



SARAO

South African Radio
Astronomy Observatory



Interferometric IM with MeerKAT & The MIGHTEE Survey

Mogamad-Junaid Townsend

Supervisors: Prof Mario Santos, Dr Sourabh Paul

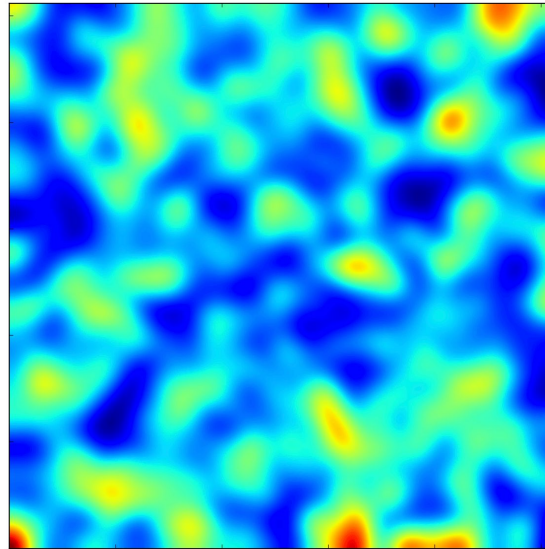
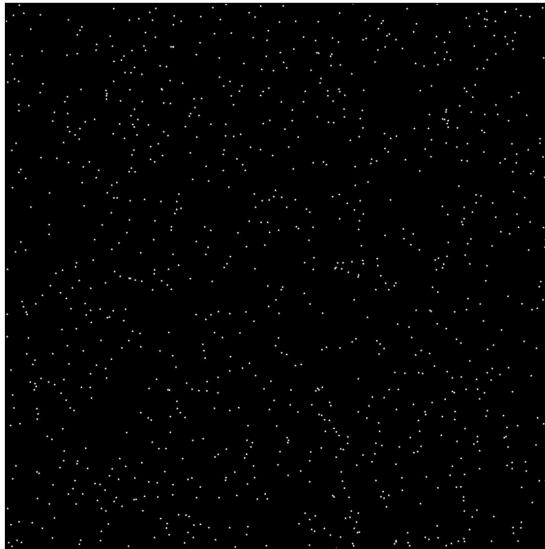
HITS 2022 - HI Intensity Mapping in Trieste
23 May 2022



UNIVERSITY of the
WESTERN CAPE

Background: Intensity Mapping

- Intensity mapping (IM) is concerned with measuring the HI signal fluctuations without the need to resolve structures such as galaxies.



Credit: Francisco Villaescusa-Navarro

Background: Intensity Mapping

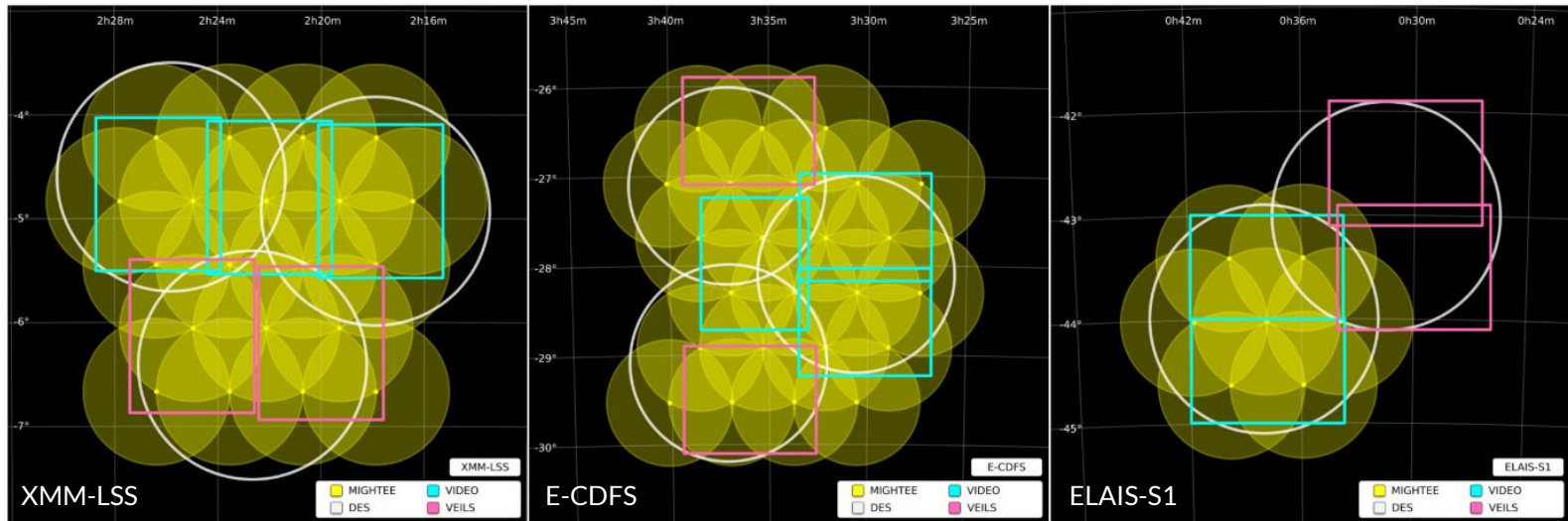
- Intensity mapping (IM) is concerned with measuring the HI signal fluctuations without the need to resolve structures such as galaxies.
- Many Advantages:
 - Excellent redshift information
 - Survey large volumes more efficiently than galaxy surveys
 - Can be used as a tracer for the large-scale structure of the Universe and a probe of cosmological phenomena such as BAO and RSD
- We are primarily concerned with **interferometer-mode** intensity mapping in the post-reionization era.

Background: MeerKAT & MIGHTEE Survey

- The MeerKAT International GHz Tiered Extragalactic Exploration (MIGHTEE) survey is ideal for IM, with a large main survey area (20 deg²) over well studied fields.

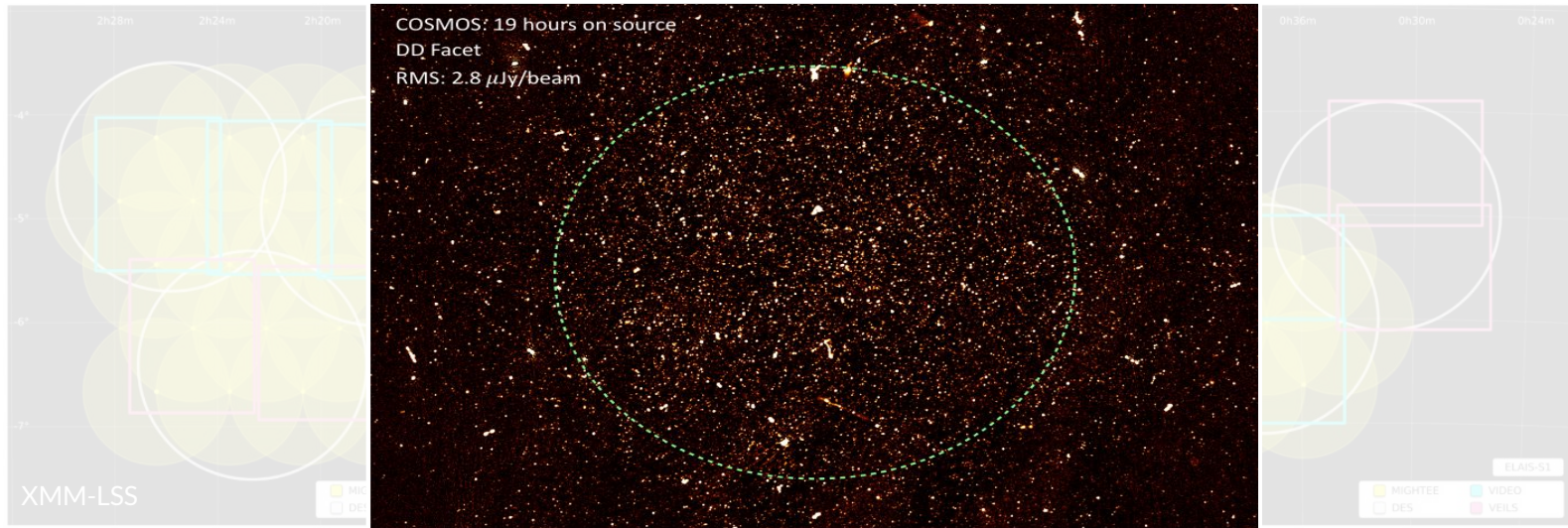
Background: MeerKAT & MIGHTEE Survey

- The MeerKAT International GHz Tiered Extragalactic Exploration (MIGHTEE) survey is ideal for IM, with a large main survey area (20 deg²) over well studied fields.



Background: MeerKAT & MIGHTEE Survey

- The MeerKAT International GHz Tiered Extragalactic Exploration (MIGHTEE) survey is ideal for IM, with a large main survey area (20 deg²) over well studied fields.



Background: MeerKAT & MIGHTEE Survey

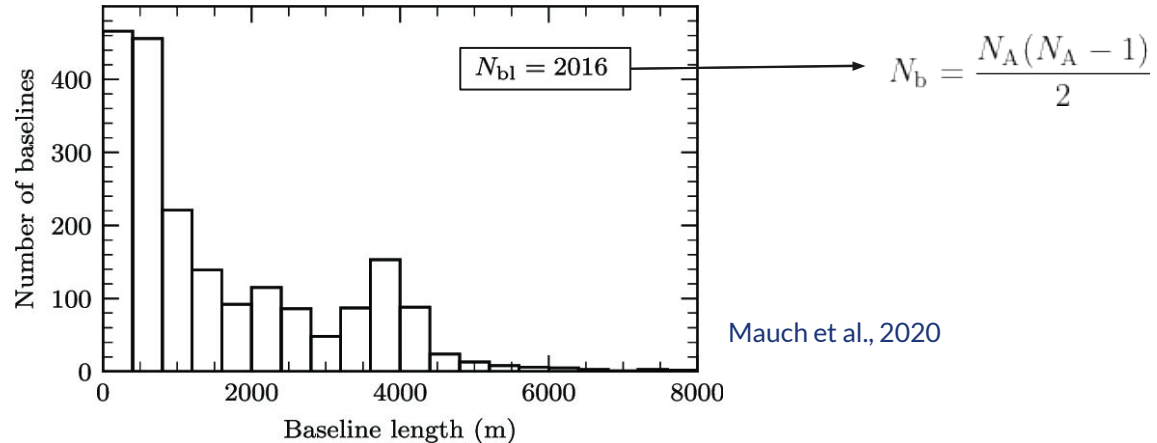
- The MeerKAT International GHz Tiered Extragalactic Exploration (MIGHTEE) survey is ideal for IM, with a large main survey area (20 deg²) over well studied fields.

Field Name	Area (deg ²) Full Survey	Centre Coordinates
COSMOS	2	10h01m, +02d12m
XMMLSS	8	02h20m, -04d50m
ECDFS ^a	8	03h32m, -28d00m
ELAIS-S	2	00h40m, -44d00m
MFS	12	03h38m, -35d27m

Area covered	32 deg ²
Frequency range	900–1420 MHz
Redshift range for H ₁	0 < z < 0.58
Nominal angular resolution	12 arcsec
Velocity resolution	5.5 km s ⁻¹ (1420 MHz)
Per channel flux sensitivity	100 μJy beam ⁻¹ (1420 MHz)
Column density sensitivity (22 km s ⁻¹)	2.6 × 10 ¹⁹ cm ⁻²

Background: MeerKAT & MIGHTEE Survey

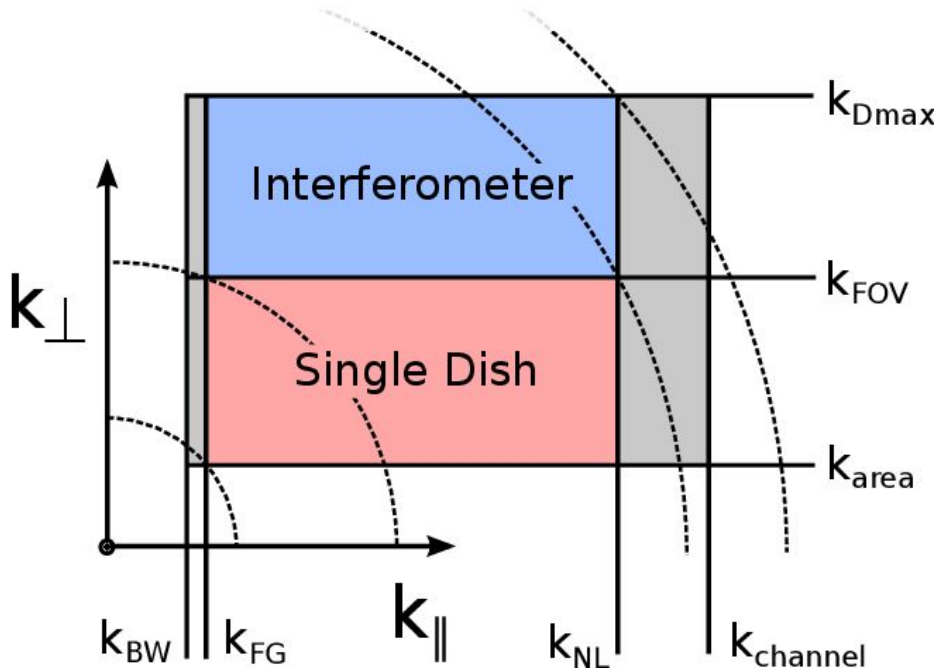
- The MeerKAT International GHz Tiered Extragalactic Exploration (MIGHTEE) survey is ideal for IM, with a large main survey area (20 deg²) over well studied fields.
- MeerKAT's angular resolution and dense core allows us to probe quasi-linear scales relevant to cosmology.



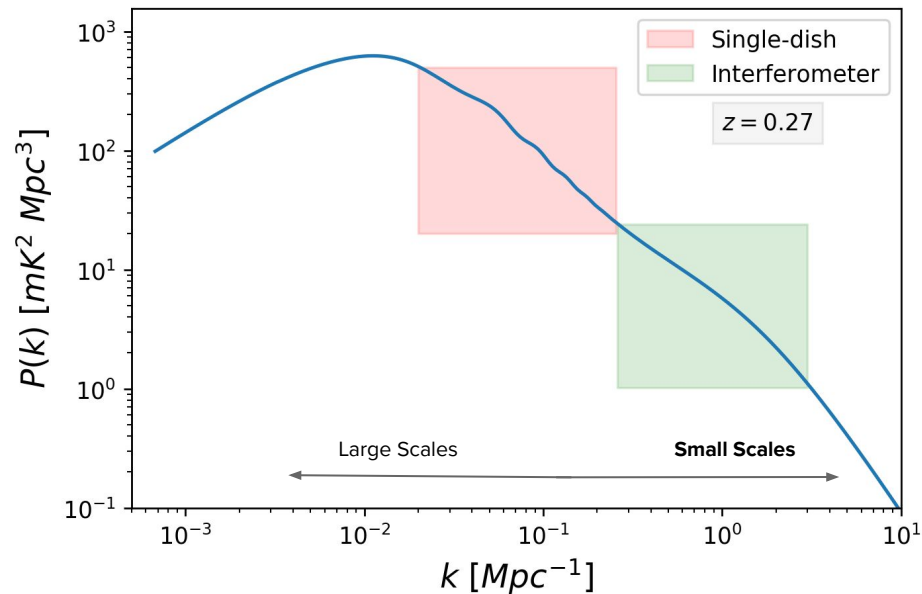
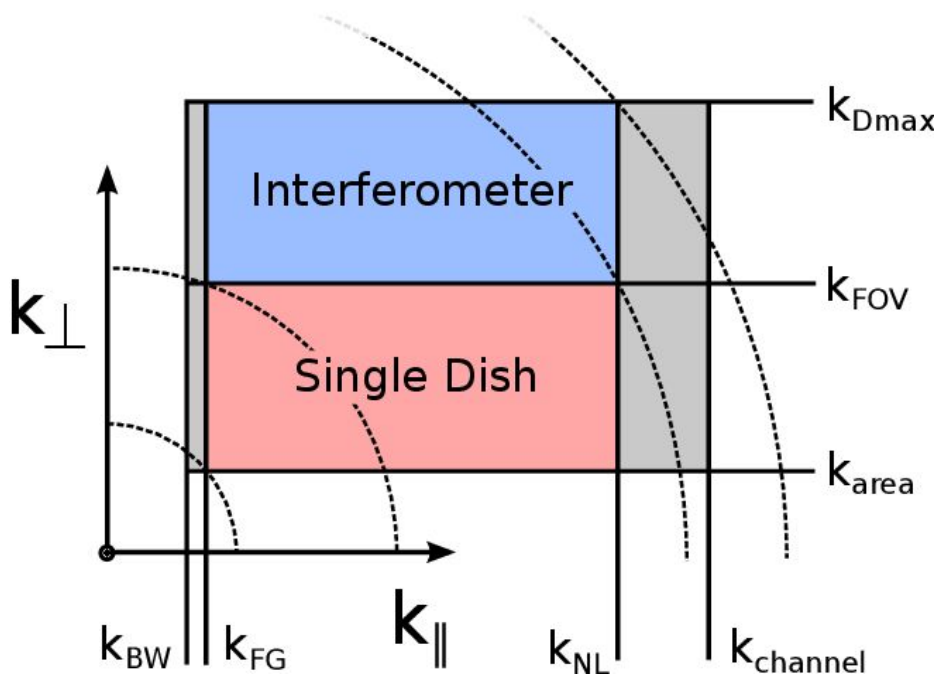
Background: MeerKAT & MIGHTEE Survey

- The MeerKAT International GHz Tiered Extragalactic Exploration (MIGHTEE) survey is ideal for IM, with a large main survey area (20 deg²) over well studied fields.
- MeerKAT's angular resolution and dense core allows us to probe quasi-linear scales relevant to cosmology.
- MIGHTEE opens the possibility of making a statistical detection of the HI power spectrum on these scales using HI intensity mapping.

Background: MeerKAT & MIGHTEE Survey



Background: MeerKAT & MIGHTEE Survey

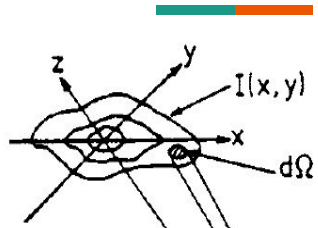


Objectives



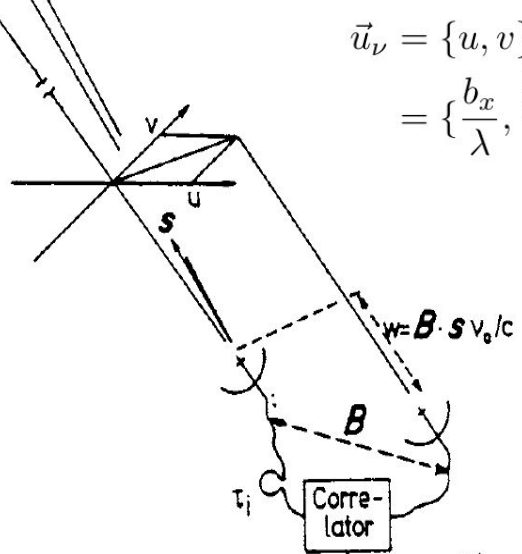
- Main objective is to measure the **HI power spectrum** with the **MIGHTEE data** with **interferometric HI intensity mapping**.
1. As a start, **simulations** are run in order to check the S/N for the MIGHTEE data

Analysis: Delay Approximation

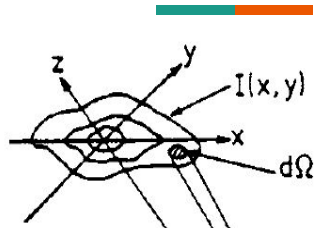


$$V_\nu(\vec{u}_\nu) = \int \Delta I_\nu(\vec{\theta}) A_\nu(\vec{\theta}) \times e^{-j2\pi \vec{u}_\nu \cdot \vec{\theta}_i} d^2\theta$$

$$\begin{aligned} \vec{u}_\nu &= \{u, v\} \\ &= \left\{ \frac{b_x}{\lambda}, \frac{b_y}{\lambda} \right\} \end{aligned}$$

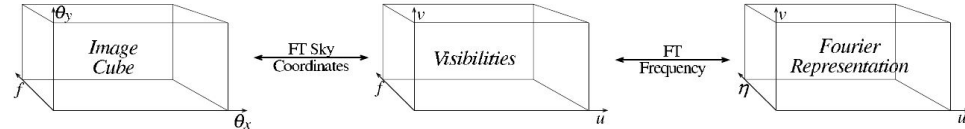
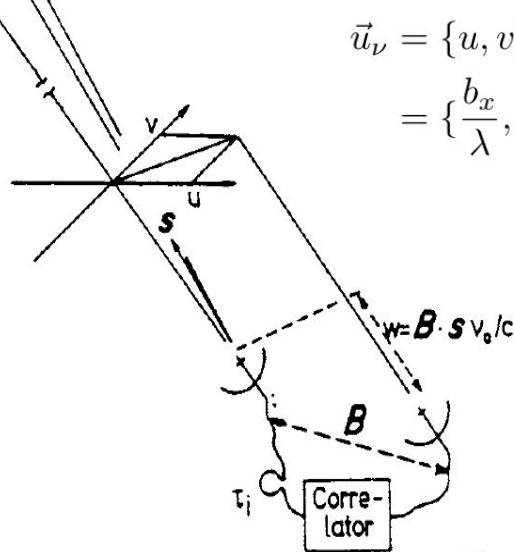


Analysis: Delay Approximation



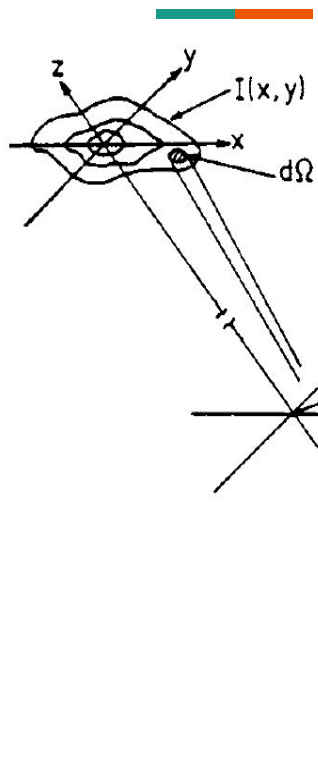
$$V_\nu(\vec{u}_\nu) = \int \Delta I_\nu(\vec{\theta}) A_\nu(\vec{\theta}) \times e^{-j2\pi \vec{u}_\nu \cdot \vec{\theta}_i} d^2\theta$$

$$\vec{u}_\nu = \{u, v\} = \left\{ \frac{b_x}{\lambda}, \frac{b_y}{\lambda} \right\}$$



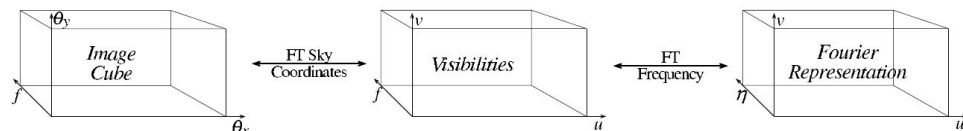
Morales & Jewitt, 2004

Analysis: Delay Approximation



$$V_\nu(\vec{u}_\nu) = \int \Delta I_\nu(\vec{\theta}) A_\nu(\vec{\theta}) \times e^{-j2\pi \vec{u}_\nu \cdot \vec{\theta}_i} d^2\theta$$

$$\vec{u}_\nu = \{u, v\} = \left\{ \frac{b_x}{\lambda}, \frac{b_y}{\lambda} \right\}$$



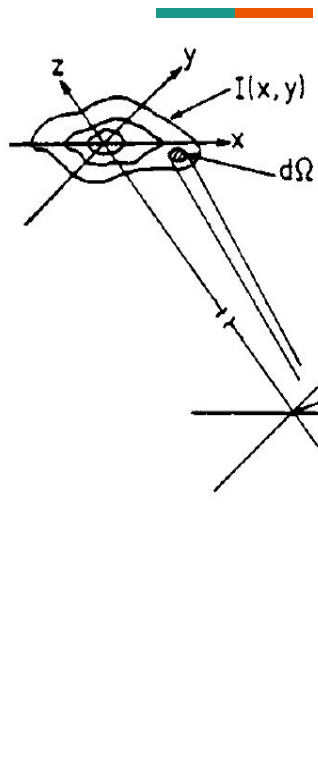
Morales & Jewitt, 2004

$$\begin{aligned} \vec{u}_\nu &= \{u, v\} \\ &= \left\{ \frac{k_x D(z)}{2\pi}, \frac{k_y D(z)}{2\pi} \right\} \\ &= \frac{\vec{k}_\perp D(z)}{2\pi} \end{aligned}$$

$$\tau \approx \frac{c(1+z)^2}{2\pi H_0 \nu_{21} E(z)} k_\parallel$$

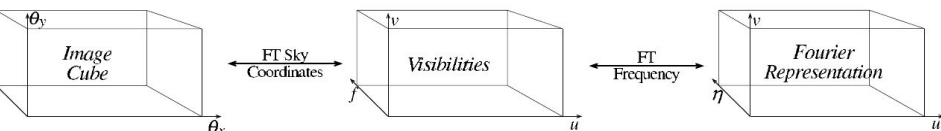
$$\vec{u} = \{u, v, \tau\}; \quad \vec{k} = \{\vec{k}_\perp, k_\parallel\}$$

Analysis: Delay Approximation



$$V_\nu(\vec{u}_\nu) = \int \Delta I_\nu(\vec{\theta}) A_\nu(\vec{\theta}) \times e^{-j2\pi \vec{u}_\nu \cdot \vec{\theta}_i} d^2\theta$$

$$\vec{u}_\nu = \{u, v\} = \left\{ \frac{b_x}{\lambda}, \frac{b_y}{\lambda} \right\}$$



Morales & Jewitt, 2004

$$\begin{aligned} \vec{u}_\nu &= \{u, v\} \\ &= \left\{ \frac{k_x D(z)}{2\pi}, \frac{k_y D(z)}{2\pi} \right\} \\ &= \frac{\vec{k}_\perp D(z)}{2\pi} \end{aligned}$$

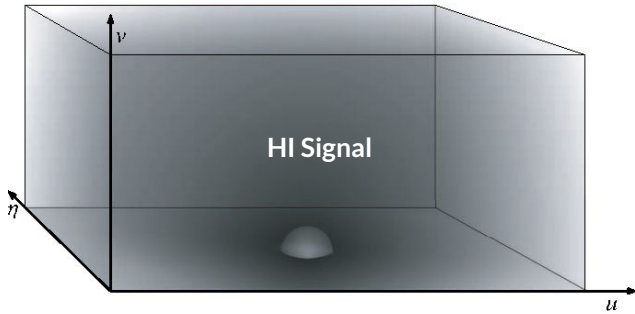
$$\tau \approx \frac{c(1+z)^2}{2\pi H_0 \nu_{21} E(z)} k_\parallel$$

$$\vec{u} = \{u, v, \tau\}; \vec{k} = \{\vec{k}_\perp, k_\parallel\}$$

$$\begin{aligned} P_D(\vec{u}) &= \langle V(\vec{u}_i)^* V(\vec{u}_j) \rangle \delta_{ij} \\ &= \langle |V(\vec{u})|^2 \rangle \end{aligned}$$

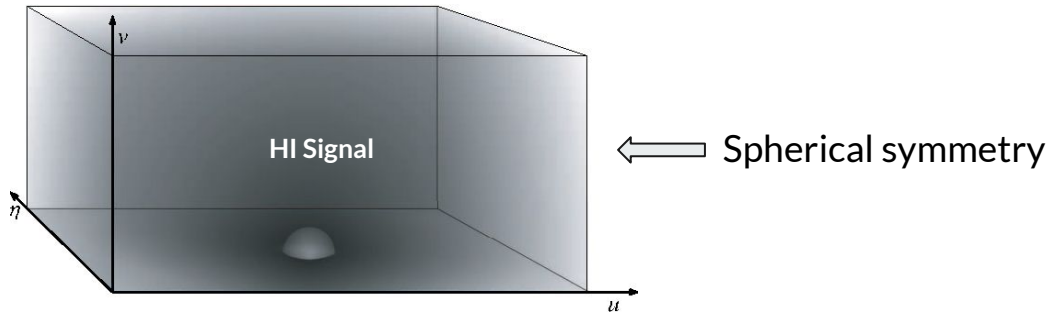
$$P_D(\vec{k}) = \langle |V(\vec{u})|^2 \rangle \left(\frac{A_e}{\lambda^2 \Delta B} \right) \left(\frac{D^2 \Delta D}{\Delta B} \right) \left(\frac{\lambda^2}{2k_B} \right)^2$$

Analysis: Delay Approximation



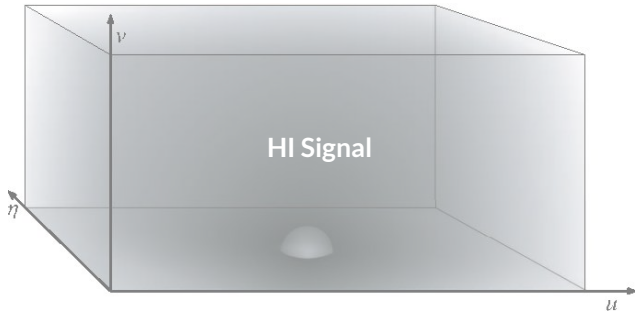
Morales & Jewitt, 2004

Analysis: Delay Approximation

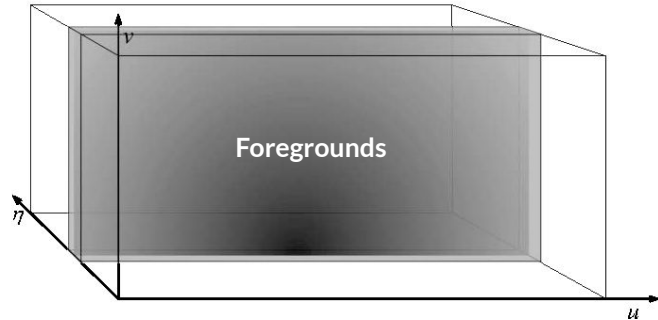


Morales & Jewitt, 2004

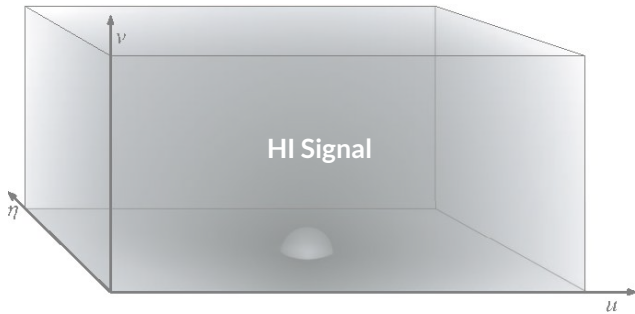
Analysis: Delay Approximation



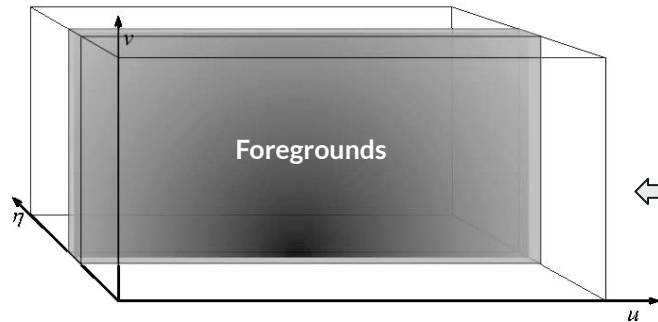
Morales & Jewitt, 2004



Analysis: Delay Approximation

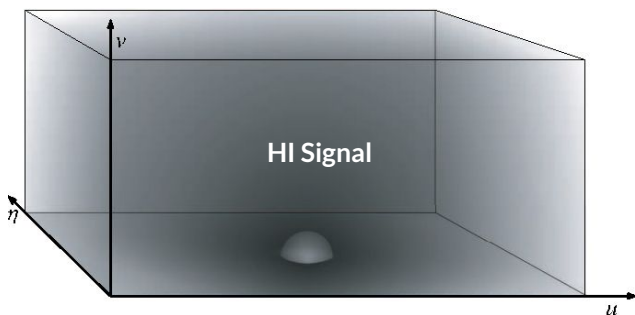


Morales & Jewitt, 2004

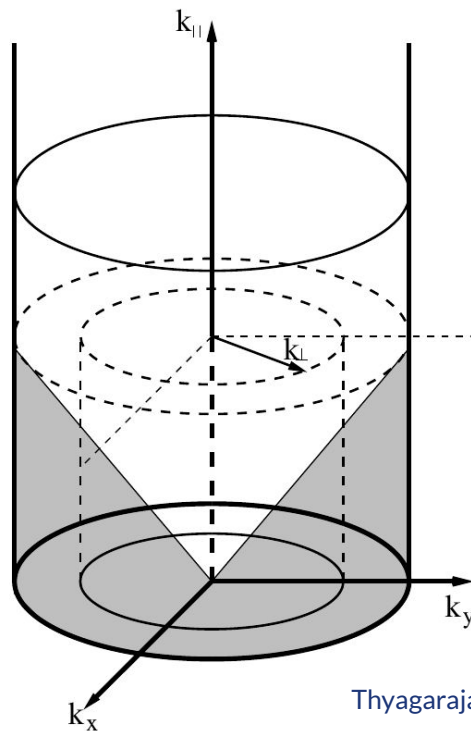
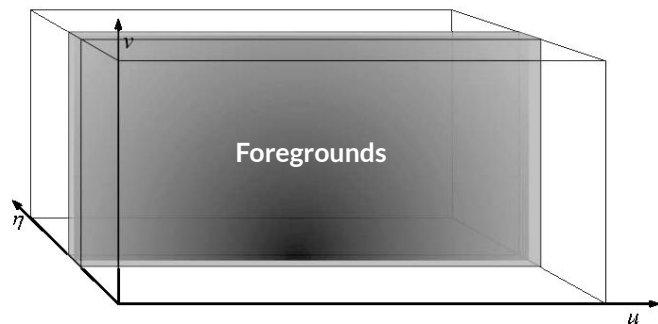


← Separable-axial symmetry
Concentrated at small η values

Analysis: Delay Approximation

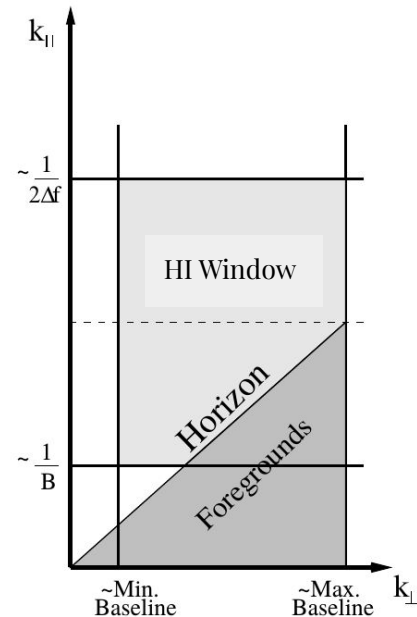


Morales & Jewitt, 2004



Thyagarajan et al., 2013

$$k_{||} = \frac{H_0 E(z) D(z)}{c(1+z)} k_{\perp}$$



Simulations



Visibilities are generated containing information from **three main components**:

- **HI Signal:** Generated from input model HI power spectrum:

$$P_{\text{HI}}(k, z) = \overline{T_b}^2(z) b_{\text{HI}}^2 P_M(k, z)$$

Simulations



Visibilities are generated containing information from **three main components**:

- **HI Signal:** Generated from input model HI power spectrum:
- **Thermal Noise:** Randomly generated from Gaussian distribution with zero mean and RMS:

$$\sigma_{\text{TN}} = \frac{2k_{\text{B}}T_{\text{sys}}}{A_{\text{e}}\sqrt{\Delta\nu\Delta t}}$$

Simulations



Visibilities are generated containing information from **three main components**:

- **HI Signal:** Generated from input model HI power spectrum:
- **Thermal Noise:** Randomly generated from Gaussian distribution with zero mean and RMS:
- **Foregrounds:** Point source model generated from MIGHTEE COSMOS image

Simulations



Visibilities are generated containing information from **three main components**:

- **HI Signal:** Generated from input model
- **Thermal Noise:** Randomly generated from Gaussian distribution with zero mean and RMS:
- **Foregrounds:** Point source model generated from MIGHTEE COSMOS image

Visibilities take the form (or any combination of components):

$$V^{\text{simulation}} = V^{\text{HI}} + V^{\text{FG}} + V^{\text{TN}}$$

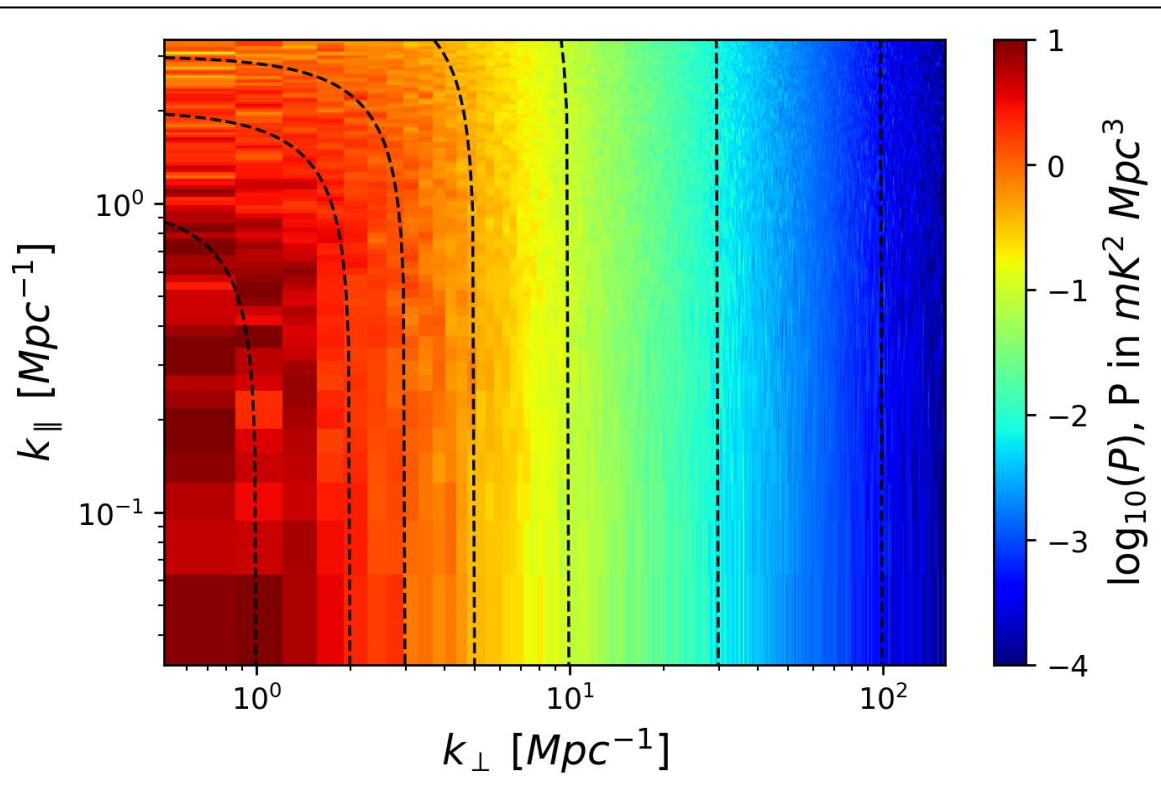
3D Power Spectrum:

$$P^{\text{simulation}}(\vec{k}) = \mathcal{N} \left\langle |V^{\text{simulation}}(\vec{u})|^2 \right\rangle$$

Simulation Outputs (2D power spectra)

HI Signal

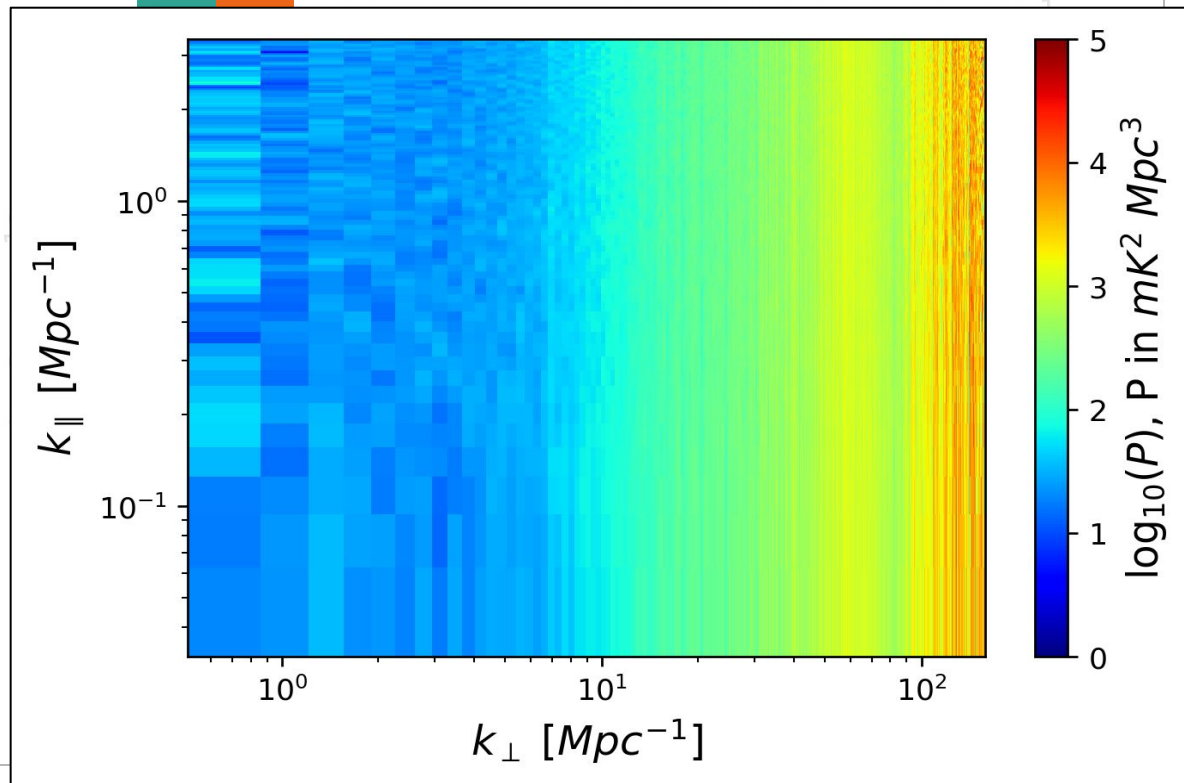
$z = 0.27$



Simulation Outputs (2D power spectra)

Thermal Noise

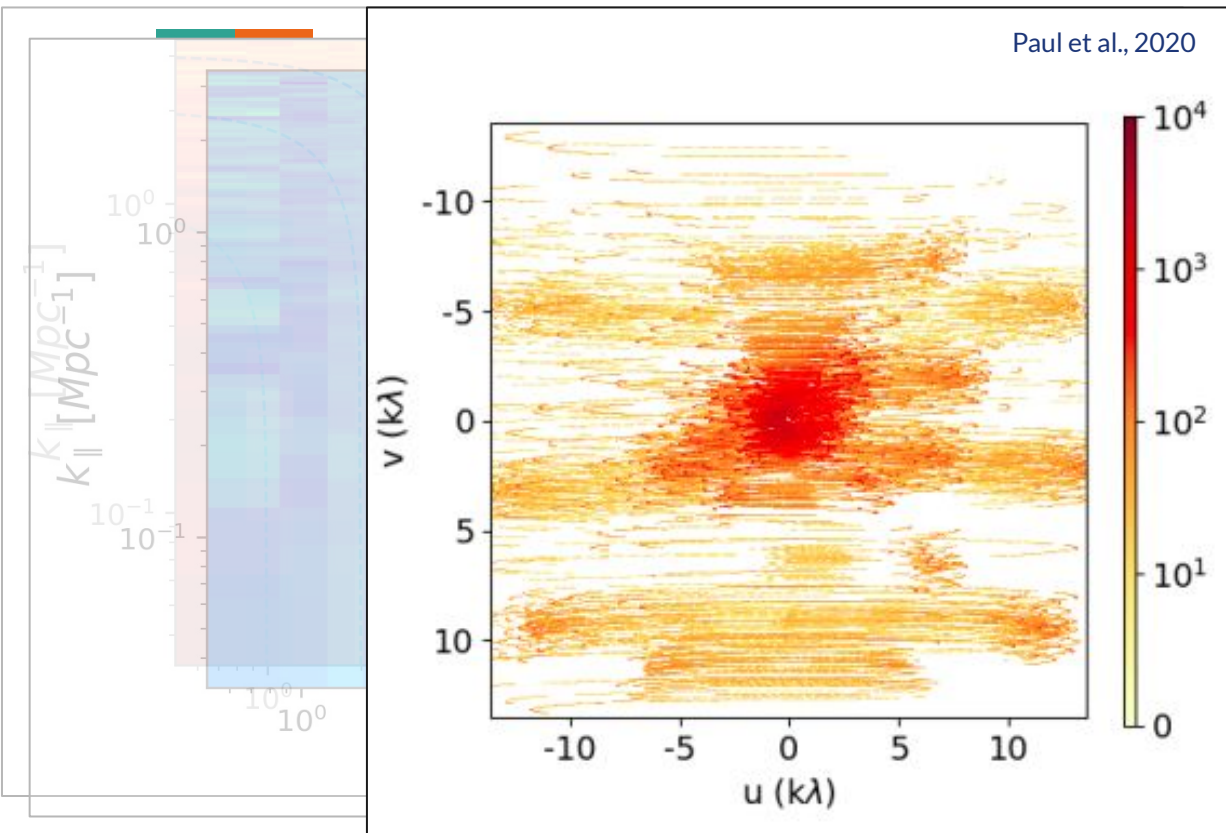
$z = 0.27$



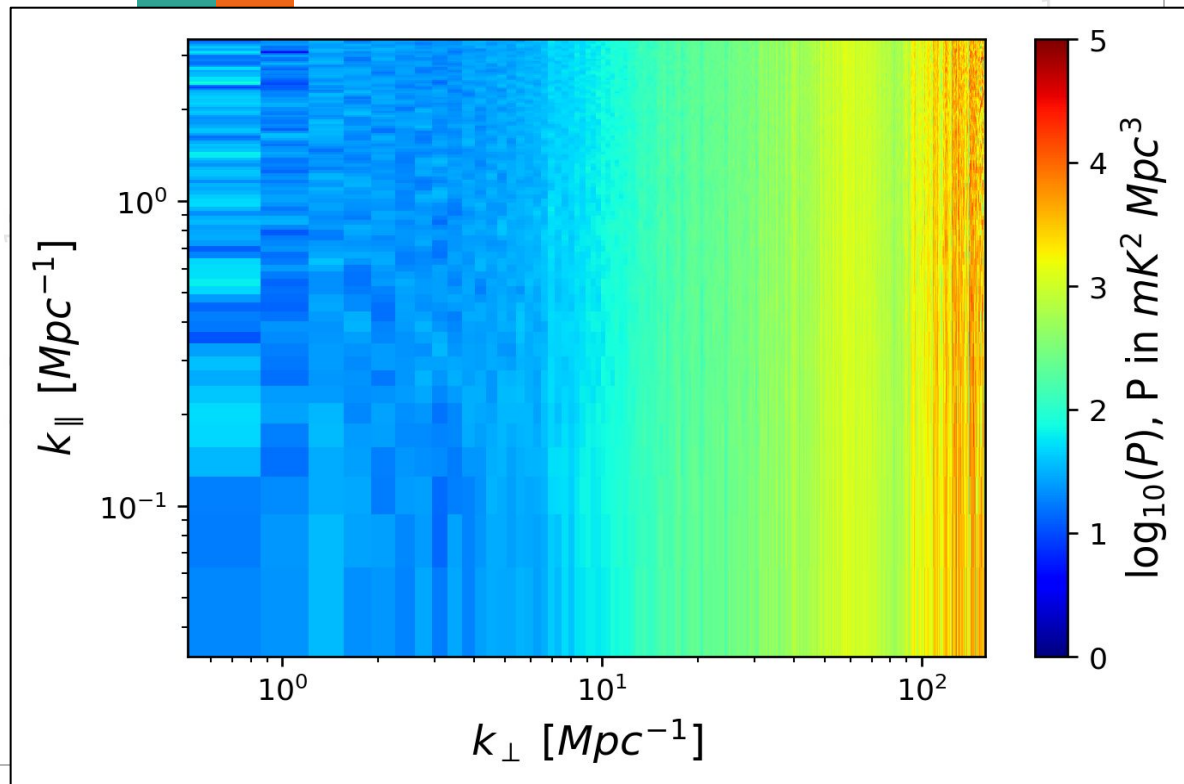
Simulation Outputs (2D power spectra)

Thermal Noise

$z = 0.27$

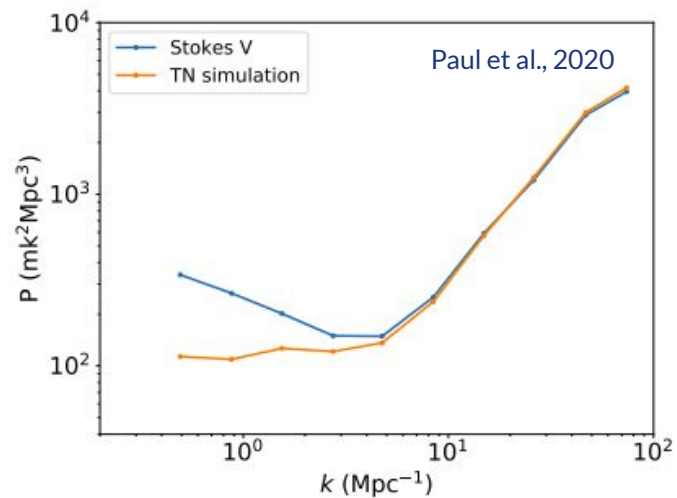


Simulation Outputs (2D power spectra)



Thermal Noise

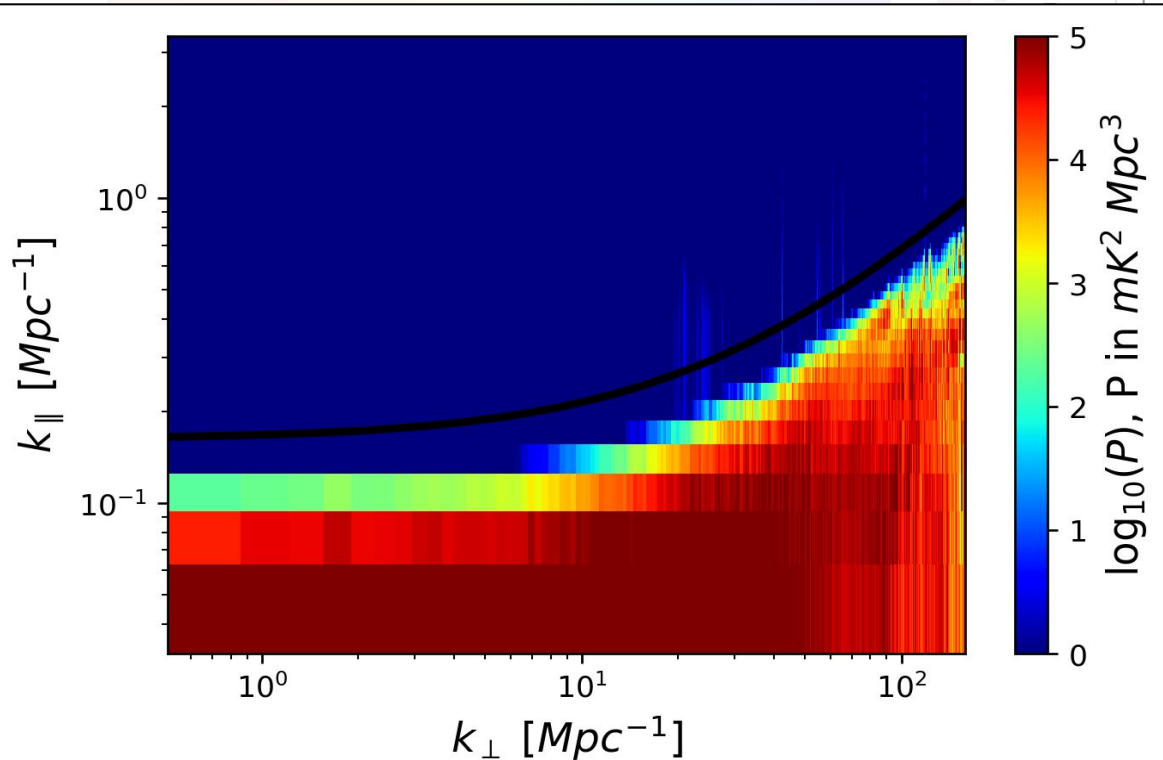
$z = 0.27$



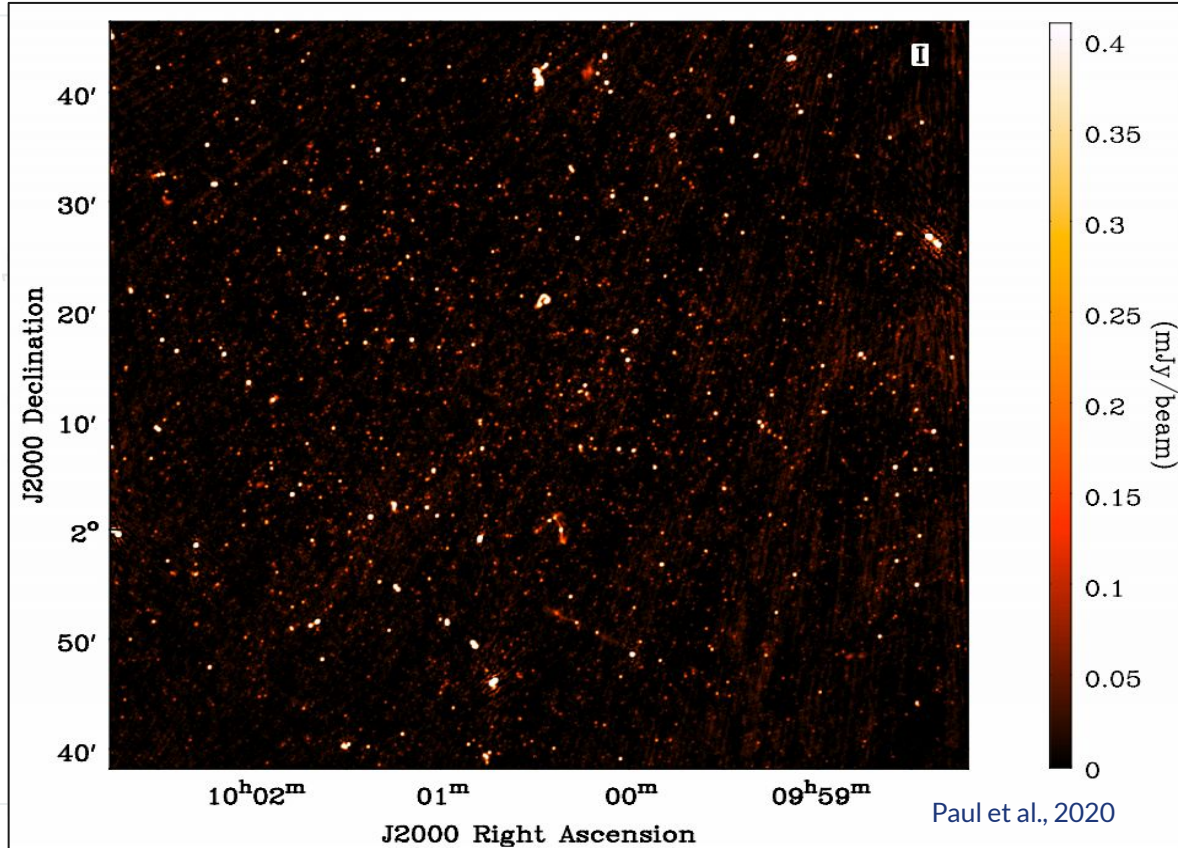
Simulation Outputs (2D power spectra)

Foregrounds

$z = 0.27$



Simulation Outputs (2D power spectra)



Foregrounds

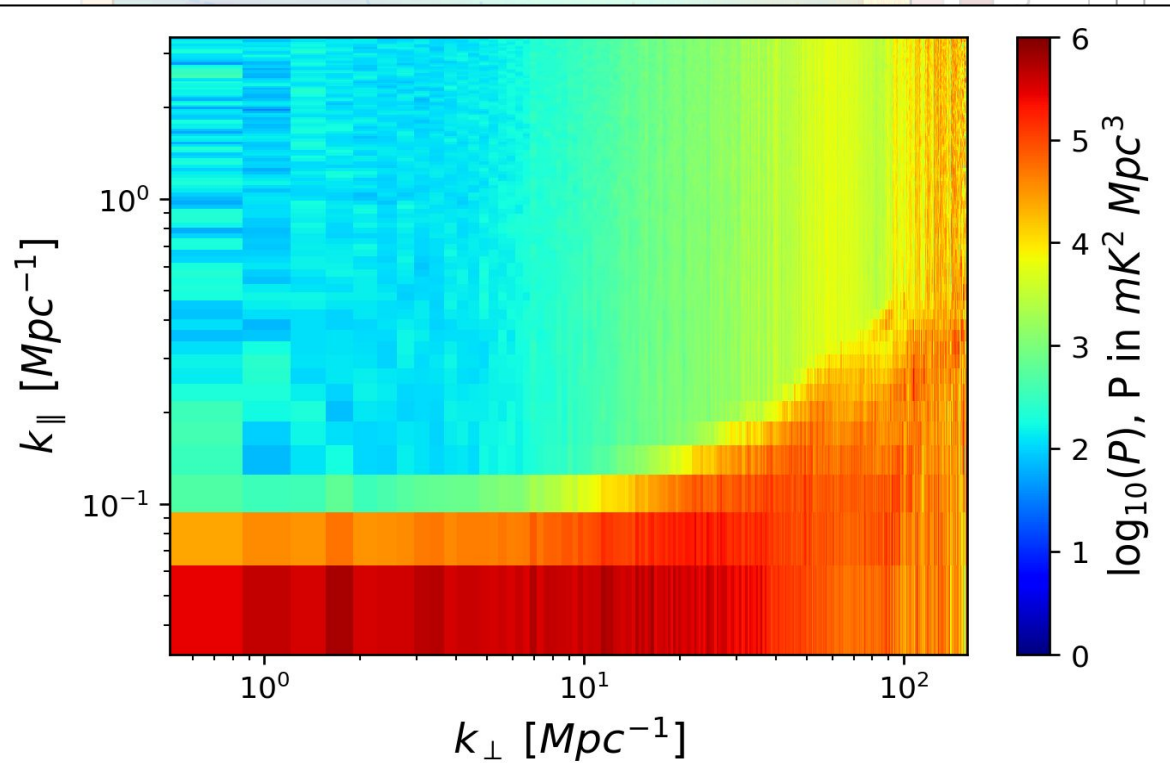
$z = 0.27$

- MIGHTEE COSMOS image at 1115.14 MHz ($z \sim 0.27$)
- Observation time: ~ 11.2 hrs
- Integral to the modelling of foregrounds in the simulation results shown

Simulation Outputs (2D power spectra)

Full Simulation

$z = 0.27$



Parameter	Value
Δu	60λ
Δv	60λ
$N_{\text{gridpoints}}$	1500
N_{chan}	220
Δt	8 s
$\Delta \nu$	0.208984 MHz
ΔB	45.97648 MHz
ν_c	1115.14 MHz
λ_c	26.9 cm
z	~ 0.27
$\frac{A_e}{T_{\text{sys}}}$	$6.22 \text{ m}^2/\text{K}$
t_{obs}	11.2 hours
Δk_{\perp}	0.35 Mpc^{-1}
Δk_{\parallel}	0.031 Mpc^{-1}
Δk	0.45 Mpc^{-1}

HI power spectrum estimation (Auto-correlation):

Observed power spectrum (foreground avoidance):

$$P_o(k) = P_{\text{HI}+\text{TN}}(k).$$

HI power spectrum estimation (Auto-correlation):



Observed power spectrum:

$$P_o(k) = P_{\text{HI+TN}}(k).$$

Estimator:

$$\tilde{P}(k) = P_o(k) - \overline{P_{\text{TN}}}(k)$$

HI power spectrum estimation (Auto-correlation):



Observed power spectrum:

$$P_o(k) = P_{\text{HI+TN}}(k).$$

Estimator:

$$\tilde{P}(k) = P_o(k) - \overline{P_{\text{TN}}}(k)$$

For i^{th} realisation:

$$\tilde{P}^i(k) = P_o^i(k) - \overline{P_{\text{TN}}}(k)$$

HI power spectrum estimation (Auto-correlation):



Observed power spectrum:

$$P_o(k) = P_{\text{HI}+\text{TN}}(k).$$

Estimator:

$$\tilde{P}(k) = P_o(k) - \overline{P_{\text{TN}}}(k)$$

For i^{th} realisation:

$$\tilde{P}^i(k) = P_o^i(k) - \overline{P_{\text{TN}}}(k)$$

Thermal noise model:

$$\overline{P_{\text{TN}}}(k) = \frac{\sum_i^N P_{\text{TN}}^i(k)}{N}$$

HI power spectrum estimation (Auto-correlation):

Observed power spectrum:

$$P_o(k) = P_{\text{HI}+\text{TN}}(k)$$

Estimator:

$$\tilde{P}(k) = P_o(k) - \overline{P_{\text{TN}}}(k)$$

For i^{th} realisation:

$$\tilde{P}^i(k) = P_o^i(k) - \overline{P_{\text{TN}}}(k)$$

Thermal noise model:

$$\overline{P_{\text{TN}}}(k) = \frac{\sum_i^N P_{\text{TN}}^i(k)}{N}$$

For N realisations:

Mean of estimator:

$$\overline{\tilde{P}}(k) = \frac{\sum_i^N \tilde{P}^i(k)}{N}$$

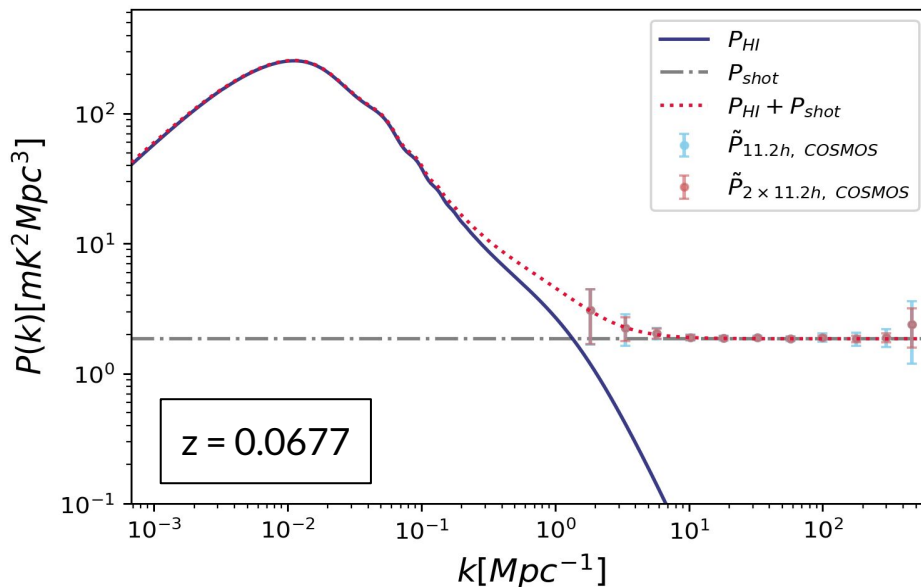
Estimator error:

$$\begin{aligned} \sigma_{\tilde{P}(k)} &= \sqrt{\frac{\sum_i^N \left[\tilde{P}^i(k) - \overline{\tilde{P}}(k) \right]^2}{N}} \\ &= \sqrt{\frac{\sum_i^N \left[P_o^i(k) - \overline{P_{\text{TN}}}(k) - \overline{\tilde{P}}(k) \right]^2}{N}} \end{aligned}$$

Simulation Results at low- z :

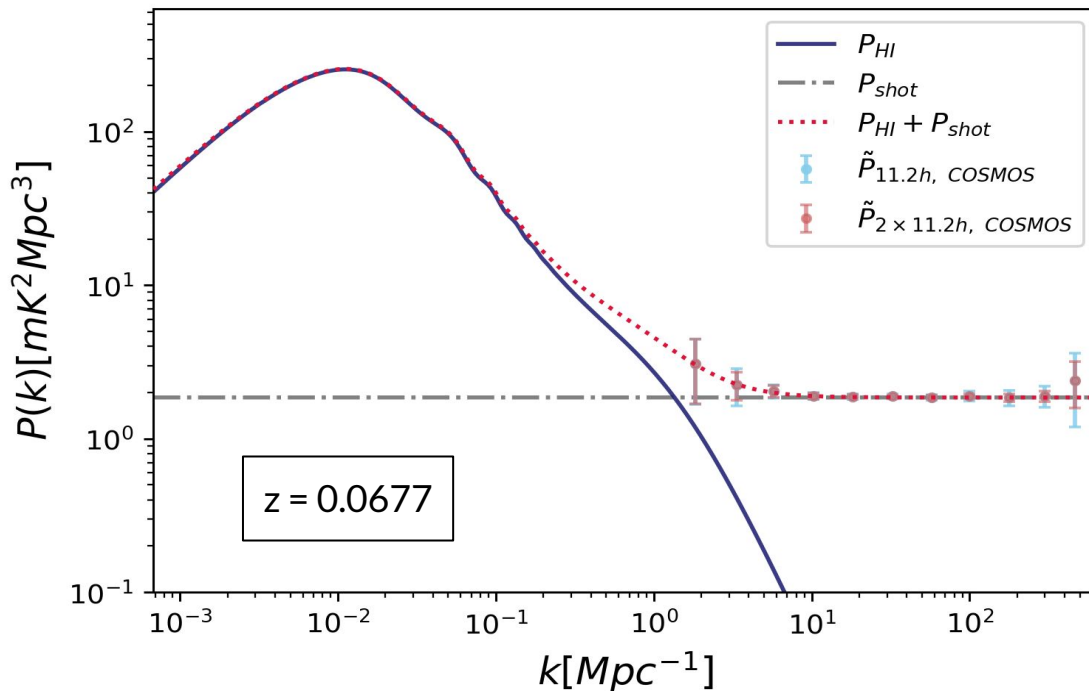
- The objective is to run these simulations for low z ($\nu \sim 1310 - 1420$ MHz) COSMOS in order to check the S/N for the MIGHTEE data:

Parameter	Value
Δu	60λ
Δv	60λ
$N_{\text{gridpoints}}$	1500
N_{chan}	150
Δt	8 s
$\Delta \nu$	0.208984 MHz
ΔB	31.3476 MHz
ν_c	1330 MHz
λ_c	22.56 cm
z	~ 0.0677
$\frac{A_e}{T_{\text{sys}}}$	6.22 m ² /K
t_{obs}	11.2 hours
Δk_{\perp}	1.81 Mpc ⁻¹
Δk_{\parallel}	0.058 Mpc ⁻¹



Simulation Results at low-z:

Parameter	Value
Δu	60λ
Δv	60λ
$N_{\text{gridpoints}}$	1500
N_{chan}	150
Δt	8 s
$\Delta \nu$	0.208984 MHz
ΔB	31.3476 MHz
ν_c	1330 MHz
λ_c	22.56 cm
z	~ 0.0677
$\frac{A_e}{T_{\text{sys}}}$	6.22 m ² /K
t_{obs}	11.2 hours
Δk_{\perp}	1.81 Mpc ⁻¹
Δk_{\parallel}	0.058 Mpc ⁻¹



- At very low- z , one expects the shot noise to dominate
- The results shown provide a further validation test for the simulations

Objectives



- Main objective is to measure the **HI power spectrum** with the **MIGHTEE data** with **interferometer-mode** HI intensity mapping.
1. Simulations are run in order to check the S/N for the MIGHTEE data
 2. Measure the HI power spectrum from **Early Science MIGHTEE-HI galaxy catalogue**

Power spectrum from MIGHTEE HI galaxies:

```
1 #Created by Natasha on Wed Nov 11 19:09:39 2020
2 #Early science data from COSMOS and XMM-LSS, 1310-1420MHz
3 #Only objects with an optical counterpart are included, duplicates have been removed
4 #Objects with Mstellar < -99 are outside the deep imaging footprint
5 #Name RA Dec freq z Log(MHI) Log(Mstellar) Log(SFR) Log(Age) EBV umag gmag rmag SemImaj Semimin PA
6 MGH_1100128.0+022025 150.366572 2.340383 1.410788 0.006817 7.080000 6.359910 -2.141720 8.656548 0.200000 20.146570 19.492781 19.237109 8.873000 4.541000
  20.000000
7 MGH_1100153.8+022449 150.474191 2.413661 1.410788 0.006817 7.694000 7.453160 -2.033580 9.698970 0.050000 18.461895 17.777561 17.452504 16.103000 5.710000
  90.000000
8 MGH_1100227.1+021000 150.613031 2.166756 1.412042 0.005923 7.309000 6.921620 -2.254760 9.380211 0.100000 19.133808 18.439042 18.134389 7.679000
  6.642000 0.000000
9 MGH_1100030.1+020859 150.125251 2.149586 1.414550 0.004140 6.694000 6.031490 -2.295570 8.306547 0.300000 20.172159 19.408106 19.146548 7.576000 5.710000
  120.000000
```

HI galaxy catalogue from MIGHTEE; Credit: Natasha Maddox

- The goal with this catalogue was to produce an intensity map and measure the HI power spectrum from this

Steps:

1. Gain an understanding of the catalogue (distances between galaxies, sizes of biggest galaxies, etc)
2. Assign the M_{HI} to a grid (with the insights from having had a thorough look at the catalogue)
3. Convert this M_{HI} to HI temperature and measure the power spectrum using the FFT method (refer to [Jing, 2005] and [Cui et al., 2008] for details)

Power spectrum from MIGHTEE HI galaxies: Methodology



- Mass assignment scheme is used to assign masses from galaxy catalogue (discrete objects) onto a mesh grid using *nbodykit**:

* <https://nbodykit.readthedocs.io/>

Power spectrum from MIGHTEE HI galaxies: Methodology

- Mass assignment scheme is used to assign masses from galaxy catalogue (discrete objects) onto a mesh grid using *nbodykit**:

Assume objects assign to the grid have a given “shape”: $s(\vec{x} - \vec{X})$

Nearest Grid Point: Assumes particles are point-like with all mass assigned to a single grid cell

$$S(x) = \frac{1}{\Delta x} \delta\left(\frac{x}{\Delta x}\right)$$

Cloud-in-Cell (CIC): Assumes particles are cubes of uniform density and one grid cell size

$$S(x) = \frac{1}{\Delta x}, \text{ if } |x| < \frac{1}{2} \Delta x.$$

Triangular Shaped Cloud: Similar to CIC, but has an extended mathematical expression

$$S(x) = \frac{1}{\Delta x} \left(1 - \frac{|x|}{\Delta x}\right), \text{ if } |x| < \Delta x$$

* <https://nbodykit.readthedocs.io/>

Power spectrum from MIGHTEE HI galaxies: Methodology

Fraction of a particle's mass assigned to cell ijk is then the shape function averaged over this cell:

$$W(x_p - x_{ijk}) = \int_{x_{ijk} - \Delta x/2}^{x_{ijk} + \Delta x/2} dx' S(x_p - x')$$

with

$$W(\vec{r}_p - \vec{r}_{ijk}) = W(x_p - x_{ijk})W(y_p - y_{ijk})W(z_p - z_{ijk})$$

The density in a given cell is then

$$\rho_{ijk} = \sum_{p=1}^{N_p} m_p W(\vec{r}_p - \vec{r}_{ijk}).$$

Power spectrum from MIGHTEE HI galaxies: Methodology

Interpolation scheme (mostly relevant to CIC and TSC mass assignments):

$$\rho_{i,j,k} = \rho_{i,j,k} + m_p t_x t_y t_z$$

$$\rho_{i+1,j,k} = \rho_{i+1,j,k} + m_p dx t_y t_z$$

$$\rho_{i,j+1,k} = \rho_{i,j+1,k} + m_p t_x dy t_z$$

$$\rho_{i,j,k+1} = \rho_{i,j,k+1} + m_p t_x t_y dz$$

$$\rho_{i+1,j+1,k} = \rho_{i+1,j+1,k} + m_p dx dy t_z$$

$$\rho_{i+1,j,k+1} = \rho_{i+1,j,k+1} + m_p dx t_y dz$$

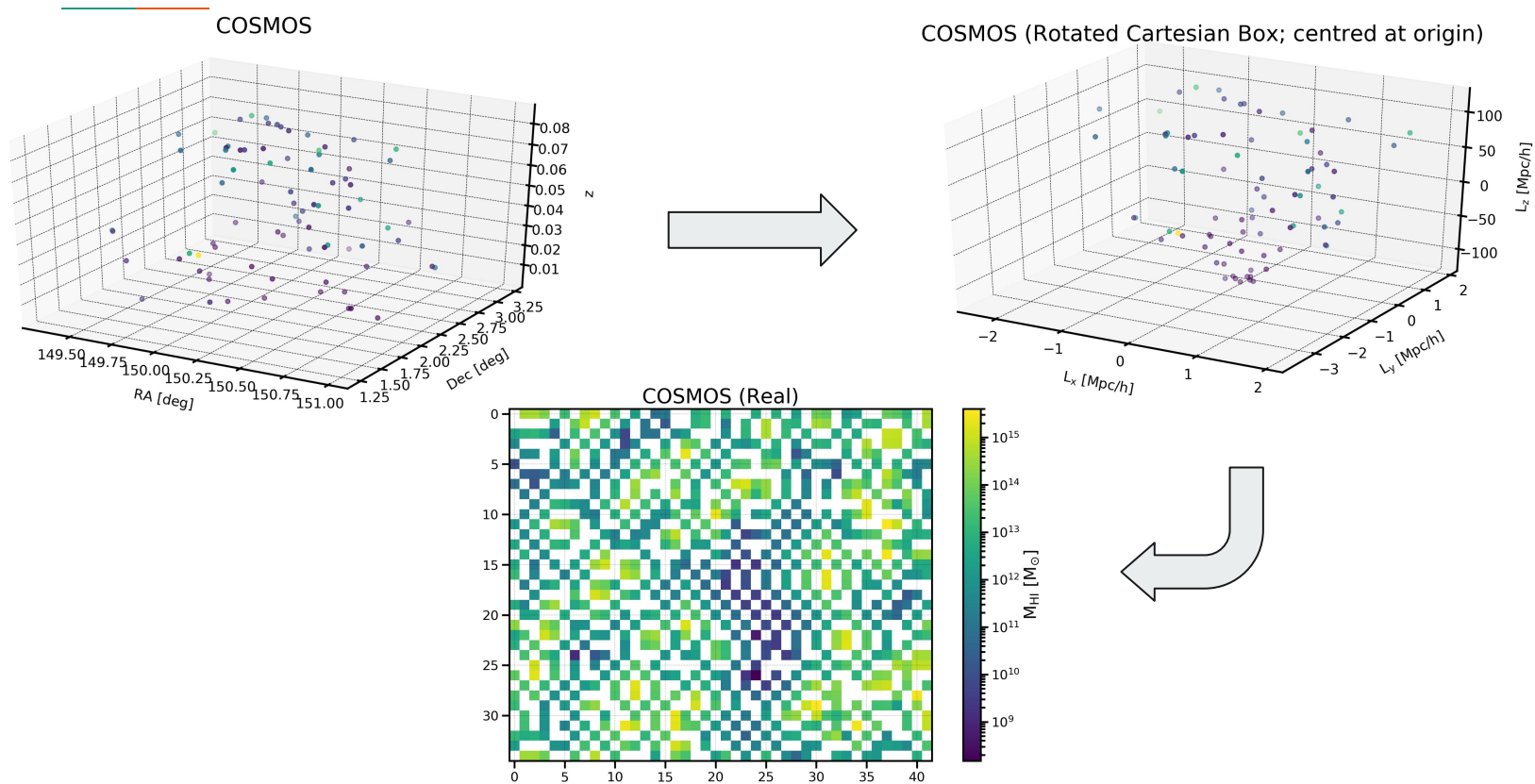
$$\rho_{i,j+1,k+1} = \rho_{i,j+1,k+1} + m_p t_x dy dz$$

$$\rho_{i+1,j+1,k+1} = \rho_{i+1,j+1,k+1} + m_p dx dy dz,$$

$$dx = x_p - x_c, dy = y_p - y_c, dz = z_p - z_c$$

$$t_x = 1 - dx, t_y = 1 - dy, t_z = 1 - dz.$$

Power spectrum from MIGHTEE HI galaxies: Methodology



Power spectrum from MIGHTEE HI galaxies: Methodology

To convert the HI mass on the mesh grid to temperature, apply the conversion and obtain an **Intensity Map**:

$$T_{\text{HI}}(\vec{r}, z) = \frac{3h_p c^2 A_{12}}{32\pi m_h k_B v_{21}} \frac{1}{[(1+z)\chi(z)]^2} \frac{M_{\text{HI}}(\vec{r}, z)}{\delta v \delta \Omega}$$

Cunnington et al., 2019

An FFT is applied to the temperature mesh to obtain the HI power spectrum with k modes sampled using:

$$k_{x,\text{min}} = \frac{2\pi}{L_x}; k_{y,\text{min}} = \frac{2\pi}{L_y}; k_{z,\text{min}} = \frac{2\pi}{L_z}$$

$$k_{x,\text{max}} = \frac{\pi}{dx}; k_{y,\text{max}} = \frac{\pi}{dy}; k_{z,\text{max}} = \frac{\pi}{dz}$$

Power spectrum from MIGHTEE HI galaxies: Methodology

The shot noise on the power spectrum estimate can then be obtained with:

$$P_{\text{SN}}(\vec{k}) = \frac{A^2(\Delta V)^2 \sum_n M_{\text{HI},n}^2}{V}$$

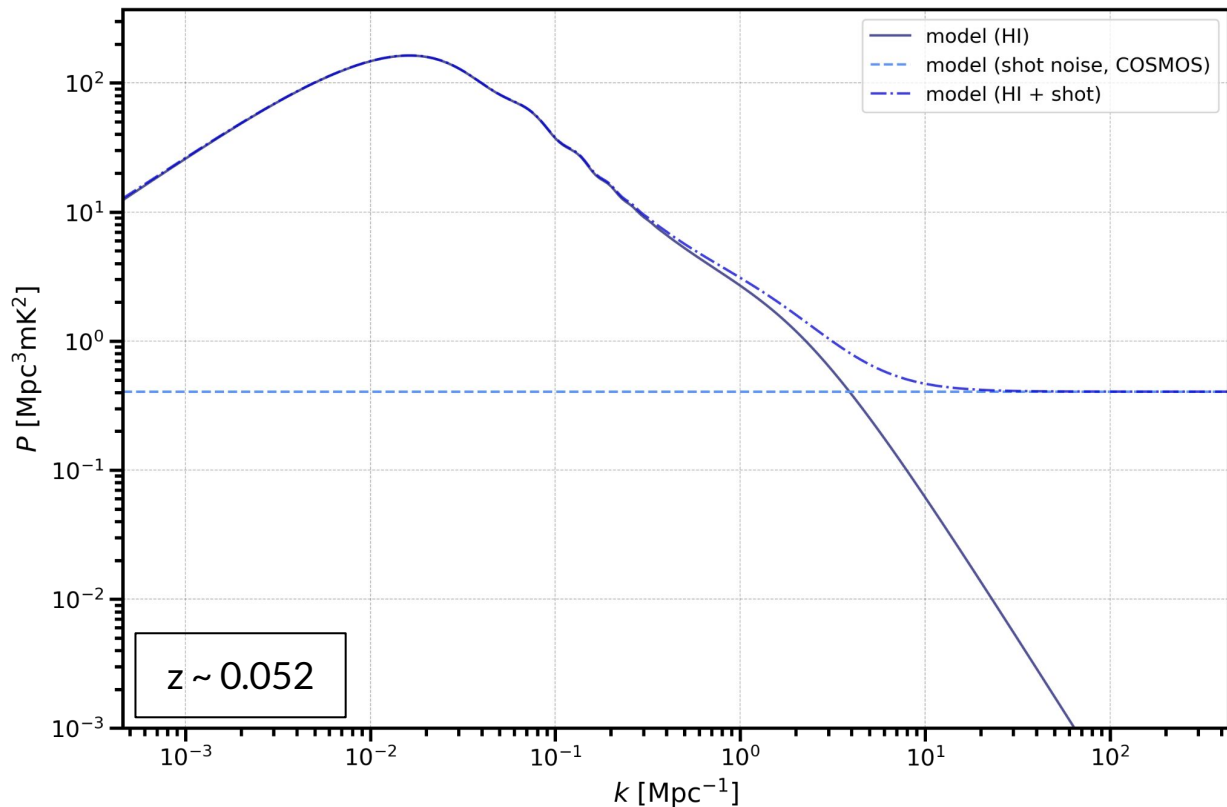
Sum over galaxies
in catalogue

With the error obtained using (while **excluding the instrumental noise term**):

$$\sigma_P(k) = \frac{1}{\sqrt{N_{\text{mode}}}} (P_{\text{HI}}(k) + P_{\text{N}}(k))$$

$$N_{\text{mode}} = \frac{V_{\text{surv}}}{(2\pi)^3} 2\pi k^2 \Delta k$$

Power spectrum from MIGHTEE HI galaxies: Results - HI power spectrum model and assumed cosmology

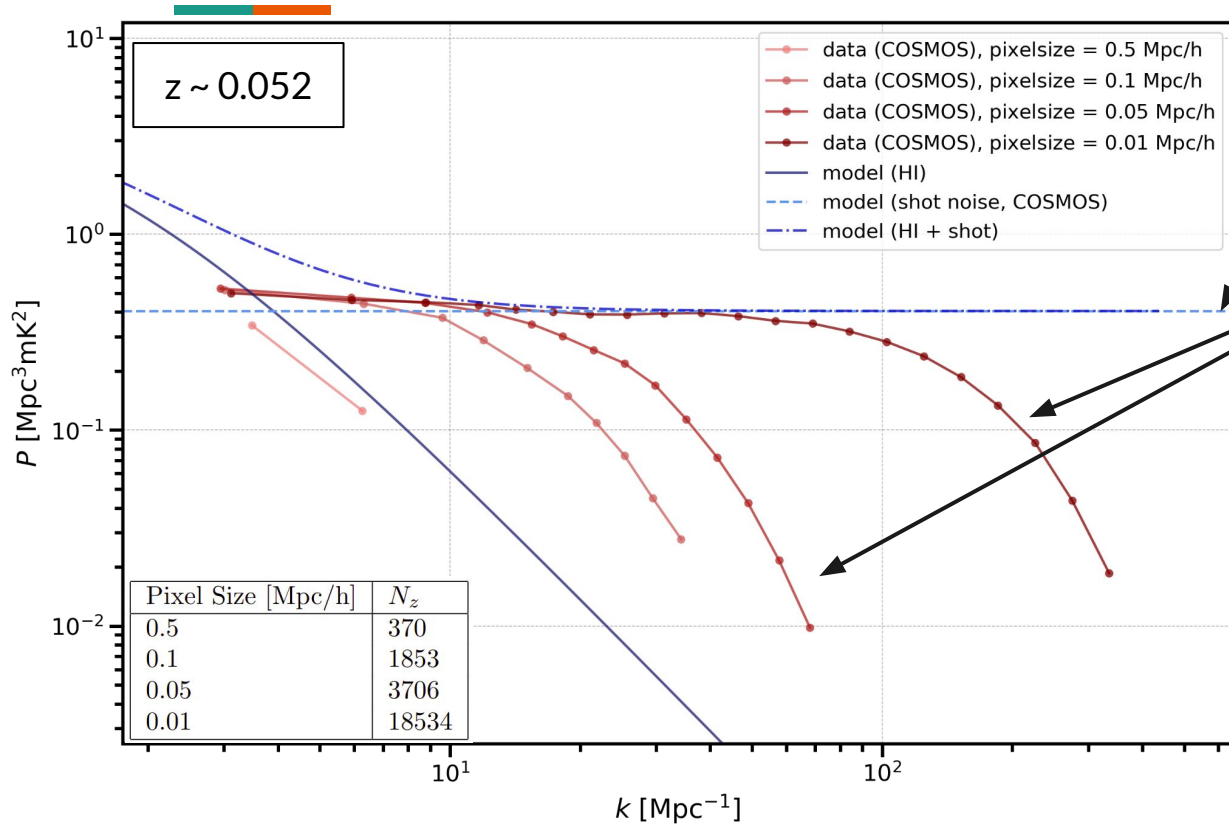


$$(h, \Omega_M, n_S) = (0.677, 0.31, 0.9667)$$

Paul et al., 2020

- Goal is to compare power spectrum result from galaxy catalogue to model
- Model shown also contains shot noise
- At smaller scales, the shot noise is expected to dominate

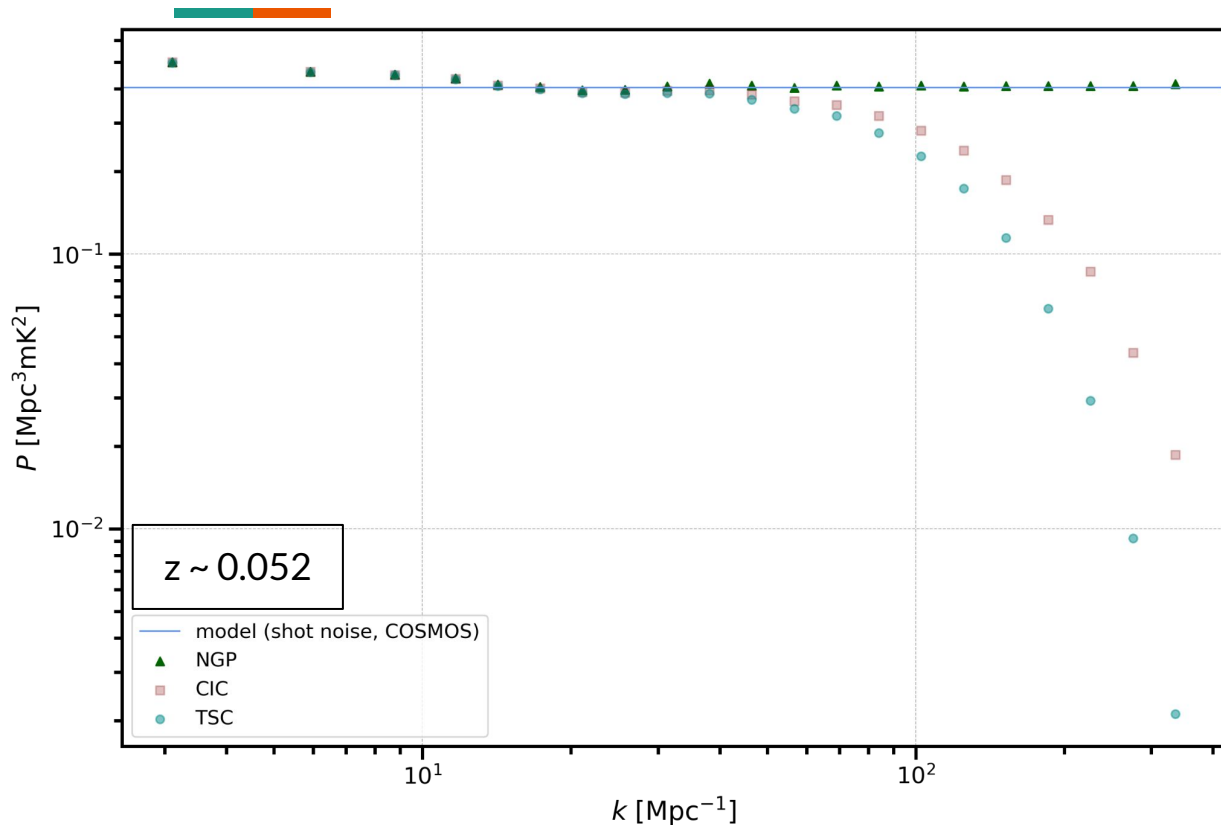
Power spectrum from MIGHTEE HI galaxies: Results - pixel size comparison for CIC



$$P_{\text{SN}}(\vec{k}) = \frac{A^2(\Delta V)^2 \sum_n M_{\text{HI},n}^2}{V}$$

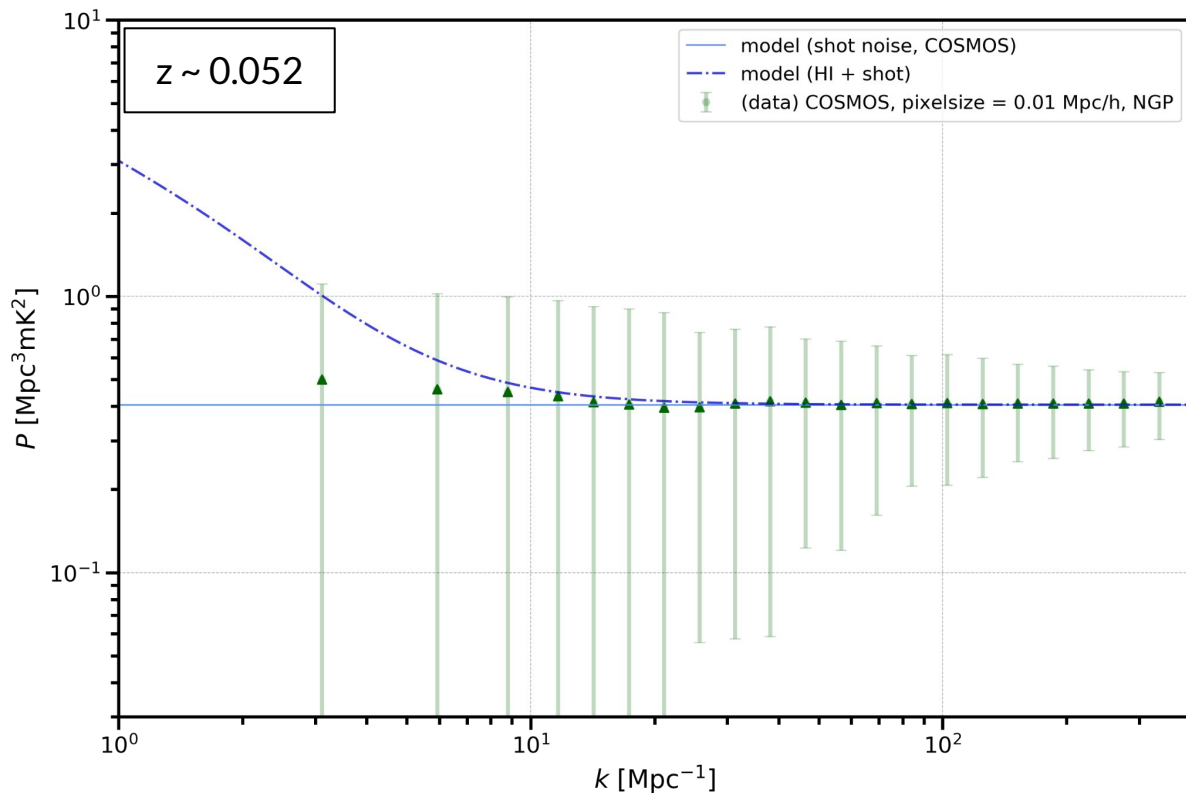
- Smoothing effect in high- k end of power spectrum
- This effect becomes more apparent with larger pixel size
- Same effect would be observed with TSC scheme

Power spectrum from MIGHTEE HI galaxies: Results - mass assignment scheme comparison



- Higher order mass assignment schemes cause drop in power due to shape function (see [Jing 2005 & Cui 2008](#) for elaboration on this)
- Assuming that the galaxies in the catalogue can be modelled as point sources, NGP is sufficient
- This implies no need for higher order schemes (or the need to correct for drop in power)

Power spectrum from MIGHTEE HI galaxies: Results - MIGHTEE COSMOS shot noise measurement



- Measurement from the galaxy catalogue demonstrates expectation of shot noise dominance at smaller scales
- The next step is to measure the power spectrum at small scales with the MIGHTEE visibility data and compare it to this result

Objectives

- Main objective is to measure the **HI power spectrum** with the **MIGHTEE data** with **interferometer-mode** HI intensity mapping.
1. Simulations are run in order to check the S/N for the MIGHTEE data
 2. Measure the HI power spectrum from **Early Science MIGHTEE-HI galaxy catalogue**
 3. Measure the HI power spectrum from the Early Science MIGHTEE-HI **visibility data (work in progress)**

Summary & Current work

- **Current focus** is on using HI IM to study the HI content of the local universe (very low z ; $\nu \sim 1310 - 1420$ MHz)
- The simulations demonstrate the plausibility of doing so with MeerKAT & the MIGHTEE survey in interferometer-mode with the delay spectrum method: $V(\mathbf{b}, \nu) \rightarrow \tilde{V}(\mathbf{b}, \tau) \rightarrow P_D(\mathbf{k}, z)$
- The **current work** consists of:
 - Relooking the simulations and theoretical models at low z for MIGHTEE COSMOS
 - Performing checks on the result from the MIGHTEE-HI galaxy catalogue
 - Analysing the visibility data (COSMOS) and then comparing the HI power spectrum obtained from it to that obtained from the **galaxy catalogue** and the expectation from **theory** (via the simulations)