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From the HERMES fleet to the flight of the ABOU ALBATROS: surfing the waves of quantum space-time

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Subject: Simboli presentazione From: Andrea Sanna <andrea.sanna@dsf.unica.it> Date: 05/11/2019, 17:44 To: Luciano Burderi <burderi@dsf.unica.it>



SCIENTIFIC CHALLENGES FOR THE NEXT DECADES

Multi-Messenger Astronomy

Testing Quantum Gravity





Development of Multi-messenger astronomy

GW/GRB 170817

Multi-Messenger Astronomy Paradox

We need a high-energy All-sky Monitor with large area to allow Multi–Messenger Astronomy to develop from infancy to maturity!

Monte-Carlo simulations of a true long GRB

Template (1ms resolution) of a long GRB (derived from GRB130502327 observed by Fermi GBM)

 $\Delta t = 40 \text{ s}; \varphi_{\text{GRB}} = 6.5 \text{ phot/s/cm}^2; \varphi_{\text{BCK}} = 2.8 \text{ phot/s/cm}^2; \text{ variability} \approx 5 \text{ ms};$ (Long and Short GRB with millisecond time variability, 40% of bright)

Accuracy in delays from cross-correlation analysis

Accuracy in determining delays from a bright long GRB with $\Delta t = 40$ s; $\phi_{GRB} = 6.5$ phot/s/cm²; $\phi_{BCK} = 2.8$ phot/s/cm²; variability timescale ≈ 5 ms;

1000 pair of Monte-Carlo simulations for detectors of different effective areas A

Best fit formula: $\sigma_{\text{DELAYS}} \approx \sigma_{\text{ToA}} = 3.3 \ \mu\text{s} \times (\text{A}/1 \ \text{m}^2)^{-0.58}$

GW Triangulation & EM counterparts (Fermi GBM, INTEGRAL, HERMES Pathfinder)

Minimal Length Hypotesis, LIV and Dispersion Relation for photons in vacuo

Existence of a Minimal Length (String theories, etc.)

 $l_{\rm MIN} \approx l_{\rm PLANCK} = [Gh/(2\pi c^3)]^{1/2} = 1.6 \times 10^{-33} \text{ cm}$

implies:

- i) Lorentz Invariance Violation (LIV): no further Lorentz contraction
- ii) Space has the structure of a crystal lattice and therefore
- iii) Existence of a dispersion law for photons in vacuo

$$\begin{split} |v_{phot}/c - 1| &\approx \xi \, E_{phot}/(M_{QG} \, c^2)^n \\ \xi &\approx 1 \\ n &= 1,2 \text{ (first or second order corrections)} \\ M_{QG} &= \zeta \, m_{PLANCK} \qquad (\zeta &\approx 1) \\ m_{PLANCK} &= (hc/2\pi G)^{\frac{1}{2}} &= 21.8 \, 10^{-6} \, g \end{split}$$

First and second order Dispersion Relation for photons in vacuo

LIV theories

No LIV theories

PHYSICAL REVIEW D 93, 064017 (2016) Quantum clock: A critical discussion on spacetime Luciano Burderi,^{1,1} Tiziana Di Salvo,² and Rosario Iaria² ¹Diparimento di Fisica. Università detti Studi di Caeliari.

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We critically discuss the measure of very short time intervals. By means of a *Gedankenexperiment*, we describe an ideal clock based on the occurrence of completely random events. Many previous though experiments have suggested fundamental Planck-scale limits on measurements of distance and time. Here we present a new type of thought experiment, based on a different type of clock, that provide further support for the existence of such limits. We show that the minimum time interval Ar that this clock can measure scales as the inverse of its size Δr . This implies an uncertainty relation between space and time speed of light, respectively. We outline and briefly discuss the implications of this uncertainty conjecture

Or "Quantum Loops"?

Loop Quantum Gravity (Rovelli)

First Order Dispersion Relation $v_{phot}/c\approx 1$ - $\xi~E_{phot}/(M_{Planck}~c^2)$

Second Order Dispersion Relation $v_{phot}/c \approx 1 - \xi [E_{phot}/(M_{Planck} c^2)]^2$ $\xi = \frac{1}{2}$ (Burderi et. al., in preparation)

Dispersion Relation for photons *in vacuo* and Delays in travel time

Accumulation of delays in light propagation:

$$\Delta t_{LIV} = \xi \left(D_{TRAV}/c \right) \left[\Delta E_{phot}/(M_{QG} c^2) \right]^n$$

The distance traveled by photons takes into account the cosmological expansion:

 $D_{\text{TRAV}}(z) = (c/H_0) \int_0^z d\beta (1+\beta) / [\Omega_{\Lambda} + (1+\beta)^3 \Omega_M]^{1/2}$

z: cosmological redshift

 Ω_{Λ} : ratio between the energy density due to the cosmological constant and the critical (closure) density of the Universe

 Ω_M : ratio between the energy density due to the matter and the critical (closure) density of the Universe

The Energy & Redshift delay

Time lags caused by Quantum Gravity effects:

- $\propto |E_{phot}(Band II) E_{phot}(Band I)|$
- $\propto D_{GRB}(z_{GRB})$

Time lags caused by prompt emission mechanism:

- complex dependence from E_{phot}(Band II) and E_{phot}(Band I)
- independent of $D_{GRB}(z_{GRB})$

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GRBs & Quantum Gravity

$$\frac{\mathbf{d}\mathbf{N}_{\mathbf{E}}(\mathbf{E})}{\mathbf{d}\mathbf{A} \mathbf{d}\mathbf{t}} = \mathbf{F} \times \begin{cases} \left(\frac{\mathbf{E}}{\mathbf{E}_{\mathrm{B}}}\right)^{\alpha} \exp\{-(\alpha - \beta)\mathbf{E}/\mathbf{E}_{\mathrm{B}}\}, \, \mathbf{E} \leq \mathbf{E}_{\mathrm{B}}, \\ \left(\frac{\mathbf{E}}{\mathbf{E}_{\mathrm{B}}}\right)^{\beta} \exp\{-(\alpha - \beta)\}, \quad \mathbf{E} \geq \mathbf{E}_{\mathrm{B}}. \end{cases}$$

 $\sigma_{CC} \approx 0.46 \ \mu sec \times (2.6 \ 10^8/N)^{0.5}$

$$\Delta t_{MP/LIV} = \xi (D_{TRAV}/c) [\Delta E_{phot}/(M_{QG} c^2)]^n$$
$$D_{TRAV}(z) = (c/H_0) \int_0^z d\beta (1+\beta) / [\Omega_{\Lambda} + (1+\beta)^3 \Omega_M]^{1/2}$$

Bright Long GRB: 8.00 (0.86 BCK) c/s ($50 \div 300 \text{ keV}$) – $\Delta t = 25 \text{ s}$ Spectral shape: Band function with $\alpha = -1$, $\beta = -2.5 \div -2.0$, $E_{\rm B} = 225 \text{ keV}$ Detector effective area: A = 100 m²

Accuracy in cross-correlation in function of the number of photons: $E_{CC}(N) = 0.46 \,\mu s \sqrt{2.6 \, 10^8/N}$ ACDM cosmology: $\Omega_A = 0.6911$ and $\Omega_{Matter} = 0.3089$

Energy band	$E_{\rm AVE}$	N	$E_{CC}(N)$	N	$E_{CC}(N)$	$\Delta T_{LIV} \ (\xi = 1.0, \ \zeta = 1.0)$			
${ m MeV}$	MeV	$(\beta = -2.5)$ photons	$\mu { m s}$	$(\beta = -2.0)$ photons	$\mu { m s}$	$\begin{array}{c} \mu \mathrm{s} \\ z = 0.1 \end{array}$	$\begin{array}{c} \mu \mathrm{s} \\ z = 0.5 \end{array}$	$\begin{array}{c} \mu \mathrm{s} \\ z = 1.0 \end{array}$	$\begin{array}{c} \mu \mathrm{s} \\ z = 3.0 \end{array}$
0.005 - 0.025	0.0112	3.80×10^8	0.38	3.02×10^8	0.43	0.04	0.25	0.51	1.42
0.025 - 0.050	0.0353	1.40×10^8	0.62	1.17×10^8	0.69	0.13	0.72	1.46	4.10
0.050 - 0.100	0.0707	1.10×10^8	0.71	$9.98 imes 10^7$	0.74	0.27	1.43	2.93	8.21
0.100 - 0.300	0.1732	$8.98 imes 10^7$	0.79	1.00×10^8	0.74	0.66	3.51	7.19	20.10
0.300 - 1.000	0.5477	$2.07 imes 10^7$	1.64	$3.82 imes 10^7$	1.20	2.09	11.11	22.72	63.56
1.000 - 2.000	1.4142	$2.63 imes 10^6$	4.56	$8.20 imes 10^6$	2.60	5.40	28.68	58.67	164.12
2.000 - 5.000	3.1623	$1.07 imes 10^6$	7.19	$4.92 imes 10^6$	3.35	12.07	64.12	131.19	367.00
5.000 - 50.00	15.8114	3.52×10^5	12.54	2.95×10^6	4.33	60.35	320.62	656.00	1834.98

Search for a first order Dispersion Relation in a sample of GRBs of known redshift (Burderi et al. Exp. Astr., 2021)

Accumulation of delays in light propagation: $\Delta t_{LIV} = \xi \left(D_{TRAV} / c \right) \left[\Delta E_{phot} / (M_{QG} c^2) \right]^n$

For a sample of i = 1...N GRB of known redshift z_i at a given energy E, adopt: n = 1; $D_{TRAV}/c = \tau_0 f(z)$; $M_{QG} = \zeta m_{PLANCK}$; $\Delta E_{phot} = E - E_0$ $\tau(E)$ = intrinsic spectral delay at E; $\xi/\zeta = \alpha(E) \approx 1$ = delay constant at E $\tau_0 = 1/H_0$ $f(z_i) = \int_0^z d\beta (1+\beta) / [\Omega_{\Lambda} + (1+\beta)^3 \Omega_M]^{1/2}$

Thus we have: $\Delta t_i = \tau(E) + \tau_0 f(z_i) \times \alpha(E) (E - E_0) / (m_{\text{PLANCK}} c^2)$

Plot Δt_i vs. $t_i = \tau_0 f(z_i) (E - E_0) / (m_{PLANCK}c^2)$ and fit with $\Delta t_i = \tau(E) + \alpha(E) \times t_i$ to obtain $\tau(E)$ and $\alpha(E)$

If a first order dispersion relation is present, $\alpha(E) = \alpha$ for any energy E

Compute the average value of $\alpha(E)$ and its standard deviation: $\alpha = \langle \alpha(E) \rangle$ and σ_{α} , for all the energy considered,

10⁻¹² m

quantum foam?

Search for a first order Dispersion Relation in a sample of GRBs of known redshift

Since all the errors are of statistical origin, the accuracy of the method depend on the number of photons detected.

If the delays are detectable (or constrained) for $\alpha(E) \approx 1$ with one GRB and a detector of effective area $A = 100 \text{ m}^2$, the same number of photons and, therefore, accuracy is possible with a sample of N = 1000 GRBs and a detector of effective area

 $A^* = 100 \text{ m}^2/\text{N} = 100 \text{ m}^2/1000 = 10^6 \text{ cm}^2/1000 = 10^3 \text{ cm}^2$

Location of GRBs with fleets of satellites and redshifts

Accuracy in determining delays from Monte-Carlo simulations of 100 pairs of GRBs of fluence 260 (112 BCK) photons/cm² with detectors of different effective areas:

 $σ_{DELAYS} \approx σ_{ToA} = 3.3 \ μs \times (A/1 \ m^2)^{-0.58}$ Accuracy in determining α and δ with N_{SATELLITES} (N_{IND} = N_{SATELLITES} - 1; N_{PAR} = 2): $σ_α \approx σ_\delta = c \ σ_{ToA} / < baseline > \times (N_{IND} - N_{PAR})^{-1/2}$

 $\begin{array}{l} \mbox{Large fleet of small satellites in Low Earth Orbits:} \\ A = 30 \times 30 \mbox{ cm} \approx 0.1 \mbox{ m}^2 \\ \sigma_{ToA} \approx 12.5 \mbox{ } \mu s \\ N_{SATELLITES} \approx 1000 \\ < \mbox{baseline} > \approx 6{,}000 \mbox{ km} \end{array}$

 $\sigma_{\alpha}\approx\sigma_{\delta}\approx 4 \ arcsec$

Three satellites with detectors of 1 m² effective area in Earth–Moon Lagrangian points: $A \approx 1.0 \text{ m}^2$ $\sigma_{ToA} \approx 3.3 \text{ } \mu\text{s}$ $N_{SATELLITES} = 3$ $<\text{baseline} \approx 400,000 \text{ km}$

 $\sigma_{\alpha}\approx\sigma_{\delta}\approx0.5\;arcsec$

Three satellites with detectors of 400 cm² effective area in *Cart-wheel* orbits: $A \approx 1.0 \text{ m}^2$ $\sigma_{ToA} \approx 21.3 \text{ } \mu\text{s}$ $N_{SATELLITES} = 3$

 $\sigma_{\alpha}\approx\sigma_{\delta}\approx0.5\;arcsec$

Once the position is known, the redshift of the GRB host galaxy is obtained through pointed observations of large optical telescopes.

GrailQuest: First Quantum-Gravity dedicated experiment

Robust Quantum Gravity Experiment to:

- i) Search for a Dispersion law for photons $v_{ph}/c \sim [1-l_P/\lambda_{ph}]$
- ii) Explore Space–Time Granular structure down to lp~10⁻³³ cm

Performed by means of a Constellation of 100÷10000 small sats with:

- i) Total collecting area: $\sim 100 \text{ m}^2$
- ii) Energy band: 50 keV 50 MeV
- iii) Time resolution: $< 0.1 \ \mu s$

GrailQuest

Gamma-Ray Astronomy International Laboratory for QUantum Exploration of Space-Time

AT~Gyr

 $\Delta t \sim \mu s$

In a nutshell: Constellation of 100÷10000 small sats keV-MeV energy band Time resolution < 100 ns Collecting area ~100 m² Mass production Assembly line Costs reduction

Quantum Gravity Experiment Space-Time Granular structure $\ell_P \sim 10^{-33}$ cm Dispersion law for photons $v_{ph}/c \sim [1-\ell_P/\lambda_{ph}]$ X-ray/Gamma All-Sky Monitor Transients sub-arcsec localisation Gravitational-Waves EM counterparts

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GrailQuest selected for the 2019 Call for White Papers for the Voyage 2050 long term plan in the ESA Science Programme

Voyage 2050 - long term plan in the ESA science programme

GrailQuest: hunting for Atoms of Space and Time hidden in the wrinkle of Space–Time

A swarm of nano/micro/small–satellites to probe the ultimate structure of Space–Time and to provide an all–sky monitor to study high–energy astrophysics phenomena

Contact Scientist: Luciano Burderi Download paper at arXiv:1911.02154v2

The ALBATROS mission: cart-wheel orbits

3 satellites in "Cart-wheel" orbits (e.g., LISA orbits):

- 3 heliocentric orbits with a=1AU
- 3 slightly different small
 inclinations (idegrees) w.r.t.
 to eclipting plane
- Equatorial triangle of side
 D 2.5 10⁶ km
- Contact to ground up to 23 hours per day
- Wet mass ~ 230 kg per satellite
- Dry mass ~ 165 kg per satellite

European Space Agency

ESA FAST MISSION OPPORTUNITY 2021

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Baseline

ransient **R**econnaissance Observatory from

pace

The ALBATROS mission

Three satellites in "*Cart-wheel*" orbits: 3 heliocentric orbits with a = 1AU and 3 slightly different small inclinations (i $\approx 0.5^{\circ}$) w.r.t. the ecliptic plane: equilateral triangle of side $D \approx 2.5 \ 10^6 \text{ km}$.

Two 400 cm² effective area detectors (HERMES like) per satellite pointing in opposite directions w.r.t. the equilateral triangle plane. FoV: 4π steradians (whole sky)

Detection rate: 1÷2 GRB/day

Positional accuracy with Temporal Triangulation Techniques:

 $\sigma_{\alpha} \approx \sigma_{\delta} \approx c \sigma_{\Lambda t} / B \approx 24 \text{ arc-sec } \times (B/2.5 \times 10^{6} \text{ km})^{-1} \times 10^{6} \text{ km}^{-1}$ $(\sigma_{\Lambda t}/1\text{ms})$ implies: $\sigma_{\alpha} \approx \sigma_{\delta} \approx 0.5$ arc-sec for 400 cm² detectors

Prompt follow-up with ground-based optical telescopes: 75% success in determination of redshift z

Number of GRB with determined redshift detected in 4 yr nominal mission lifetime N ≈ 1000

Effective constrain of first order (LIV) Quantum Gravity dispersion law for photons

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The HERMES project: the movie

That's all Folks!

Please, visit our websites: http://hermes.dsf.unica.it www.hermes-sp.eu