

# The Yale Radial Velocity Challenge: results and application for testing tools to detect low-mass planets

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# The challenge

Intrinsic stellar variability represents a major limiting factor for planet searches in radial velocity (RV) data. New spectrographs (e.g. ESPRESSO) will improve RV precision by a factor of  $\sim 100$ . This will stress the challenge of distinguishing planetary signals from stellar activity-induced RV signals.

Good progress has been made in simulating stellar activity signals (e.g. Dumusque et al. 2011A, 2011b). At the Porto 2014 meeting “Towards Other Earths II” X. Dumusque (CfA/Obs. Geneva) challenged the community to a large scale blind test using the simulated RV data at the 1 m/s level of precision, to understand the limitations of present solutions to deal with stellar signals and to select the best approach.

15 planetary systems were simulated for solar-type stars (GK dwarfs)  
Observables: RV, BIS, FWHM and  $\log(R'_{HK})$

<https://rv-challenge.wikispaces.com/>

24 groups expressed their interest.

8 of them participated, and 5 analyzed all the 15 tests:

- Francesco Borsa, Giuseppe Frustagli, Monica Rainer, Ennio Poretti (INAF Brera)
- Mario Damasso, Aldo Bonomo, Paolo Giacobbe, Raphaëlle Haywood, Matteo Pinamonti, Alessandro Sozzetti (INAF Torino)
- Phil Gregory
- Artie Hatzes
- Vinesh Rajpaul, Suzanne Aigrain (Oxford)
- Mikko Tuomi, Anglada Escude
- Rodrigo Diaz, Damien Ségransan (Geneva Observatory)
- Nathan Hara, Frédéric Dauvergne, Gwenaël Boué, Jacques Laskar (Paris Observatory)

We analyzed all the exercises working in a Gaussian Process framework, while the study of the method and the development of the necessary software tools were in progress.  
→ limited results, necessarily!

We participated to the Yale Workshop in July, where the challenge was discussed (<http://exoplanets.astro.yale.edu>).

1st draft of a paper foreseen for the end of  
November (X. Dumusque, priv. comm.)


# The simulated datasets

#	Calendar	Prot	Planetary systems
1	Tau Ceti	25.05	Kepler-11 (b,d,e,g) + 1 HZ
2	Tau Ceti	25.05	Kepler-20 (5 pl)
3	Tau Ceti	25.05	HD10180 (b,d,e,g,h) + 26.3d + 1 HZ
4	Tau Ceti	25.05	None
5	HD192310	40.00	HD10700 (b,c,e,f) + 26.2 + 1 HZ
6	HD192310	~40.00 (real)	HD192310 (2 pl) + 36.8d + 105.2d + 1 HZ
7	HD192310	40.00	HD192310 (2 pl) + 36.8d + 105.2d + 1 HZ
8	HD192310	40.00	None
9	Alpha Cen B	36-40 (real)	Alpha Cen Bb ?
10	Alpha Cen B	36-40 (real)	Bb ? + HD85512 (1p) + 0.82d + 1 ZH
11	Alpha Cen B	36-40 (real)	Bb (sim) + HD10700 (b,c,d) + 1 ZH + 3200d
12	Alpha Cen B	40.00	Bb (sim) + HD10700 (b,c,d) + 1 ZH + 3200d
13	Alpha Cen B	40.00	None
14	Corot 7	~22.32 (real)	None
15	Corot 7	22.32	Corot 7 published planets

57 planets, 22 with  $K > 1 \text{ m/s}$  and 35 with  $K < 1 \text{ m/s}$

# Our general approach

No-binning. The original dataset was used. In general, no analysis performed on seasonal basis 

Data pre-treatment: removing long-term trends of likely stellar origin from RV and  $\log(R'_{HK})$  data 

Train Gaussian processes on  $\log(R'_{HK})$  using a *mixed, quasi-periodic* covariance function 

Identification in the RVs of possible Keplerian signal using GLS 

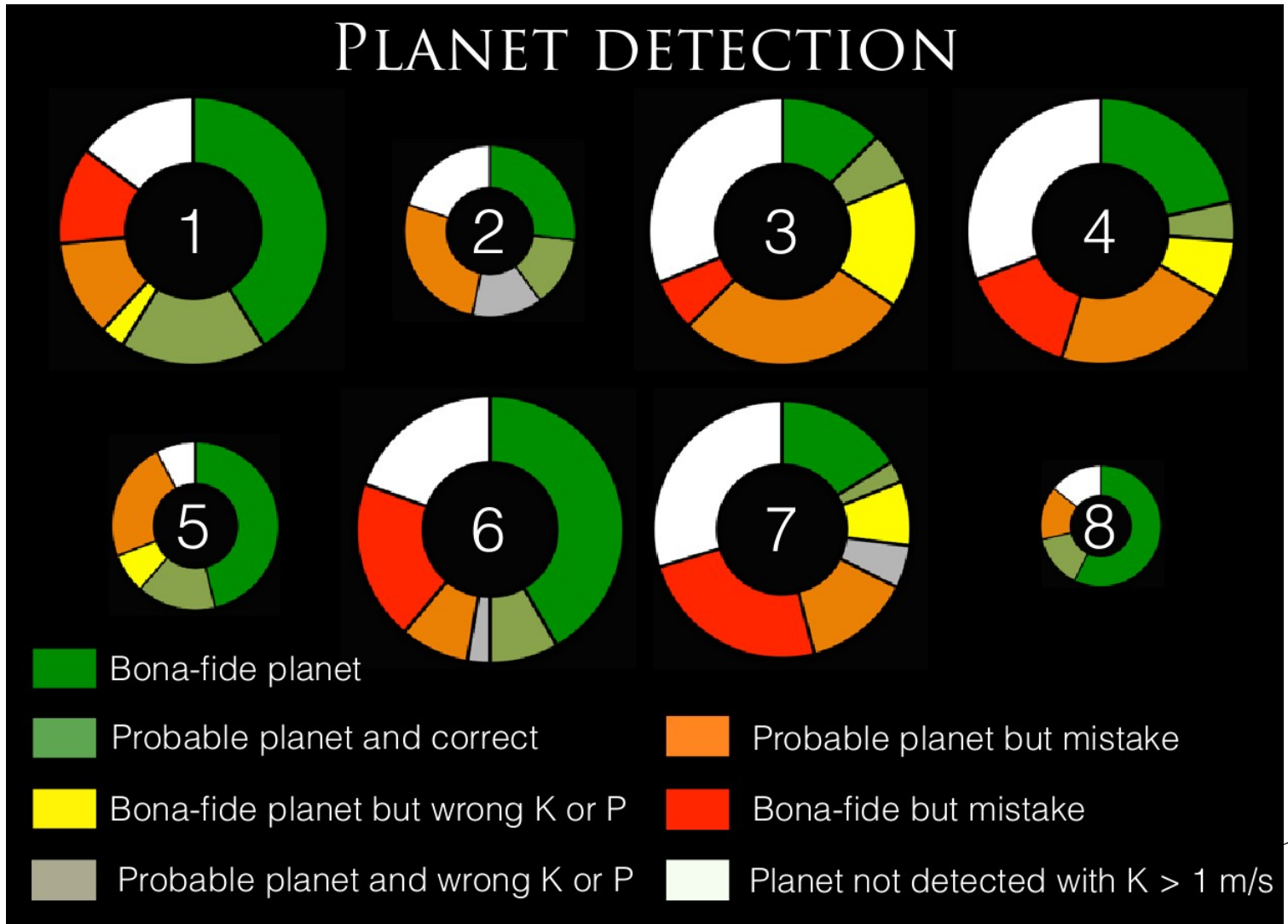
RV noise model and MCMC analysis [RV corrected with the same covariance function of  $\log(R'_{HK})$ ]

Bayesian selection of models 

Just the tip of the iceberg has been explored!

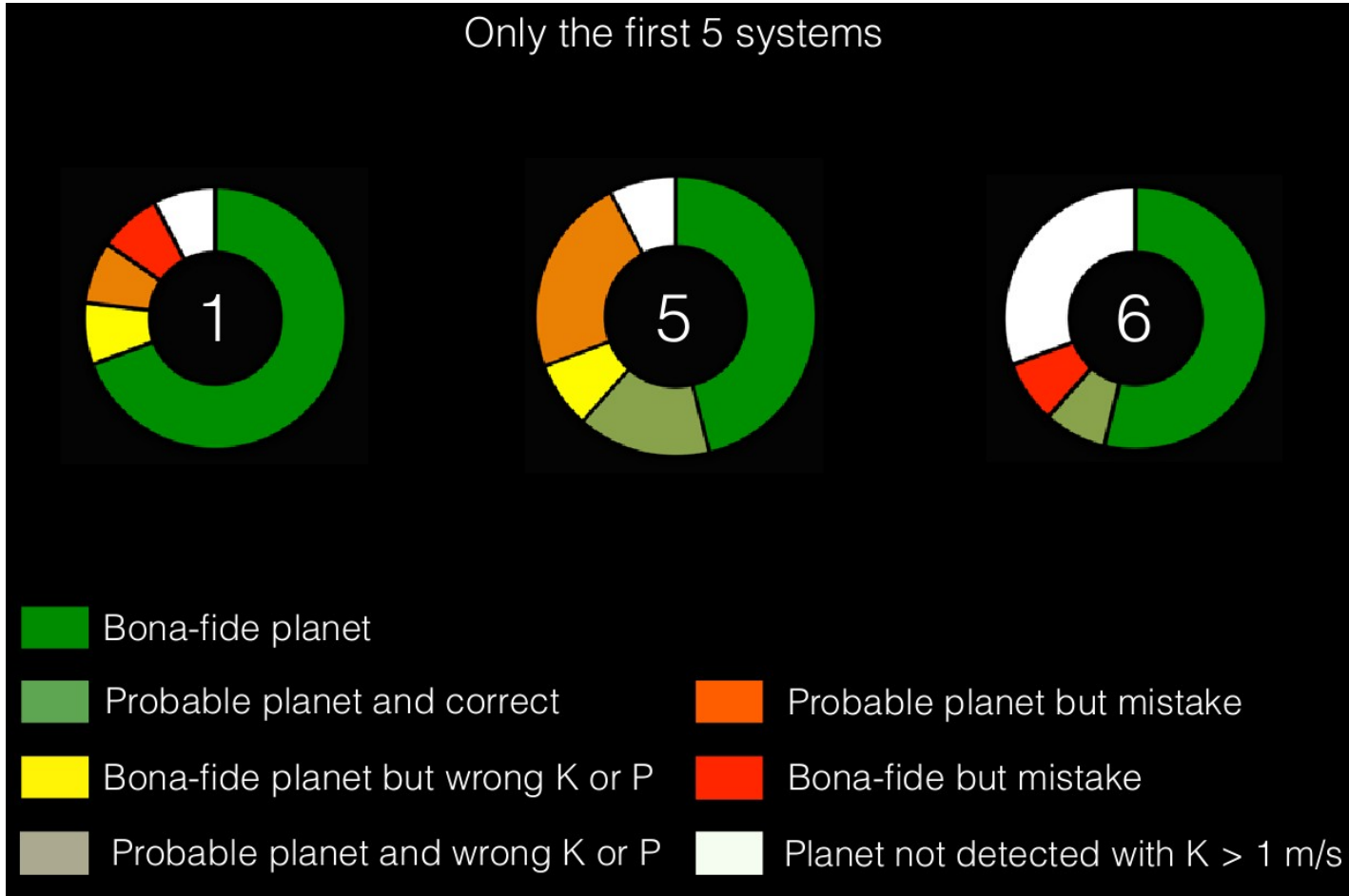
# Results

(over the total declared detections)














# Results

(over the total declared detections)





PLANET DETECTION		
bona fine planet		15
Probable planet		3
bona fine planet but wrong P or K		0
Probable planet and wrong P or K		1
mistake but flagged as probable		3
mistake and flagged as bona fide		7
non detected , with $K > 1\text{m/s}$		7
not detected, with $K < 1\text{m/s}$		32
ROTATIONAL PERIOD DETECTION		
good Prot		9
harmonic of Prot		4
wrong Prot		2

**False positives:** 2 Prot and 1 Prot/2 (wrong Prot), 2 ~Prot (correct Prot), 1 had p-value ~1%  
 → they could be avoided!

We reported correctly about the 3 systems without planets

## 2nd placement!



The challenge datasets are high-level simulations,  
and now that we know solutions  
they represent a valuable test bench for further analysis,  
to explore/develop different detection techniques

# Post-challenge analysis test#1

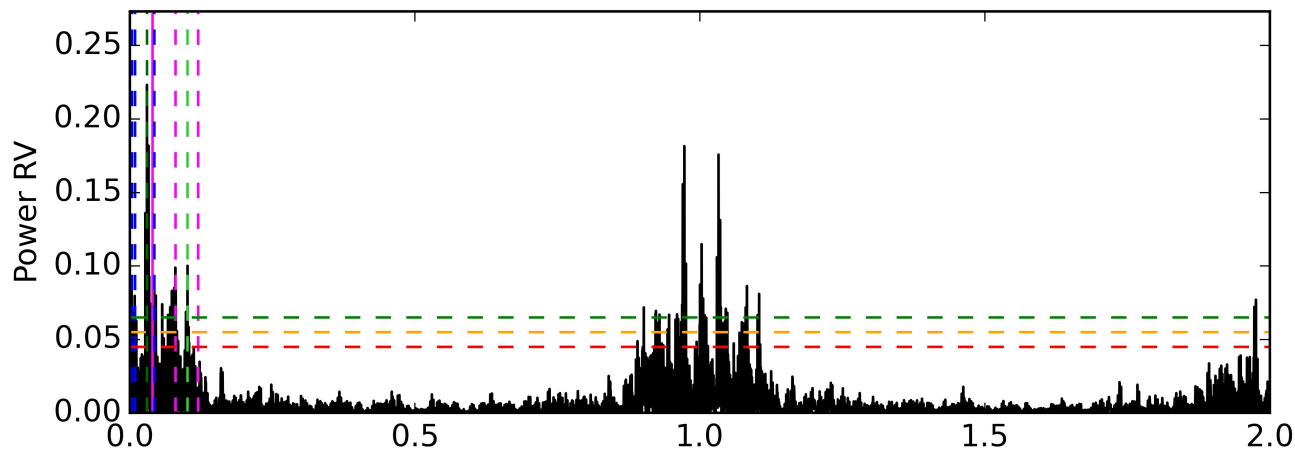
Planetary system 1		Prot	25			25.03
calendar		PL system				
Tau Ceti synth (recent 5 years)		Kepler-11 - 2 pl + 1 hz				
planets	period used	mass used	ecc used	K		
b	9.89	4.128	0.096	1.45	$K = 1.65 \pm 0.18$	
d	23.37	6.283	0.1236	1.67		
e	33.28	8.736	0.0832	2.05	$K = 2.15 \pm 0.24$	
g	112.46	2.375	0.209	0.38		
fake	273.20	1.9	0.16	0.22		

Stellar mass  $M=0.78 M_s$   
 Three planets with  $K>1$  m/s  
 No false detections  
 Prot OK

Planet b doubtful because  $P \sim P_{\text{rot}}/2$  (but not so close!)  
 Planet d detected but ignored because  $P \sim P_{\text{rot}}$  (very close)  $\longrightarrow$  Quite easy to avoid

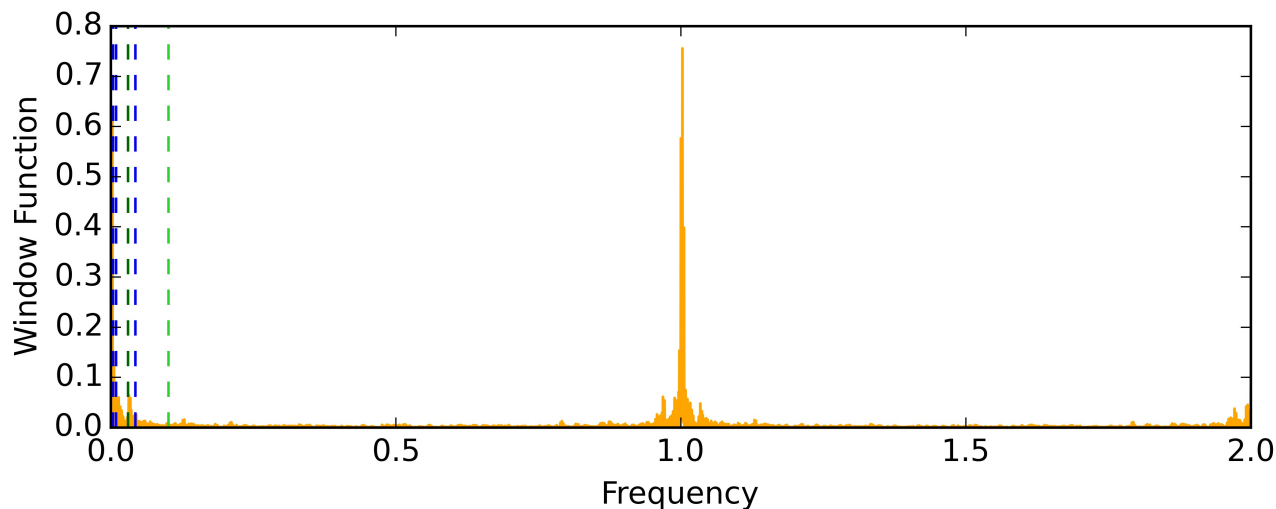
# Post-challenge analysis

## test#1



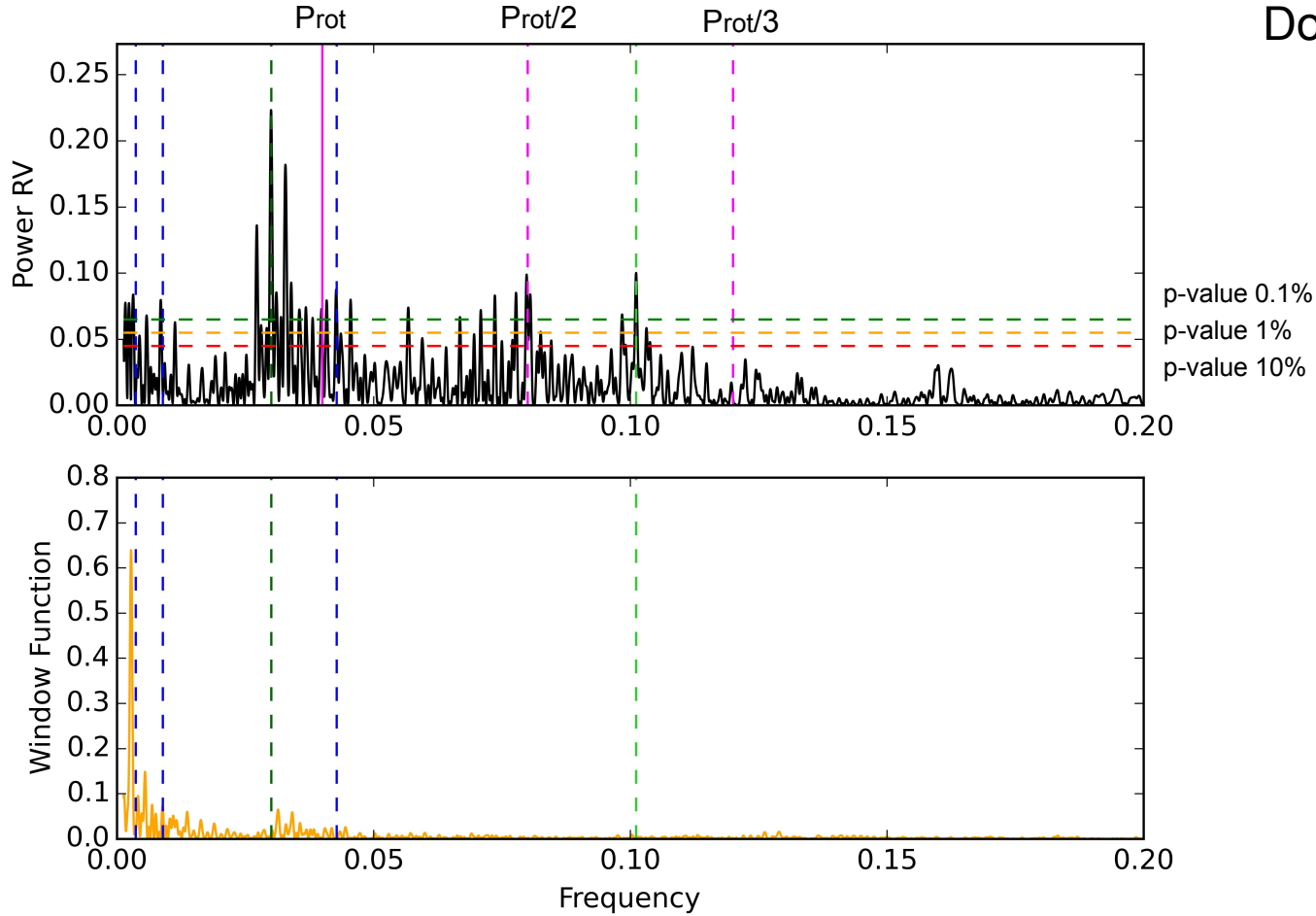
Original RVs  
GLS periodogram  
Freq. range=[0.0013-2]

p-value 0.1%  
p-value 1%  
p-value 10%



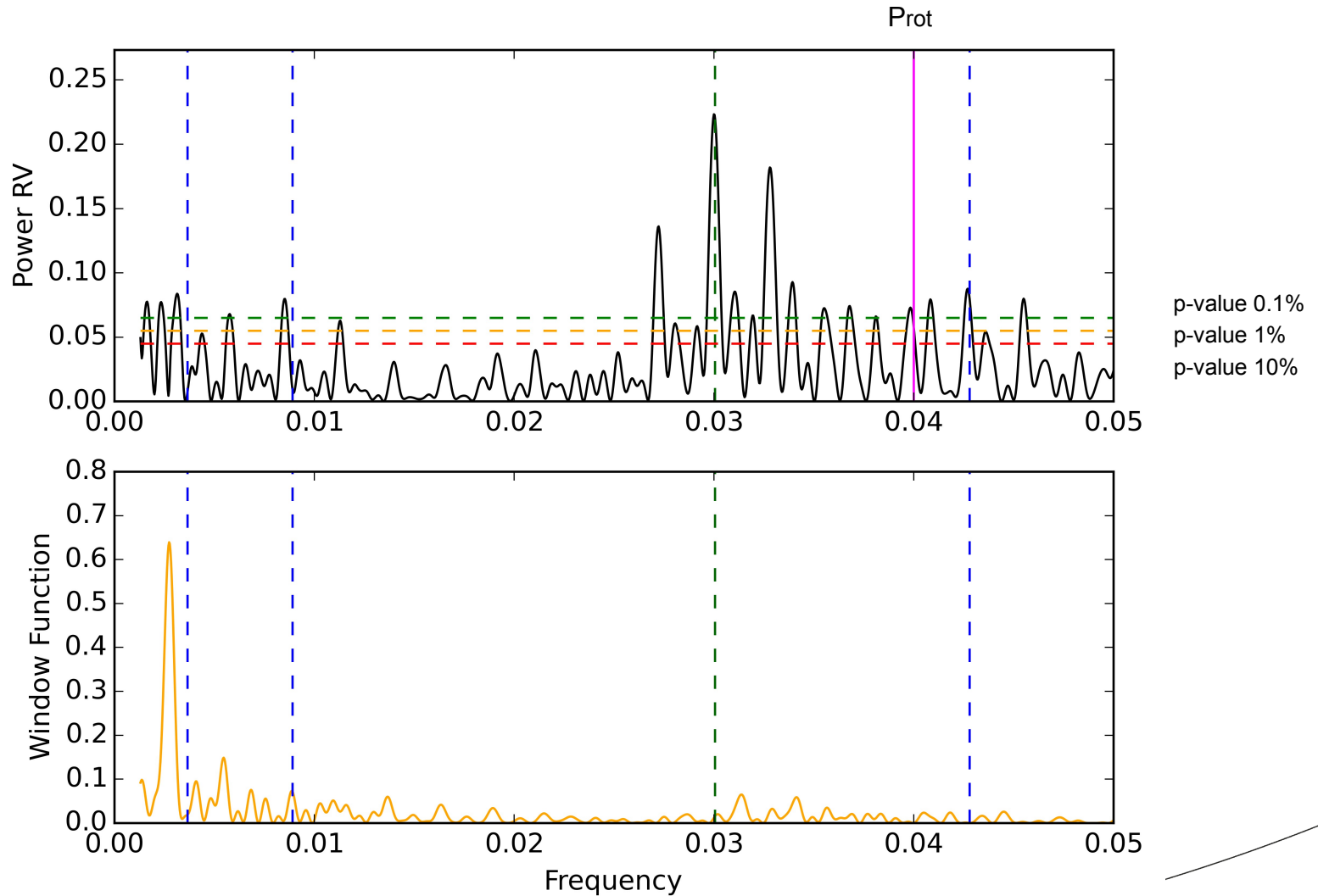
# Post-challenge analysis test#1

Dominant noise @  $P_{rot}/2$



# Post-challenge analysis

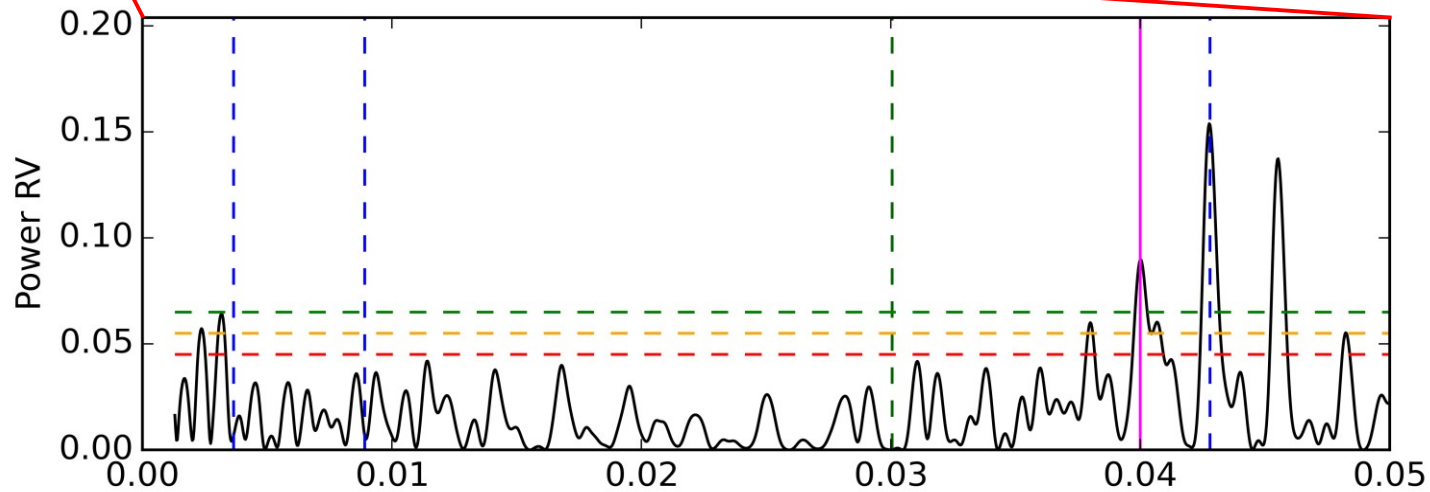
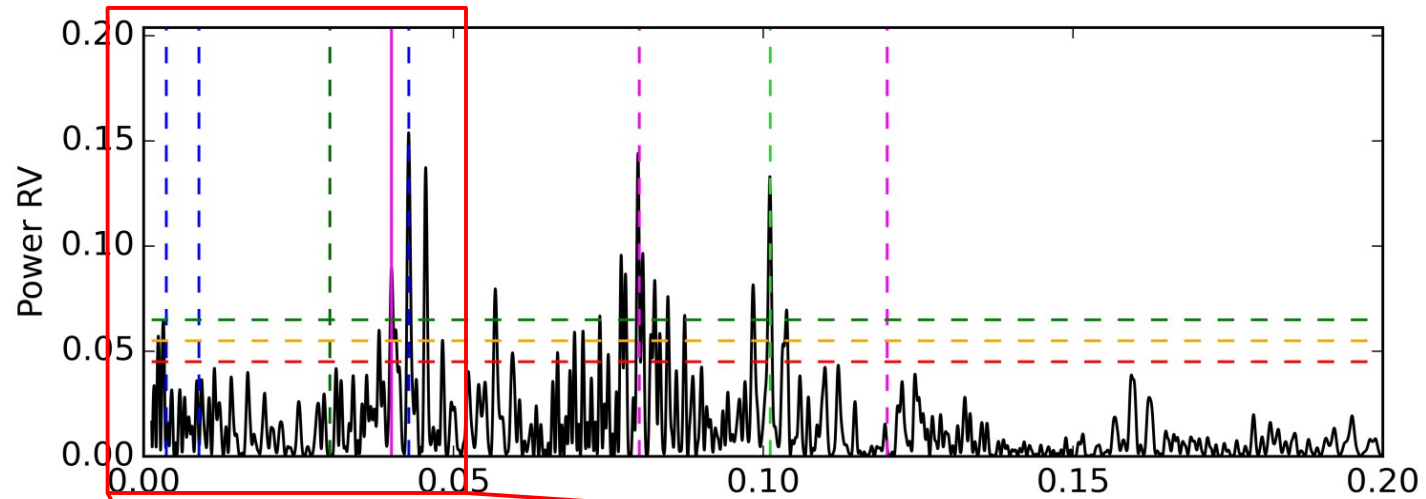
## test#1



# Post-challenge analysis

## test#1

GLS periodogram of the residuals



16

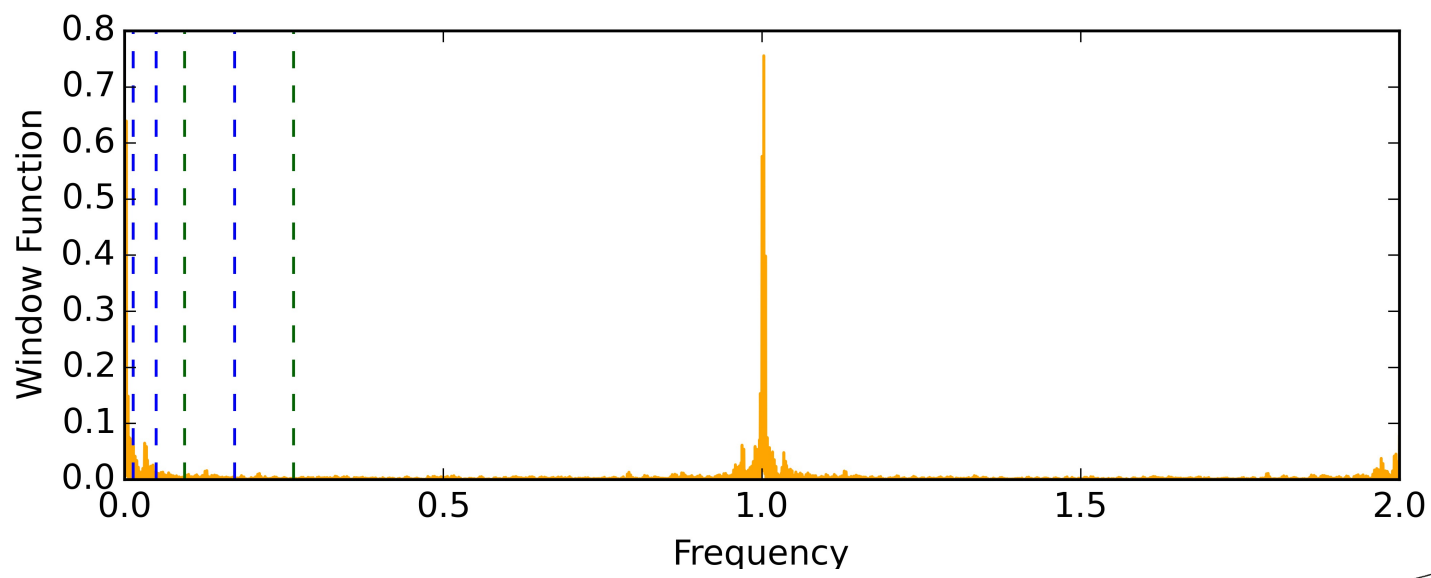
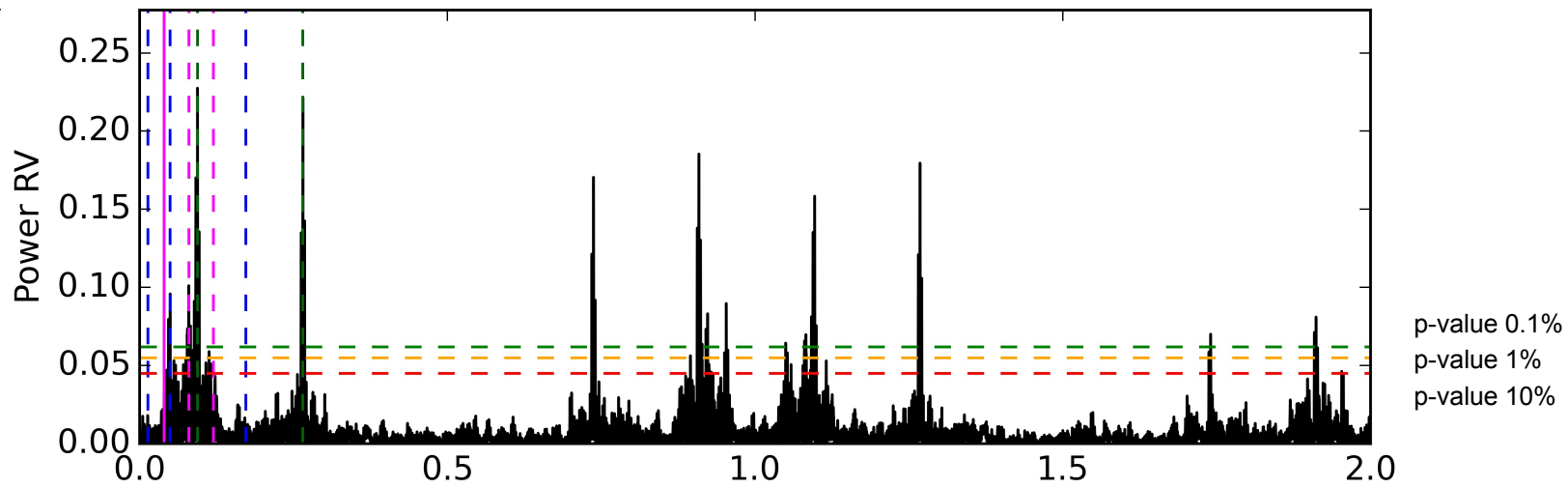


# Post-challenge analysis test#2

Planetary system 2		Prot	25		25.04
calendar	PL system				
Tau Ceti synth (recent 5 years)	Kepler-20				
planets	period used	mass used	ecc used		
b	3.77	5.677517264	0.051	2.75	K = 2.7 +/- 0.15
e	5.79	0.629564763	0.114	0.27	
c	10.64	8.243197866	0.1372	2.85	K = 2.7 +/- 0.2
f	20.16	1.23182611	0.0824	0.34	
d	75.28	7.413963441	0.194	1.35	

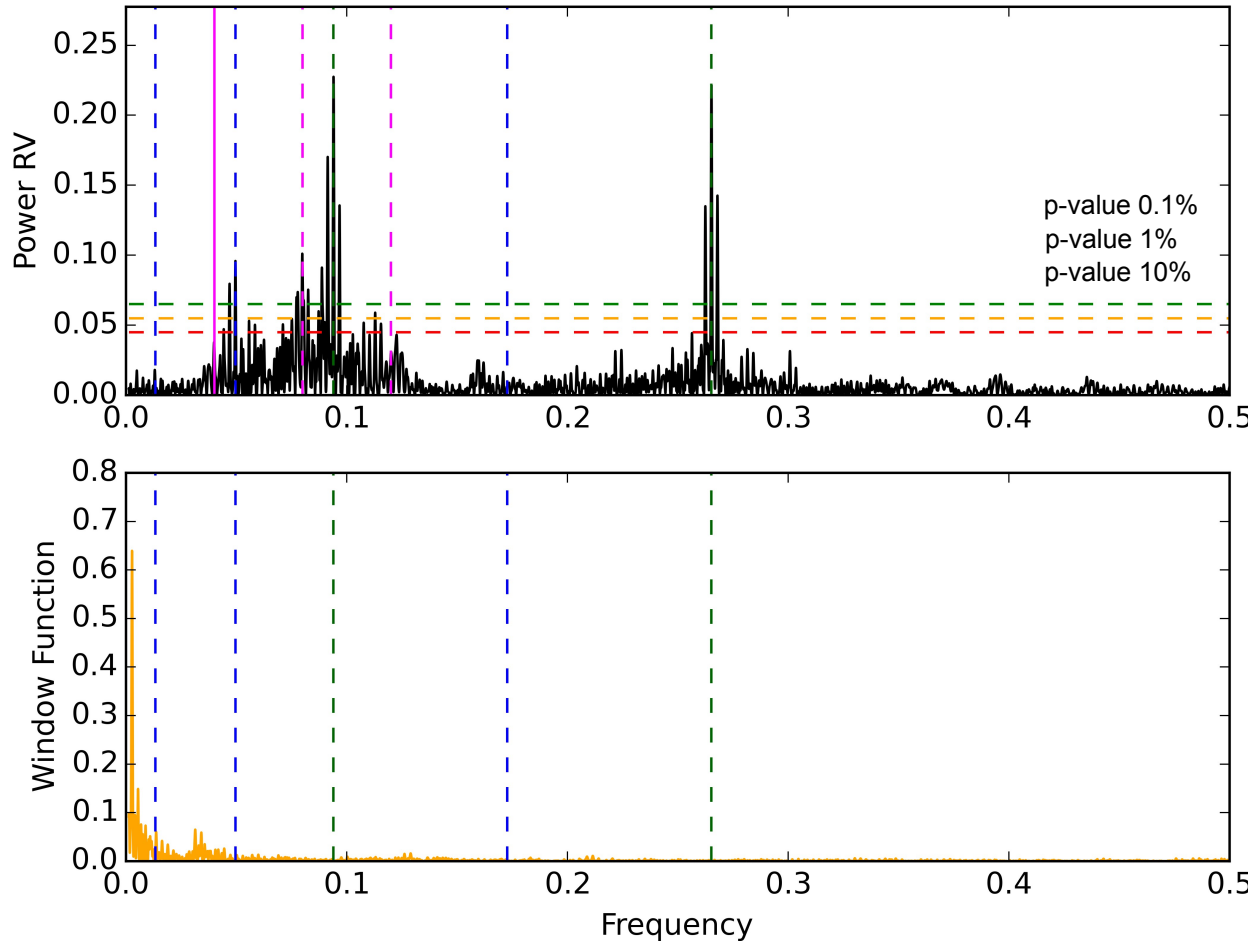
Stellar mass  $M=0.78 M_s$   
 Three planets with  $K > 1$  m/s  
 No false detections  
 Prot OK

# Post-challenge analysis test#2



# Post-challenge analysis test#2

Prot



**Planet f** ( $P=20d$ ,  $K=0.34$  m/s, circular): significant peak, and best signal after 2 iterations on the residuals, with  $p\text{-value}=0.01\%$  and  $K=1.1$  m/s. Excluded because close to  $P_{\text{rot}}$  (which does not show power!)

**Planet e** ( $P=5.79d$ ,  $K=0.27$  m/s,  $e=0.1$ ): best peak after 13 iterations on the res., with  $p\text{-value}=23\%$  and  $K=0.54$  m/s

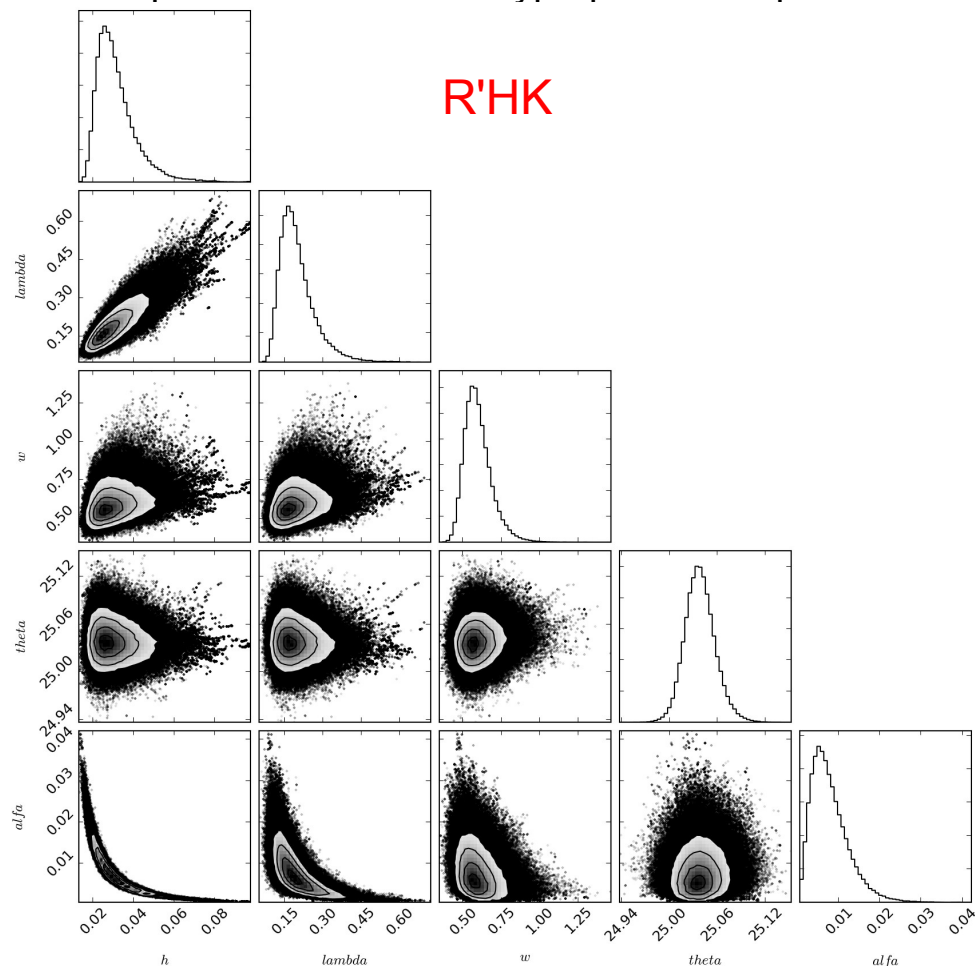
**Planet d** ( $P=75d$ ,  $K=1.35$  m/s,  $e=0.19$ ): best peak after 14 iterations on the res., with  $p\text{-value}=30\%$  and  $K=0.53$  m/s

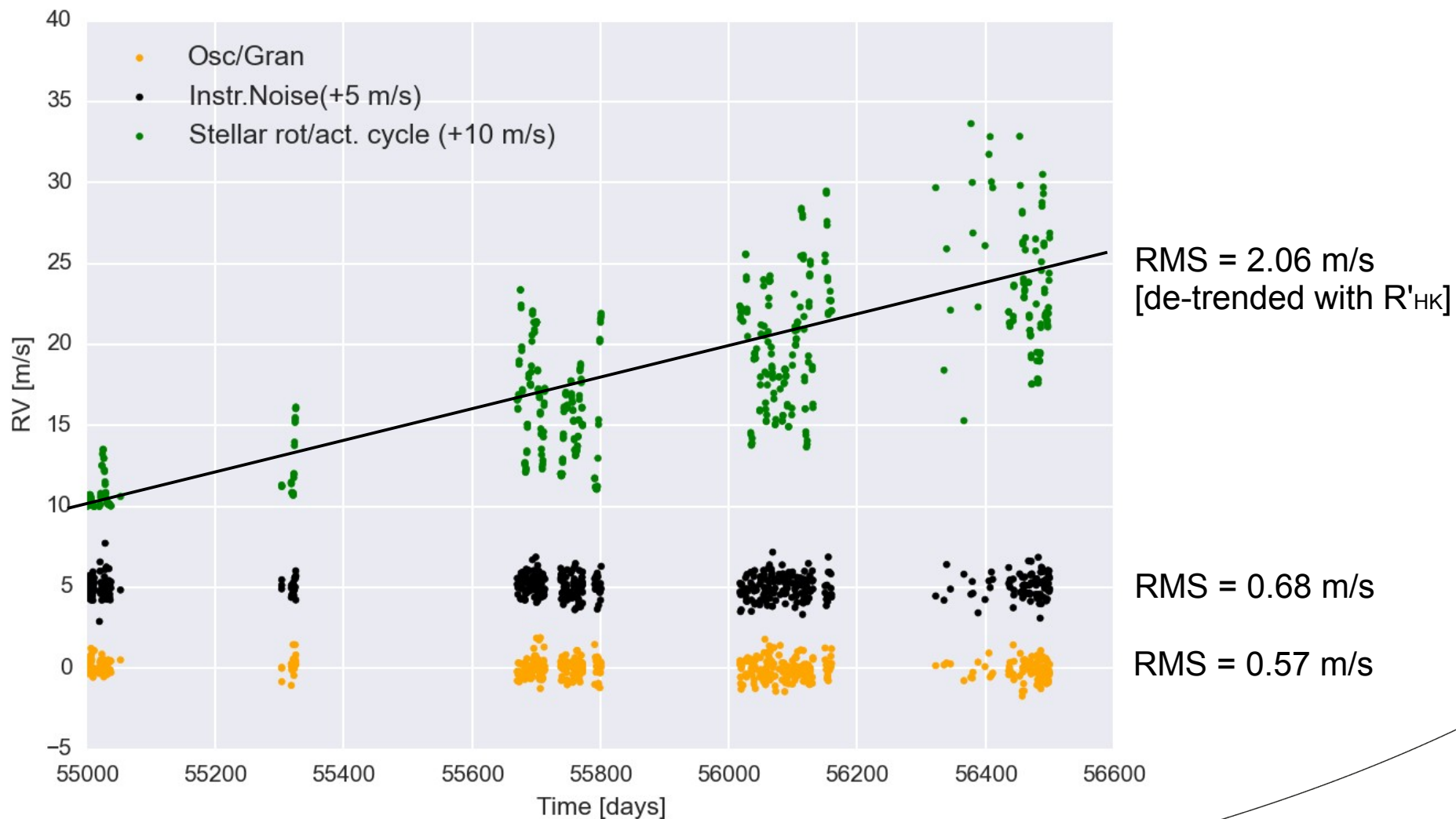
**No power in the periodogram!**

# Post-challenge analysis test#1

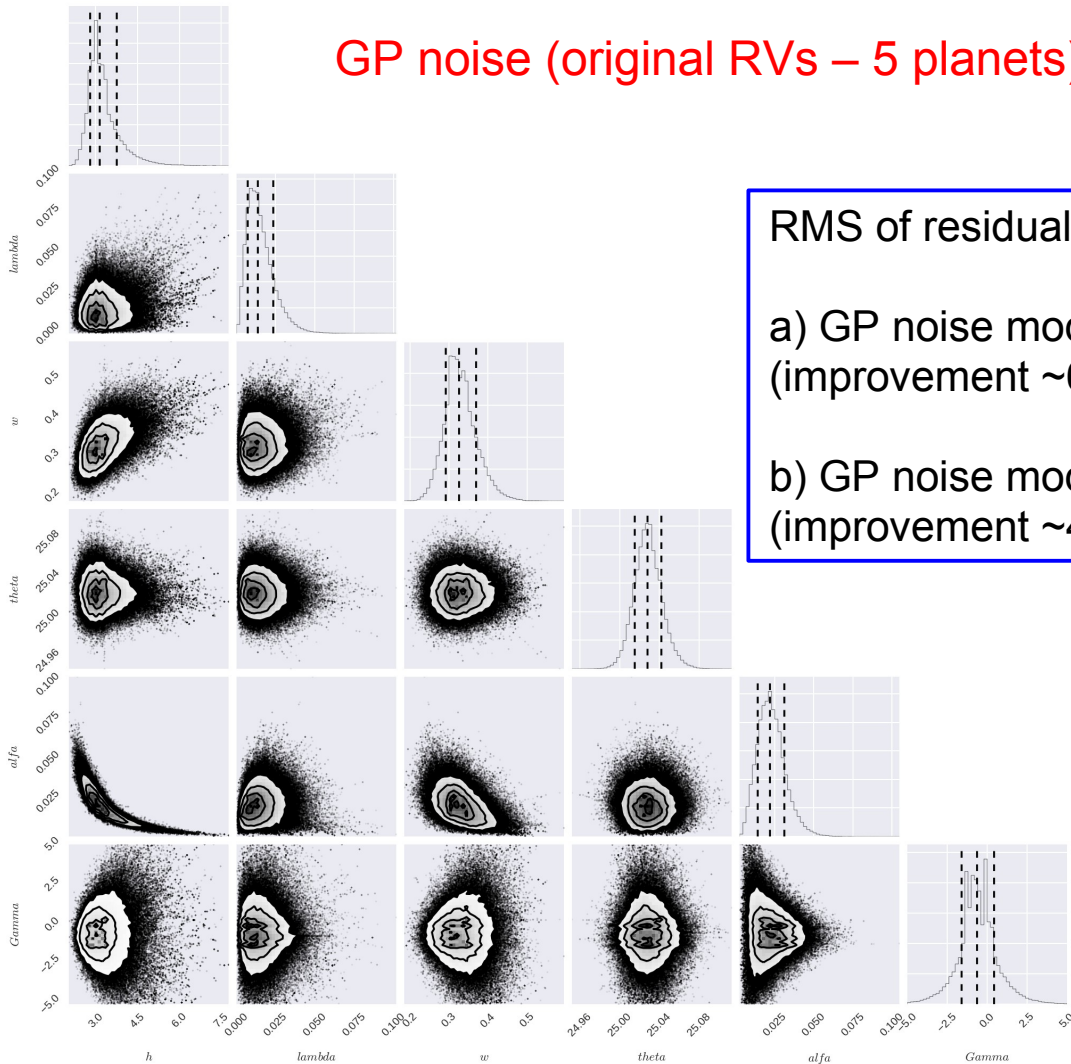
**Question:** how well does the GP trained on the R'HK index reproduce the stellar+instrumental noise in the RV data?

**First answer:** Modeling the residuals (original RVs *minus* the 5 injected planets); same GP covariance function and non-informative priors based on the hyperparameter posterior distributions obtained for R'HK.



Post-challenge analysis  
test#1

GP noise (original RVs – 5 planets)



RMS of residuals :

a) GP noise model -  $\Sigma(\text{noise sources}) = 0.88$  [m/s]  
(improvement ~60%)

b) GP noise model - Stellar rot/act. cycle = 1.19 [m/s]  
(improvement ~43%)

## Possible next steps: new approaches to be explored

1) Bayesian analysis with **MultiNest**, including correlated noise to mitigate the stellar noise. A possible approach is described in **Feroz & Hobson (2013)**.

MultiNest provide an efficient calculation of the Bayesian evidence  $Z$ , then should allow for a statistically robust model selection.

- software is implemented; computationally expensive for  $N > 3$  signals (w/o GP);  
A physically motivated noise model needs to be included, e.g. GP trained on  $\log(R'_{HK})$

2) Bayesian inference with **Diffusive Nested Sampling**, including correlated noise to take into account the stellar noise. A first approach (w/o stellar noise model included) is described in **Brewer & Donovan (2015)**.

The posterior distribution probability of the number of Keplerians  $N$  can be obtained.

- basic software to be tested; inclusion into a GP framework (work in progress by others)

# Possible next steps: explore approaches used in the challenge

Geneva Observatory (Diaz et al. 2015, <http://arxiv.org/abs/1510.06446>)

Correlation with  $\log(R'_{HK})$

Noise jitter dependent on activity level

Bayesian model comparison

→ new ways of calculating the Bayes' factor; testing their outcomes

Phil Gregory (<http://www.exostats.org/wp-content/talks/gregory.pdf>)

Apodized Keplerian

De-trended FWHM with  $\log(R'_{HK})$  and looked for signals

Let's wait for the forthcoming paper!



Collaboration and ideas are very welcome!

More independent techniques we handle, better it is!