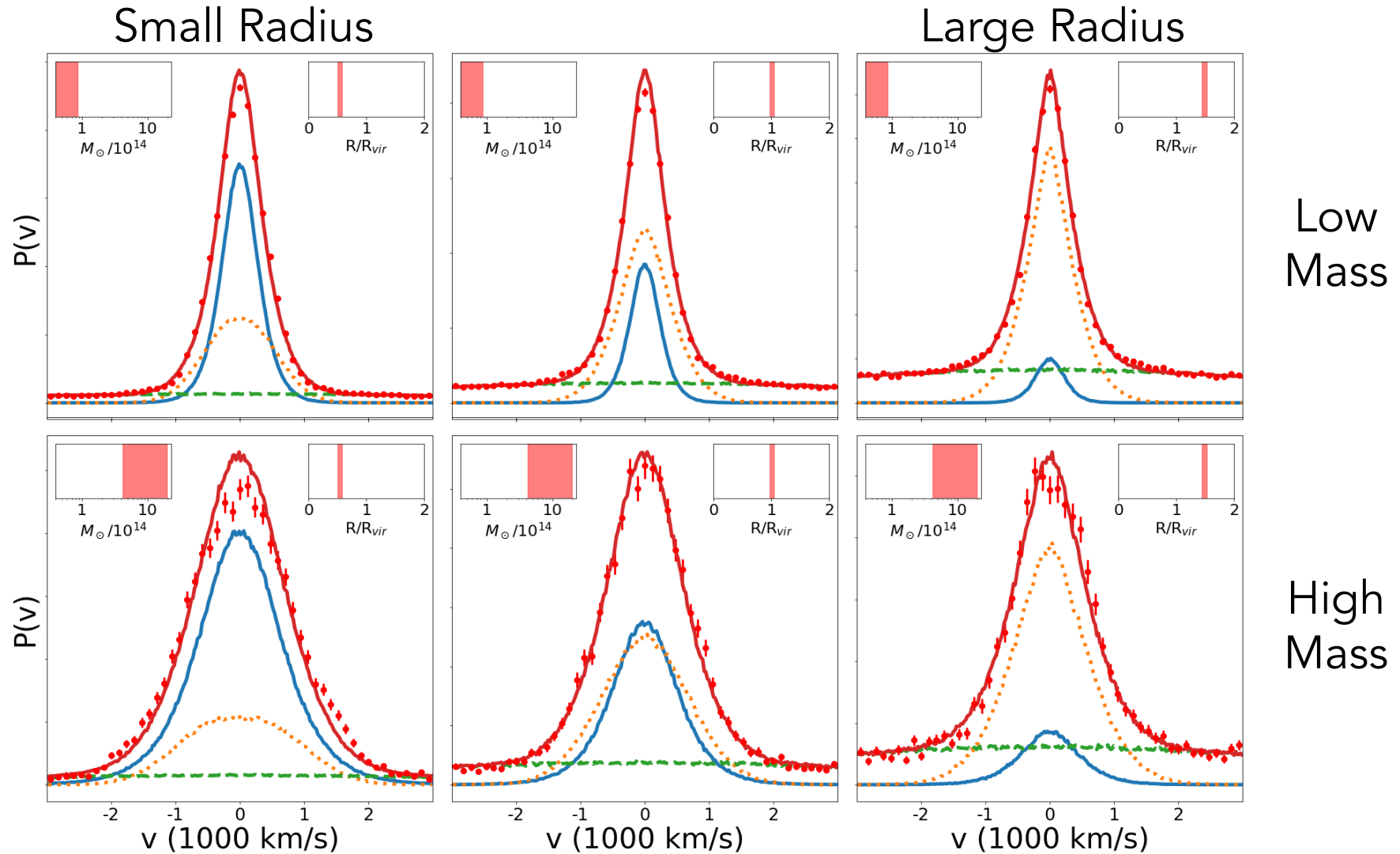
A Fully Calibrated Model of the Projected Phase Space of Halos

$$\left. \begin{array}{l} \text{➤ } \rho_{\text{orb}}(r|M) \\ \text{➤ } \rho_{\text{inf}}(r|M) \end{array} \right\} \text{ Integrated to arrive at 2D profile } \Sigma(R)$$

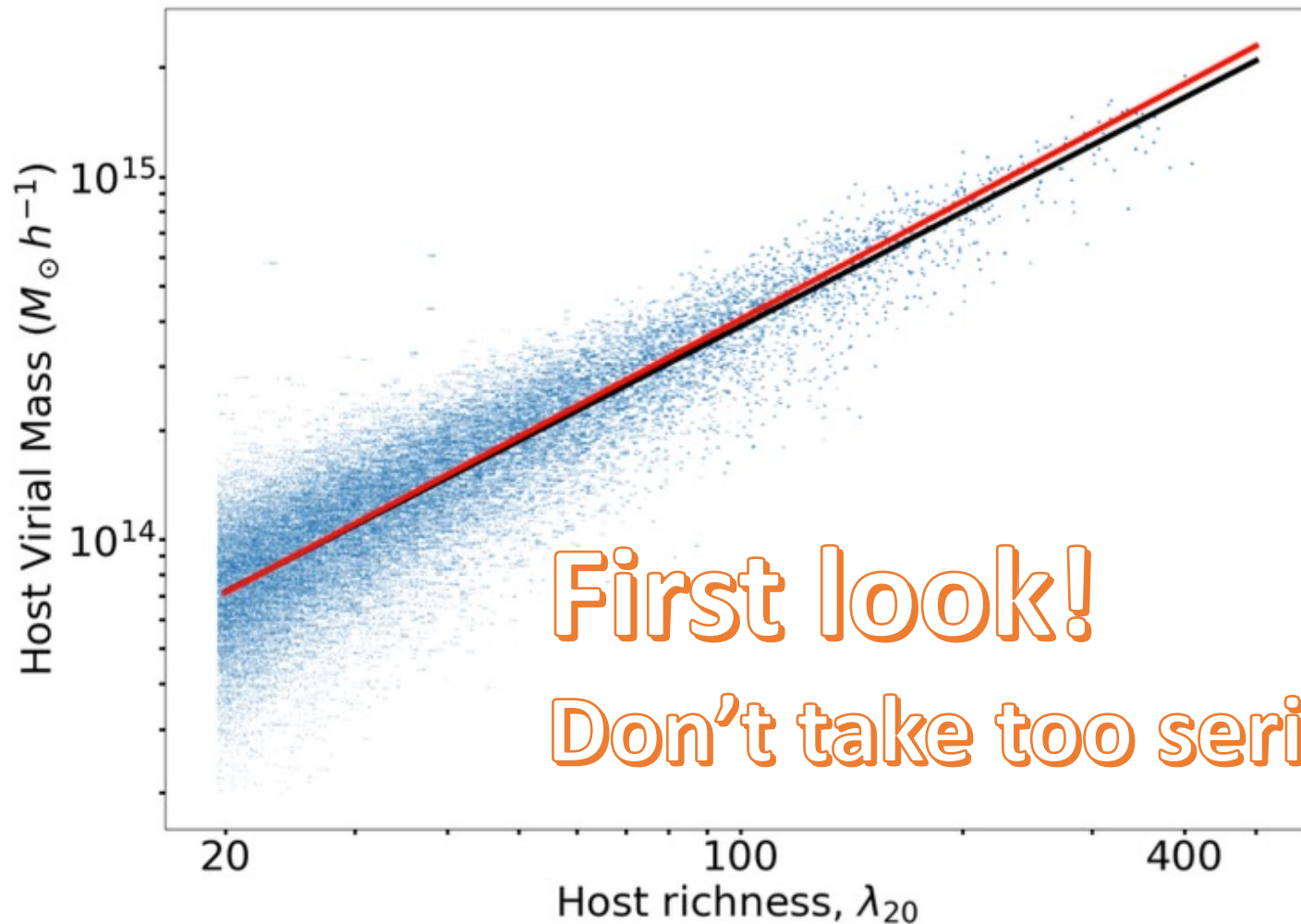
$$\text{➤ } P_{\text{los}}(v|R, M) = f_{\text{orb}} P_{\text{orb}}(v|R, M) + (1 - f_{\text{orb}}) P_{\text{inf}}(v|R, M)$$

$$\circ \quad f_{\text{orb}}(R|M) = \frac{\Sigma_{\text{orb}}(R|M)}{\Sigma_{\text{orb}}(R|M) + \Sigma_{\text{inf}}(R|M)}$$

Resulting Model is Simple + Accurate



Model Opens the Door to Mass Calibration Using Cluster Phase Space



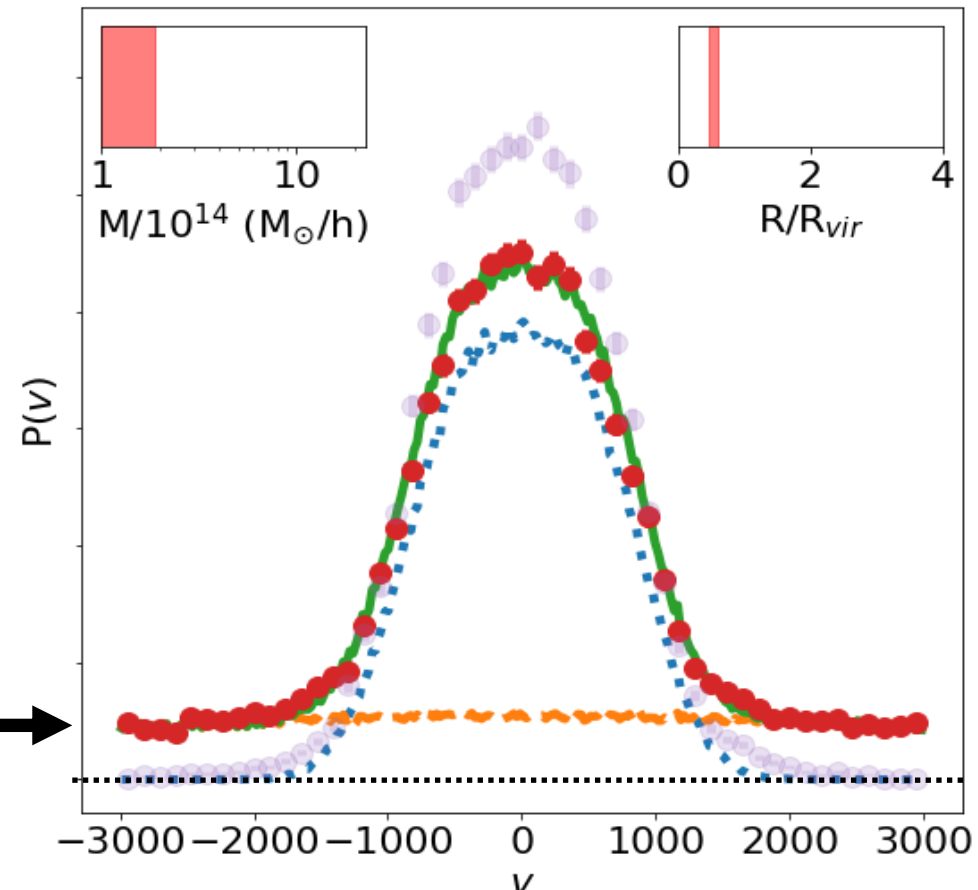
First look!

Don't take too seriously.

Orbiting/Infall Modeling Leads to Surprising Insights

Infalling

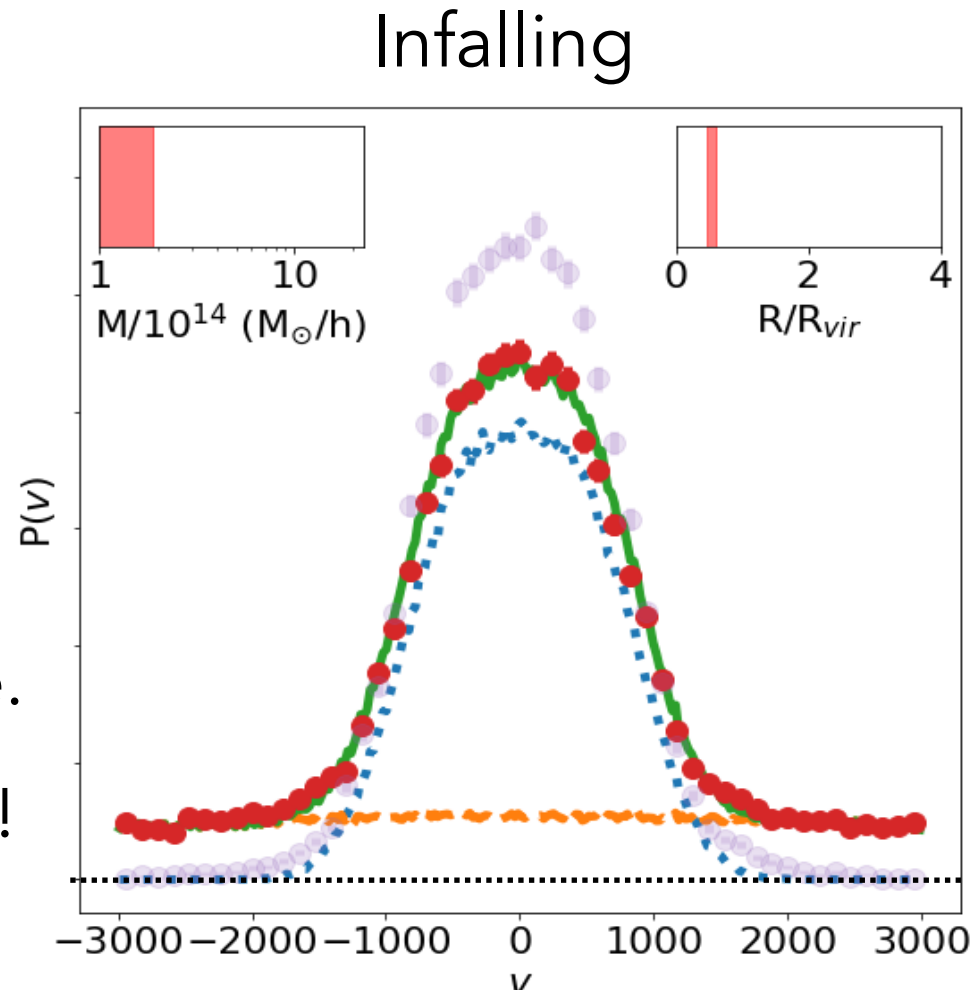
This shelf is NOT due to
"background" galaxies. →



LOS Velocity Distribution of Cluster Galaxies

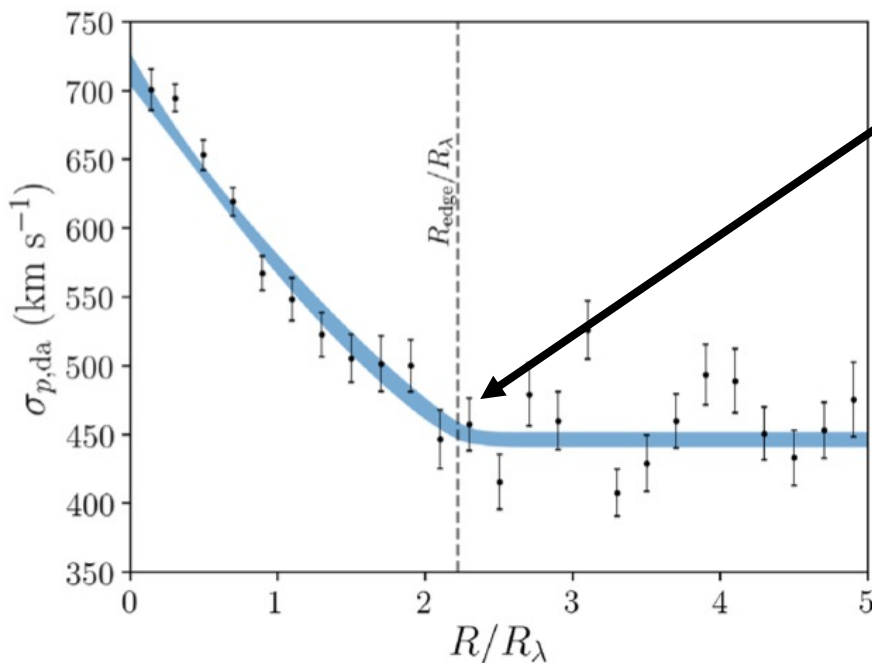
Shelf appears only when including Hubble flow

- No such thing as a “background” galaxy
- Correct model: orbiting+infall+Hubble.
- Shelf knows about $H(z)$!



Implication no. 4: Measuring H_0

- The “shelf” in the LOS PDF knows about the Hubble constant.
- Not the only way H can be constrained!



This edge is set by the halo radius.

- Feature is observed as an *angular* scale

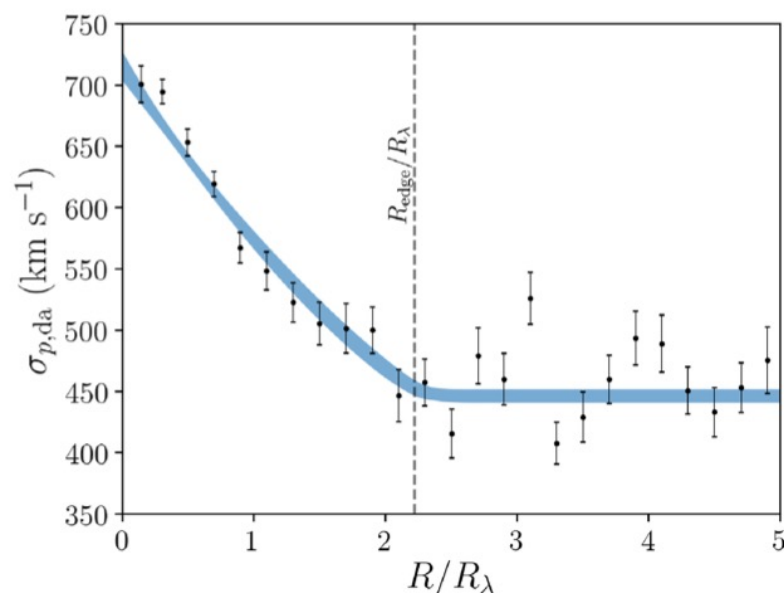
$$D_A \theta_{\text{edge}} = r_{\text{halo}}$$

Implication no. 4: Measuring H_0

$$D_A \theta_{\text{edge}} = r_{\text{halo}}$$

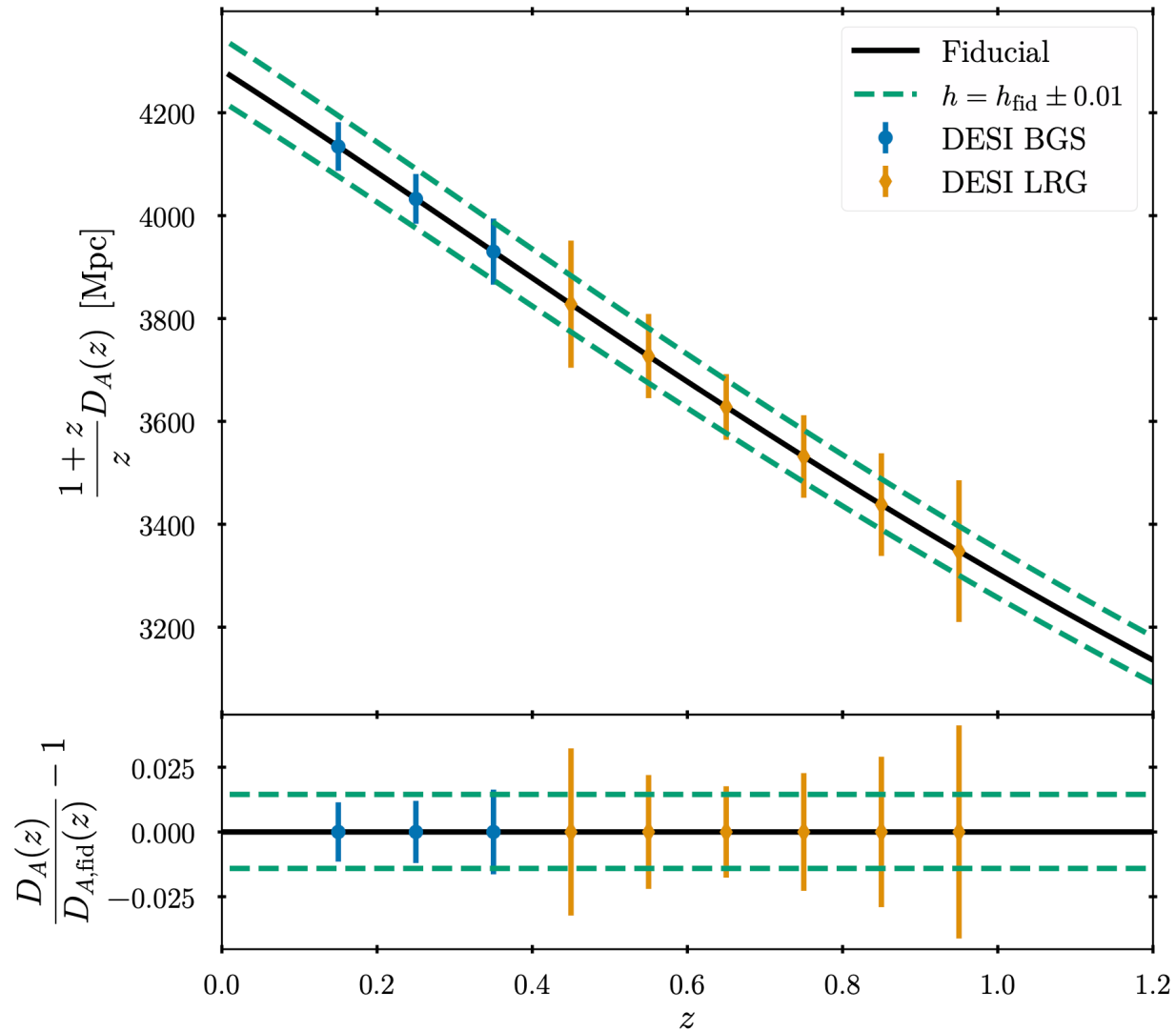
\downarrow \downarrow

Measured Inferred from
cluster mass

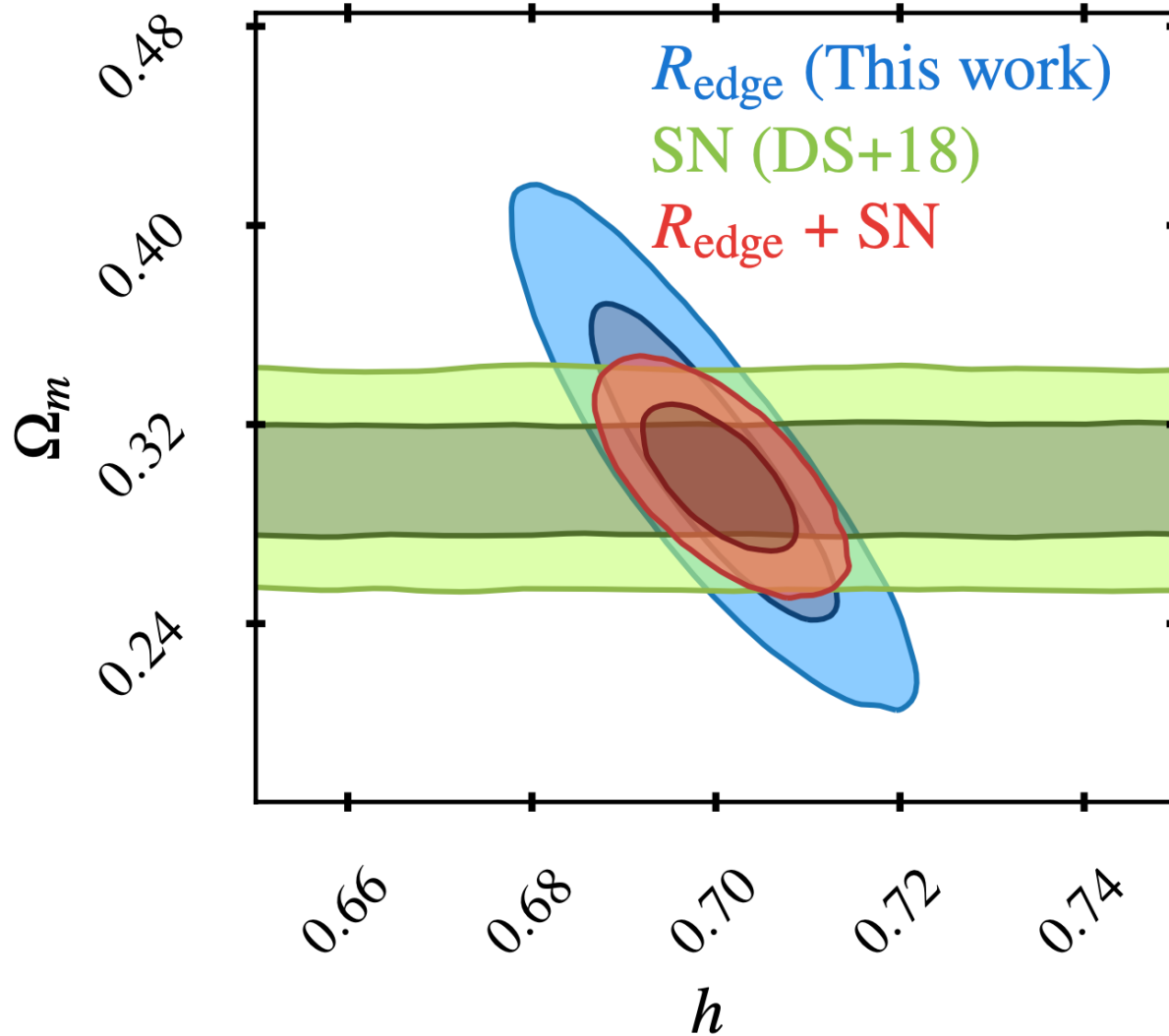


- Multiple cross-checks on mass calibration:
 - Amplitude of vel. dispersion profile
 - Cluster abundance
 - Weak lensing

Measuring H_0 w/ DESI



Measuring H_0 w/ DESI



Implication no. 5: A Tool for Calibrating Projection Effects

Will projection effects impact the profile of orbiting galaxies? What about infalling?

Implication no. 5: A Tool for Calibrating Projection Effects

Projection effects:

- do NOT impact the profile of orbiting galaxies.
 - boost the profile of infalling galaxies.
- What about the velocity distributions of orbiting galaxies? What about infalling?

Implication no. 5: A Tool for Calibrating Projection Effects

Projection effects:

- do NOT impact the profile of orbiting galaxies.
 - **boost the profile of infalling galaxies.**
 - do NOT impact the velocity dispersion of either orbiting or infalling galaxies.
 - Impact on velocity distribution comes through the increased number of infalling galaxies.
- The impact of projection effects can be disentangled using the orbiting/infall framework.

Summary

- Halos ought to be defined in terms of orbiting vs infalling particles.
 - Simplifies halo statistics
 - Halo mass function is Press-Schechter.*
 - Halo bias is described by peak-background split.
 - Orbiting density profile is nearly isothermal, with an exponential truncation.
 - Truncation radius defines a unique halo radius.
 - Enables accurate fitting functions of the halo profile.

Summary

- Halos ought to be defined in terms of orbiting vs infalling particles.
 - Orbiting/infall dichotomy is a powerful framework for describing the projected phase space of clusters.
 - The halo radius is an obvious feature of the projected phase space structure.
 - We can use the projected phase structure of clusters to measure the Hubble constant.